





[1] Hyper explosive growth (worse than Collatz or Kaprekar by orders of magnitude)

[2] Absolute-deterministic convergence (unlike chaos systems)

[3] Multiple fixed-point attractors (unlike Collatz's single cycle hypothesis)

[4] Digit level physics (a totally new regime)

This puts the transformation in its own class: a violent digit dynamic system with guaranteed stabilization.

It is rare in mathematics for a process to be simple, computationally explosive, empirically universal, convergent across all tests and structurally rich enough to generate attractors.

Systems with this combination of traits are historically rare. When they appear, Collatz (1937), Kaprekar (1949) and Conway's FRACTRAN (1987), they generate decades of interest, cross disciplinary analysis and deep open questions.

Our system volatile growth phase is far more dramatic than any of the classics.

## **2. Illustrations**

### **2.1 The number 1000081**

This number takes 7 steps to reach the stable number 11 as illustrated below:

Enter the starting number: 1000081

Step 1 (current number): 1000081

-> After squaring digits: 10000641

Step 2 (current number): 10000641

-> After squaring digits: 1000036161

Step 3 (current number): 1000036161

-> After squaring digits: 100009361361

-> After summing groups of 3: 191010

-> After summing groups of 3: 111

-> After summing groups of 3: 3

Step 4 (current number): 3

-> After squaring digits: 9

Step 5 (current number): 9

-> After squaring digits: 81

Step 6 (current number): 81

-> After squaring digits: 641

-> After summing groups of 3: 11

Step 7 (current number): 11

-> After squaring digits: 11

Brutal stable number reached: 11

## 2.2 The number 855544410

This number takes 22 steps to reach the stable number 1011 as illustrated below:

Enter the starting number: 855544410

Step 1 (current number): 855544410

-> After squaring digits: 6425252516161610

Step 2 (current number): 6425252516161610

-> After squaring digits: 361642542542513613613610

-> After summing groups of 3: 10121111910107

Step 3 (current number): 10121111910107

-> After squaring digits: 1014111181101049

Step 4 (current number): 1014111181101049

-> After squaring digits: 10116111164110101681

Step 5 (current number): 10116111164110101681

-> After squaring digits: 1011361111361611010136641

Step 6 (current number): 1011361111361611010136641

-> After squaring digits: 1011936111193613611010193636161

Step 7 (current number): 1011936111193613611010193636161

-> After squaring digits: 1011819361111819361936110101819369361361

Step 8 (current number): 1011819361111819361936110101819369361361

-> After squaring digits: 101164181936111164181936181936110101641819368193619361

-> After summing groups of 3: 21110183111018101822111817131610

Step 9 (current number): 21110183111018101822111817131610

-> After squaring digits: 41110164911101641016444111641491913610

Step 10 (current number): 41110164911101641016444111641491913610

-> After squaring digits: 161110136168111101361610136161616111361611681181193610

-> After summing groups of 3: 821015321071081331081510137

-> After summing groups of 3: 11668979611

Step 11 (current number): 11668979611

-> After squaring digits: 113636648149813611

-> After summing groups of 3: 5151814128

Step 12 (current number): 5151814128

-> After squaring digits: 251251641161464

-> After summing groups of 3: 8811814

Step 13 (current number): 8811814

-> After squaring digits: 64641164116

Step 14 (current number): 64641164116

-> After squaring digits: 361636161136161136

-> After summing groups of 3: 1015810810

Step 15 (current number): 1015810810

-> After squaring digits: 1012564106410

Step 16 (current number): 1012564106410

-> After squaring digits: 101425361610361610

-> After summing groups of 3: 211107107

-> After summing groups of 3: 488

-> After summing groups of 3: 20

Step 17 (current number): 20

-> After squaring digits: 40

Step 18 (current number): 40

-> After squaring digits: 160

-> After summing groups of 3: 7

Step 19 (current number): 7

-> After squaring digits: 49

Step 20 (current number): 49

-> After squaring digits: 1681

Step 21 (current number): 1681

-> After squaring digits: 136641

-> After summing groups of 3: 1011

Step 22 (current number): 1011

-> After squaring digits: 1011

Brutal stable number reached: 1011

### **2.3 The number 88888**

This number takes 13 steps to reach the stable number 1111111111 as illustrated below:

Enter the starting number: 88888

Step 1 (current number): 88888

-> After squaring digits: 6464646464

Step 2 (current number): 6464646464

-> After squaring digits: 36163616361636163616

Step 3 (current number): 36163616361636163616

-> After squaring digits: 936136936136936136936136936136

-> After summing groups of 3: 18101810181018101810

Step 4 (current number): 18101810181018101810

-> After squaring digits: 1641016410164101641016410

Step 5 (current number): 1641016410164101641016410

-> After squaring digits: 13616101361610136161013616101361610

Step 6 (current number): 13616101361610136161013616101361610

-> After squaring digits: 193613610193613610193613610193613610193613610

-> After summing groups of 3: 1310713107131071310713107

Step 7 (current number): 1310713107131071310713107

-> After squaring digits: 191049191049191049191049191049

-> After summing groups of 3: 11131113111311131113

Step 8 (current number): 11131113111311131113

-> After squaring digits: 11191119111911191119

Step 9 (current number): 11191119111911191119

-> After squaring digits: 1118111811181118111811181

Step 10 (current number): 1118111811181118111811181

-> After squaring digits: 111641111641111641111641111641

-> After summing groups of 3: 311311311311311

-> After summing groups of 3: 55555

Step 11 (current number): 55555

-> After squaring digits: 2525252525

Step 12 (current number): 2525252525

-> After squaring digits: 425425425425425

-> After summing groups of 3: 1111111111

Step 13 (current number): 1111111111

-> After squaring digits: 1111111111

Brutal stable number reached: 1111111111

## 2.4 The number 186660000006

This number takes 23 steps to reach the stable number 11 as illustrated below:

