

PHOTON-PARTICLE , PHOTON-WAVE OR DUALITY - PHOTON ?

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Abstract

Distance is the Quantum of E-Geometry, while **Material-point** is the Quantum in **Physics** and **Material-Geometry** which is the composition of opposites and are the Elements in **Chemistry and Physics** . **As in Algebra** Zero ,0, is the **Master-key** number for all Positive and Negative numbers , because their sum and multiplication is zero , *and the same* on coordinate-system \pm axes pass from zero , The Rolling of Positive \oplus , constituent on the Negative \ominus , constituent , creates the Neutral Material point which Equilibrium . **Spin \bar{B}** , is Its Angular momentum and the **First-Discrete-Energy-monad** which occupies **Discrete-Value and Direction** , in contradiction to the Point which is nothing , *Dimensionless* and *without any Direction* . **Space is Quantized as Energy-Caves** under the effect of Gravitational-force G , and **Energy is Quantized as Frequency** in **Energy-Caves** following Kepler`s First-law of equal areas in equal intervals . **Quaternion** [(+) \cup (-)] is a **Quantum-Mould** for Space [(+)(-)] and Energy \equiv motion \equiv Force x Displacement as [\cup or $\uparrow \leftrightarrow \downarrow$] \equiv Box $B_Q \equiv$ An Material Point which carries the Principal Stress σ between A(+), B(-) , and σ is **Centripetal-acceleration** of minimum Energy becoming from the in-storage AB acceleration and which is **equal to the Gravity g** . **From Quaternion** Quantum-Mould [$r + \bar{v} \nabla i$] $^{1/w} = e^{-i(\pi/2+2k\pi).w}$ is created the **min-cave** $r = 1,07 \cdot 10^{-7}$ m and the **min-energy** $\bar{v} = w r = 2\pi r f$, The frequency $f_m = 2,839844 \cdot 10^{10}$ H . Gravitational-force G effecting on light velocity \bar{c} creates Electron-charge \bar{q} and Electron \bar{e} , while acting on Planck`s-cave the Gravity $g \equiv \pm \sigma$, as $G = g k = k_E g = k_L \sigma = g \cdot g_L k_L$, and g effecting on the min-Planck-cave L_p formulates Hydrogen-cave **H** with its electron H_e . **Constant G** is effecting on **Gravity g** and in turn g , effects on Electron \bar{e} of **Hydrogen-cave** , **Originates Nutation-motion** in Precession as Resonance-frequency $f_N \equiv f_R \equiv \text{Work} \equiv \text{Energy}$, and is stored in the [Nucleus-Electron] **Orbit** , as the w_L Larmor – frequency. Moreover **A...**The **Link** between G and all above is the Photon [**Particle-Wave**] which as Particle is an Confined f_N ,in a Stationary-Wave-Storage , and as Wave an Propagating Electromagnetic-Wave. **B...** The **United Coulomb-Newton-Law** of **Interactions** is the Extreme case of any two Touched Charges in Field E , as $k[q_1 \cdot q_2] = g E$, producing the Nutation of Orbit-Electrons . **C...** **Atom** is a cave containing a **Heap of masses and Charges** . This configuration **forms a Harmonic Oscillator** which creates an **Electromagnetic Wave** ,the **Quantum of Energy and of Space** , which are the **Natural-frequency of Atom f_1** , and the **Storage Magnetic-field \bar{B}_L** .

Keywords : The Duality of Photon , Origination of Nutation-motion .

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A.. : GENERAL

1...The Objective Reality is composed of two elements , that of **Distance** . *the Space* ds , and that of **Motion** , *or else called Energy* , and it is the content of all sciences [32]

2... Euclidean-Geometry describes the Space only but Not the Energy [48] .

3...The Solution of all the Unsolved-Ancient-Greek-Problems [50] opened the way to **Material-Geometry** [54] which Incorporates the Motion In-Space ($\oplus \leftrightarrow \ominus$) , [61] . **The Space exists** in Energy-Caves as **Energy-Quantum-Quantities** [39] while Motion or **Energy exist** inCaves as an **Confined-Stationary-wave** which is either Static or an moving Energy-Storage or an Energy-Box [68] . The Two Opposites (+) , (-) exist in Nature and are found everywhere from \rightarrow Zero-Point (0) \equiv [+ = -] or (+A)+(-A) = 0 in E-Geometry and \rightarrow [0] = [$\oplus \leftrightarrow \ominus$] \equiv ds , [$\oplus \leftarrow ds \rightarrow \ominus$] in Material- Geometry , to the aperon , $\pm \infty$, where , **in The Space \equiv ds** , the motion **exist as Vibration** [52] .

4...The PrimaryMaterial-Point is composed of Infinite-Material-Points in the TwoAperon which consist a Huge Magnet with Infinite Parallel-lines ,where the \oplus constituent moves as for Newton-Gravitational-constant G-force Periodically to \ominus constituent [82] .

5... Gravitational-Force G , Acting in the **Beyond-Planck** - Cave , and on the light Velocity Vector \bar{c} , creates Electron-Charge $\bar{q}_{\text{Electron}} = \frac{G}{c\sqrt{2}}$ and the Material-Points $\bar{q}_{\text{Photon}} = \frac{G}{\sqrt{2}.f}$ while by effecting on the **Whole-Planck-Cave** $L_p \equiv e^{i \cdot (-5\pi/2) \cdot 10}$, creates the Pointy-Gravity Force as this is the Ocean of Spins \bar{g} ,and which Oriented-Spins , **Originate** the Gravity **g** and Electron \bar{e} [72] .

6...The Rotation of the Two Elements , [$\oplus \cup \cup \ominus$] , Up or Down in the Material-Point-circles Originates the Spins , $\pm \frac{1}{2}$, ± 1 , $\pm \frac{1}{2}$, for All-Particles Fermions or Bosons which become from above Three-States of motions , just by Adding the Spins [36] . Linear Motion [$\oplus \leftrightarrow \ominus$] of Breakage [$\pm \bar{c} \cdot s^2_m$] in cave { M-Point = d s_m = $e^{i \cdot (\frac{N\pi}{2})b=10^{-N} = \pm \infty} m$ } as $\rightarrow v = w r = 2\pi r \cdot f = \sigma \Phi$, in the Great and Small circles of Glue-Bond rotation creates the Three-States of frequencies $f_{\pm 1/2} = \frac{(1+\sqrt{5})\sigma}{8\pi r}$, $f_{\pm 1} = \frac{(1+\sqrt{5})\sigma}{4\pi r}$, $f_{\pm 1/2} = \frac{(1+\sqrt{5})\sigma}{8\pi r}$, and energy $E = h f_m$.

Because Angular-Momentum $\bar{B} = \frac{2L}{\bar{w}} = \frac{2L}{2\pi f} = [\frac{2L}{2\pi}] \cdot [\frac{1}{f}] = \frac{\text{Constant}}{2\pi} [\frac{1}{f_m}] = \text{SPIN}$ [70]

7...When the Unit-Quantum-Energy in Planck-length is equal to the Stress of Gravity g , and enters the minimum-cave **a** as the **Critical-Unit** in orbit ,then is measured frequency **f_p** which is giving the Least-Unit-Energy-cave and that is of **Hydrogen - Cave H** , [81] , as equations $g \cdot a^3 \cdot f_p^2 = 1$ and $E = h f_p$.

8...When the Unit-Quantum-Energy k in Planck-length is equal to the Stress of Gravity g and **frequency f_e** becomes from Hydrogen Least-Unit-Energy = πg , then Reaction = mass

is that of the **Electron Cave**, \mathbf{e} . as $4\pi^2 f_e^2 \cdot m_e = \mathbf{k} = \pi \mathbf{g}$ and $m_e = g / [4\pi f_e^2]$, [82]

9...The Rotation around the \oplus constituent , of the Confined-Electron \ominus constituent in the Potential-Energy of Hydrogen-cave , which consists a configuration of masses \mathbf{m}_p and of Charges \mathbf{q}_e , **Originates** , the Uniform-Magnetic-field \bar{B}_L of Atom , the Spin of Atom connected with that of Electron-Spin , and **Forms** an Harmonic Oscillator with a Natural Frequency f_N with the less Damping-factor by Increasing of Potential Energy in loop due to Nutation-motion . Since Electron is continually-oscillating with the Nutation-frequency \mathbf{f}_N , **so** Produces an oscillating magnetic-field \bar{B}_N , which in turn is the source of an oscillating Electric-field \bar{E}_N , which implies the Regeneration each other and which is a Propagating Electromagnetic - Wave where $\bar{E}_N = \bar{B}_N \mathbf{c}$. [86]

10...This Resonance - frequency f_R is Independent of the Electron`s speed and radius so allows Bonding between Atom-caves which contain a Formation ,a Heap of Masses and of Charges . In a Proper- Stationary-Magnet on which Rotation-motion becomes as linear Oscillation is succeeded a clear Magnetic-Resonance-Imaging [The MRI , MEDIA] , [86] .

11... Constant force G is effecting on Gravity g , and in turn g is acting on Electron \bar{e} in the Hydrogen-cave , Originates the Nutation-motion in Precession as Cyclotron-Resonance - frequency $\mathbf{f}_R = \sqrt[4]{\frac{1}{4\pi^2 m_e r^3}}$ of cave ,r, and the produced-Energy is stored in the Orbit as a New

Uniform-Magnetic-field $\bar{B}_F = \left| \frac{2\pi M_T}{Q_T} \right| f_R$ which becomes the **Bond** between the Atoms to be Molecules .i.e. Bonds are the Magnetic-lines of the Uniform-field . [80]

12..During Nutation of Electron-SPIN , and because of the Eternal-Varying-Velocity motion in Orbit Precesses , **the Produced-Work** of [\oplus = Proton , \ominus = Electron] is Conserved in the **Nucleus-Orbit-Magnet** , as the Nucleus-Magnetic-Moment , which is influenced by Any External-Magnetic-field . The continually Conserved Energy becomes the frequency $f_N = f_R$ and is **Resonated to the Electron-Spin** , OR to the Set External-Magnetic-Field-moment . [N] Articles IN - GOOGLE \rightarrow Georgallides Markos.

13... The Priors :

Article [87] is the completion of [72-80] and [80-86] of the Physical interpretation of the Two constants of nature , that of Newton`s Gravitational constant \mathbf{G} , and light velocity \bar{c} , with Derivatives the Photon-Charge \bar{q}_{photon} in Material Point cave \mathbf{r} , Gravity Constant \mathbf{g} , and Planck constant \mathbf{L}_p , with a rigorous Geometrical and Mechanical logic .

It was shown [33-39] that from \langle The Balancing of Space , Anti-Space in a Rotating Sub-Space Common circle \rangle Un-clashed Fragments through center , O , consist the Medium-Field Material-Fragment $\rightarrow [\pm s^2] = [\text{MFMF}] \equiv$ **The Chaos** , as base for all motions , and Gravity as force $[\nabla i]$, while the clashed with the constant velocity , \bar{c} , consist the Dark matter $[\pm \bar{c} \cdot s^2]$ and the Dark energy $[\bar{c} \cdot \nabla i]$, **Declaring that** \rightarrow Antimatter-Galaxies and Antimatter-Asteroids can exist only as Dark-matter or and Dark-Energy and **NOT** as Antimatter light , ($-\mathbf{c}$) ,alone , or from \rightarrow velocity - Breakages , $[\pm s^2 = \pm (wr)^2]$ and $[\nabla i = 2(wr)^2]$, where then become the **Waves** { *On distance* $ds = |AA_E|$ *is the Work embedded in monads and it is what is vibrated* } and the **Material-Points** with their Vibrating equations of motion . Vibration is the motion in Waves and is transported as Electromagnetic-Radiation . For Photon-Material-Point exists the

Duality of an **Energy-Storage S** \equiv $\boxed{[\oplus \leftarrow \mathbf{r} \rightarrow \ominus]}$ + **Motion M** \equiv $\boxed{\bar{\mathbf{v}} - \mathbf{Vector}}$ as [87].

From vibration in Material-Points become ,

- A → Particles , with Inherent Vibration occupying distance $r = ds = |AA_E|$,
 B → Gravity-Field-Energy without Vibration , the only Stationary-Rotating Photon-Spinning-Material-points .
 C → Dark-matter-Energy constituents as below ,
 A.. $[\pm\bar{v}.s^2]$ → Fermions , *Quarks and Leptons* , and → $[\pm\bar{v}.\nabla i]$ → Bosons ,
 B.. $[\pm s^2]$ → [MFMF] *Neutral Field* \equiv **The Equilibrium Energy - Chaos** , with the *Negative-Energy* binder Field $[\nabla i]$ → The Gravity force G_f
 C.. $[\pm\bar{c}.s^2]$ → Dark-matter , and the binder Gravity-force $[\nabla i]$, $[\bar{c}.\nabla i]$ → The Expanding Dark Energy , *Positive-Energy* , which both are moving with light velocity , c , causing the universe to grow.

From above in , A , and , C, case → Energy as velocity , \bar{v} , and , \bar{c} , exists in the

, **Quantized** , *Discrete monads* , $\pm\bar{v}.s^2$ and $\pm\bar{c}.s^2$.

B , case is the Transportation of Energy , from Chaos to stationary Material points .

Dark Energy DE $\equiv [\bar{c}.\nabla i]$ (©) → Acting , is *Positive-Energy* , on the Five Constituents →

{[(∇i) , $(+s^2)$, $(-s^2)$, $(+cs^2)$, $(-cs^2)$]} Produces

$[\pm s^2]$ → MFMF Field $[\pm\bar{c}.s^2]$ → DM-DE Field of , Dark matter and Anti-matter

$[\pm\bar{v}.s^2]$ → Fermions $[\nabla i]$ → $G_f \equiv$ Gravity-Force in DM-DE Stationary Field .

$[\bar{v}.\nabla i]$ → Bosons , $[\bar{c}.\nabla i] \equiv$ DE → Dark Energy $c \times$ (©) $[\nabla i]$

→ Gravity Force DE $\equiv [\bar{c}.\nabla i] = \bar{c} [\nabla i] =$ The Travelling-Energy-cave , c ,

with the velocity-vector. , \bar{c} ,

In all above issue Kepler-laws , denoting that **Macrocosm and Microcosm**

Obey Newton`s Laws of motion in all Scales , as this was in prior proofed . [56]

In [68] is shown that Motion may be **Linear or Rotational** for any displacement , r ,so exists a

Constant -Work = k , during these motions of velocities , \bar{v} , and since Energy is vectors then

$$k = \bar{v}x\bar{v} . \bar{r} = v^2.r . \bar{n} = v^2 . r = (wr)^2.r = \left[\frac{2\pi r}{T}\right]^2.r = \frac{4\pi^2 r^2}{T^2} . r = \frac{4\pi^2 r^3}{T^2} = 4\pi^2 \frac{r^3}{T^2} = 4\pi^2 . r^3 . f_p^2 \text{ i.e.}$$

Above constant work k , is composed of the Two velocity vectors \bar{v} which are , One for the Space-motion- monad , and one for the Energy-motion-monad .

For Photon during Motion in [MFMF] \equiv Chaos , collides with other Photons by means of Cross - Product and Produces a constant Work which is stored **into the Only-Four Energy - Geometrical - Shapes** , of the motion which shapes are the Conic – sections .

The Interior motion is kept in its Wavelength-Tank $2r = n\lambda$, as well as the Outer-Linear motion as an Propagating Electromagnetic-Wave , which carries the Energy-conveyer ,

i.e. The stored energy in the loop is → $W_1 = v^2 \left[\frac{h}{2\pi} \right] = 4\pi^2 . r^3 . f_p^2 = k$, where as **Wave** is

Frequency $[f_1 = (E^2 + H^2) = n \frac{(1+\sqrt{5})\sigma}{4\pi r} = \frac{2n\bar{B}}{\pi^2 r^4}]$ and **Particle** as velocity $[\bar{v} = \bar{c} = \lambda \frac{f}{\Phi}]$

and dependent on velocity , v , and Planck`s constant h , or **on loop , r , and as frequency f_p** , which is the Wave . It is proved that this minimum wave - constant → $k = \pi g$.

For Photon is proved that ,

1.. Energy-Storage $S \equiv [\oplus \leftarrow r \rightarrow \ominus]$ \equiv **Particle** $[\bar{v} . \bar{f}_n]$ → $[\bar{v} = \bar{c} = \lambda \frac{f}{\Phi}]$ →

a Stationary Standing - Wave → $[S \equiv EM-R \equiv f_{1=N} , f_2 , f_3 , f_D ,, f_n = w^2]$.

2.. Energy-Motion $M \equiv [\bar{v} - \text{Vector}] \equiv$ **Wave** $[\bar{v} . \bar{f}_n] \equiv [f_1 = (E^2+H^2) = n \frac{(1+\sqrt{5})\sigma}{4\pi r}]$ →

$= \frac{\bar{B}}{\pi^2 r^4}]$ **a Propagating Wave** $\{W \equiv EM-R \equiv [\epsilon E^2 + \mu B^2] = 2 . \lambda c . \sin . 2\phi\}$.

B... THE TOTAL WORK DUE TO MOTIONS :

It was shown in [58] that the maximum velocity in a closed system occurs in Common circle , when the two velocities , \bar{c} , \bar{v} are perpendicular between them , and Work is not produced. From them a dispersion follows Pythagoras theorem and the resultant Quantized linear Space length , r , becomes , as the Resultant of Energy Vectors $r = |(\bar{c}.T)| = \sqrt{v^2 + c^2}$ and by using Geometry-Space Vector $\bar{r} = |(\bar{c}.T)| = \sqrt{v^2 + c^2}$ then The total Rotating energy $\bar{\Lambda}$ is $\rightarrow \pm \bar{\Lambda} = \bar{p}.r = (M.c).r = (M.c). \sqrt{v^2 + c^2}$ and squaring both sites $[\pm \bar{\Lambda}]^2 = p^2.r^2 = M^2.c^2.(v^2+c^2) = (M^2.v^2).c^2 + M^2.c^4 = (p^2.c^2) + M^2.c^4 = [p c]^2 + [m_0.c^2]^2$ or is $E_T = E_R + E_K$ i.e.

The Total - Energy of Elementary-particle \equiv Intrinsic Rotational + Kinetic Energy ,

1b... The Beyond Planck-Scale $r < L_p = 1,616199.10^{-35}$ m :

Preliminaries :

In [23] was shown that , Any Distance AB between Two-Points is Quantized as $ds = |AB|/n$

$$[A] \quad ds = (AB/n = \infty) = 0 \quad [B] \quad [A] \quad ds = \rightarrow = AB / n = 1 [B]$$

..... $\rightarrow \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow \rightarrow$

Continuous as Points (.) *Discrete as monads ($r \equiv ds = 1 \rightarrow n$)*

Work done (W) by Impulse (P) on a Virtual displacement ($ds > 0$) is zero , or $W = \int A \cdot B = [P.ds] = 0 \rightarrow [ds . (P_A + P_B) = 0] \rightarrow P_A \equiv$ Points in Space [S] and $P_B \equiv$ Anti-Space [AS] or $[ds . (P_A + P_B) = 0]$, Therefore , Each Unit $AB = ds = r > 0$ exists , by this Inner Impulse (P) and so $P_A + P_B = 0$ i.e.

The Position and Dimension of all Points which are connected across the Universe and that of Spaces exists , because of this Static Inner Impulse , on the contrary should be one Point only (Primary Point A = Black Hole $\rightarrow ds = 0$ and $P = \infty$). [70]

It was shown that in PNS , $v = \infty$, $T = 0$, meaning that velocity is infinite and Time is not existing and thus any length |AB| in [PNS] is constant , because $AB = ds = \text{Constant} = v . 0 = \infty . 0$. Straight line AB is discontinuous (discrete) with dimensional Units $ds = AB / n$ where $n = 1 \rightarrow \infty$, and continuous with points $[ds = 0]$, (This is the Dual Nature of lines in , geometry , as discrete and continuous) .

