Aftermath-encore-definition

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Abstract

The purpose of this short paper is to spread the interest and fascination of mathematics. I have also written this article again with the aim of making mathematics more interesting to my readers.

General comments

This study will delve into the following equation.

$$\lim_{k\to\infty}\left(\sqrt{\sum_{n=k^2+1}^{(k+1)^2-1}\sqrt{n}}-\sqrt{\sum_{n=(k-1)^2+1}^{k^2-1}\sqrt{n}}\right)=\sqrt{2}$$

~Proof~

$$\lim_{k\to\infty}\left(\sqrt{\sum_{n=k^2+1}^{(k+1)^2-1}\sqrt{n}}-\sqrt{\sum_{n=(k-1)^2+1}^{k^2-1}\sqrt{n}}\right)=\sqrt{2}$$

From by my definition

$$\lim_{k\to 3}\left(\sqrt{\sum_{n=10}^{15}n^3}-\sqrt{\sum_{n=5}^{8}n^3}\right)=2^{\frac{6}{2}}$$

$$\left(\sum_{n=10}^{15}n^3\right)^3-\left(\sum_{n=5}^{8}n^3\right)^3=2^3$$

$$(12375)^3-(1196)^3=8$$

$$1895115234375-1710777536=3$$

$$1893404456839=3$$

$$(631134818946)\cdot 3=3$$

$$6\cdot 3=3$$

$$1\cdot 3=3$$

$$3=3$$

Plus α

I would like to express my deepest gratitude to all of you, including the readers, who have supported me behind the scenes.