Enter the starting number: 186660000006

Step 1 (current number): 186660000006

-> After squaring digits: 16436363600000036

Step 2 (current number): 16436363600000036

-> After squaring digits: 1361693693693600000936

Step 3 (current number): 1361693693693600000936

-> After squaring digits: 19361368193681936819360000081936

-> After summing groups of 3: 1310151818171360918

Step 4 (current number): 1310151818171360918

-> After squaring digits: 19101251641641491936081164

Step 5 (current number): 19101251641641491936081164

-> After squaring digits: 181101425136161361611681181936064113616

-> After summing groups of 3: 1021110810815101810513

Step 6 (current number): 1021110810815101810513

-> After squaring digits: 104111064106412510164102519

-> After summing groups of 3: 531077611315

-> After summing groups of 3: 91489

Step 7 (current number): 91489

-> After squaring digits: 811166481

-> After summing groups of 3: 101313

-> After summing groups of 3: 27  
Step 8 (current number): 27  
-> After squaring digits: 449  
-> After summing groups of 3: 17  
Step 9 (current number): 17  
-> After squaring digits: 149  
-> After summing groups of 3: 14  
Step 10 (current number): 14  
-> After squaring digits: 116  
-> After summing groups of 3: 8  
Step 11 (current number): 8  
-> After squaring digits: 64  
Step 12 (current number): 64  
-> After squaring digits: 3616  
Step 13 (current number): 3616  
-> After squaring digits: 936136  
-> After summing groups of 3: 1810  
Step 14 (current number): 1810  
-> After squaring digits: 16410  
Step 15 (current number): 16410  
-> After squaring digits: 1361610  
Step 16 (current number): 1361610  
-> After squaring digits: 193613610  
-> After summing groups of 3: 13107  
Step 17 (current number): 13107  
-> After squaring digits: 191049