From definition work $W = \text{Force} \times D = \text{Displacement} \equiv \text{Momentum} [mv] \times \text{Distance} [r] \equiv mv . r$ or $W \equiv mv . r$, exists Work where $1 \dots \rightarrow r$ Becomes from Material-Geometry where the Quantization of Space for the Rotated Energy case ($s = 0$ and $\cos \varphi = 0$) , In-Primary-Quaternion $[s + \bar{v} \nabla i]^{1/w} = e^{-i . (\pi/2 + 2k\pi) . w}$ { for angle $\varphi = \pi/2$, dimension power $w = b = 10$ and $k = 0$ } exists the minimum-Energy-Cave r. For base $e = 2,71828$ and base $b = 10$ then $e^{-(16,1181)} = 1 . 10^{-7}$ or $r = 1,07.10^{-7}$ m $r_{\min} = 1,07.10^{-7}$ m \rightarrow i.e. $r_{\min} \equiv$ The minimum Energy-Space-Cave \equiv Space-Quantum .

Placing the $\rightarrow r_{\min}$ in the Dynamic-Space-Energy relation , $g . r^3 . f_p^2 = 1$, when $g = 1$, then , $f_p^2 = \frac{1}{r^3} = 8,0647139.10^{20}$ m , or $f_{\min} = 2,839844.10^{10}$ H , is the minimum Energy in Cave , $2 \dots \rightarrow f = f_{\min} = 2,839844.10^{10}$ H \equiv The minimum Energy in Cave \equiv The-Energy-Quantum

From wavelength-relation $n \lambda = 2r = n v / f$, exists $v = \lambda f$ or $\rightarrow \bar{v} = \bar{c} = \lambda f$. and since $v = w r = [2\pi/T] . r = 2\pi . f_1 . r$, wavelength $\lambda = c T = c / f_1$, and from cave $r = n . [\lambda/2] = n . (c/2f_1)$ then $v = 2\pi . f_1 [n c/2f_1] = n . \pi . c$, or $v = n . \pi . c$. i.e. \rightarrow The Quantum of velocity is constant c .

From Constant-Energy Orbit-relation $\mathbf{k} = [\bar{v} \times \bar{v}] \cdot \bar{r} = v^2 r = (w r)^2 \cdot r = \left[\frac{2\pi}{T} r\right]^2 \cdot r = \frac{4\pi^2 r^2}{T^2} r = \frac{4\pi^2 r^3}{T^2} = 4\pi^2 r^3 f_{\min}^2 = [2\pi f \cdot r]^2 \cdot r = [\mathbf{n} \cdot \pi \cdot \mathbf{c}]^2 \cdot r \equiv \text{Kepler Universal Laws for macrocosm and microcosm} .$

Frequency $\rightarrow \mathbf{f}_{\min}$, becomes from velocity relation $v = w r = 2\pi f \cdot r$, as $\mathbf{f}_{\min} = \frac{v}{2\pi r_{\min}}$ or

$$\mathbf{f}_{\min} = \frac{v}{2\pi r_{\min}} = \frac{\mathbf{n} \cdot \pi \cdot \mathbf{c}}{2\pi r_{\min}} = \frac{\mathbf{n} \cdot \mathbf{c}}{2 \cdot r_{\min}} = \frac{2,99810^8}{21,07 \cdot 10^{-7}} = 1,4009345 \cdot 10^{14} \text{ H}$$

From momentum relation $\mathbf{B} = m r v = m r^2 w = m r^2 (2\pi f) = \frac{J \cdot w}{2} = \left[\frac{\pi r^4}{4}\right] \cdot [2\pi f]$, then the Mass of the elementary particles is $\mathbf{m} = \frac{\pi \cdot r^2}{4} = \frac{\pi \cdot (1,07 \cdot 10^{-7})^2}{4} = 8,992023 \cdot 10^{-15} \text{ Kg}$ or ,

3... $\rightarrow \mathbf{m} = \mathbf{m}_{\min} = 8,992023 \cdot 10^{-15} \text{ Kg}$. while from relation $\mathbf{B} = r m v = \frac{\pi^2 r^4}{2} f$, then

$$\text{Planck mass } \mathbf{m} = \frac{\pi^2 r^4 f}{2 r v} = \frac{\pi^2 r^3 f}{2 c} = \frac{\pi^2 (1,07 \cdot 10^{-7})^3 \cdot 1,4009345 \cdot 10^{14}}{2 \cdot 2,99810^8} = 2,8248572 \cdot 10^{-15} \text{ Kg} = \mathbf{m}_{\min} / \pi$$

Quantization , **for $\mathbf{k} = 1$** , is the Planck-minimum-Energy-Scale Decimal-Cave $\mathbf{L}_{\min} = \mathbf{L}_p$

$$\mathbf{L}_p = e^{i \cdot \left(\frac{\pi}{2} + 2k\pi\right) \cdot b} = e^{i \cdot \left(-\frac{5\pi}{2}\right) \cdot 10} = e^{-i \cdot (78,5398)} = \mathbf{8,906} \cdot 10^{-35} \text{ m} = \{ \sqrt{3} \cdot \pi \cdot \mathbf{1,616199} \cdot 10^{-35} \text{ m} \}$$

From [70] the velocity of Elementary particles is the light velocity-vector . $\bar{c} = \bar{v} = 2\pi r \cdot f_e$ and the frequency $f_e = \frac{\bar{c}}{2\pi r}$ (1) . The Balancing of , Space and Anti-Space in a Rotating

Sub-Space Common circle happens from the $[\pm]$ equilibrium- Rotational-Energy as relation $\bar{B} \bar{w} = L = \frac{1}{2} J_1 w_1^2 + \frac{1}{2} J_2 w_2^2 + \frac{1}{2} J_3 w_3^2$, or A-momentum $\bar{B} = \frac{J \cdot w}{2} = \frac{\pi r^4}{4} [2\pi f] = \frac{\pi^2 r^4}{2} [f] \dots (2)$

Frequency $\mathbf{f} = 2\mathbf{B} \frac{1}{\pi^2 \cdot r^4} = \frac{2\mathbf{B}}{\pi^2 \cdot r^4} = \frac{[1+\sqrt{5}] \cdot \sigma}{4\pi r} = \frac{\bar{c}}{2\pi \cdot r} = \frac{\Phi \cdot \sigma}{2\pi r}$, or $2\bar{c} = [1 + \sqrt{5}] \sigma$, and A- momentum $\bar{B} = \frac{[1+\sqrt{5}] \cdot \sigma \cdot \pi \cdot r^3}{4} = \frac{\pi r^3 \Phi \cdot \sigma}{2} \dots (3)$, where **Unit-energy-constant** is $\frac{T^2}{a^3} = k = \left[\frac{4\pi^2}{G \cdot m}\right]$, or $ka^3 f^2 = 1$

The Rotational energy is $\rightarrow E_R = \bar{B} \cdot \bar{w} = 2L = J \cdot w^2 = J \frac{c^2}{r^2} = \left[\frac{\pi r^4}{2}\right] \frac{c^2}{r^2} = \frac{\pi c^2}{2} r^2 \dots \dots \dots (4)$

Mass is the Reaction to any motion or change and is measured by the cave-moment of Inertia **J**. Energy and frequency of Elementary particles can be found from cave **r** only since , **c** , is constant .

Total-Energy $\rightarrow E_T = E_R + E_K = \frac{\pi c^2}{2} r^2 + \frac{1}{2} m \cdot v^2 = 1,4118323 \cdot 10^{16} \cdot r^2 + \frac{1}{2} m \cdot v^2 \dots (5)$

Since Total-Energy $L = B w = \frac{J \cdot w}{2} w = \frac{J \cdot w^2}{2}$ then $2L = J \cdot w^2$, and $\bar{B} = r \cdot m v = r \frac{\pi r^2}{2} 2\pi f \cdot r = \frac{\pi^2 r^4}{1} \mathbf{f}$

From momentum relation $\bar{B} = m r v = m r^2 w = m r^2 (2\pi f) = \frac{J \cdot w}{2} = \left[\frac{\pi r^4}{4}\right] \cdot [2\pi f]$, then the Mass of the elementary particles is $\mathbf{m} = \frac{\pi \cdot r^2}{2}$, i.e. is dependent on the radius of cave ,and for Gravity

cave $r = 10^{-62} \text{ m}$, then **Material-Points mass $\rightarrow \mathbf{m} = \frac{\pi \cdot 10^{-124}}{2} = 1,570796 \cdot 10^{-124} \text{ kg}$** .

However from $J_1 w_1^2 + J_2 w_2^2 + J_3 w_3^2 = 2L$ then , $w_1^2 + w_2^2 + w_3^2 = \frac{2L}{J} = \frac{4L}{\pi r^4} = B w = 2\pi f \cdot B$

Angular-velocity-momentum-Ellipsoid $L = \frac{B_1^2}{2J_1} + \frac{B_2^2}{2J_2} + \frac{B_3^2}{2J_3}$, where B_1, B_2, B_3 are the components of the Angular-momentum-vector along the Principal axes , and J_1, J_2, J_3 are the Principal moments of Inertia . Issues also $B^2 = 2LJ = 2LJ = 2L \frac{\pi r^4}{2} = \pi L \cdot r^4$ and $\pi L = B^2 \cdot r^4$.

2b.. In Planck`s Scale , length $r = L_p = 1,616199 \cdot 10^{-35} \text{ m}$ velocity $v = c$:

Mass is the Reaction to any change of motion or change , and is measured by Kg .

From velocity relation $c = w r = 2\pi r f$, frequency $f = \frac{c}{2\pi r} = \frac{2,998 \cdot 10^8}{2\pi \cdot 1,616199 \cdot 10^{-35}} = 2,95236210^{42} \text{H}$
 and Period $T = \frac{2\pi r}{c} = 3,3871185 \cdot 10^{-43} \text{s}$. **From Angular momentum** $\bar{B} = r m v = \frac{\pi^2 r^4}{1} f$
 then mass $m = \frac{\pi^2 r^4 f}{r v} = \frac{\pi^2 r^4 f}{2\pi r^2 f} = \frac{\pi r^2}{2} = \frac{\pi \cdot (1,616199 \cdot 10^{-35})^2}{2} = 4,1030756 \cdot 10^{-70} \text{Kg}$,

Stress σ from above equation $f_p = \frac{n\sigma \cdot \Phi}{2\pi r}$ is $\sigma = \frac{2\pi r f}{(n)\Phi} = \frac{2\pi r f}{1 \cdot \Phi} = \frac{2\pi \cdot 1,616199 \cdot 10^{-35} \cdot 2,95236210^{42}}{1,6180339} = 2,997999 \cdot 10^8 \text{ t/m}^2 = 2,997999 \cdot 10^{10} \text{ Kg/m}^2$, and Angular velocity $|w| = \frac{\sigma}{2r} [1 + \sqrt{5}] = \left(\frac{2,997999 \cdot 10^7}{2 \cdot 1,616199 \cdot 10^{-35}}\right) \cdot 1,6180339 = 1.5007013 \cdot 10^{42}$, or $|w| = 1,5 \cdot 10^{42} \text{ rad/sec}$, and the constant figure of Energy is that of Stress $\sigma = 2,997999 \cdot 10^{10} \text{ Kg/m}^2 = 2,997999 \cdot 10^{10} \text{ Joule}$.

Velocities in caves become from equation $v^2 = \frac{2}{m} [E - \{\frac{k}{r} + \frac{L^2}{2m r^2}\}] = [4\pi^2 \cdot k] \cdot [\frac{1+e}{r}]$ where constant, $k = a^3 f_p^2$, **Is the Energy** executed by the radius, $r = \text{Focus-Planet}$, in a second, and which is **The Quantum of Energy in Cave-Orbit**. From $E_T = E_K + E_R$, then the Total energy in cave is $E = \frac{mv^2}{2} + \{\frac{k}{r} + \frac{L^2}{2m r^2}\}$ where $L = S = \text{the Spin of Particles}$.

From **Mechanics** In the One degree of freedom Vibration of a mass, m , and Stiffness, k , in a distance, a , is for, $w^2 = [k/m]$ the equation, $m \ddot{x} + w^2 x = 0$, with solution \rightarrow the Period $T = 2\pi \cdot \sqrt{\frac{m}{k}}$, frequency $f_H = \frac{1}{2\pi} \sqrt{\frac{k}{m}}$, and Energy $E = h f_H$, where, $h = \text{Planck's constant}$, and

from Orbit-equation $\bar{v} = \sqrt{\frac{2}{m} [E - \{\frac{k}{r} + \frac{S^2}{2m r^2}\}]}$ and for $v = c$ then, $E = \frac{mc^2}{2} + \frac{k}{r} + \frac{L^2}{2m r^2} = hf_R$.

From Hydrogen Orbit-motion, $r = \sqrt[3]{\frac{1}{k \cdot f^2}}$, or $k \cdot f^2 \cdot r^3 = 1$ and Constant-Unit-Energy $k = \frac{1}{f^2 \cdot r^3}$ which **Energy** k , is the, **Quantum of Energy**, in the first Planck-length-cave.

For **Black-Holes**, the Total-Energy $L = \bar{B} \bar{w} = \frac{J \cdot w}{2} w = \frac{\pi r^4}{2} [2\pi f]^2 = 2\pi^3 r^4 f^2 = r m v = r m \cdot w r$ and mass $m = \frac{2\pi^3 r^4 f^2}{r^2 2\pi f} = \frac{\pi^2 r^2}{1} f = [\frac{\pi r \cdot v}{2}]$, while **Angular-Momentum** $B = r \cdot m v = r [\frac{\pi r v}{2}] v = \frac{\pi r^2}{2} v^2 = \frac{\pi r^2}{2} v^2 = \frac{\pi r^3}{2} [n \cdot \pi \cdot c]^2 = \frac{\pi^3 r^3}{2} c^2$, or **Black-Hole-Energy** $\rightarrow B_E = 2 \cdot \pi^5 \cdot r^3 \cdot f^2 = (\pi r)^3 \cdot w^2 \leftarrow$ i.e. **Velocity in Black-Holes is Related to Cave, r^3 , and Energy w^2 times of light velocity.**

C... THE ENERGY CAVES , AND E - GEOMETRY :

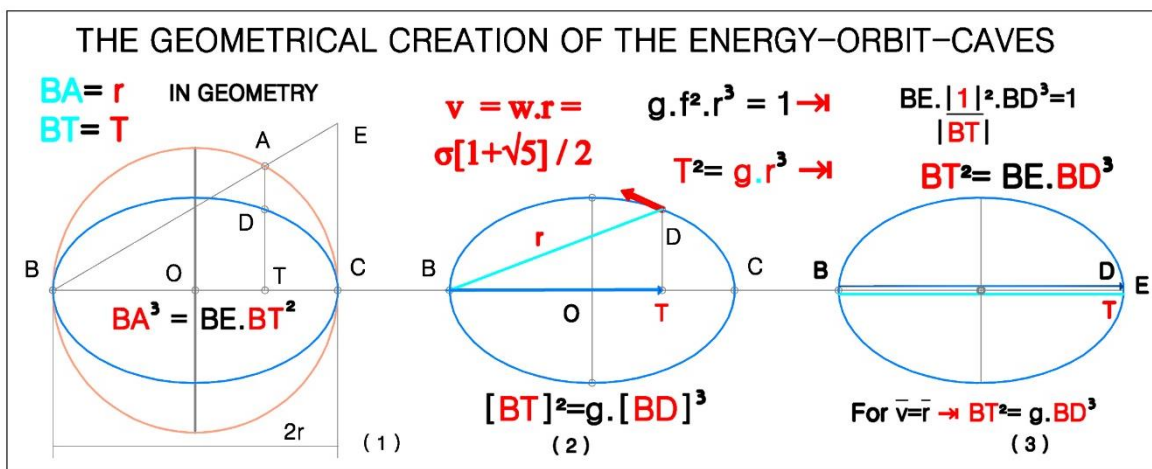


Figure – 1 - : The Periodic motion in Caves follows Material-Geometry rules .

In (1). Is shown the Geometrical Expose of , Dynamic-Space-Energy relation $g \cdot r^3 \cdot f_p^2 = 1$

In (2). Is shown the Mechanical Impress of the , Orbit-Space-Energy relation $g \cdot r^3 \cdot f_p^2 = 1$

In (3). Is shown the Extreme Design of the , Dynamic-Space-Energy relation $g \cdot r^3 \cdot f_p^2 = 1$

To Proof :

The Right-angled-Triangle ABC at A = 90°, lies on [O,OC=OA] circle and CE is the tangent at C . Since angle BAC = 90° of triangle CAE , then angle < CAE = 90° .

Since BA ⊥ AC and AT ⊥ BC then , the **Power of Point B on ACT triangle** is BA² = BT.BC

Since BC ⊥ EC then , the **Power of Point B on ACE triangle** is BC² = BA.BE(2)

Squaring the first relation and substituting (2) then [BA²]² = BT².(BC² = BA.BE) and

BA⁴ = BT² . BA.BE , or → **BA³ = BT² . BE** or → $|\frac{1}{BE}| \cdot BA^3 \cdot |\frac{1}{BT}|^2 = 1$ o.e.δ(3)

Remarks :

1.. Physics follow the Geometry-Rules in all levels ,either in microcosm or in macrocosm.

2.. Constants in Physics , are defined as Geometry-Linear-monads , or the opposite .

3.. The Physical dimensions are defined in two Perpendicular-Lines as the Surfaces .

4.. Linear -Vibrations [$\ddot{x} + w^2 x = 0$] of **Two-masses** In Orbit-Caves , **Occur on Line Vectors** or on Straight-lines in the x , y Plane .

5.. **Linear-Vibrations** [$\ddot{x} + w^2 x = 0$] of **Three-masses** , **Occur on Two-Line-Vectors Perpendicular each other** , vibrating on Straight-line , $\ddot{y} + w^2 y = 0$, of **x ⊥ y** Plane and follow the Lissajous Shapes , [83] , where for ,

a.. Difference of Phase $d_\phi = 90^\circ$ emission is → The Eight-Shapes ∞ .

b.. Difference of Phase $d_\phi = 0^\circ$ emission is → The Ellipse-Shapes ∝ .

c.. Difference of Phase $d_\phi = 45^\circ$ emission is → The Double-Saddle-Shapes . 8 , ∞ .

6.. For Planck length [73] P-49, was shown that **the Rotated Energy case** , when $s = 0$ and

$\cos \phi = 0$, exists for angle $\phi = \pi / 2$ and Quaternion $(s + \bar{v} \nabla i)^{1/w} = e^{-i(\pi/2+2k\pi).w} \dots(1)$

the dimension power → $w = b \leftarrow$ **and for** $k = 1$ then (1) becomes , [84]-P.74

$e^{-i(\pi/2+2k\pi).w} = e^{-i(\pi/2+2k\pi).b} = e^{-i(5\pi/2).b} = e^{-i(5\pi/2).10} \dots\dots\dots(2)$

Equation (2) fits , *as minimum cave* , in the Planck length and is $L_p = e^{-i(5\pi/2).10} \dots(3)$

Equation (3) is the smallest **Energy-Unit of Space** , and this because of $s = 0$ and $k = 1$.

It was shown [31] that Space and Energy is quantized and measured on the two Constant and

Natural numbers e , π , where for base the natural logarithm , e , and exponent the decimal

base , $b = 10$. From → $z^{1/w} = (s + \bar{v} \nabla i)^{1/w} = |zo|^{-w} \cdot [\cos.(\phi + k\pi)/w + i.\sin.(\phi + k\pi)/w]$

$= |zo|^{-w} \cdot e^{-i(\phi+k\pi).w}$ for $\cos.(\phi+k\pi)/w = 0$ then exists only the **Imaginary part** of monad

$(\bar{v} \nabla i) \neq 0$, where $\phi = \pi / 2$ and then , $z^{1/w} = |zo|^{-w} \cdot e^{i(\phi+k\pi)/w} = e^{-i(\frac{\pi}{2}+k\pi).10}$ which is

the **Diffraction Energy mechanism** for all Space Levels of quantization which are the **Energy**

Particles only i.e. The Energy particles **in Stationary caves** are $z^{1/w} = |zo|^{-w} \cdot L_v = E$ -Monad.