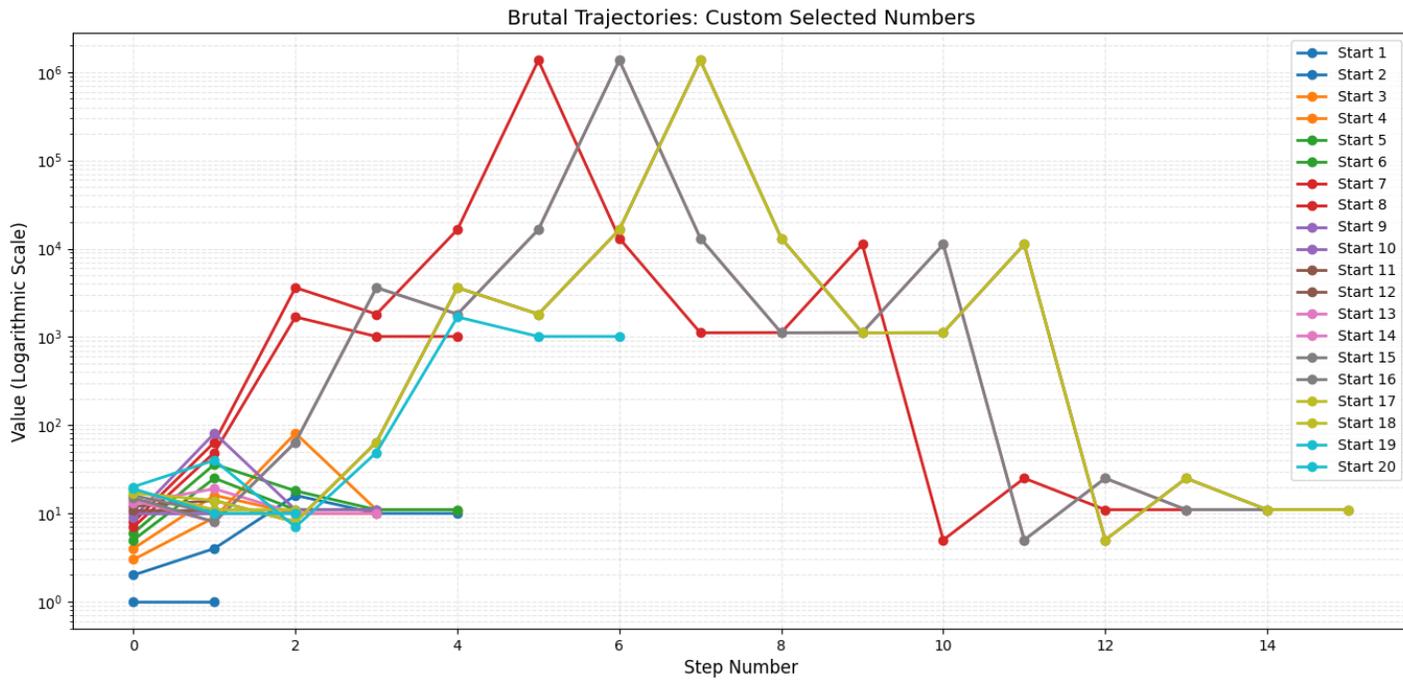
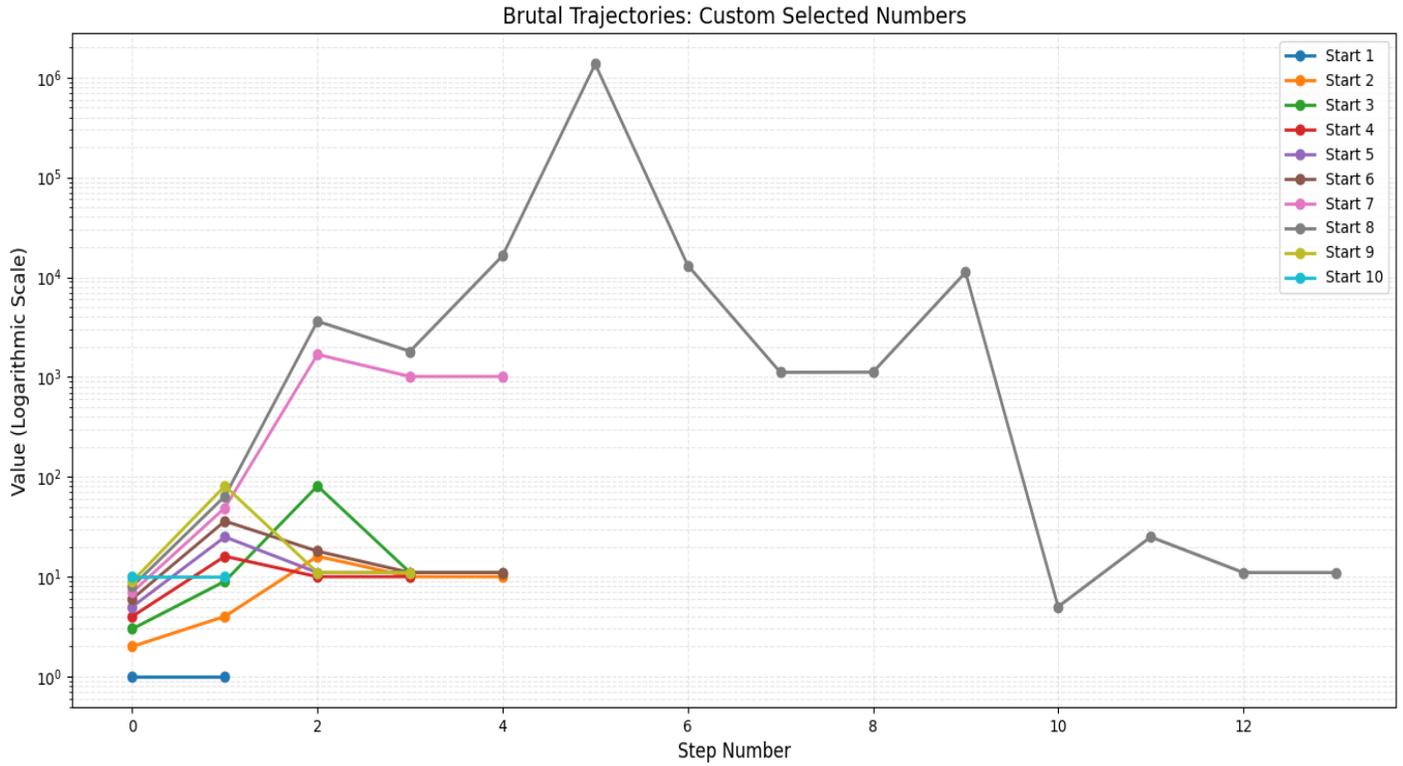