Extending quantization of Energy according to exponential formula → $L_v = e^{-i(5\pi/2).10}$ then

L_v on the decimal base $b = 10$ and for $k = \pm 0 \rightarrow \pm \infty$, are the Energy caves as ,

For base $e = 2,71828$ and base $b = 10$ then $e^\wedge - (13,8155) = 1 \cdot 10^{-6} \text{ m}$

For base $e = 2,71828$ and $k = 0$ $L_v = e^\wedge i.(\pm \pi/2)b$ then $e^\wedge (-15,7079) = 1,78118 \cdot 10^{-7} \text{ m}$

For base $e = 2,71828$ and base $b = 10$ then $e^\wedge - (16,1181) = 1 \cdot 10^{-7}$ or $r = 1,07 \cdot 10^{-7} \text{ m}$.

Placing r , in the Dynamic-Space-Energy relation when $g=1$ then $r^3 \cdot f_p^2 = 1$ and $f_p^2 = \frac{1}{r^3}$
 $= 8,0647139 \cdot 10^{20} \text{ m}$ and occurs the , **minimum frequency** $f_m = 2,839844 \cdot 10^{10} \text{ H} \dots (4)$

For Electron radius $r_e = 5,82 \cdot 10^{-16} \text{ m}$, Weight of Electron $Q = m_e g = 9,11 \cdot 10^{-31} \cdot 9,808$
 $= 8,93 \cdot 10^{-30} \text{ Kg}$, the Moment of Inertia-Disk $J_e = J_3 = [\pi a^4/2] = \pi/2 [5,8 \cdot 10^{-16}]^4 =$
 $1,777591 \cdot 10^{-61} \text{ m}^4$, Angular velocity $w_e = \frac{v}{r_N} = \frac{c}{1836} = \frac{3 \cdot 10^8}{1836} = 1,633 \cdot 10^5 \text{ m/s}$ because of
masses analogy and **Electron-Nutation-frequency** $f_N = \frac{s Q}{2\pi \cdot J_3 w} = \frac{5,82 \cdot 10^{-16} \cdot 8,93 \cdot 10^{-30}}{2\pi \cdot 1,777591 \cdot 10^{-61} \cdot 1,633 \cdot 10^5} =$

$$f_N = f_R = 2,8398447 \cdot 10^{10} \text{ s}^{-1} \dots (23)$$

The Quantum-Energy $E = h f_N = 6,62606957 \cdot 10^{-34} \cdot 2,839844 \cdot 10^{10} \text{ H} / 1,6022 \cdot 10^{-19} \text{ eV} =$
 $= 1,17444789844 \cdot 10^{-4} \text{ eV}$, is a small Quantity of Quantum-Energy .

Since this minimum frequency $f_N = f_R = 2,8398447 \cdot 10^{10} \text{ s}^{-1}$ exists in all Atoms ,*due to the Hydrogen first cave*, is the **Resonance-frequency** between **Atoms and Molecules** in Cosmos.

i.e. THE SPACE $\{ r_{\min} = 1,07 \cdot 10^{-7} \text{ m} \}$ - **ENERGY** $\{ f_m = 2,839844 \cdot 10^{10} \text{ H} \}$ IN
QUANTIZED-CAVE $\{ g \cdot r^3 \cdot f_R^2 = 1 \}$ OF SPACES $\{ [s + \bar{v} \nabla i]^{1/w} = e^{-i(\frac{\pi}{2} + 2k\pi) \cdot w} =$
 $= e^{-i(\frac{5\pi}{2}) \cdot 10} \}$, CONSISTS the min. **QUANTUM-ENERGY** $\rightarrow E = 1,1745 \text{ eV}$.

7... For Energy-Cave equation $\rightarrow e^{-i(5\pi/2) \cdot 10}$ **Formatters min-cave** $\rightarrow r = 1,07 \cdot 10^{-7} \text{ m}$
which in turn by the **Unit-Energy Orbit-Surface-U-Planck-relation**, $g = 1 \approx g$, and from ,

8... Unit-Energy-Mould $g \cdot r^3 \cdot f_R^2 = 1$ or $f_R^2 = \frac{1}{r^3}$ creates the minimum frequencies , **Energy** ,
 $f_R = 2,8398447 \cdot 10^{10} \text{ H}$, between , $1,330265 \cdot 10^{10} \text{ H}$ and $4,1701097 \cdot 10^{10} \text{ H}$,in caves and
the in Electron-Cave which is **The Nutation-Unit-Frequency** and becomes the minimum
Quantum-Frequency again , in above r , cave and which is following ,

a... Frequency $f_N = f_R = g [\frac{s \cdot m_e}{2\pi \cdot J_3 w}]$ which passes through atoms structure and as **Energy-Spring**
in Magnetic-field , Strengthen and manifested , as **The Images in MRI** .

This Property of Electron-Nutation is Probably very Interested in Medicine , MRI and in
many other Media as **Mobiles** and Others , because of $\rightarrow \langle r_{\min} | \cup \cup | f_m \rangle \leftrightarrow [f_N] \leftarrow$
It is proved in [90] that this Energy-Spring of Electron-Nutation creates the Energy-
Bonds in Atoms so that these bond Originate-Molecules .

b... The Article , New Electromagnetic-Structure of Atom [90] IS

1. The **Unit-Quantization** of Planet-Focus line r , sweeping $r \cdot mv = k = \text{Constant-Area}$
2. The **Unit-Cave-Energy Quantization** as Work is $\rightarrow W = 4\pi^2 \cdot r^3 \cdot f_p^2 = 1$
3. The **Resonance** Unit-Cave-Frequency $f = \sqrt[4]{\frac{1}{4\pi^2 m \cdot r^3}}$ of Masses $\frac{1}{M_T} = \frac{1}{m_P} + \frac{1}{m_n} + \frac{1}{m_e}$
4. Charges $\frac{1}{Q_T} = \frac{1}{q_P} + \frac{1}{q_e}$ from Lorentz force, $F = qE + qvB$, in Magnetic-Field $\bar{B}_F = \frac{2\pi \cdot M_T}{Q_T} |f$
5. The Resonance Energy $E = \frac{1}{a^3} [\frac{4\pi^2}{c^2} + \frac{S^2}{2m}]$ or $E = \frac{\pi}{g r^2} [g^2 r + 2 \cdot S^2 \cdot f^2]$ in cave $a = \sqrt[3]{1/g f^2}$

c... Equations (f-8) is the extreme case , **Space-Energy** , for the **velocity in Hydrogen cave**
or for Geometry and Mechanical interpretation either Separating each other or and Both.
Energy-Constant k (f-7) regulates motions in caves as the constants in integrations .

d... Hydrogen-Circular-radius $a = \sqrt[3]{\frac{1}{g \cdot f^2}} = 2,1145016 \cdot 10^{-11} \text{ m}$, is from $f_1 = E/h = 13,6 \text{ eV/h}$

For $e = 0$ then $v^2 = [4\pi^2 \cdot k] \cdot \frac{1}{r}$, and constant $k = \frac{r \cdot v^2}{4\pi^2} = \frac{a \cdot v^2}{4\pi^2}$. The Constant k of

Electron-Nutation is measured as $\rightarrow k = \frac{2,1145016.10^{-11}(2,998.10^8)^2}{4\pi^2} = 4,81406.10^4 \text{ m}^3/\text{s}^2$

c.. For any Material-Point occupying only **Spin** $\equiv \mathbf{L}$, then $\frac{k}{r} [1+2\pi^2mk(1+e)] = 0$ or $1+2\pi^2mk(1+e) = 0$ and for **Electron** $k = -\frac{1}{2\pi^2.m(1+e)} = -\frac{1}{(1+e)} [6,9999. 10^{29}] \text{ N}$ and

Rotating-Energy due to **Electron-Spin** is $E = \frac{S^2}{2m r^3} = \frac{(5,691952.10^{-34})^2 \text{ Kg.s/m}}{2.7,2373149.10^{-32} (2,3762992.10^{-16})^3} = 16,68059 \text{ J}$ which is a small amount of energy .

Rotating-Energy due to a **Black Hole-Spin** is $E = \frac{S^2}{2m r^3} = \frac{(1,152.10^{66})^2}{2.1,6.10^{42} (2,4.10^{15})^2} = 2,604.10^{43} \text{ J}$ equal to the **Energy of an Electromagnetic gamma-ray-burst** \rightarrow i.e. energy-constant **k** , is

the Regulator of Energy as equation , $\mathbf{k} = \frac{r.v^2}{4\pi^2} = \frac{(2,4.10^{15}).9.10^{16}}{4,\pi^2} = 5,47.10^{30} \text{ N}$.

D.. THE PHOTONS :

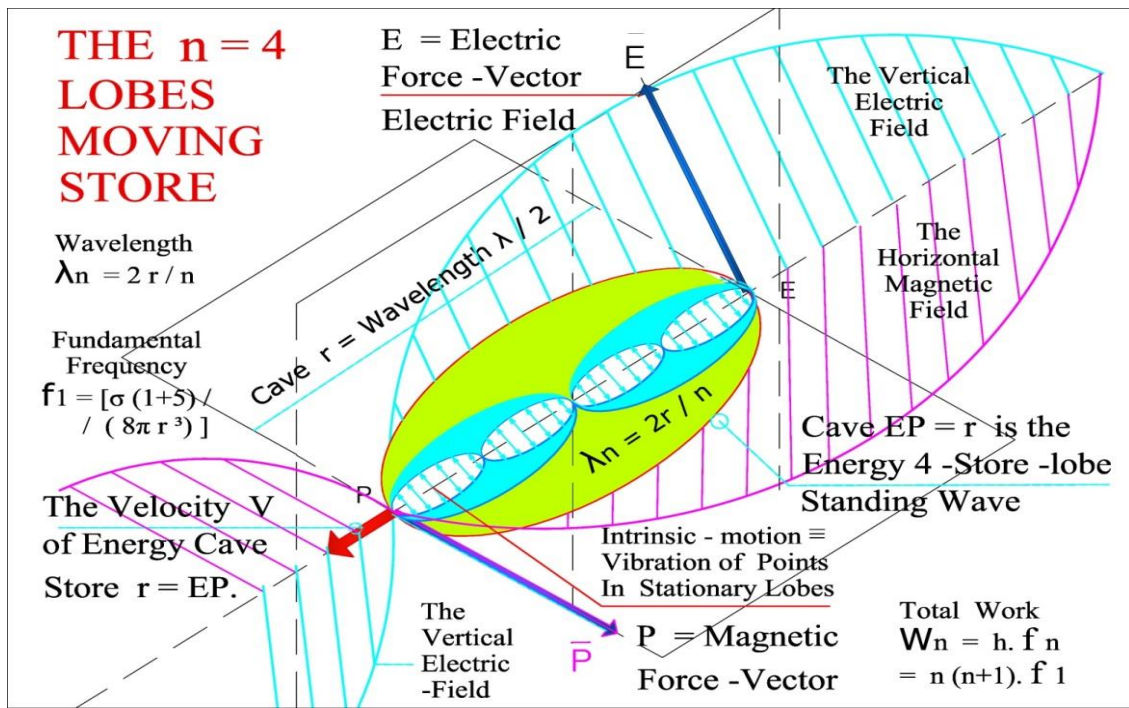


Figure - 2 - : The Propagation of Photon-Electromagnetic-Field-Storage EP :

In figure $r = \lambda/2 = EP$ is the **Energy-Storage-monad** [$S \equiv EM-R \equiv f_{1=N}, f_2, f_3, f_D, f_n = w^2$] with wavelength $\lambda_n = \frac{\sigma.(1+\sqrt{5})}{4\pi r} = \frac{2n.B}{\Phi \pi^2 r^5} = \frac{f}{c\Phi}$, as **Particle** , where velocity $\bar{v} = w.r$, follows the **Breakage-Principle** which is Quaternion $\bar{z} = [s + \bar{v} \nabla i \text{ or } \rightarrow s^2 - |\bar{s}|^2 + 2|s|^2. \nabla i \leftarrow \equiv [\epsilon E^2 + \mu B^2] \equiv$ The **Energy-monad** , **EP** , and as a **Wave** as ,

Matter (+) \equiv Magnetic-field $\rightarrow [\mu B^2] \equiv$ The Storage-Basket
Antimatter (-) \equiv Electric-field $\rightarrow [\epsilon E^2] \equiv$ The Moving-Basket

Energy (+ \leftrightarrow -) \equiv Motion in **n** lobes \rightarrow as $[\partial E / \partial t, \partial H / \partial t]$ i.e.

The Stationary-Cave-lobes , consist the **Particle-Photon** as the Inside **motion** , in the cave $r = n [\lambda/2]$ **Energy-Storage** , and $[E^2 + H^2] = 2.(2r).c.\sin 2[\varphi \equiv \frac{B}{\Phi}]$, the **Wave-Photon** . **Energy-Storage-monads** are consisted of the above **Three-constituents** all-together ,

Or each-one of them . The Work ratio is $\rightarrow W_n / W_1 = f_n / f_1 = n(n+1) \cdot [v_n / v_1] =$

$$n(n+1) \frac{\lambda_n f_n}{\lambda_1 f_1} = n(n+1) \frac{n \lambda_n f_1}{2r f_1} = n^2(n+1) \frac{\lambda_n}{2r} = n(n+1) \quad \text{and}$$

$$\text{for } \lambda_n = 2r, \text{ then } v_n = v_1, \text{ and then } \mathbf{n \cdot \lambda_n = 2r} \quad \text{or}$$

The Work , W , Produced **from the Wave-Energy-Pattern , with wavelengths λ_n , and Created from all Points of the Periodic Oscillation in any Cave , r , is Stored into the , n , Integer and Energy - Lobes of this cave r , where $E^2 + H^2 = B^2$.**

From Mechanics , the **Only - Possible motions** are , **the Periodic-Excitation** , and **the Revolving-Motion** therefore all **Moving-Energy- Stores travel as a Wave and Not as a Particle** . The n , **Energy-Tanks** , the N Antinodes in its moving Store $2\lambda = r = h / p$ $\equiv [f_1, f_2, f_n = w^2 \equiv n \text{ lobes}]$ follows the *Stationary-Wave-Nodes-Principle*, *i.e.*

The Glue-Bond-Stress Rotation of opposites on Small - circles creates , n , Integer number of lobes , which is the Wave-Nodes-Principle of the moving-energy-stores, one of which is the Photon .

The $\{n\}$ **Energy - Storages** of The Moving – Monads . Figure-2
In Electromagnetic field , EM-field , **Magnetic-field is the Store in which Energy \equiv motion is Stored , and Electric-field is the Force , The Energy , which Pushes the [Energy-Store- Basket \equiv Magnetic-field] , executing the **Helicoid motion** .**

In Store , r , Wavelength $\lambda_n = \frac{2r}{n}$, Fundamental-frequency $f_1 = [\frac{\sigma(1+\sqrt{5})}{4\pi r}]$, and Work $= h.f_1$

The Energy-Storage length E-P $= \lambda/2$, is composed of 4 Lobes with wavelength $\lambda_4 = \frac{2r}{4}$,

$f_4 = \frac{4v}{2r} = 4f_0$, and $W_4 = \frac{h}{2r} v_4$ and for \rightarrow Loop-Total-Work ,

$$W = [\frac{4\pi r^2 f_1}{3}] \cdot n \cdot (n+1) \quad \text{or } W = \frac{80 \cdot \pi r^2 f_1}{3} \quad , \quad v_4 = \lambda_4 \cdot f_4 = 4 \cdot \lambda_4 \cdot f_0 \quad , \text{ therefore for ,}$$

$$n = 1 \rightarrow f_1 = 1 \cdot [\frac{\sigma(1+\sqrt{5})}{4\pi r}] \text{ , Wavelength } \lambda_1 = \frac{2r}{1} \text{ , Energy } W_1 = [\frac{4\pi r^2}{3}] \cdot f_1 = 1 \cdot \frac{(1+\sqrt{5})\sigma r}{3}$$

$$n = 2 \rightarrow f_2 = 2 \cdot [\frac{\sigma(1+\sqrt{5})}{4\pi r}] \text{ , Wavelength } \lambda_2 = \frac{2r}{2} \text{ , Energy } W_2 = [\frac{4\pi r^2}{3}] \cdot f_2 = 2 \cdot \frac{(1+\sqrt{5})\sigma r}{3}$$

$$n = 3 \rightarrow f_3 = 3 \cdot [\frac{\sigma(1+\sqrt{5})}{4\pi r}] \text{ , Wavelength } \lambda_3 = \frac{2r}{3} \text{ , Energy } W_3 = [\frac{4\pi r^2}{3}] \cdot f_3 = 3 \cdot \frac{(1+\sqrt{5})\sigma r}{3}$$

$$n = 4 \rightarrow f_4 = 4 \cdot [\frac{\sigma(1+\sqrt{5})}{4\pi r}] \text{ , Wavelength } \lambda_4 = \frac{2r}{4} \text{ , Energy } W_4 = [\frac{4\pi r^2}{3}] \cdot f_4 = 4 \cdot \frac{(1+\sqrt{5})\sigma r}{3}$$

i.e. In store , r , can exist n , frequencies as $f_n = n \cdot f_0$, n , times the fundamental frequency .

Electromagnetic waves are created by the vibration of an Electric-charge . In Material – Point ,

The eternal rotation of the \oplus constituent around the \ominus constituent creates the , n Energy-lobes

in a Tank $r = n \frac{\lambda}{2}$ or $\lambda = \frac{2r}{n}$, since the velocity of the wave is $\bar{v} = \lambda/T = \lambda \times f$. The

frequency is $f = \frac{n \cdot \bar{v}}{2\pi r}$ where n is a positive integer number . Because in lobes the inner

particles are the $[+]$, $[-]$ constituents of , Space and of Anti-space , the maximum amplitude of each constituent is related with its Position and each Amplitude oscillates periodically as the

wave equation , $x = v_0 \cdot \sin wt = A \cdot \sin [\sqrt{(a/Am)} \cdot t + \pi/2]$ (1) where

$$\mathbf{a..} \quad \text{Velocity} \rightarrow |\bar{v}| = w r = \frac{2\pi}{T} \cdot r = 2\pi r f \quad , \text{ and } f_n = \frac{n \cdot v}{2\pi r} = \frac{n\sigma}{4\pi r} [1 + \sqrt{5}] \quad ,$$

$$\mathbf{b..} \quad \text{Angular velocity} \rightarrow |\bar{w}| = \frac{\sigma}{2r} [1 + \sqrt{5}] \quad , \text{ and } \text{Fundamental frequency } f = \frac{(1 + \sqrt{5}) \cdot \sigma}{4\pi r}$$

In cave , r . in where , Wave propagates , as in a Magnetic-device the arced pattern , by travelling from North to the South Pole , and thus creating the Inner - Electromagnetic-Displacement, the

Current which is $\rightarrow \partial E / \partial t$, $\partial H / \partial t \leftarrow$ and when reduced to one line as , $\mathbf{E = H c}$

$$\mathbf{E \rightarrow \partial E / \partial t \rightarrow H \rightarrow \partial H / \partial t \rightarrow H} \quad .$$

This vibration of opposites creates a Wave which has both an Electric , \mathbf{E} , and an Magnetic component , \mathbf{H} , perpendicular each other and is as

$$[E^2 + H^2] = 2.(2r).c.\sin 2\phi \dots (2) \text{ on-where exists the Skin-effect . [68-70]}$$

This happens because of the difference in density on **Stress-common-curve** , $\rho = \sigma$ instead of density $\rho = 0$ as happens at the center of the circle .

This Property in Material-point Launches , **The Inner-Electromagnetic-Wave** , Out of

The-Particle $\equiv [E^2 + H^2] = 2(2r).c.\sin 2[\phi \equiv \frac{\bar{B}}{\phi}]$, of wavelength λ , **Outward** λ , as **The Outer Electromagnetic-Wave** $\rightarrow \{ \text{The-Wave} \equiv [\epsilon E^2 + \mu B^2] = 2.\lambda c.\sin.2\phi \}$ \leftarrow and allows all the **Energy-Wave-Storages** to Propagate any Distance in Vacuum without any dissipation .

This Inner-motion \equiv Work W , from the Wave-Energy-Pattern with Wavelengths λ_n , is created from all \pm Points of the Periodic Oscillation in any cave \mathbf{r} , and is stored in the \mathbf{n} lobes as motion .This motion is conserved and is transported through vacuum at the speed of light c . Since the **Medium-Field- is the Material-Fragment** $\rightarrow [\pm s^2] = [\text{MFMF}] \equiv \text{The Chaos}$, is **the base for all motions so then it is , the Motion of Photons** : All motions create Work which is conserved . Motion presupposes the velocity vector $\bar{\mathbf{v}}$, which *when it is in motion collides with other velocity vectors* , creating a Constant Work \mathbf{k} .

Motion may be **Linear or Rotational** for any displacement , \mathbf{r} , in any Store \equiv cave , so exists in **Vectors** the **Quantum-Constant-Work** $\rightarrow \mathbf{k} = \bar{\mathbf{v}}\mathbf{x}\bar{\mathbf{v}}$. $\bar{\mathbf{r}} = \mathbf{v}^2.\mathbf{r}$, and becomes from relation $n\lambda = 2r$, issuing $2r = n v / f$, and is $v = \lambda f$ or $\rightarrow \bar{\mathbf{v}} = \bar{\mathbf{c}} = \lambda f$.

$$\text{Constant-Work } \mathbf{k} = \mathbf{v}^2 . \mathbf{r} = (w r)^2 . \mathbf{r} = \left[\frac{2\pi}{T} r \right]^2 . \mathbf{r} = \frac{4\pi^2 r^2}{T^2} . \mathbf{r} = \frac{4\pi^2 r^3}{T^2} = 4\pi^2 . \frac{r^3}{T^2} = 4\pi^2 . r^3 . f^2 \mathbf{p} \rightarrow$$

which are the universal **Kepler Laws for macrocosm** .

i.e. Photon during Motion in [MFMF] Chaos collides with other Photons , by means of Cross Product Produces a Constant - Work , which is stored into the Only-Four Energy and Geometrical - Shapes , of the motion which are the Conic-Sections . The Interior motion is kept in its Wavelength-Storage $2r = n \lambda$, and the Linear motion is continued by the Propagating Electromagnetic - Wave , the Energy-Store-Conveyer .

The mechanism of **Energy-transport through a Medium** involves the **Absorption and the Reemission** of the wave-energy by the Atoms of the material . Since Quanta of Energy occupy a finite space $\lambda = 2r$, as motion , then an Electromagnetic wave impinging upon the Atoms of a material, its energy is absorbed by the atoms of the material , and since **Energy \equiv motion** then occurs **Resonance** , and electrons within the atoms undergo vibrations . After a short period of vibrational-motion , the vibrating electrons , due to **g** effect on Spin \mathbf{S} , create a **New Electromagnetic wave** with the same frequency as the first one and motion is conserved without delay through the medium . Nutation occurs due to the **g** , above referred effect.

Because Energy is related to wavelength λ , as equation $E = h f = h.(c/\lambda)$, then once the energy of EM-wave is reemitted then it travels through a small region of space , **its Magnetic-field** , between atoms and once it reaches the next atom the EM-wave is absorbed and transformed into electron vibrations and then reemitted as an \rightarrow Electromagnetic-wave \equiv motion \leftarrow .

The actual **speed of an Electromagnetic-wave through a material-medium** , due to the Absorption and Reemission-process , is dependent upon the **Optical - density** of the medium , or when their atoms are closely packed upon their , **Material - density** .

i.e. Photon is an **Energy-Spring-store** , \mathbf{r} , in a Stationary-wave of wavelength $n\lambda = 2\mathbf{r}$, and consisted of \mathbf{n} stationary lobes filled in λ with inner motion the Electromagnetic-Displacement current , while **Outward Propagates** with light speed as an **Energy-Store** $\lambda = 2\mathbf{r} / \mathbf{n}$, [+]
[+] Electric-field as Space-motion , and [-] Magnetic-field as Anti-space-Store . [70]

The Electric force F , originated in , *Energy-field E* , by any two charges q_1, q_2 and Spread in a Fixed distance , r , occupies velocity $\bar{v} = \bar{c}$ and is equal to distance \bar{r} . The Above vector is $\bar{v} = \bar{r} = \bar{c}$ and is used for the Pointy- caves , one of which is the Atom-Nucleus . [82]

1d... The Duality Of Isochronous Photons :

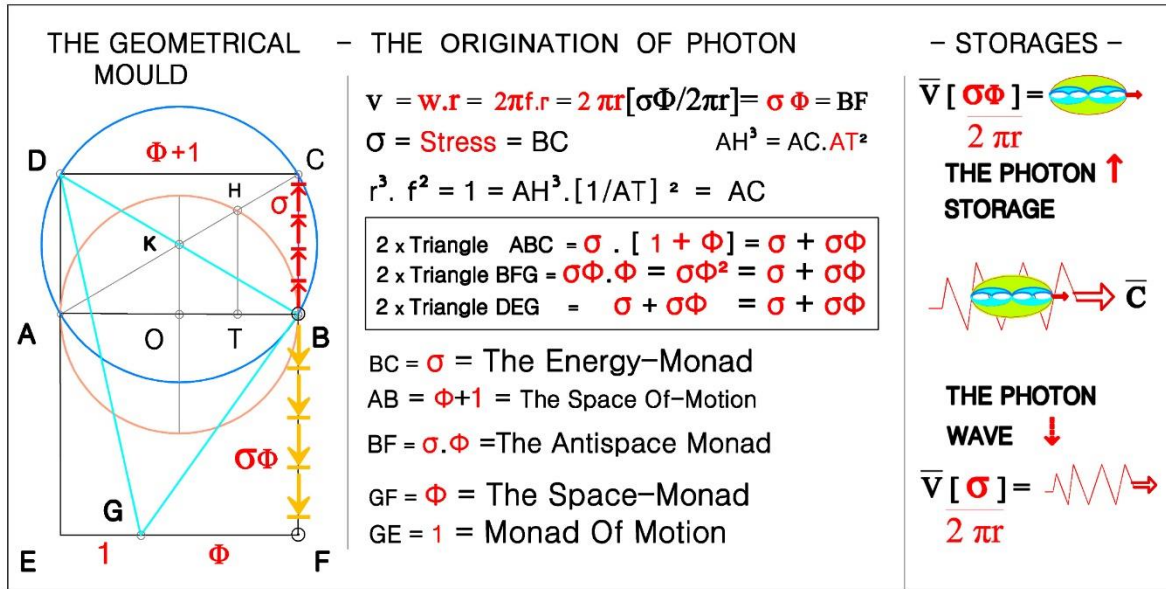


Figure – 3 - : The Material-Geometry Mechanism-of-motion in Photons-Cave :
 In Material-Point the Cycloidal-acceleration g_{cyc} is transformed as Centrifugal acceleration $g_{cyc} = \frac{(2\sigma)^2}{r}$, and frequency $w^2 = \frac{g}{4r} = \frac{(2\sigma)^2}{r.4r}$ constant , and so Angular-velocity w , becomes $w^2 = \frac{(2\sigma)^2}{4r^2} = [2\pi f]^2$, or **frequency of Photon** $f_p = \frac{\sigma = [\sigma\Phi]}{2\pi r} = \frac{(1+\sqrt{5})\sigma}{4\pi r} = \frac{\sigma . \Phi}{2\pi r} \dots(a)$ i.e.

Equation (a) denotes that the Harmonic Oscillation due to Any-Force or Weight, which follows the free motion on Cycloid , is Independent of the amplitude of oscillation and , is Isochronous . This Property belongs to Photon also , since it is a Material-Point . [70]

Since Total-Energy $L = B w = \frac{J.w}{2} w = \frac{J.w^2}{2}$ then $2L = J.w^2$, and $\bar{B} = r.mv = r \frac{\pi.r^4}{2} 2\pi f r = \pi^2 . r^4 . f$
 From momentum relation $\bar{B} = m r v = m r^2 w = m r^2 (2\pi f) = \frac{J.w}{2} = [\frac{\pi r^4}{2}] . [2\pi f]$ then Spin $S \equiv$

Angular-momentum $\bar{B} \equiv \bar{S} = \frac{J.w}{2} = \frac{\pi r^4}{2} [2\pi f] = \pi^2 . r^4 . [f] \equiv \frac{[1+\sqrt{5}] . \sigma . \pi . r^3}{4} = \frac{\pi r^3 \Phi \sigma}{2} \dots(b)$

Frequency of Photon is $f_n = \frac{[(1+\sqrt{5})\sigma]}{4\pi r} = \frac{\sigma\Phi}{2\pi r}$, where $\Phi = \frac{(1+\sqrt{5})}{2} = 1,6180339887$ and , $2r$ is The Diameter of Energy-Cave $AB = 2r$ of circle $(O,OA) = \text{Monad} \rightarrow \oplus \leftrightarrow \ominus \equiv 1 + \Phi$ and

- BC = $|\sigma|$ = The **Glue-Bond** from the main-Stresses magnitude .
- ABCD = The **Energy-Space** Rectangular Parallelogram in Plane ABC .
- ABFE = The **Energy-Anti-space** Rectangular Parallelogram in Plane ABC
- BF = $|\Phi . \sigma|$ = **The Anti-Space** , and $FG = |\Phi|$ = The **Space** magnitude .

From Kepler 2nd Orbit laws the Unit-Quantized-Area , or Unit Quantized Energy is that per /sec $\rightarrow r d\phi$, and as equation $1 = k . f^2_u r^3$, and expresses the area of triangles .

Triangle 2(ABC) = BC.BA = $\sigma . [\Phi+1] \equiv \sigma . \Phi + \sigma = [\text{Stress-In-Storage}] + [\text{Moving-Stress}]$

Or **Storage S** \equiv $[\oplus \leftarrow \mathbf{r} \rightarrow \ominus]$ + **Motion M** \equiv $[\bar{\mathbf{v}} - \mathbf{Vector}]$ and from Figure-4-

$$\begin{aligned} \text{Triangle 2(BFG)} &= \text{FB.FG} = \sigma.\Phi[\Phi] = \sigma.\Phi^2 = \sigma.[\Phi+1] \equiv \sigma.\Phi + \sigma \equiv \mathbf{S} + \mathbf{M} \\ \text{Triangle 2(DEG)} &= \text{EG.ED} = \sigma + \sigma \Phi = \sigma.[1 + \Phi] \equiv \sigma.\Phi + \sigma \equiv \mathbf{S} + \mathbf{M} \quad \text{and} \\ \text{Energy} = \text{motion} / T &\equiv \left(\frac{\bar{\mathbf{v}}}{2\pi r}\right) \cdot [\sigma + \sigma \Phi] = \bar{\mathbf{v}} \cdot \left[\frac{\sigma}{2\pi r} + \frac{\sigma\Phi}{2\pi r}\right] \equiv \bar{\mathbf{v}} \cdot [\bar{\mathbf{f}}_n + \mathbf{f}_n] \equiv \end{aligned}$$

Moving - Storage $\rightarrow [\bar{\mathbf{v}} \cdot \bar{\mathbf{f}}_n]$ + Moving - Frequency $\rightarrow [\bar{\mathbf{v}} \cdot \mathbf{f}_n] \equiv$ Material-Point i.e.

The Energy produced in Photon-Cave is consisted of **Two-Storages**, That travelling,

as Particle $[\bar{\mathbf{v}} \cdot \bar{\mathbf{f}}_n] \rightarrow [\bar{\mathbf{v}} = \bar{\mathbf{c}} = \lambda \frac{f}{\Phi}] \rightarrow [S \equiv \text{EM-R} \equiv f_{1=N}, f_2, f_3, f_D, f_n = w^2]$ and,

as Wave $[f_1 = (E^2 + H^2) = n \frac{(1+\sqrt{5})\sigma}{4\pi r} = \frac{\bar{B}}{\pi^2 r^4}] \rightarrow \{W \equiv \text{EM-R} \equiv [\epsilon E^2 + \mu B^2] = 2.\lambda c.\sin.2\phi\}$

and as Duality of an **Energy-Storage S** $\equiv [\oplus \leftarrow \mathbf{r} \rightarrow \ominus]$ + **Motion M** $\equiv [\bar{\mathbf{v}} - \mathbf{Vector}]$

Therefore \rightarrow Photon is travelling as Particle and as Wave,

1.. **Energy-Storage S** $\equiv [\oplus \leftarrow \mathbf{r} \rightarrow \ominus] \equiv$ **Particle** $[\bar{\mathbf{v}} \cdot \bar{\mathbf{f}}_n] \rightarrow [\bar{\mathbf{v}} = \bar{\mathbf{c}} = \lambda \frac{f}{\Phi}] \rightarrow$ i.e.

a **Stationary Standing - Wave** $\rightarrow [S \equiv \text{EM-R} \equiv f_{1=N}, f_2, f_3, f_D, f_n = w^2]$.

2.. **Energy-Motion M** $\equiv [\bar{\mathbf{v}} - \mathbf{Vector}] \equiv$ **Wave** $[\bar{\mathbf{v}} \cdot \mathbf{f}_n] \equiv [f_1 = (E^2 + H^2) = n \frac{(1+\sqrt{5})\sigma}{4\pi r} = \frac{\bar{B}}{\pi^2 r^4}] \rightarrow$ i.e. a **Propagating Wave** $\{W \equiv \text{EM-R} \equiv [\epsilon E^2 + \mu B^2] = 2.\lambda c.\sin.2\phi\}$.

The Physical-Interpretation of f_{photon} :

Using the Material-Geometry-Vectors then,

From Frequency $f_{\text{photon}} = \overline{AB} \times \overline{BC} = [\Phi+1] \times [\bar{\sigma} \equiv |\bar{\sigma}|.\Phi \equiv \sigma.\Phi] = \Phi^2 \cdot \sigma\Phi = \sigma.\Phi^3$ or

$f_p \equiv \overline{AB} \times \overline{BC} \equiv \sigma.\Phi^3 \equiv [\bar{\sigma} - \mathbf{Stress}] [\oplus \leftarrow \Phi \rightarrow \ominus] [\oplus \leftarrow \Phi \rightarrow \ominus] [\oplus \leftarrow \Phi \rightarrow \ominus]$

and $\rightarrow \rightarrow \rightarrow$ **Primary-Energy** $\equiv G / f_p \equiv 1$ OR $G^{-1} \times \sigma \times \Phi^3 \equiv 1 \leftarrow \leftarrow \leftarrow$ where

$G \equiv$ The Newton`s-Universal Force = $6,680561.10^{-11} \text{ m}^3/\text{Ns}^2$

$\sigma \equiv$ The Glue-Bond-Stress in Material-Points $\sigma = \frac{2\pi r f}{\Phi} = 1,85.10^{11} \text{ Kg/m}^2$ and, f
from Material-Point-frequency $f = \frac{c}{2\pi r} = 2,95236210^{42} \text{ H}$, in $r = L_p = e^{-i.(5\pi/2)}.10$
Planck`s Length $L_p = e^{-i.(5\pi/2)}.10 = \{\sqrt{3}.\pi.1,616199.10^{-35} \text{ m}\}$

$\Phi \equiv$ The Golden-Ratio Pattern $\Phi = \frac{(1+\sqrt{5})}{2} = 1,6180339887$

i.e. Universe is a Monad, Becoming from a **HUGE-MAGNET** of Opposites \oplus, \ominus which
Forms \rightarrow The **3-Dimensional SPACES Φ** , **ANTI-SPACES** $|\Phi.\sigma|$, and \rightarrow The
ENERGY \equiv MOTION through the **G** - Force and Stress - σ becoming from Photon.

Ubiquity of Material-Geometry in Electromagnetism is Everywhere. 15/3/2020

A wide Analysis in [90].

2d... **Applications** :

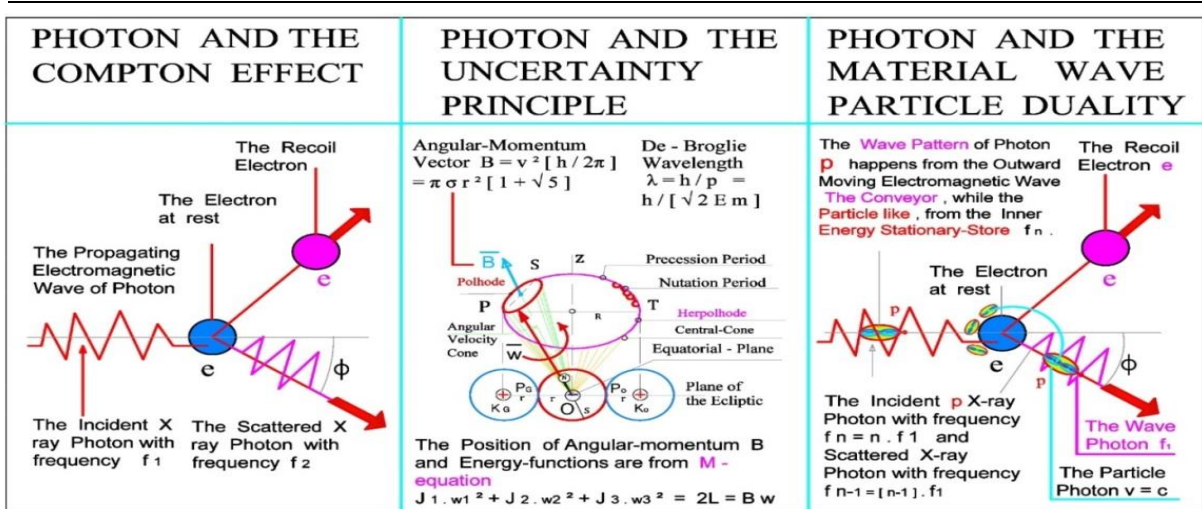


Figure – 4- : The Wave-Particle Duality of Photon as .

The Wave $[f_1 = (E^2 + H^2) = n \frac{(1+\sqrt{5})\sigma}{4\pi r} = \frac{2.\bar{B}}{\pi^2 r^4}]$ - Particle $[v = \bar{c} = \lambda \frac{f}{\phi}] \rightarrow$ Duality

In Revolving or Rotational motion, which is the opposite of prior, in the Moving Photon-Tank - B_R , and because of Stress σ , is created the Centrifugal-Force F_f .

Photon is a Material-point, a Box B_p with fix-ends and an Inward-cave, r , which is the Energy-Storage B_p , and Outward cave, r , as an Electromagnetic - Radiation of wavelength $\lambda = c T = c / f_p$ which carries, Pushes, the Storage B_p .

The Electromagnetic Radiation follows the Golden-ratio-frequency f_p , of the Photon which is produced in Box from the Centripetal-Centrifugal-forces equal to the main Stresses $\pm \sigma$. This is the Why Golden-ratio-frequency $f_p = \frac{\sigma.r}{\pi.B} = \frac{n\sigma.\phi}{2\pi r}$ exists in nature from the micro to the macro scale and is a Pressure everywhere in all Energy structures.

Energy as motion defines In-Box the minimum Resonance-Golden-ratio-frequency $f_R = f_1$ which follows Kepler constant for microcosm and frequency f_R defines in Outer-Box the Electromagnetic Radiation which is the Conveyor, the carrier of the Energy-Cave, r . The Reality is the Energy-Space United-universe of one Force which produces Work \equiv Force x Space, and which is conserved as motion in Space-Boxes.

Potential-Energy $\equiv P_E$ stored in Material-point is the Electric-Field $E = g \pi$, in where $[\oplus$ moves to $\ominus]$ and thus from Geometry-Shape are created the two opposite Angular momentum vectors and from Dipole the Spin $S = \frac{1}{2}$ in r cave filling the whole universe.