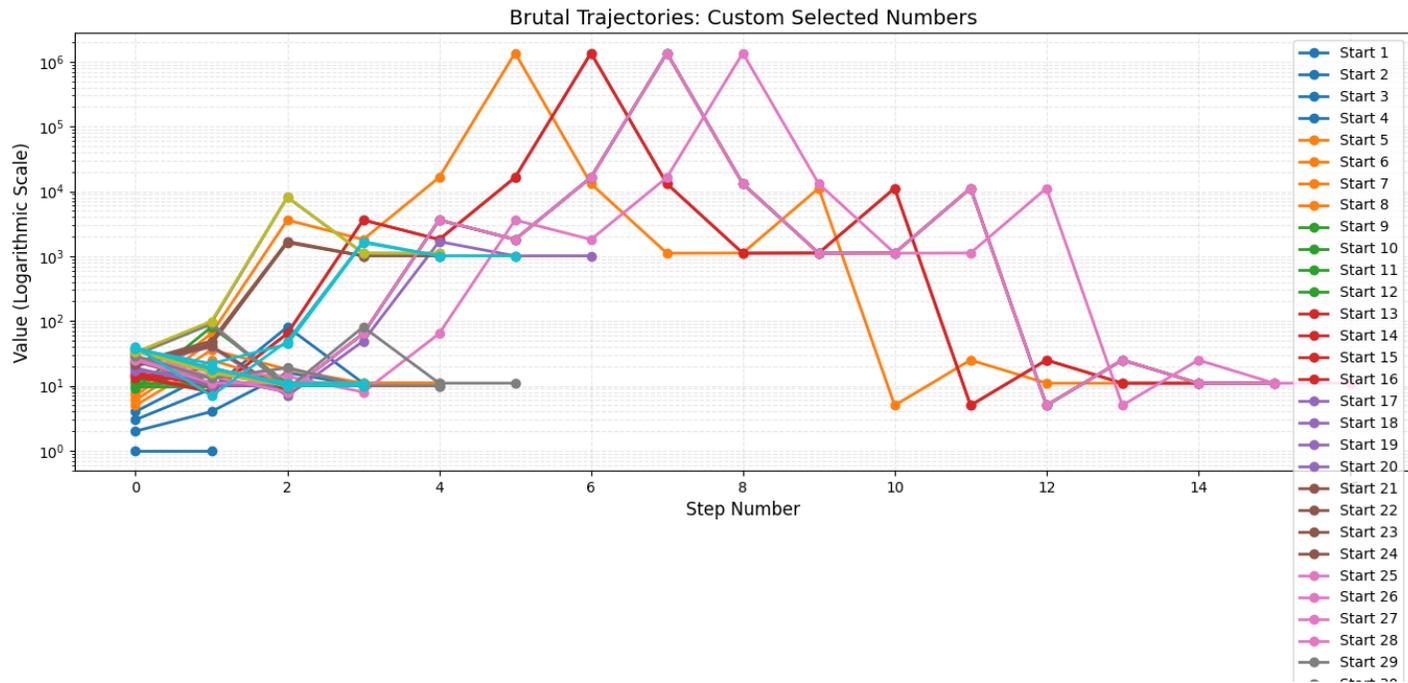
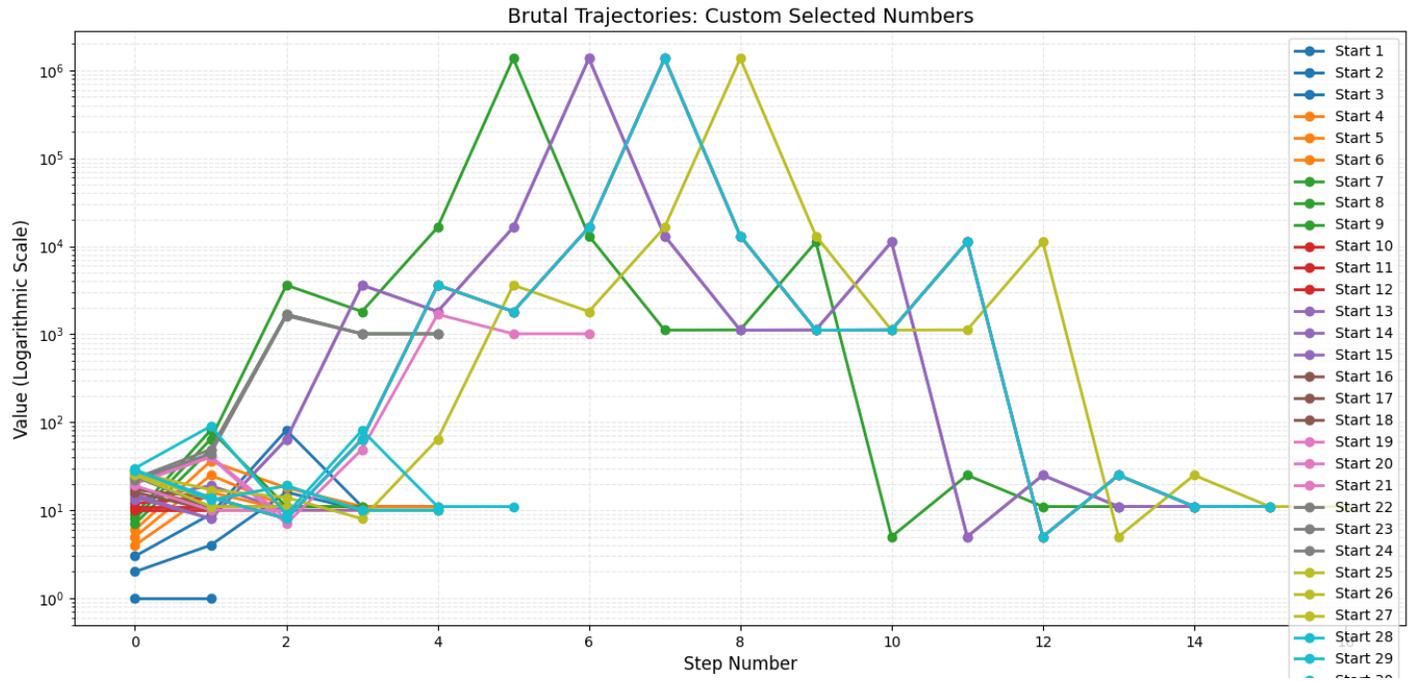


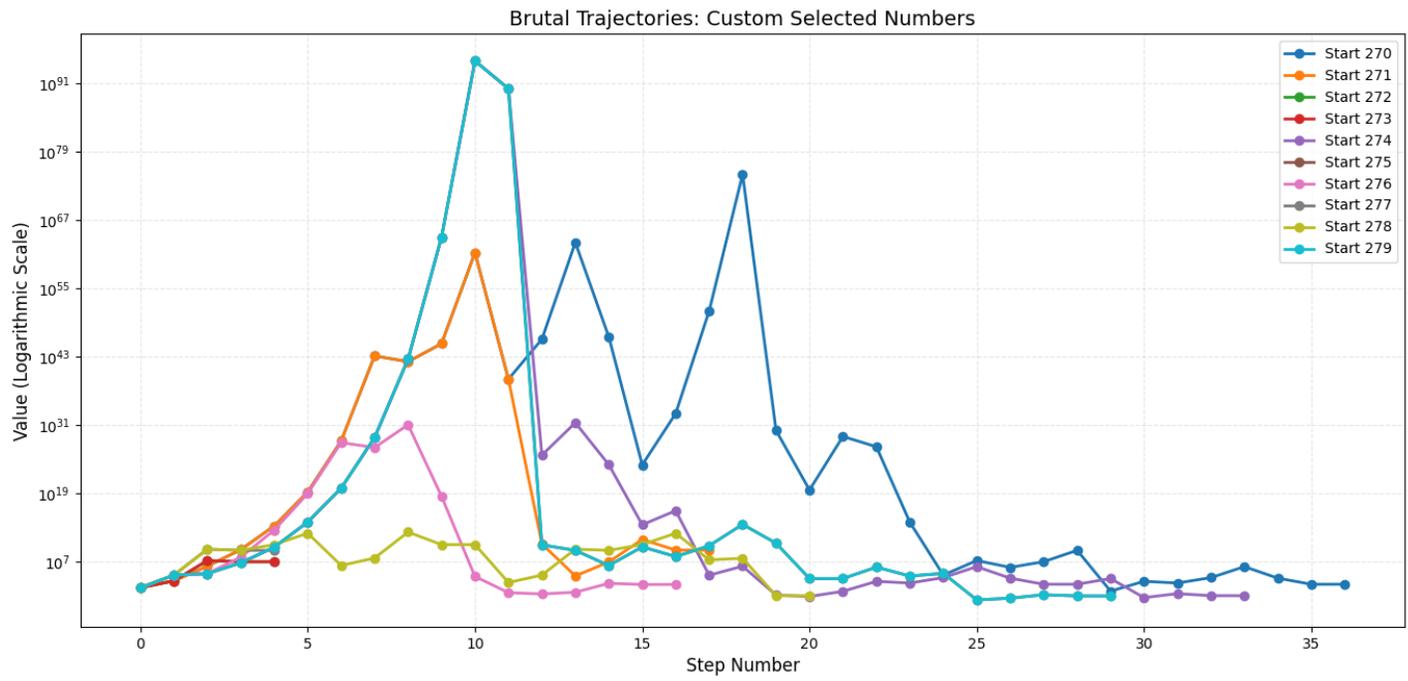
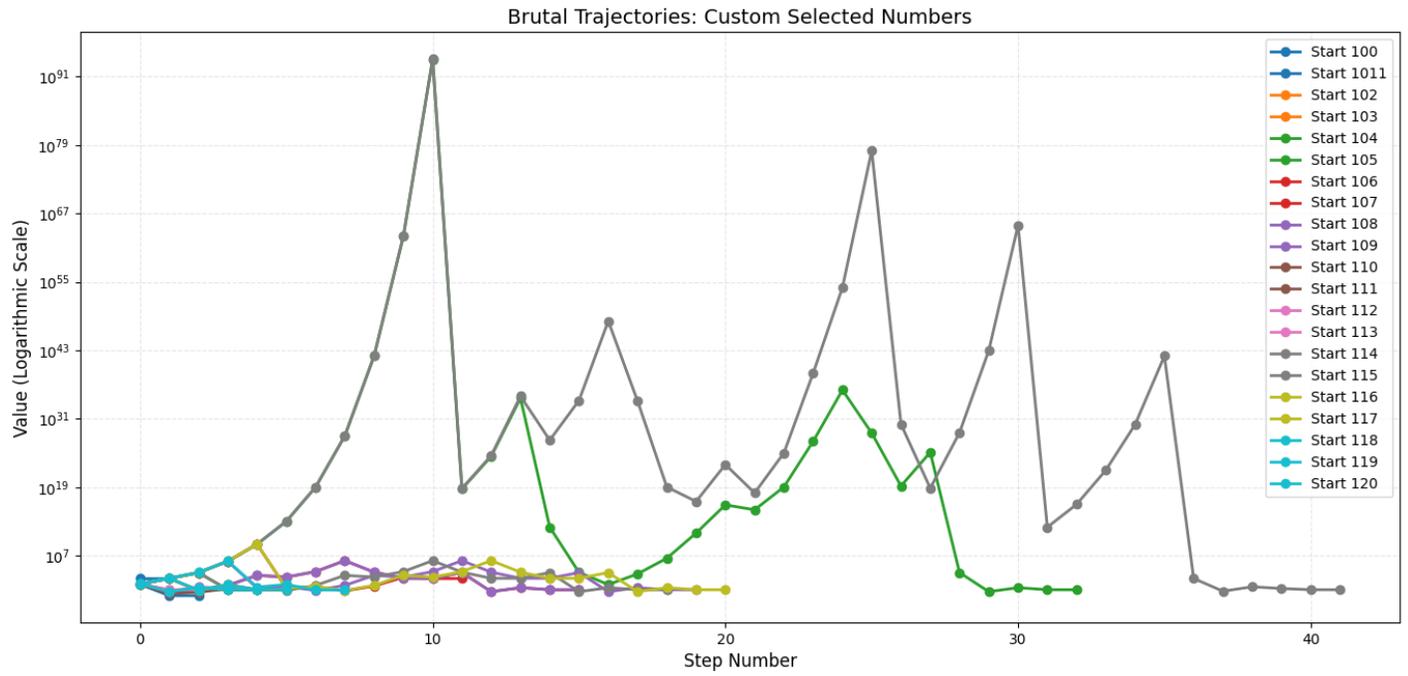