In Periodic-Orbital-motion issues Tack-Geometry i.e. the tracks of the Electric lines are Pattern of closed-loops-Pairs, starting Clock-wise and Anti-clockwise from the \oplus Spring not as straight-lines because of the voltage between ends of Spaces, and the created motion as an Eternal rotation of the $[\oplus]$ constituent towards $[\ominus]$ constituent. In both cases Angular momentum \bar{B} , is equal to \pm Spin S . Material Points, Segments etc. consisting the Physical Structures. In the finite-Space of Material-point, cave r , is stored the Work as frequencies, Because Stress $\sigma > 0$, Spin \equiv Angular momentum \bar{B} , is equal to AM / Unit-Area = AM / π , and

frequency $f_n = \frac{\bar{B}}{\pi^2 r^4}$ so Spin is either Positive or Negative and equal to the Electric-Charge

$\bar{E} = \pm AM / \pi$. The Spin becomes from the $\uparrow \leftrightarrow \downarrow$ Antiparallel Angular - Momentum-vectors \bar{B} . which is equal to the Golden-ratio, Spin of cave r , the Spinning-Stationary M-point with

Fundamental frequency f_1 of equation $W = [\frac{4\pi r^3}{3}].f_1 = \frac{(1+\sqrt{5}).\sigma.r^2}{3} = 2L = \bar{B} . \bar{w} = J.w^2$.

This Stationary–Energy-Storage is as **Coulomb Electrical-Force** where the Electrical-Force

$$\mathbf{F}_{\text{electron}} = k_c \frac{Q_1 Q_2}{d^2} = \frac{[\oplus \leftrightarrow \ominus]}{d^2} = k_c \frac{2\sigma}{|e|^2} = k_c \left[\frac{4\pi f_1}{r\Phi} \right] = k_c \frac{\sigma}{2r^2} = k_c \frac{2\bar{c}}{r^2\Phi}$$

$$\mathbf{F}_{\text{photon}} = \frac{[\oplus \leftrightarrow \ominus]}{r^2} = \frac{[\sigma \cdot \sigma]}{r^2} = \left| \frac{\sigma}{r} \right|^2 = \left| \frac{2\pi f}{\Phi} \right|^2 = \left| \frac{w}{\Phi} \right|^2 = \left| \frac{2B}{\pi r^3 \Phi} \right|^2 = \left| \frac{\bar{c}}{r \cdot \Phi} \right|^2$$

$$\text{Angular-momentum} \equiv \text{Spin} \equiv \bar{B} = \frac{\pi r^3 \sigma}{2} [1 + \sqrt{5}] = \left| \frac{\pi r^3 \Phi \sigma}{2} \right| = \left[\frac{\pi r^3 \bar{c}}{2} \right]$$

Above relation agrees with **Laplace-equations** for Incompressibility and Irrotationality where $\nabla \times \bar{q} = \bar{r}_x + \bar{v}_y = 0$, and $\nabla \times \bar{v} = \bar{v}_x - \bar{r}_y = 0$, meaning that Space, \bar{r} , and Energy, \bar{v} = motion, are Interchanged → Because from the first relation the **Magnetic-field-Space** \bar{r}_x creates the **Electric-field-Energy** \bar{v}_y , and from the second → **Energy** \bar{v}_x Pushes the **Space** \bar{r}_x . From Electron-Orbit-equation $4\pi^2 f^2 \cdot m_e = k = \pi g$ or $4\pi f^2 \cdot m_e = g$, $k = \pi g$, they denote \oplus **Space** ≡ Electric-field in-where exist Electric-lines i.e. the tracks of Electron motion of the \ominus **Anti-space**. The Right Momentum vector AM ≡ ↑ is the Produced Work and stored in **Magnetic-field** as motion while left-vector AM ≡ ↓ is the Produced Work and stored in the opposite **Magnetic field** as motion and both consist the Dipole $[\oplus \leftrightarrow \ominus]$, **Tack-Geometry**. The **Chains of Stationary-Periodic-Spins** are Pointy-vibrating in Orbit LRC- Circuit with its

$$\text{frequencies } \{ \mathbf{f}_1 = \frac{(1 + \sqrt{5}) \cdot \sigma}{4\pi r} \} \times \bar{B} = [\sigma \Phi \pi r^3] \mathbf{f} = \frac{\bar{B}^2}{\pi^2 r^4} = \left| \frac{\sigma^2 \Phi^2}{2\pi \cdot c} \right| \bar{B}$$

$$\text{Stationary-Electron-Charge } q \equiv \ominus, \text{ with Orbit-Velocity-Vector } \bar{v} = \sqrt{\frac{2}{m} \left[E - \left\{ \frac{k}{r} + \frac{L^2}{2m r^2} \right\} \right]}$$

$$\text{occupies Zero Kinetic energy between } Q_1, Q_2 \text{ therefore, } K_E = \frac{mv^2}{2} = E - \left\{ \frac{k}{r} + \frac{L^2}{2m r^2} \right\} = 0$$

$$\text{or } E = \left\{ \frac{k}{r} + \frac{L^2}{2m r^2} \right\} = \frac{\pi g}{r} + \frac{S^2}{2(g/4\pi f^2) r^2} = \frac{2\pi}{g r^2} [g^2 r + S^2 \cdot f^2] \dots (s) \text{ Equation (s) issues for Spinning}$$

Points, and Atoms-Stationary-nucleus and is **the Strong-Force between Nucleus-Protons**.

3d... The Periodic motion in all Displacements :

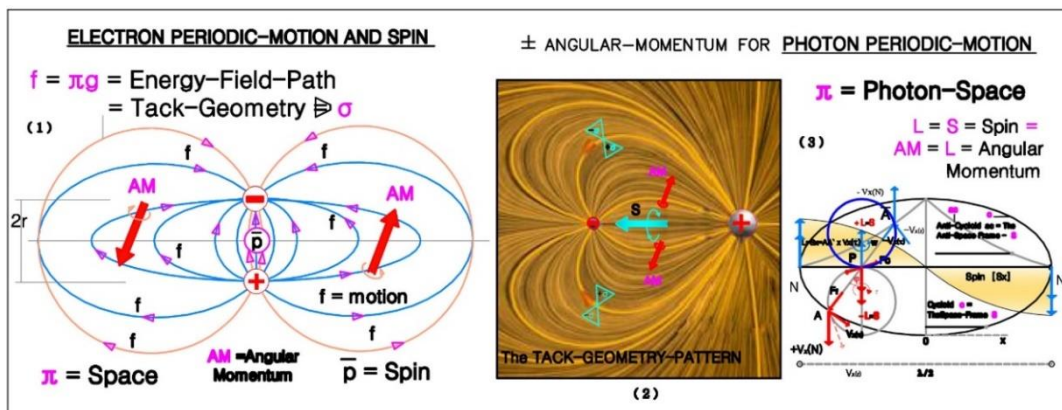


Figure – 5- : The Two Possible motions in caves, **The Periodic** and **The Rotational**.

In (1). Is formatted the Energy-Space of the *Orbital-Periodic-motion* [$\oplus \leftrightarrow$ to \ominus] in *Tack-Geometry-Pattern* (1) and (2) formulation , where for minimum cave **a** as

$$a = \sqrt[3]{\frac{1}{k \cdot f^2}} = \sqrt[3]{\frac{1}{g \cdot f^2}} , \text{ and for } k = g , \text{ and } f = E / h = 13,6 \text{ eV/h} = \text{Unit-Energy-Space-frequency}$$

then $f = 3,28393 \cdot 10^{15} / \text{s}$, in cave $a = 2,11450164 \cdot 10^{-11} \text{ m}$. From Linear-Periodic-motion

$$\frac{w_n}{2\pi} = f_e = \frac{1}{2\pi} \sqrt{\frac{k}{m}} , \text{ or } 4 \pi^2 f_e^2 \cdot m_e = k = \pi g , \text{ then for Electron } m_e = \frac{g}{4 \pi f_e^2} \text{ so ,}$$

$$m_e = \frac{g}{4 \pi f_e^2} = \frac{9,808238}{4 \cdot \pi \cdot [3,28399 \cdot 10^{15}]^2} = - 7 , 2373149 \cdot 10^{-32} \text{ kg} , f_e = 3, 283998 \cdot 10^{15} / \text{s} ,$$

The Spin-Cave is equal to The Moment of couple from two $\uparrow \leftrightarrow \downarrow$ Angular-momentum vectors $\bar{\mathbf{B}} = \mathbf{a} \mathbf{m} \mathbf{v} = 2,11450164 \cdot 10^{-11} \text{ m} \cdot 7,2373149 \cdot 10^{-32} \text{ kg} \cdot 2,99798 \cdot 10^8 = 4,5879026 \cdot 10^{-34} / \pi$, and $\rightarrow \mathbf{S}/2 = 1,4603748 \cdot 10^{-34}$ which is the **Electron-Spin** .

The $k = \pi g$, denotes the \oplus **Space** \equiv Electric-field in-where exist the Electric-lines the tracks for the motion of electrons \ominus **Anti-space** . The Right angular momentum vector $\text{AM} \equiv \uparrow$ is the Produced **Work and stored in Magnetic-field as motion** while left-vector $\text{AM} \equiv \downarrow$ is the Produced Work and stored in the Opposite Magnetic field as motion and both consist the **Dipole-vector** [$\oplus \cup \otimes \cup \ominus$] directed to [$\oplus \rightarrow \ominus$] as is in *Tack-Geometry*.

$$\text{For Quantum-Energy equal to } g \text{ then } k = g , \text{ and } \rightarrow a = \sqrt[3]{\frac{1}{k \cdot f^2}} = \sqrt[3]{\frac{1}{g \cdot f^2}} = \sqrt[3]{\frac{h^2}{k \cdot E^2}} \text{ or } = \sqrt[3]{\frac{h^2}{g \cdot E^2}}$$

the corresponding cave **a** is for Energy-monads ,

In (2). Is formatted the Energy-Space of M-P vibration of opposites which creates a wave which has an Electric , **E** , and an Magnetic component , **H** , perpendicular each other and is as $[E^2+H^2]=2 \cdot (2r) \cdot c \cdot \sin 2\varphi$ on where **does Not-exists the Skin-effect** and this because of the Laplace $\nabla^2 f = 0$ equation ,*Tack-Geometry* . This Property of the Periodic motion in M-P conserves **The Inner-Magnetic-Wave** , into the Centre of mass-Charges with a changeable Spin ,S, between , - S, to + S, resulting to a Stationary-State. i.e. it is a continuous $- S + S = 0$, torsional equilibrium ,where Charge is equal to the Angular Momentum-vector per Unit-Plane or $S = \text{AM} / \pi = r m v = [a m c] / \pi \rightarrow \text{Spin } S = [\frac{amc}{\pi}]$

Above **Double-Orbital-Periodic motion** [$\oplus \leftrightarrow \ominus$] in a Material-Point is the eternal-Plane-Curve-motion of the \oplus constituent to the \ominus constituent in the two x, z , axis of motion . Considering the distance of motion be , the diameter of the cave , $l = 2r$, then velocities as angular velocity ,**w**, and velocity ,**v**, under the condition $y(2r,0) = 0$, then

$$\text{leads to Energy-equation } \sin \frac{2rw}{v} = 0 , \text{ or } w_n \frac{2r}{v} = n \frac{4\pi r}{\lambda} = \frac{4\pi r f}{v} , \text{ where } n = 1, 0 , \lambda = \frac{c}{f} \text{ is}$$

the wavelength and , **f** , is the frequency of oscillation , *i.e.* The , **n = 1** ,defines

$$a \text{ Normal mode vibration with natural frequency as } \rightarrow f_n = \frac{v}{2\pi r} = \frac{\sigma}{4\pi r} [1 + \sqrt{5}] \dots (n)$$

Above **Double-Orbital-motion** is in a Uniform-Energy-Point-Space as this is for Spin $S = \bar{B}$ and then Issues $\bar{\mathbf{B}} = \bar{r} m \bar{v} = \sqrt{\bar{r}^2 + m^2 \bar{v}^2}$, because the vector $\bar{r} \equiv \text{Space}$, is Perpendicular to $m\bar{v} \equiv \text{The Energy}$. Laplace Energy-equation for *Incompressible Space* \bar{r} , is $\rightarrow \nabla^2 E =$

$$-\nabla E = -\nabla \bar{B} = -\nabla \sqrt{\bar{r}^2 + m^2 \bar{v}^2} \text{ and squaring } -\nabla \bar{r}^2 + [2\pi m f \bar{a}]^2 = 0 \text{ issues } \bar{\mathbf{r}} = -2\pi m f \cdot \bar{\mathbf{a}} \dots(1)$$

The condition for **Irrotational Energy** is $\rightarrow \nabla \times \bar{B} = \nabla \times \bar{S} = 0$, or $\nabla \times \bar{B} = \nabla \bar{r} + 2\pi m f \cdot \bar{\mathbf{a}} = 0$, and vector $\bar{\mathbf{r}} = 2\pi m f \cdot \bar{\mathbf{a}} \dots(2)$. Relations (1), (2), + $\bar{\mathbf{a}}$ and $-\bar{\mathbf{a}}$, denote the

Alternative-Positions of Magnetic Field in the Two-transverse-Positions as in Fig 5 - (2).

For Photons which force is $F_{\text{photon}} = \frac{[\oplus \leftarrow \ominus]}{r^2} = \frac{[\sigma \cdot \sigma]}{r^2} = \left| \frac{\sigma}{r} \right|^2 = \left| \frac{2\pi f \cdot \bar{\mathbf{a}}}{\Phi} \right|^2 = \left| \frac{2\bar{B}}{\pi \cdot r^4 \Phi} \right|^2$, issue above.

Since for Electron $4\pi^2 f^2_e \cdot m_e = \mathbf{k} = \pi \mathbf{g}$, then for Gravity issues $-\nabla E = -\nabla g = 4\pi \cdot m_e f^2_e$.

4d.. What is Electron e, and e-Charge :

Electron is created through the vibration, \mathbf{f}_n , in the **Energy-Space**, $\mathbf{g} - \pi$, **meters**.

Electron follows both Rotational and Linear motion so **Constant-Energy k** is the same.

From M-Point, frequency $\rightarrow f_N = n \frac{(1+\sqrt{5})\sigma}{4\pi r}$, and $\rightarrow \mathbf{w} = 2\pi \cdot f_N = n \frac{(1+\sqrt{5})\sigma}{2r} = \left| \frac{n}{r} \right| \cdot \frac{(1+\sqrt{5})\sigma}{2}$

The **Spring-like central-force** from a fix point, *the Source*, on an attached, *probe*, mass is $F = -k r = -k r \cdot \bar{\mathbf{r}}$ as equation $\ddot{x} + w^2 x = 0 \dots(1a)$ with a general solution

$x = A \sin w_n t + B \cos w_n t$, where A, B are constants and evaluated from the initial conditions and which become $x = [\dot{x}(0)/w_n] \cdot \sin w_n t + x(0) \cdot \cos w_n t \dots(1)$

The Natural-frequency in Planck's length for the **Primary particle** occupying the less **Negative-charge-frequency, is the Electron**, and is as equation (1) with solution,

$$\frac{w_n}{2\pi} = \mathbf{f}_e = \frac{1}{2\pi} \sqrt{\frac{k}{m}}, \text{ or } 4\pi^2 f_e^2 \cdot m_e = \mathbf{k} = \pi \mathbf{g} \text{ and } \rightarrow m_e = \frac{\mathbf{g}}{4\pi f_e^2} \dots(2)$$

where $\mathbf{k} = \text{Unit-Spring-Force} \equiv [\text{meter of area}] \cdot [\text{meter of force} \equiv \text{stress}] \equiv \pi \mathbf{g} \dots(2a)$

From Planck's equation $f_e = E/h = [-13,6 \times 1,6 \cdot 10^{-19} = 2,176 \cdot 10^{-18} \text{ Joule}] / [6,626 \cdot 10^{-34} \text{ J.s}] = 3,283998 \cdot 10^{15}/s$, where min-energy -13,6 eV is Hydrogen-atom

Substituting all the **minimum-meters of Planck's scale** then, **Electron mass is**,

$$m_e = \frac{\mathbf{g}}{4\pi f_e^2} = \frac{9,808238}{4\pi \cdot [3,283998 \cdot 10^{15}]^2} = -7,2373149 \cdot 10^{-32} \text{ kg} \dots\dots\dots(2b)$$

$$f_e = 3,283998 \cdot 10^{15} /s, \text{ and } L_e = 1,6819781 \cdot 10^{-17} \text{ m} \dots\dots\dots(2c)$$

Equations becomes from relation $\rightarrow 4\pi \cdot f_e^2 \cdot m_e = \mathbf{g} \leftarrow$ In Planck's length.

Electron-Charge, becomes from the **Periodic excitation** of the motion of the, \oplus , constituent to the \ominus constituent, **Tack-Geometry**, Not in loop ($\oplus \leftarrow \leftarrow \ominus$), But through the **One way- N -Electric-Paths** [$\oplus \leftarrow \leftarrow \ominus$], which formulate the **Electric Field-Pattern**, following charge-equation $\rightarrow \bar{q} \equiv \frac{m_e c^2}{2} = \frac{\mathbf{g} c^2}{8\pi f_e^2}$. From Gravitation

$\mathbf{G} = k_e \cdot \mathbf{g}$, and Voltage $\bar{V} \equiv V_p \equiv \frac{c \cdot \bar{q}}{h}$, Spin = B/π , where Electrons-equation of

motion in $\oplus \leftarrow \ominus$ is $\ddot{\mathbf{r}} + \mathbf{w}^2 \mathbf{r} = \mathbf{0}$ and equation's Solution $\rightarrow 4\pi \cdot f_e^2 \cdot m_e = \mathbf{g} \leftarrow$ which is the **Electron**, and **Charges**, \bar{q} .

Electron Charge \bar{q} Becomes from Magnetic Field **M** which creates the Electric-Field **E**, which is acting on Charge \bar{q} , and the acting Force per second creates Work which is conserved and coincide with the Planck's constant **h**. This is because $\mathbf{h} \rightarrow \text{J s} = \text{N m s} = \text{Power}$, where from, **Energy = Power x Time**, issues the Beyond Planck's length **Lp**, &

$$\text{Voltage } \mathbf{V} \text{ as } \rightarrow \bar{q} \equiv \frac{K_E}{V_p=1} = \frac{m_e c^2}{2} = \frac{\mathbf{g} c^2}{8\pi f_e^2 \cdot 1} \text{ and } \bar{V} \equiv V_p \equiv \frac{c \cdot \text{Charge}}{\text{Total-Energy} = h} = \frac{c \cdot \bar{q}}{h} \dots(1)$$

Using the two Energy-equations for **Plane-motion** $\rightarrow f_n = \frac{1}{2\pi} \sqrt{\frac{k}{m}}$ and **Orbital-motion**

$$a = \sqrt[3]{\frac{1}{k \cdot f^2}}, \text{ for Unit-Energy-Space-frequency } k = g, a = \pi, \text{ then } \rightarrow \mathbf{g} \cdot \mathbf{f}^2 \cdot \pi^3 = \mathbf{1} \quad \dots(2)$$

Frequency $f_n = \sqrt[2]{\frac{1}{g \cdot \pi^3}} = \sqrt[2]{\frac{1}{9,808238 \cdot \pi^3}} = 1,8133418 \cdot 10^{-3}$, i.e. **The Unit-Charge-Cave** \bar{q} into Hydrogen cave [$a = 1,82043047 \cdot 10^{-12} \text{m}$]. [$1,813342 \cdot 10^{-3} / \text{s}$] = **3,3010625** $\cdot 10^{-15} \text{C}$ **From equations** Charge and Voltage is the **Self-Growing** Property of frequency f_n in Material-point, therefore and for Hydrogen-cave is equal to $\rightarrow \bar{q} \cdot \Phi$,

Because Gravitational Force is equal to \rightarrow the Geometric-Resultant of light-velocity c , acting on **Electron-Unit-Charge** $\bar{q} \leftarrow$ or, $\mathbf{G} = c \sqrt{2} \bar{q}$, then Electron-Charge is

$$\bar{q}_{\text{Electron}} = \frac{G}{c \sqrt{2}} = \frac{6,680561 \cdot 10^{-11}}{1,414292,9979346 \cdot 10^8} = 1,58 \cdot 10^{-19} \text{C}.$$

For Photon in Planck`s-cave issues for Gravitation $G = f_n \cdot \sqrt{2} \cdot \bar{q}$ and for Photon is,

$$\bar{q}_{\text{Photon}} = \frac{G}{\sqrt{2} \cdot f} = \frac{G \cdot h}{\sqrt{2} \cdot E} = \frac{[6,680561 \cdot 10^{-11}] \cdot [6,62606957 \cdot 10^{-34}]}{\sqrt{2} \cdot E=1} = 3,13 \cdot 10^{-44} \text{C}.$$

All above Physical Structures Vibrate, *In-Sectors* with minimum Energy, and form the \rightarrow **Electron-charge** \leftarrow *In Surfaces* with minimum Energy, and thus forming the **Orbits**.