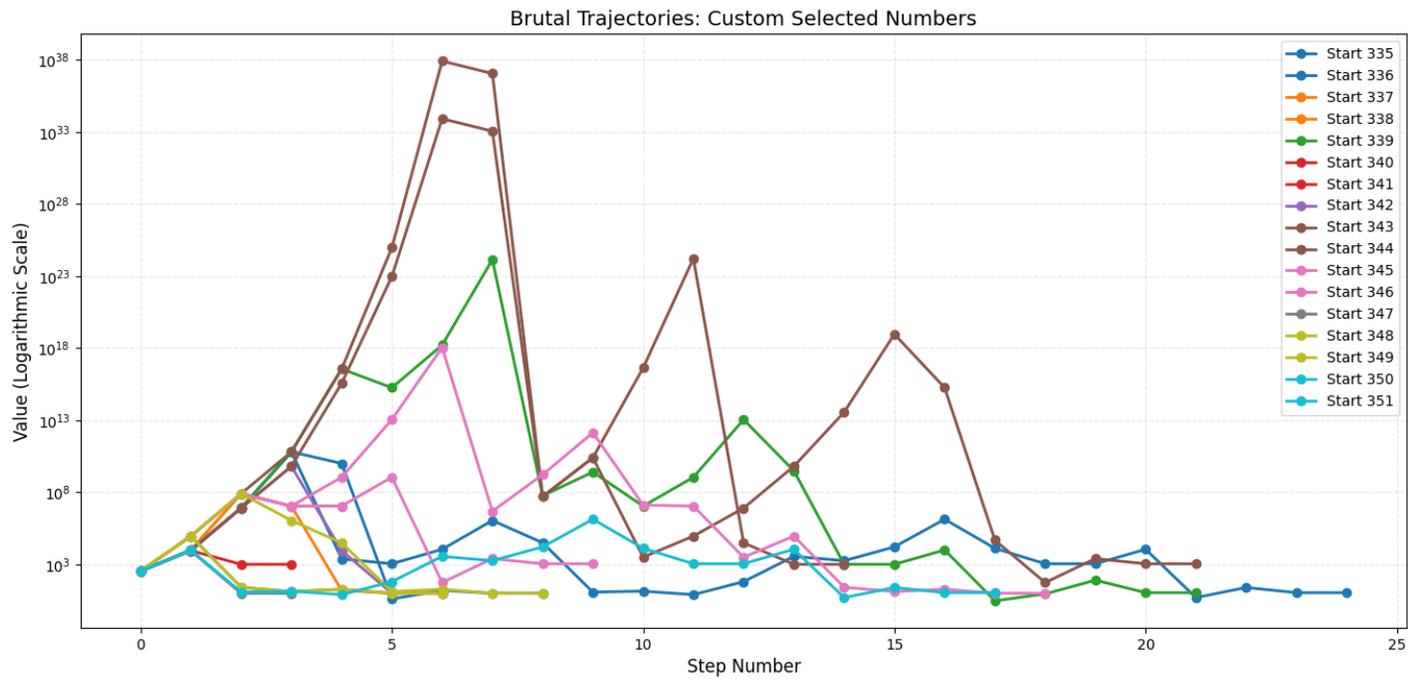
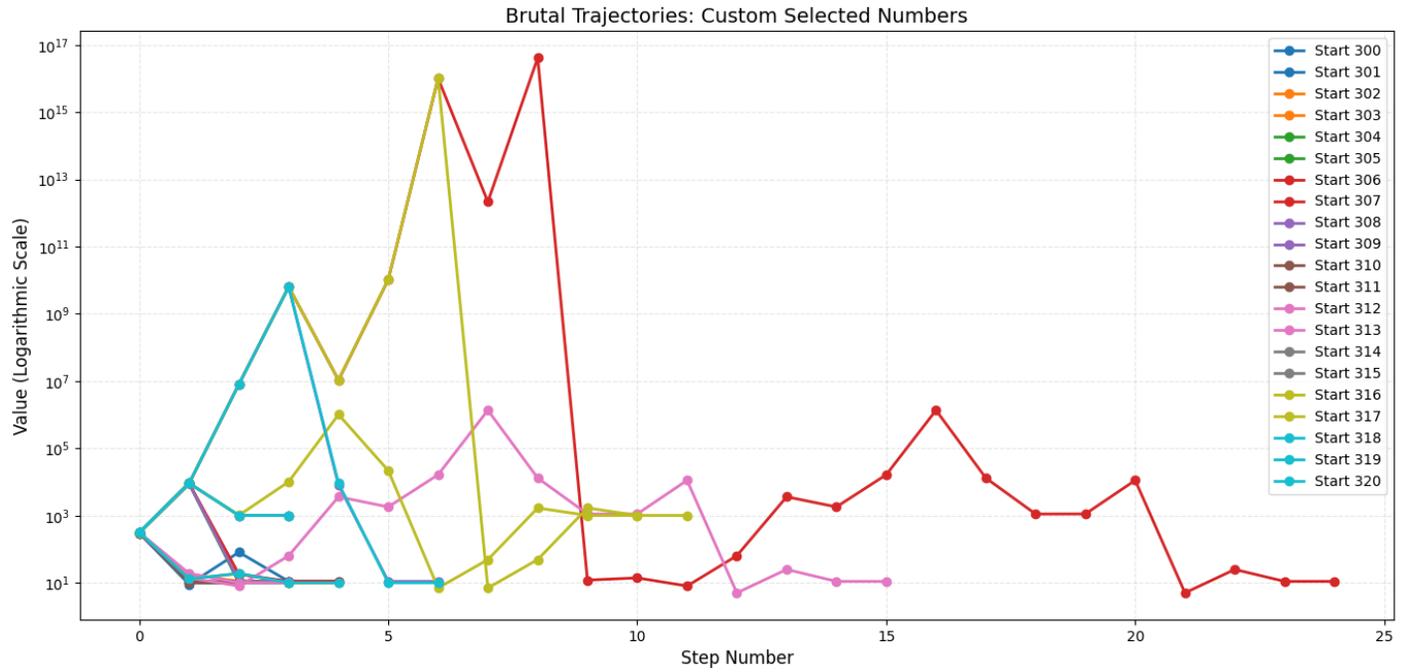