The Orbit relation $\mathbf{r}^3 \mathbf{f}^2 = \mathbf{Constant}$, as multiplication of Space-cave \mathbf{r} and frequency \mathbf{f} , as the Energy, the **Work** \equiv motion, is conserved in orbit, \mathbf{r} , as the, \mathbf{n} , frequencies \rightarrow

$$f_n = \mathbf{n} \frac{(1+\sqrt{5})\sigma}{4\pi r} = \frac{\mathbf{n}\bar{B}}{\pi^2 r^4} \text{ and for a damping-cave } \rightarrow r(t) = r(t+w) \text{ with min-Damping} = 1$$

and Unit-Energy-Quantity W_u , (**critical-energy unit**) in-min, r , which is **Gravity** \mathbf{g} .

From, **Orbital-Periodic-motion** is formatted the Energy-Space of the $[\oplus \leftrightarrow \ominus]$

in **Tack-Geometry-Pattern** and formulation, where for minimum Planck $\mathbf{L}_p \equiv \mathbf{a}$ cave

$$a = \sqrt[3]{\frac{1}{k \cdot f^2}} = \sqrt[3]{\frac{1}{g \cdot f^2}}, \text{ for } k = g, \text{ and } f = E/h = 13,6 \text{ eV/h} = \text{Unit-Energy-Space-frequency}$$

= $3,28393 \cdot 10^{15} / \text{s}$, and is in Planck \mathbf{L}_p , minimum $\equiv \mathbf{a}$ cave = $2,11459164 \cdot 10^{-11} \text{m}$.

The Cave-Spin is equal to The Moment of couple from two $\uparrow \leftrightarrow \downarrow$ Angular-momentum

vectors $\bar{B} = a m v = 2,11450164 \cdot 10^{-11} \text{m} \cdot 7,2373149 \cdot 10^{-32} \text{kg} \cdot 2,99798 \cdot 10^8 =$

$4,5878294 \cdot 10^{-34} / \pi$, and $\rightarrow \mathbf{S}/2 = \mathbf{1,4603514} \cdot \mathbf{10}^{-34}$ which is the **Electron-Spin**.

The $k = \pi g$, denotes the \oplus **Space** \equiv Electric-field in-where exist the Electric-lines the

tracks for the motion of electrons \ominus **Anti-space**. The Right angular momentum vector

$\mathbf{AM} \equiv \uparrow$ is the **Produced Work and stored in Magnetic-field** as motion while left-vector

$\mathbf{AM} \equiv \downarrow$ is the Produced Work and stored in the opposite Magnetic field as motion and

both consist the Dipole $[\oplus \cup \otimes \cup \ominus]$ vector directed as $[\oplus \leftrightarrow \ominus]$ of **Tack-Geometry**.

The equation of a Circular-Magnetic-field $\mathbf{B}_F = \frac{m\omega}{q} = \frac{2\pi \cdot m}{T \cdot q} = \frac{2\pi m f_m}{Q_m}$ for mass-charges.

For RLC circuit issues the frequency $f_{RLC} = \frac{1}{2\pi} \sqrt{\frac{1}{LC}}$, where \mathbf{L} , is the Electric field as

Inductance and \mathbf{C} , the Magnetic field Capacitance. For Material-Point, the chains of

Spins due to Periodic excitation $[\leftrightarrow]$ is created in a Magnetic field due to LRC-circuit

and which is tuning to the critical Quantum and critical-State \mathbf{g}_G . The **chains of Spins**

are Pointy vibrating with their frequencies $f_S = \frac{(1+\sqrt{5}) \cdot \sigma}{4\pi r} \left[\frac{\bar{B}}{\pi^2 r^4} \right]$, as in Stationary-Photon.

The monads < charges > become from the Under -Planck's cave $L_P = 1,616199 \cdot 10^{-35}$ m

Where, \mathbf{g} , is not existing, therefore, charges, are not related with \mathbf{g} . The opposite happens for masses where for definition *mass* \equiv **The Reaction to the change of motion**, then since \mathbf{G} is acting on the Vibrating-monads \mathbf{f}_n through \mathbf{g} , and for lack \mathbf{g} is acting on velocity \mathbf{c} as $\bar{q}_{\text{Electron}} = \frac{G}{c\sqrt{2}} = 1,58 \cdot 10^{-19}$ C and for charges \rightarrow Coulomb's law is $\bar{F}_{\text{Coulomb}} = k \frac{q \cdot Q}{r^2}$.

For Newton's law $\bar{F}_{\text{Newton}} = G[m M] / r^2$ is analogous to Coulomb's and so,

- 1.. Electron is a Vibrating **Charge**, and issues the Parallel Gravity-Electrostatics.
- 2.. Electron-Charge is the **Quantized-motion in light-velocity cave**.
- 3.. Mass in Gravity \mathbf{g} , is the meter of the **Reaction to the changes of motion** in \mathbf{g} .

5d.. The - Precession and Nutation of Electron.

Gravitational constant, G, is The Pulling and Cohesive Force on all the Quantized Energy-Structures which communicates with everything due to *Periodic excitation* on all Spaces. Newton's laws issues for masses and the same to Electrons in caves as below.

$$\mathbf{G} \equiv \mathbf{g} \cdot k_E \equiv \mathbf{g} \cdot [g_L k_L] \equiv \left[\frac{T_P^2}{a^3} \right] \cdot [g_L k_L] \equiv 9,8078925 * 6,8116 \cdot 10^{-12} \equiv 6,68056 \cdot 10^{-11} \frac{m^3}{Ns^2}$$

Electron being in Hydrogen-cave **Precesses because of the different axis of rotation and Nutation's**, from the immense-communication to gravity, \mathbf{g} . Electron-Spin is the Angular-momentum-vector \bar{B} and rotates according to equation $\frac{d\bar{B}}{dt} = [\bar{u}\bar{B}] = u\bar{B} \cdot [\bar{k}\bar{k}^{\wedge}]$

in Gravitational Potential $U_g = [mg] \cdot s \cdot \cos \theta = -sQ \cdot [\bar{k}\bar{k}^{\wedge}]$, so the change of \bar{B} is \rightarrow

$$\frac{d\bar{B}}{dt} = u = \frac{sQ}{B} = \frac{sQ}{J_3 \cdot w_3}$$

Period of Nutation $T = \frac{2\pi}{u} = \frac{2\pi \cdot J_3 \cdot w}{sQ}$, and **Frequency** $f_N = \frac{sQ}{2\pi \cdot J_3 \cdot w}$ (1)

With Total Energy of Nutation [70], $E_N = \frac{J_1}{2} [w_1^2 + w_2^2] + \frac{J_3}{2} w_3^2$ (2)

For Material-Point, the chains of Spins due to Periodic excitation [\leftrightarrow] is created in **Orbit a Magnetic field** due to LRC-circuit and which is tuning to the critical Quantum critical-State \mathbf{g}_G . The **chains of Spins** for the ONE-WAY Pointy vibrating is frequency

$$f = \frac{(1+\sqrt{5}) \cdot \sigma}{4\pi r} \times \bar{B}, \text{ and is as the Stationary-Photon where } \bar{B} \equiv \bar{S} \equiv \text{Spin}.$$

The Moving Electron in Orbit of charge $\bar{q} \equiv \ominus$ with the **Orbit-Velocity-Vector** \bar{v} is,

$$\bar{v} = \sqrt{\frac{2}{m} \left[E - \left\{ \frac{k}{r} + \frac{L^2}{2mr^2} \right\} \right]}, \text{ Creates IN Orbit, } r, \text{ the Varying and Perpendicular}$$

Magnetic-Field, \bar{B} , which in time-turn **Creates** an Electric-field $\bar{E} \perp \bar{B}$, with resultant force \mathbf{F} acting on Electron. Velocity \bar{v} is composed of \mathbf{V}_p , Perpendicular to the Magnetic-circles $\mathbf{O} \perp \mathbf{B}$, and \mathbf{V}_v , Parallel to the Magnetic-field-Vector $|\bar{B}|$, tending such that $L \equiv S \equiv \text{Spin}$. The resulting motion of Electron is the Helical motion.

Since **Work** is **Produced** during motion, and **Conservation exist in Orbit** [$p \leftrightarrow e$], so the **Orbit occupies Energy as frequency quite differing that of those of Energy-levels**. Since frequency $f_N = f_R = 2,8398447 \cdot 10^{10} \text{ s}^{-1} \{C-5\}$ and exists in all Atoms, due to the **Hydrogen first cave**, then is the **Resonance-frequency** between all **Atoms and Molecules**.

Energy from equation $E = h \cdot f_N = 6.62607 \cdot 10^{-34} \cdot 2,8398447 \cdot 10^{10} = 18,817009 \cdot 10^{-24} \text{ J} / (1,6 \cdot 10^{-19}) = 1,174463 \cdot 10^{-4} \text{ eV}$, is conserved as **Thermal-Energy** E_T in kilo Cal and is $E_T = 18,817009 \cdot 10^{-24} \text{ J} / [(4,19 \cdot 10^3) = \text{kcal}] = 4,49093 \cdot 10^{-27} \text{ kcal}$. This happens because of the closed Energy-Orbit-Rims, r , and of the constant light velocity c , and from **Spin** equation $S = r m c$. Taking into consideration the Thermal-Energy of a Photon when it is pressing 1 m² surface for 60s and which is $E_P = 20 \text{ kcal} = 20 \cdot (4,19 \cdot 10^3) = 8,3777 \cdot 10^4 \text{ J}$ the ratio, $[E_T / E_P] = 4,49093 \cdot 10^{-27} / 20 = 2,24546 \cdot 10^{-28}$, is a Quantity **Not-detected**. Hydrogen caves created in Sun **1 Million-years-ago** $= 10^6 \cdot 365 \cdot 24 \cdot 3600 = 3,1538 \cdot 10^{13} \text{ sec}$, is accumulated Thermal-Energy of $E_T = 3,1538 \cdot 10^{13} \cdot 4,49093 \cdot 10^{-27} = 1,41625 \cdot 10^{-13} \text{ kcal}$ i.e. The Stationary Hydrogen-wave-cave Thermal-Energy needs 1-Quadrillion years to be 1-kcal.

For Half-frequency $f_R / 2 = 1,4199223 \cdot 10^{10} \text{ s}^{-1}$, the Kinetic Energy is Zero and Potential-Energy is, $U = E = h f = 6,62606957 \cdot 10^{-34} \cdot 1,4199223 \cdot 10^{10} = 9,4 \cdot 10^{-24} \text{ J} = 5,8722 \cdot 10^{10} \text{ eV}$, which agree with Bohr-Magneton.

The Produced-Work in Orbit as Frequency $f_N = \frac{sQ}{2\pi \cdot I_3 w} = 2,8398447 \cdot 10^{10} \text{ s}^{-1}$ is

Constant and is **Conserved**. Because of the **Magnetic-field created On-Orbit**, and **Applied At-Nucleus with the same Effect then, exists LARMOR Equation** as $w_0 = \gamma \cdot \beta_0 / 2\pi$, and for Hydrogen at 1,5 T Magnet, $\gamma = 2,675 \cdot 10^8 / \text{sT}$, $\beta_0 = 1,5 \text{ T}$ then $w = 63,864 \text{ MHz} = 63,864 \cdot 10^8 \text{ Hz}$ and frequency $f_N = 2\pi \cdot w = 4,012575 \cdot 10^{10} \text{ s}^{-1}$.

Remarks :

- 1.. Since the frequency created from Electron-Nutation is the first Orbit of Atoms, therefore allows a **Resonance-frequency** between all **Atoms, Molecules** and others.
- 2.. Since Electron is continually-oscillating with the Nutation-frequency f_N , so Produces an oscillating magnetic field which in turn is the source of an oscillating field, which implies the **Regeneration each other**, i.e. a Propagating Electromagnetic-Wave where $E = B c$.
- 3.. Since Resonance-frequency is IN the first Orbit of Atoms, therefore allows Electromagnetic Wave, **to get out the Atoms-cave**, with Energy $E = h f_N$ or $E = 2\mu B$.
- 4.. Since Electron is rotating in Orbit then Electromagnetic Wave is also rotating, therefore is needed a **Proper-Stationary-Magnet** on which Rotation becomes Oscillation in order to succeed a clear 3-dimensioned, Φ^3 , Magnetic-Resonance-Imaging [The MRI] and other.

6d.. The Spin, and Magnetic-moment Relation-Analogous.

1.. Magnetic Dipole - moment ($\bar{\mu}$), or **the Torque on a current loop, is a vector** - quantity arising from the rotation of a **current (I)** in a circular loop of **radius, r**, and area $A = \pi r^2$.

2., **Angular-momentum-Vector** becomes from the **Eternal-Rotation** of the \ominus constituent around the \oplus **constituent in a cave of radius, r**, and area $A = \pi r^2$.

i.e. The Phenomenon, The Same-Vector, measured Electrically and Mechanically.

The magnetic moment generated by circular current is the **current times the area of circle**.

Its direction is perpendicular to the area, A, and is determined by the right-hand rule and is,

$$\text{Magnetic - moment.} \quad \bar{\mu} = I \cdot A \quad \dots\dots\dots(a)$$

From material point ([86].p-48) $2L \equiv \bar{B}\bar{w} \equiv h \cdot f$, $|w| = \frac{\sigma}{2r} [1 + \sqrt{5}]$, and $f = \frac{(1 + \sqrt{5}) \cdot \sigma}{4\pi r}$

$$\text{Angular momentum} \quad \bar{B} = \frac{2L}{\bar{w}} = \frac{2L}{2\pi f} = \left[\frac{L}{\pi} \right] \cdot \left[\frac{1}{f} \right] = \frac{4r \cdot L}{(1 + \sqrt{5}) \cdot \sigma} = [\pi r^3 \sigma (1 + \sqrt{5}) / 2] = \frac{\pi^2 r^4 \cdot f}{2} \quad \dots(b)$$

From (a), (b) the Angular - velocity - Ellipsoid \bar{w} , is the analogous to circular current, I,

and Angular - Momentum-Ellipsoid $\bar{\mathbf{B}}$, is the analogous to the Torque, $\bar{\boldsymbol{\mu}}$, on this circular loop so $\bar{\boldsymbol{\mu}} = \mathbf{I} \cdot \mathbf{A} = \frac{\text{Energy}=\text{Motion}}{\text{Unit-Time}} = \frac{\mathbf{I.A.s}}{s} = \bar{\mathbf{B}} = \frac{2L}{\bar{w}} = \frac{2L}{2\pi f} = \left| \frac{L}{\pi} \right| \cdot \left| \frac{1}{f} \right| = \frac{4r.(hf)}{(1+\sqrt{5}).\sigma} = \left[\frac{h}{2\pi} \right] = \mathbf{SPIN} \dots (c)$

i.e. The Magnetic – moment $\bar{\boldsymbol{\mu}}$ of Material – point = $\left[\frac{h}{2\pi} \right] \equiv \mathbf{SPIN}$, and also equal to

$$\text{the Angular-Momentum –Vector } \bar{\mathbf{B}} = \pi^2 \cdot r^4 \cdot f = \frac{\pi r^3 \sigma}{2} [1 + \sqrt{5}] \equiv \pi r^3 \cdot \sigma \Phi \equiv \left[\frac{h}{2\pi} \right].$$

The effect of Magnetic-moment on an **External** magnetic field $\bar{\mathbf{P}}$ is the Torque acting on the Dipole $\bar{\boldsymbol{\tau}} = \bar{\boldsymbol{\mu}} \times \bar{\mathbf{P}}$, representing the lowest Energy configuration, and has a Potential energy $U = -\bar{\boldsymbol{\mu}} \cdot \bar{\mathbf{P}}$ with force in the loop $\rightarrow F_{\text{loop}} = \nabla(\bar{\boldsymbol{\mu}} \cdot \bar{\mathbf{P}})$ and for Dipole $\rightarrow F_{\text{dipole}} = (\bar{\boldsymbol{\mu}} \cdot \nabla) \cdot \bar{\mathbf{P}}$ or

$$F_{\text{loop}} = F_{\text{dipole}} + \bar{\boldsymbol{\mu}} \cdot [\nabla \times \bar{\mathbf{P}}].$$

The Potential energy associated with the magnetic moment is $U = -\bar{\boldsymbol{\mu}} \cdot \bar{\mathbf{P}}$ so that the difference in energy aligned and anti-aligned is $\Delta U = 2 \bar{\boldsymbol{\mu}} \cdot \bar{\mathbf{P}}$. From Physics, The intrinsic magnetic

moment, $\bar{\boldsymbol{\mu}} = \frac{g_s \cdot q}{2m} \cdot \mathbf{S}$, where g_s = a dimensionless quantity q = the charge, m = the mass,

\mathbf{S} = the Spin of particles and from (c), $L = Bw / 2$, and since $B = S$ then,

$$\bar{\boldsymbol{\mu}}_{\text{intrinsic}} = \frac{4r.L}{(1+\sqrt{5}).\sigma} = \frac{2wr.B}{(1+\sqrt{5}).\sigma} \text{ and } \bar{\boldsymbol{\mu}} = \frac{g_s \cdot q}{2m} \cdot \mathbf{S}, \text{ or } g_s = 2 \left(\frac{m \cdot \bar{\boldsymbol{\mu}}}{q \cdot \mathbf{S}} \right), \text{ and because charge } q \text{ is}$$

equivalent to angular velocity vector, \bar{w} , then $g_s = 2 \cdot \left(\frac{m \cdot \bar{\boldsymbol{\mu}}}{\bar{w} \cdot \mathbf{S}} \right) = 2 \cdot \left[\frac{m \cdot (\bar{\boldsymbol{\mu}} = 2L)}{\bar{w} \cdot S = 2L} \right] \dots (d)$

i.e. Dimensionless quantity g_s , is related to \rightarrow mass m , charge q , Spin \mathbf{S} , and Intrinsic magnetic moment $\bar{\boldsymbol{\mu}}$, or \rightarrow analogous to mass m , Angular velocity w , and Glue-bond σ .

This Intrinsic Angular-Velocity \bar{w} , of the Material-point allows Spin \mathbf{S} , to be quantized as to Straightly in Great-circles, $[S = \pm 1]$ by rotation Up or Down to the circles, *either* anticlockwise in Left-Small-circle, $[S = -1]$, by rotation Up or Down to the circles, *or* (c) clockwise in the Right-Small-circle $[S = +1]$ by rotation Up or Down to the circles.

All particles Fermions or Bosons are becoming from above three states just **by Adding the**

Spins, so **Complex structure** would have a **Spin of**, $-\frac{1}{2}, 1, +\frac{1}{2}$, **or** $+\frac{1}{2}, -1, -\frac{1}{2}$ **only**.