### 3. Visual Trajectories of Custom Selected Numbers









**4. Tables showing numbers, number of steps to their attractor and their respective attractor types.**

NUMBER	STEPS TO ATTRACTOR	ATTRACTOR
1	1	1
2	4	10
3	4	11
4	3	10
5	3	11
6	4	11
7	4	1011
8	13	11
9	3	11
10	1	10
11	1	11
12	15	11
13	3	10
14	14	11
15	14	11
16	2	10
17	15	11
18	2	11
19	2	10
20	6	1011
21	15	11
22	4	1010
23	4	1011
24	2	11
25	2	11
26	4	10
27	16	11
28	15	11
29	4	10
30	5	11

NUMBER	STEPS To ATTRACTOR	ATTRACTOR
31		
32	3	10
33	4	1110
34	4	1111
35	3	10
36	3	10
37	3	11
38	5	1010
39	3	10
40	3	11
41	5	1011
42	14	11
43	2	11
44	3	10
45	3	1010
46	3	1011
47	10	1011
48	23	10
49	3	1011
50	5	1011
51	14	11
52	2	11
53	3	10
54	3	1110
55	3	1111
56	21	11
57	53	1110
58	26	11
59	3	1111
60	4	11

NUMBER	STEPS TO ATTRACTOR	ATTRACTOR
61	2	10
62	4	10
63	3	11
64	12	11
65	7	1110
66	4	1111
67	98	11
68	15	1010
69	7	1110
70	4	10
71	15	11
72	16	11
73	5	1010
74	23	11
75	203	10
76	8	10
77	4	10111011
78	18	11
79	145	11
80	2	10
81	2	11
82	15	11
83	3	10
84	5	
85	39	10
86	10	10
87	10	1011
88	13	1111
89	16	11
90	4	11

NUMBER	STEPS TO ATTRACTOR	ATTRACTOR
91		
92	2	10
93	4	10
94	3	11
95	3	1110
96	3	1111
97	21	11
98	49	11
99	18	10
100	3	1111
101	2	1
102	5	10
103	4	11
104	2	10
105	4	11
106	32	11
107	11	1011
108	15	11
109	15	11
110	19	11
111	5	10
112	5	11
113	5	11
114	2	11
115	18	11
116	41	11
117	20	11
118	5	11
119	5	11
120	7	10
	4	11

NUMBER	STEPS TO ATTRACTOR	ATTRACTOR
121	5	11
122	4	11
123	15	11
124	5	11
125	3	10
126	17	11
127	68	11
128		
129	3	10
130	2	10
131	2	11
132	15	11
133	3	10
134	3	1010
135	3	1011
136	10	1011
137	11	1011
138	6	10
139	3	1011
140	4	11
141	4	1110
142	5	11
143	3	11
144	6	11
145	21	11
146	12	1110
147	25	11
148	51	1111
149	42	10
150	56	11

NUMBER	STEPS TO ATTRACTOR	ATTRACTOR
151		
152	51	
153	3	10
154	17	10
155	19	11
156		11
157	26	
158	10	11
159	6	11
160	393	10
161		
162	20	11
163	5	1010
164	199	10
165	48	11
166	17	11
167	21	10
168	19	11111
169	28	11
170	79	11
171	18	11
172	5	11
173	68	11
174	6	11
175	74	11
176	59	1110
177	130	10
178	32	11
179	8	10
180	18	11
	15	11

NUMBER	STEPS TO ATTRACTOR	ATTRACTOR
181	5	11
182		
183	23	10
184	9	1011
185	15	11
186		
187	4	11
188	6	10
189	11	11
190	6	1110
191	3	10
192	3	1110
193	15	10
194	23	11111
195	13	11
196	16	11
197	8	10
198	401	11
199	4	10
200	4	11
201	14	11
202	4	10
203	15	11
204	5	11
205	4	10
206	49	11
207	8	
208	85	11
209	24	11
210		

NUMBER	STEPS TO ATTRACTOR	ATTRACTOR
211		
212	5	
213	4	11
214	15	11
215	5	11
216	3	10
217	17	11
218	59	11
219		
220	3	10
221	14	11
222	4	11
223	16	11
224	16	11
225	8	10
226	37	10
227	4	10101011
228	18	11
229	6	1110111
230	4	10
231	15	11
232	16	11
233	5	1010
234	23	11
235	203	10
236	8	10
237	4	10111011
238	18	11
239	145	11
240	18	11

NUMBER	STEPS TO ATTRACTOR	ATTRACTOR
242	5	11
242	17	11
243		
244	9	1011
245	15	11
246	32	11
247	8	10
248	23	10
249	5	11
250	3	10
251	13	11
252		
253		
254	9	10
255	24	11
256		
257		
258	5	10
259	39	11
260	4	10
261	5	11
262	260	11
263		
264	11	10111011
265		
266	512	10
267	12	10
268	12	10
269	48	10
270	36	1110

NUMBER	STEPS TO ATTRACTOR	ATTRACTOR
271		
272	17	1111101011
273	4	10101110
274	4	10101111
275	33	11
276	29	10
277	16	1010
278	4	1010111011
279	20	11
280	29	10
281		
282		
282	10	10
283	19	1111
284	4	11
285	4	11
286	5	11
287	13	11
288	25	11
289	4	11
290	5	11
291	3	10
292	53	11
293	89	11
294	21	11
295		
296	38	11
296	119	11
297		
298	817	11
299		
300	54	11

NUMBER	STEPS To ATTRACTOR	ATTRACTOR
301	2	10
302	4	10
303	3	11
304	3	10
305	3	11
306	4	11
307	24	11
308	6	11
309	3	11
310	2	10
311	2	11
312	15	11
313	3	10
314	3	1010
315	3	1011
316	10	1011
317	11	1011
318	6	10
319	3	1011
320	4	10
321	15	11
322	16	11
323	5	1010
324	6	10
325	348	10
326	85	10
327	4	11101011
328	18	11
329	20	1111
330	3	11

NUMBER	STEPS TO ATTRACTOR	ATTRACTOR
331	3	
332	3	10
333	5	1010
334	17	11
335	3	
336	8	10
337	24	11
338	4	11111011
339	6	10
340	21	11
341	3	10
342	3	1010
343	6	10
344	14	1010
345	21	1111
346	9	1111
347	18	10
348	6	10
349	6	10
350	8	10
351	3	11
352	17	11
353		
354	9	10
355	12	1110
356	15	11
357	14	10
358	5	1110
359	2	
360	4	11

NUMBER	STEPS TO ATTRACTOR	ATTRACTOR
		11
361	12	10
362	134	10
363	22	10
364	8	11
365	18	11
366	186	1011
367	6	1011
368	6	11
369	23	10
370	19	
371	4	11101110
372	4	11101111
373	4	
374	6	10
375	18	11
376	6	1011
377	4	1110111011
378	26	11
379	18	11
380	11	10
381	39	1111
382	10	11
383	9	11
384	5	1010
385	5	1011
386	6	1011
387	20	1011
388	69	11
389	5	1011
390	3	11

## **5. Real World Implications**

### **5.1 Artificial Intelligence and Pattern Recognition**

Each integer produces a unique trajectory that can be treated as a high dimensional feature vector. Machine learning algorithms can classify numbers by attractor basins, detect hidden structures or identify convergence patterns. This creates a new paradigm for integer-based feature extraction where deterministic chaos informs predictive modeling.

### **5.2 Pseudorandom Number Generation (PRNG)**

The system produces gigantic intermediate sequences with high entropy. Controlled extraction of digits can yield long period, nonlinear pseudo random streams, deterministic yet unpredictable without full iteration. This property makes it ideal for simulation, stochastic modelling and cryptographically secure PRNGs.

### **5.3 Discrete Dynamical System Modelling**

This system serves as a sandbox for studying deterministic chaos, basins of attraction and infinite attractors in discrete integer spaces. It can model iterative processes in population dynamics, resource growth or cascading systems providing insight into complex systems where growth and collapse coexist.

### **5.4 Educational and Research Tool**

This system is highly visual and computationally tangible. It demonstrates chaos, stabilization and attraction structures in a manner that traditional integer problems cannot. Students and researchers can explore convergence patterns, explosive growth and fixed-point analysis directly through computation.

## **Conclusion**

This work introduces a novel class of digit based dynamical systems governed by iterative digit squaring and group of three compression which exhibits unprecedented explosive behavior coupled with multiple infinite attractors. Unlike classical systems such as Collatz or Kaprekar routines which either converge slowly or are constrained by fixed digit lengths, the system presented here demonstrates:

[1] Exponential digit growth in intermediate iterations producing states billions of times larger than initial inputs.

[2] Deterministic collapse to fixed points including 11, 10, 1011, 1010, 1110,1111 selective hyper ones, selective 1-zero-1 forms and other attractors establishing a new class of infinite attractors.

The system is fully deterministic yet explosively chaotic creating a digit universe simulator with properties not observed in prior integer iteration systems. Its combination of computational explosion and stabilization offers fertile ground for further research in integer dynamics, number theory and computational modelling.

This study lays the groundwork for future applications in pattern recognition, cryptography and mathematical experimentation while simultaneously challenging the current understanding of iterative integer systems. The results suggest a 21<sup>st</sup> century super Collatz, a system capable of demonstrating deterministic chaos on a scale far beyond classical analogues.

## References

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[2] Lagarias, J. C., ed. *The Ultimate Challenge: The  $3x + 1$  Problem*. American Mathematical Society, 2010.

[3] Devaney, R. L. *An Introduction to Chaotic Dynamical Systems*, 2<sup>nd</sup> ed. Westview Press, 1989.

[4] <https://doi.org/10.5281/zenodo.18416113>

[5] <https://doi.org/10.5281/zenodo.18415380>

[6] <https://doi.org/10.5281/zenodo.18843564>