The specific rotational velocity $\mathbf{v} = w r = |w| r = \frac{\sigma}{2r} [1 + \sqrt{5}] \cdot r = \frac{\sigma}{2} [1 + \sqrt{5}] = \sigma \Phi$, is related

to Glue-bond, σ , only, meaning the **Granularity of Spin in all depths of Energy-caves**.

The nature of, + Spin, is exactly the same to, - Spin, because is the Angular-momentum Vector $\bar{\mathbf{B}}$ of opposite direction and has nothing to do with Spinors. [35-36]

Space is a Quaternion, having discrete quantized Energy boundaries those of the two, (\oplus) , (\ominus) , constituents eternally rolling on Great or Small circles and accordingly, Clockwise or Anticlockwise Originating the \pm Spin or $(+)$, $(-)$ Spin and is the first Quantized – Energy – monad. Charge in Physics is the Physical properties of matter that causes it to experience a Force when placed in an Electromagnetic field, **In contrast to Material-Point**, where

Force, \bar{B} , is originated from the Glue-bond, $\pm\sigma$, of any two opposite constituents in Energy-caves. Since current, I , is the net outward current through a closed surface and \bar{q} , is the Electric-Charge contained within the volume defined by the surface, then Electric charge is equivalent to Magnetic moment, or $\bar{q} \equiv \bar{\mu}$, and current equivalent to angular velocity, or $I \equiv \omega$. **Mass in Physics** is a property of a Physical-Body, and it is a measure of an object's resistance to the acceleration, a change in its state of motion when a net force is applied,

while in **Material-Point**, from its **Angular acceleration**, $a_a = \frac{\bar{B} \times \bar{\omega}}{J}$, where $J = \frac{\pi r^4}{2}$ = The

Polar moment of inertia and from Newton equation $2E = m \cdot a_a$ then, $m = \frac{2E}{a_a} = \left[-\frac{\bar{B} \cdot \bar{\omega}}{\bar{B} \times \bar{\omega}} \right] \cdot J$

is the reaction to Angular-velocity changes in direction, a Scalar magnitude, and since Inertial mass is equal to Gravitational mass then, Mass of Material-point equals to,

$$m = \frac{2E}{a_a} = \left[-\frac{\bar{B} \cdot \bar{\omega}}{\bar{B} \times \bar{\omega}} \right] \cdot J \equiv \text{a number measuring Energy-quantities in caves}.$$

For an inclination of 45° then the Dot Product of $\bar{B} \cdot \bar{\omega}$ is $\rightarrow |\bar{B}| \cdot |\bar{\omega}| = |\bar{B}| \cdot |\bar{\omega}| \cdot \cos 45^\circ$ and the Cross Product of $\bar{B} \times \bar{\omega}$ is $\rightarrow |\bar{B}| \times |\bar{\omega}| = |\bar{B}| \times |\bar{\omega}| \cdot \sin 45^\circ$ equal to Dot Product, and In Planck's length-cave $r = 4,453 \cdot 10^{-35}$ then mass becomes \rightarrow

$$m = \frac{1}{1} \cdot J = \frac{\pi r^4}{2} = 617,63 \cdot 10^{-140} = 6,1763 \cdot 10^{-138} \text{ Kg, and}$$

$$\text{The Ellipsoid of Angular-velocity is } \frac{w_1^2}{2} + \frac{w_2^2}{2} + \frac{w_3^2}{1} = \frac{2L}{J_3}$$

Since also $w = \frac{v}{r}$, and since in small circles the radius $R < r$, the radius of the Great circles, then, Angular velocity vector and frequency increases while Period, T , decreases.

This Precession in Material-Point is the analogous to Nutation of Earth and other Planets indicating the relation of Microcosm and the Macrocosm to the same laws of Mechanics.

From equation $\bar{B} = r m v = m r \omega r = m \cdot \omega \cdot r^2$, **mass** $m = \frac{\bar{B}}{\omega r^2} = \frac{4\pi B}{\sigma \cdot r^2 (1 + \sqrt{5})} = \left[\frac{1}{2\pi f} \right] \frac{\bar{B}}{r^2} = \frac{B^2}{r^2 E} = \frac{2\bar{E}}{c^2}$ or $\rightarrow E^2 = \frac{(Bc)^2}{(2r)^2}$, and $E = \frac{Bc}{2r}$...[m] **denoting the Unification of Energy and Mass**.

[m] is **The mass of Material-Point related to Any cave, r**, and $\pm\sigma$ its Principal Stresses.

All Energy-levels follow the Space-Grainy-relation $f_n^2 a^3 = k = \text{motion-Quantum}$.

Applying above to Under Planck's length (that what prior called Virtual Particle or Fields of Antiparticle pairs), { The Spin \equiv the Angular-Momentum-Vector \bar{B} , in the Self rotating Material point [$+s^2 \leftrightarrow -s^2$] } \rightarrow explains the **Why Galaxies**, and the clusters of Galaxies **remain stable**. In Caves of ($\oplus \equiv +s^2$), ($\ominus \equiv -s^2$), Emerge-Spin as the Automobile - Force is **Vacuum-Energy** which was Prior analyzed. In Gravity-length-cave $r = 3,969 \cdot 10^{-62}$

$$\text{mass becomes } \rightarrow m = \frac{1}{1} \cdot J = \frac{\pi r^4}{2} = 389,80218 \cdot 10^{-248} = 3,898 \cdot 10^{-246} \text{ Kg.}$$

7d.. The Orbital-motion of Euler-Analysis : Figure -6- 1,2,3 :

The Euler Vector equation of motion for a Rigid-Body is ,

$$J_1 \cdot [\bar{k} \frac{d^2 \bar{k}}{dt^2}] + J_3 w_3 \cdot \frac{d\bar{k}}{dt} + \bar{s}_0 \cdot Q [\bar{k} \bar{k}'] = 0 \quad \dots\dots\dots(15) \quad \text{where ,}$$

- $J_1 , J_2 , J_3 \rightarrow$ Are the Moments of Inertia of Ellipsoid related to Principal axis .
- $\bar{w} [w_1 , w_2 , w_3] \rightarrow$ Is the constant Angular-Velocity-Vector with respect to changes in $\bar{i} , \bar{j} , \bar{k}$
- $\bar{i} , \bar{j} , \bar{k} \rightarrow$ The Unit constant-vector of the moving Body-System . { the Origin }.
- $\bar{i}' , \bar{j}' , \bar{k}' \rightarrow$ The Unit constant-vectors of Body-System .
- $\bar{s}_0 , \bar{s} \rightarrow$ The Unit motion vector on the common section of Planes $i - j , i - k$.
- $\varphi , \theta , \psi \rightarrow$ The Three axial angles of vectors $\bar{i}' , \bar{s}_0 - \bar{i} , \bar{s}_0 - \bar{k}$
- $Q \rightarrow$ The weight of the Rigid-Body = $m g$.
- $\frac{d\varphi}{dt} , \frac{d\theta}{dt} , \frac{d\psi}{dt} \rightarrow$ The Angular-velocities of angles , φ , θ , ψ
- $\bar{B} [B_1 , B_2 , B_3] \equiv \bar{S} [S_1 , S_2 , S_3] \rightarrow$ The Angular-Momentum-Vector \equiv Spin.

Energy Relations :

$$\bar{B} = J_1 w_1 \bar{i} + J_2 w_2 \bar{j} + J_3 w_3 \bar{k} \quad \dots\dots\dots (16)$$

$$B^2 = J_1^2 w_1^2 + J_2^2 w_2^2 + J_3^2 w_3^2 \quad \dots\dots\dots (16a)$$

$$\bar{B}\bar{w} = Jw^2 (= 2L) = J_1^2 w_1^2 + J_2^2 w_2^2 + J_3^2 w_3^2 \rightarrow \text{Ellipsoid of Angular-velocity}$$

$$L = \frac{B_1^2}{2J_1} + \frac{B_2^2}{2J_2} + \frac{B_3^2}{2J_3} = \text{The Constant-Angular-velocity-momentum-Ellipsoid} \dots(17)$$

i.e. \rightarrow For any radius OP of \bar{w} -vector exists another radius of \bar{B} -vector Perpendicular to , The \bar{w} -edge Tangential-Plane of the Angular-Vector-Ellipsoid , and The \bar{w} -vector is Perpendicular to the \bar{B} -edge Tangential-Plane of the Angular - Momentum-Vector Ellipsoid . In case of Zero-Moment , related to the equilibrium Point O , then ,

The motion of a Solid Body is Identical to the Rolling of the PO- \bar{w} -vector-Ellipsoid [OP] in E tangential to [$\bar{B} = OT \perp E$] vector . [70]

8d.. The Atoms Precession :

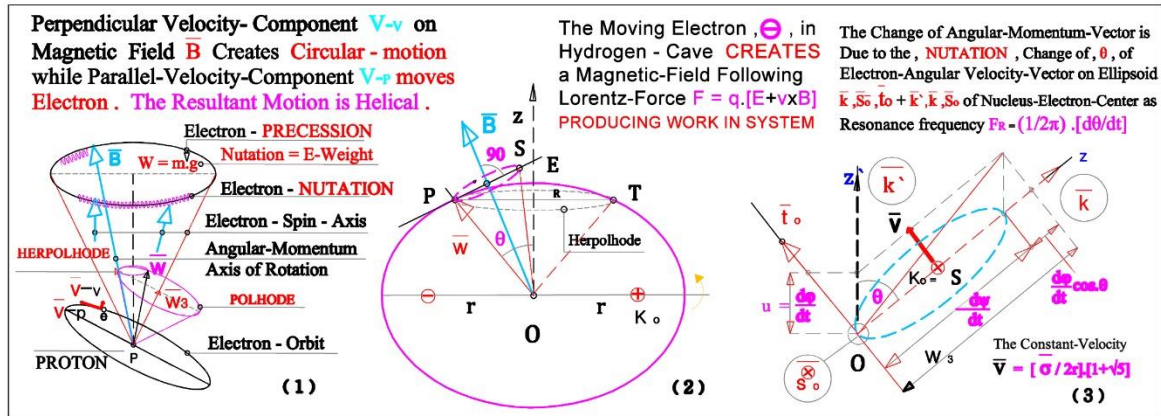


Figure – 6 - : The Electron`s Nutation in Precession :

In (1) **The Electron-motion creates a Magnetic-Field \bar{B} , in which is Stored Work .** { Velocity vector V_e is composed of the V_{\perp} Perpendicular- constituent which stores motion in circular-Helix-paths and the Parallel- constituent V_{\parallel} constituent which is Pushing the energy-circles along a straight line }.

In (2) **The Angular Momentum-Vector \bar{B} , and the Angular-Velocity-Vectors \bar{w} , of Electron at Point P and Proton at Point O, are Perpendicular each other and are forming the Herpolhode , $OPT \perp OB$, and Polhode , $PS \perp OP$, Ellipsoid.**

In (3) **The Change of Angular Momentum vector \bar{B}** , is Due to the change of θ angle **Nutation**, and The Produced Work is Stored in the **Nucleus-Electron-Orbit-Slim**. **Electron Precession** is the (change of ϕ) of Angular velocity while **Electron-Nutation** is the (change of θ).

Precession is the change in ϕ , while Nutation is the change in θ . For $w_3 = \text{constant}$ then $\frac{d\phi}{dt} = \frac{d\psi}{dt} = \text{constant}$ and angular velocity $w = \bar{k} \frac{d\phi}{dt} + \bar{k} \frac{d\psi}{dt}$ in the $\bar{k} \bar{k}$ Plane. After some operations results the equation of motion under above restrictions as ,

$$J_1 \cdot u^2 \cdot \cos \theta - J_3 \cdot w_3 \cdot u + s Q = 0 \quad \dots (18) \quad \text{where } u = \frac{d\phi}{dt} = \frac{dB}{dt}$$

$$\text{with solution } u = \frac{J_3 \cdot w_3}{2J_1 \cdot \cos \theta} \pm \sqrt{\left[\frac{J_3 \cdot w_3}{2J_1 \cdot \cos \theta} \right]^2 - \frac{sQ}{J_1 \cdot \cos \theta}} \quad \dots (19) \quad \text{Displacement, } u ,$$

is called \rightarrow **The Regular Precession of the Rigid-Body** \leftarrow

The under root terms are > 0 when $\frac{sQ}{J_1 \cdot \cos \theta}$ is very small or when Angular velocity $w \cong w_3$ where then ,angular velocity axis is very closed to the Principal Ellipsoid axis.

The change of Angular-momentum is $d\bar{B} = M \cdot dt = [s_0 \cdot Q] dt = s Q \cdot [\bar{k} \bar{k}] dt \dots (20)$ where Kinetic energy during a displacement $2s$, is not changing, while Angular-velocity vector \bar{w} , is placed around \bar{B} , for which Moment of Inertia Ellipsoid executes a circular Polhode. The moving Inertia is rolling on the steady cone, driving in Precession the Electron-Spin-axis. Since vectors \bar{B} , \bar{w} , are very closed each other and to symmetric axis \bar{k} , **Polhode** are narrow closed loop-curves on Poisson-Plane around \bar{B} vector.

The Angular-momentum-vector \bar{B} rotates according to equation $\frac{d\bar{B}}{dt} = [\bar{u}\bar{B}] = uB \cdot [\bar{k}\bar{k}]$ in Gravitational Potential $U_g = [mg] \cdot s \cdot \cos \theta = -sQ \cdot [\bar{k}\bar{k}]$, so the change of \bar{B} is \rightarrow $\frac{dB}{dt} = u = \frac{sQ}{B} = \frac{sQ}{J_3 \cdot w_3}$ and from 1-degree equation of motion, $\ddot{u} + w^2 u = 0$, then

$$\text{Period of Nutation } T = \frac{2\pi}{u} = \frac{2\pi J_3 w}{sQ}, \text{ and Frequency } f_N = \frac{sQ}{2\pi J_3 w} \quad \dots (21)$$

With Total Energy of Nutation $E_N = \frac{J_1}{2} [w_1^2 + w_2^2] + \frac{J_3}{2} w_3^2$ or in Euler angles

$$\text{An Example : } E_N = \frac{J_1}{2} [\dot{\theta}^2 + \dot{\phi}^2 \sin^2 \theta] + \frac{J_3}{2} [\dot{\psi} + \dot{\phi} \cos \theta]^2 \dots (22)$$

For Electron radius. $s = r_e = 5,82 \cdot 10^{-16} \text{ m}$,

Weight of Electron $Q = m_e g = 9,11 \cdot 10^{-31} \cdot 9,808 = 8,93 \cdot 10^{-30} \text{ Kg}$,

Moment of Inertia-Disk $J_e = J_3 = [\pi a^4/2] = \pi/2 [5,8 \cdot 10^{-16}]^4 = 1,777591 \cdot 10^{-61} \text{ m}^4$,

Angular velocity $w_e = \frac{v}{r_N} = \frac{c}{1836} = \frac{3 \cdot 10^8}{1836} = 1,633 \cdot 10^5 \text{ m/s}$ because of masses analogy

$$\text{The-Electron-Nutation-frequency } f_N = \frac{sQ}{2\pi J_3 w} = \frac{5,82 \cdot 10^{-16} \cdot 8,93 \cdot 10^{-30}}{2\pi \cdot 1,777591 \cdot 10^{-61} \cdot 1,633 \cdot 10^5} =$$

$$f_N = f_R = 2,8398447 \cdot 10^{10} \text{ s}^{-1} \dots (23)$$

From equation (5) is seen, The **moving Electron** [\ominus charge] creates a Magnetic-field which **Changes** from Total-Kinetic-energy $E = T_K + L$, where $L = S = \text{Spin}$.

What this means? \rightarrow **Work is continually created as Resonance-Frequency** $f_R = f_N$

Since in Universe exist only **Motion**, and **Work** \equiv **Energy** \equiv **Force** \times **Displacement**, therefore the continually-Moving Electron **Carries this** \rightarrow [Motion-Box]. How??

To exist **Work** \equiv **Energy** are needed Two things, **The One is the Force to be confined** in a [**Motion-Box**] and the **Second is the Force which is Pushing this [Motion-Box with the confined motion]**.

The moving Electron-vector is $\vec{v}_e = \vec{v}_{e\uparrow} + \vec{v}_{e\rightarrow} +$, and is composed of Two-velocity components, the one is the Perpendicular \uparrow and the other is the Parallel \rightarrow , to **Motion Box**, where the **First CARRIES Motion Into the [Motion-Box]**, and the **Second PUSHES the Motion-Box**, Figure -7- as

- 1.. The [Motion Box] which carries, **This Motion $v \equiv \dot{r}$** , are **The Magnetic-field-lines** which are circles in field, filled with motion \equiv transportation \equiv Spinning.
The velocity-component, $\vec{v}_{e\uparrow}$, being Perpendicular to the Magnetic-lines creates Energy-Circles and thus, Motion \equiv Work \equiv Energy, is **Carried in this Magnet-Box**.
- 2.. **The Pushing velocity-Force** on this [Magnet-Box] \equiv **The Velocity-Vector-Force** which is Perpendicular to the Magnetic-field-lines-Plane, and which carries the [Magnet-Box] along a straight line with horizontal distance, *the pitches*, between two consecutive circles. The Resulting motion is Helical and thus Energy is Propagated. The difference between the Potential-Energy of the Orbit and that of the Electron Nutation in Precession with the **Lowest-Potential-Energy**, is the Resonance-Frequency \equiv Energy. The analogous is in Electrical Circuits where **A circuit is Driven to Oscillate at its natural frequency f_N** , either by storing in it Electrical Energy, or by Charging its Capacitor, Figure -9-. In Fig-7- is shown the Electromagnetic-Wave Propagation.

The [Magnetic-Fields] \equiv [Energy-Baskets] is the Way for Energy-Propagation as,

Strength-field $\vec{B}_F = \left[\frac{2\pi \cdot m \cdot T}{q \cdot r} \right] \cdot f \equiv \vec{B} = \frac{\pi r^3 \Phi \cdot \sigma}{4} \rightarrow \text{Wave} \equiv \{ [\epsilon E^2 + \mu B^2] = 2 \cdot \lambda c \cdot \sin \left[\frac{2\pi c}{\lambda} \right] \}$,
 $\vec{w} = 2\pi f = \frac{S_p}{m}$, issuing that Tangent of Ellipsoid $\rightarrow \vec{B} \perp \vec{w}$ Vector, and Tangent of Ellipsoid $\rightarrow \vec{w} \perp \vec{B}$ Vector. It is a relation between, Angular and Momentum Ellipsoid.

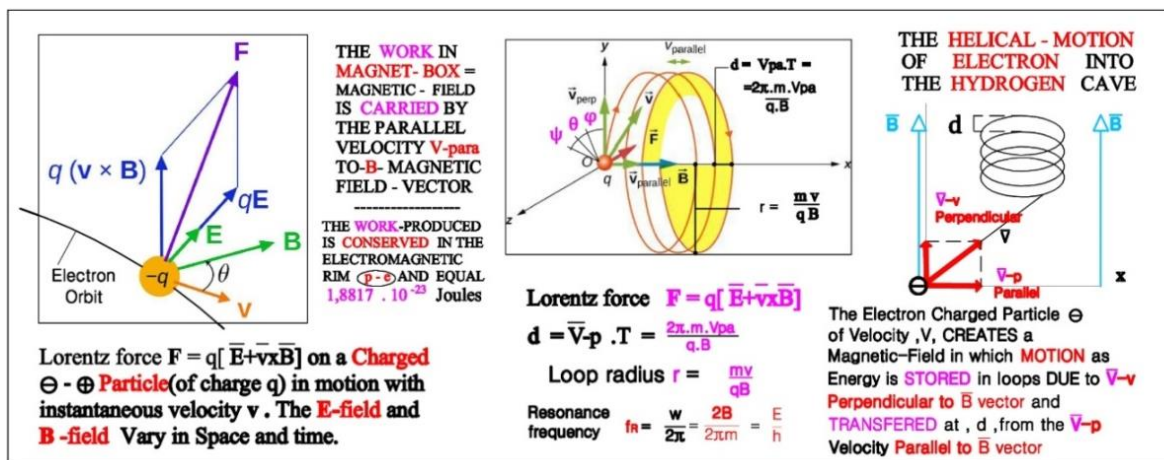


Figure -7- : The How moving-Electrons create Electromagnetic-Wave and Propagate.

In (1), The Moving Electron of charge $\bar{q} \equiv \ominus$ mass m , with the **Orbit-Velocity-Vector \vec{v}** ,

$\vec{v} = \sqrt{\frac{2}{m} [E - \{ \frac{k}{r} + \frac{L^2}{2m r^2} \}]}$, **Creates IN Orbit, r** , the Varying Perpendicular Magnetic-Field, \vec{B} , which in time-turn **Creates** an Electric-field, \vec{E} , Perpendicular to \vec{B} , with resultant force \vec{F} , acting on Electron.
 Velocity \vec{v} is composed of \vec{V}_p , Perpendicular to the Magnetic-circles $\mathbf{O} \perp \mathbf{B}$, and \vec{V}_v , Parallel to the Magnetic-field-Vector \mathbf{B} tending to, $L \equiv S \equiv$ Spin.
 The resulting motion of Electron is the Helical-motion.

In (2), The changing Electron-velocity-Vector, $\vec{v} = \sqrt{\frac{2}{m} [E - \{ \frac{k}{r} + \frac{L^2}{2m r^2} \}]}$, **Creates** the

Perpendicular Magnetic-Field $\bar{\mathbf{B}}$, which Magnetic-lines are the Energy circles \mathbf{O} in \mathbf{B} , Due to the velocity-constituent \mathbf{V}_p , which is Perpendicular to Magnetic lines \mathbf{O} . The velocity - constituent \mathbf{V}_v is Perpendicular to the, **Plane of Circles - \mathbf{O}** , and Pushes \mathbf{O} -Plane along a straight line forming thus, the **Helical motion of Electron**. Because of the Orbit- Magnetic-Field $\bar{\mathbf{B}}$, **Property** answers the **Zeeman effect**.

In (3), The Moving Electron of charge $\bar{\mathbf{q}} \equiv \ominus$, with the **Orbit-Velocity-Vector**, $\bar{\mathbf{v}}$, as

$$\bar{\mathbf{v}} = \sqrt{\frac{2}{m} [E - \{ \frac{k}{r} + \frac{L^2}{2m r^2} \}]}, \text{ is forming angle } < \theta \text{ with } \bar{\mathbf{B}} \text{ Vector, Creates IN}$$

ORBIT, \mathbf{r} , the Perpendicular Magnetic-Field $\bar{\mathbf{B}}$, which Magnetic-lines are the Energy circles \mathbf{O} in \mathbf{B} , Due to the velocity-constituent \mathbf{V}_p , Perpendicular to Magnetic-circles \mathbf{O} . The velocity - constituent \mathbf{V}_v is Perpendicular to the, **Plane of Magnetic-Circles - \mathbf{O}** , and Pushes the \mathbf{O} -Plane along a straight line .i.e. **Magnetic-Field is the Store of Energy**. The continuous change of direction of the Electron **Orbit-Velocity-Vector** $\bar{\mathbf{v}}$, related to $L \equiv S \equiv \text{Spin}$, Creates the Base of Propagation of it in Hydrogen-Orbit by using the Electromagnetic-Wave \mathbf{E} , \mathbf{B} , as an Energy-Transported-Box. Because during motion is **Produced-Work**, which is **Conserved in Orbit** so, Orbit occupies Energy as frequency differing that of Energy-levels .i.e. **Energy \equiv motion** Propagates, *travels*, as **Magnetic-Field $\bar{\mathbf{B}}$** which is the Box, and as **Electric-Field $\bar{\mathbf{E}}$** which is **The Thrust** of the Box.

Since this frequency $f_N = f_R = 2,8398447.10^{10} \text{ s}^{-1}$ exists in all Atoms, it is The **Resonance-frequency** between All **Atoms and Molecules** in this Cosmos.

For Half-frequency $f_R / 2 = 1,4199223.10^{10} \text{ s}^{-1}$, then Kinetic Energy is zero and Potential-Energy is, $U = E = h f = 6,62606957.10^{-34} .1,4199223.10^{10} = 9,4.10^{-24} \text{ J} = 5,8722.10^{10} \text{ eV}$, which agrees with Bohr-Magneton.

Because the Magnetic-field is created **On-Orbit and Applied At-Nucleus with the same Effect** then, exists **LARMOR - Equation** as, $w_0 = \gamma . \beta_0 / 2\pi$, and for the

Hydrogen at 1,5 T Magnet, $\gamma = 2,675. 10^8 / \text{sT}$, $\beta_0 = 1,5 \text{ T}$, then

$w_0 = 63,864 \text{ MHz} = 63,864.10^9 \text{ Hz}$, frequency $f_N = w/2\pi = 1,016457. 10^{10} \text{ s}^{-1}$ or

is, **The Communication-Tool, The Identity-Card** between all Atoms relations.

From Orbit-equation, $\bar{\mathbf{v}} = \sqrt{\frac{2}{m} [E - \{ \frac{k}{r} + \frac{S^2}{2m r^2} \}]}$ and for $v = 0$ then $E = \{ \frac{k}{r} + \frac{S^2}{2m r^2} \}$ and

for $r_p = L^2 / [GM m^2] = S^2/m^2GM$ then $E = \{ \frac{k.GM.m^2}{L^2} + \frac{S^2}{2m r^2} \} = [\frac{k.GM.m^2}{S^2} + \frac{m.[GMm]^2}{2.S^2}]$, and

Energy $E = [\frac{GM.m^2}{2.S^2}].[2k+GMm] \equiv \frac{k_0}{2.S^2} \equiv \text{Constant and Halve-Spin-Inverse-Squared}$, i.e.

Energy \equiv motion is transported in caves, and **Spin-Position** defines the Identity of Orbits.

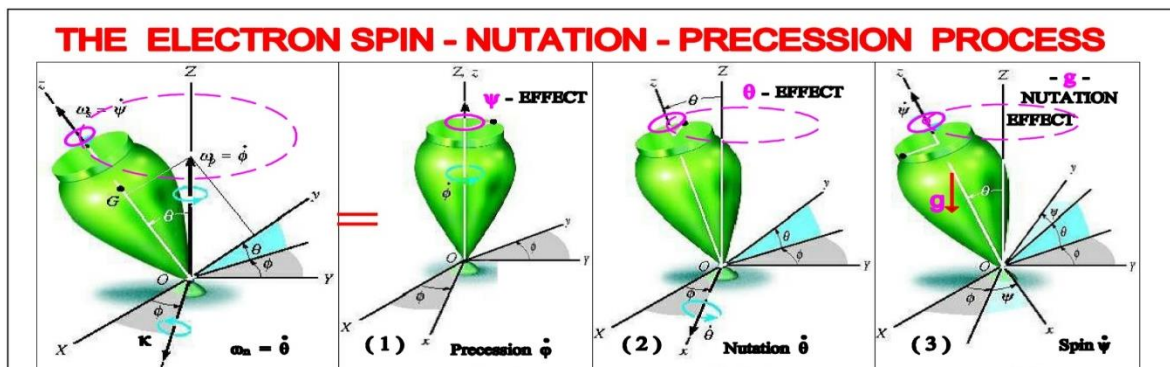


Figure - 8 - : The Effect of Gravity ,g, on Electron-mass Originates Electron-Nutation

θ , in **Electron-Precession** , ϕ , and changes **Electron-Spin-Direction** , ψ .
The **Produced-Energy** is stored in Magnetic field $\bar{B}_p = 2\pi \cdot m_p \cdot f_r / \bar{q}_p$

The Data On-Site :

- a).. **Spin** is a **Couple of Forces** [+ F , - F] following the Vectors Rules .
- b).. **Electron** [of - Charge] moving in Orbit around the Nucleus creates a **Magnetic Field tilted** to Electron`s-Spin [$M_O = S_O$] , therefore it`s **tilted axis precesses** .
- c).. Nucleus-Spin-axis is tilted with Orbit`s-Spin-axis ,but because the two free-Couple Vectors [$M_N = S_N$ and $M_O = S_O$] may be resolved into component vectors and the **Resultant** M_T ,which is the *Diagonal (Magnitude) of the Parallelogram with sides equal to S_N , S_O , Changes* , according to their rotation axis with an angle , $d\psi$.
At **Nutation-Period** , M_O is **Swinging** in circular-Magnetic field and angle , ϑ , **Decreases** , so the **Diagonal Spin-Resultant** $M_T = S_N + S_O$ **Increases** and the Produced Energy is supplied into the nearest Precession-frequency-System which is the classical Current-loop of masses , as [The , m_N , m_O **Current-loop**] \equiv The **Energy-Proton-Cantilever-Vector** or the **Hydrogen-Bracket N-O** .
- d).. Gravitation-Force through Gravity is continually acting on Orbit-Electron-Spin. The tilted axis of **Electron-Spin precesses** by changing the Direction of N-O lever arm , *from the Nutation of Precession in the Magnetic-field due to the Negative ,-, Charge , and from the tilted axis of Nucleus-Spin which continually precesses in the Magnetic field . The produced Energy as Resonance frequency f_R is added in N-O loop or in* \rightarrow [The m_N , m_O **Current-Potential-loop** $E = U(x)$] as before .
- e).. **In Hydrogen-Atom`s case** , *The transferred-Energy in Current-loop N-O* , is that of **Electron-motion** with light velocity in the **circular-Magnetic-field-lines** which are **Perpendicular to the Orbit** . This Magnetic-field is related to **m , q , f** .units .

The Direction x-x , of the two Couples of Oscillation is that of the two masses m_N , $m_{o \equiv e}$ of **Current-loop** which is continually altered because of the **Polhode curve** . Since the Total Angular Momentum $M_T = M_N + M_O$ where $M_T = L = S = I \times \omega$, and is Swinging on the **Precession-circle** and **w-Nib on Polhode curve** , then the **Resultant** M_T , Resonates with the Quantum frequency f_R of the cave to form with $\pm q$ Charges the Magnetic Field \bar{B}_R . At Nutation-Period , M_O is **Swinging** and angle ϑ , **Decreases or Increases** , so the **Diagonal-Resultant** M_T **Increases or Decreases** and the Energy is transferred in \rightarrow [m_N , m_O **Current-Potential-loop** $U(x)$] \equiv **The-Proton-Vector Bracket**] , since $K_E = 0$. The bound states of the Hydrogen have **Negative-Energies** because Proton and Electron can never become infinitely-distance.

Kinetic-Energy K_E , is supplied in the form of a **Rotating-Nucleus-Magnetic field** IN ORBIT-RIM N-O , which is applied for a short time in Plane \perp to the varied \bar{R} vector and which is rotating very near to the Resonance (precession) frequency of the Nucleus Protons . [m_N , $m_{o \equiv e}$ **Current-loop** Increases its $P_E \equiv U(x)$] .

This ORBIT-RIM is \rightarrow the **Nucleus-Orbit Vector-Bracket** \leftarrow **Oriented in Spin axis** . The **Energy-Nucleus-Orbit-Vector - Bracket** , of **The-One-Proton-Atom** issues and for the multi Proton and Electrons in Orbits and the varied vector \bar{R} as in (1a) .

Remark-1 \rightarrow Hydrogen Atom with One Nucleus of Spin $\{ + \frac{1}{2} \}$ and one **Electron** in

Energy-Orbit of Spin $\{ - \frac{1}{2} \}$, Is a **Nucleus-Orbit-Magnet** $\equiv \oplus$ Proton \leftrightarrow \ominus Electron which **ORIGINATES The-Constant-Resonance-frequency** f_R between them , becoming from the Eternal-changeable-motion of the Electron around the Nucleus and from the **Produced** Variable - Magnetic - Orbital-Fields.

Since the **Total-Spin in Hydrogen** is measured **and at the Nucleus-Position** then , **Protons Absorb Energy from The-Electron-Spin** which is moving in its different directions , **and Store it as a Resonance-frequency f_R** , IN ORBIT-RIM **N-O** .

This Orbit-Rim which is [**The , m_N, m_e ,Current-loop**] , continually increases its Energy and so produces a Signal , f_R , in the Hydrogen-Atom , i.e.

Gravity g , acting On The Varying-Velocity \dot{x} of the Orbiting-Electron Creates Work which is Conserved as Electron-Magnetic-Field , magnetic moment , $\bar{\mu}$, in a time T , and as a Resonance-frequency f_R .

When velocity $\dot{x} = 0$ then $E = U(x)$, i.e. the Signal is the Increasing-Potential Energy in loop .**The [m_N, m_e ,Current-loop**] consists the **Energy-Bond** between Atoms and is the **Communication-tool** , *The Resonance Signal* , in all Universe .
Energy equation is $\rightarrow E_{loop} = E_{dipole} + \bar{\mu} \cdot [\nabla x \bar{P}] \equiv E_{dipole} + \bar{B} \cdot [\nabla x \bar{P}] \dots(e)$ in which case , **Of An-External-Magnetic-Field** , P , the **Electron - Spin** is swigging around the **Magnetic-Vector** and this Motion , *the Nutation* , is transferred to the Nucleus.

The Produced-Work is as Frequency $f_N = \frac{sQ}{2\pi J_3 w} \equiv f_R = 2,8398447.10^{10} s^{-1}$.

IN MRI , this is the Transverse-Precession , where B-Vector creates an RF Signal from the Precessing Protons , and **Conserved Energy is the frequency $f_N = f_R$** .
Because of the Magnetic-field created On-Orbit and Applied at-Nucleus with the same Effect then , exists LARMOR Equation as , $w_0 = \gamma \cdot \beta_0 / 2\pi$, and for Hydrogen at 1,5 T Magnet , $\gamma = 2,675. 10^8 /sT$, $\beta_0 = 1,5 T$, then an-frequency $w = 63,864 \text{ MHz} = 63,864.10^8 \text{ Hz}$, frequency $f_N = 2\pi \cdot w = 4,012575. 10^{10} s^{-1}$.

Remark – 2 .

The Accumulation of Energy as (e) creates the [**The-Proton–Electron-Vector-Bracket**] which is the BONDING - FREQUENCY , $f_N = \frac{sQ}{2\pi J_3 w}$, and Happens in the **Maximum Potential cave $E = - U(x)$** , and which is needed for any **Two Atoms to Joint** and create the molecules . A brief analysis at [90].

Resonance Phenomena in any Media (Mechanical , Electrical , Acoustic , Magnetic) is that , for Response to be the maximum at a Specific-frequency f_R and **requires more Energy Input** including that frequency . Nucleus with Spin $S \neq 0$ can absorb and emit Electromagnetic Radiation and undergo , **Resonance** , when placed in a magnetic field .
This Uniform-Magnetic-field of Nucleus-Orbit [$p \leftrightarrow e$] already exists in Protons which Eternally becomes from the Swinging of the **Electron-Angular-velocity-Cone** , with **Spin-Vector \bar{S}** in the axis of cone as **Angular-Momentum-Vector , the Polhode** , at a fixed Point of the **Central-Cone-circle** . Because of Gravity , g , **SPIN ψ** is under **NUTATION θ** , and the **Response** is the **PRECESSION ϕ** , or

THE \rightarrow ELECTRON-NUTATION \leftarrow due to **Gravity** is applied for a short time in the **Plane Perpendicular , \perp , to the variated Moment-Vector , $|\bar{R}| \equiv |\bar{M}_T| = |\bar{M}_N| + |\bar{M}_O|$** and the Work produced is **Conserved** in \rightarrow Nucleus-Orbit [$p \leftrightarrow e$] \equiv the [Energy-Box].
The Angular-velocity-cone , \bar{w} , is Rolling with Spin-Vector \bar{B} in the central cone.
The Difference between the Potential-energy of the Orbit and that of the Electron-Nutation Precession with the lowest Potential energy ,is the **Resonance –Frequency \equiv The Energy**.
In figure 8, is shown the **Magnetic-Dipole-moment** of nucleus which is associated with the Orbital angular momentum $|\bar{B}|$, *the Spin* . When an external **Static-Magnetic-field** is present then the \rightarrow **Spectral-lines Split into Multiple-closely-Spaced-lines** because of the released energy in field \leftarrow For a Brief Analysis in [90] .

As was calculated for the **Strength of an Magnetic-field** of 1 Tesla is Static-Moment = $1,174462 \cdot 10^{-4} = 11,74462 \cdot 10^{-5}$ eV.

In the Absence of Electron, $|M_T| \equiv |M_N| \equiv$ the Spin, exists only Nucleus - Magnetic Field \bar{B}_L . **The Kinetic Rotational – Energy of a monad**, which is the Work in monad, is the **Scalar Quantity $L = E$** , while **The Vector Angular Momentum \bar{B}** , **The Quantity \bar{S}** , and the **Vector Angular - Velocity quantity** is, \bar{w} , which Three monads are related as $\bar{B} \cdot \bar{w} = 2L = J \cdot w^2$

E.. : THE ORIGIN OF SPIN AND ENERGY :

It is an Application to Material-Points $[\oplus \leftrightarrow \ominus]$, by considering the Positive-constituent with angular velocity $\bar{w} = \bar{v} / r = \frac{\sigma}{2r} [1 + \sqrt{5}] \dots(1)$ [70] and for an angle 45° from, x , axis, where then the Ellipsoid of Angular-velocity is perpendicular to the Plane of motion.

Moment of Inertia to, z , axis is that of sphere equal to $J_3 = \frac{\pi r^4}{2}$ which is the same in all

Principal axes, and exists, $J = J_1 = J_2 = J_3 = \frac{\pi r^4}{2}$, therefore Angular-kinetic-energy \equiv Angular-velocity-Ellipsoid and then becomes, $J_1 w_1^2 + J_2 w_2^2 + J_3 w_3^2 = 2E \dots\dots\dots(2)$

The Energy-Ellipsoid as $\bar{B} \equiv$ Spin is, $w_1^2 + w_2^2 + w_3^2 = \frac{2E}{J} = \frac{4E}{(\pi r^4)^2} = \frac{B^2}{J^2}$.

Angular-momentum \equiv Spin $\equiv \bar{B} \equiv [\pi \sigma \cdot r^3 (1 + \sqrt{5}) / 4] \dots\dots(3)$ In Figure -6- and for the center, K, of \oplus sphere, issues $\bar{v}_K = [\bar{w} \cdot \bar{r}_K] = [\frac{\sigma [1 + \sqrt{5}]}{2r} 2r] = \sigma [1 + \sqrt{5}]$ and $\bar{B} = \bar{S} = [\bar{r} \cdot m \bar{v}] = [r \cdot m \cdot \sigma (1 + \sqrt{5})]$ and for $m = 1$ then $\bar{B} = [r \sigma (1 + \sqrt{5})]$. The Interchangeable Ellipsoids of Angular velocity [70-P49], and Momentum for the same Moment of Inertia is $J_1 = J_2 = J_3 = J_0$, and Angular Velocity $w_1 = w_2 = w_3 = w$, and Momentum $B_1 = B_2 = B_3 = B$ becomes $3J w^2 = C$ and $3B^2/J = C$ and since for circle $J = \frac{\pi r^4}{2}$ then $\frac{3\pi r^4}{2} w^2 = C = (\frac{3\pi r^4}{2}) w^2 = (\frac{3\pi r^2}{2})(rw)^2 = (\frac{3\pi r^2}{2})[\sigma (1 + \sqrt{5})]^2 = 3\pi r^2 \sigma \cdot [3 + \sqrt{5}] \rightarrow$ **The Ellipsoid of Angular-velocity, \bar{w}** , and $3B^2/J = \frac{3(rmv)^2}{J} = \frac{3(rv)^2}{J} = \frac{3r^2 \cdot \sigma^2 [3 + \sqrt{5}]}{4} [\frac{2}{\pi r^4}] = \frac{3 \cdot \sigma^2 [3 + \sqrt{5}]}{2\pi r^2} \rightarrow$ **The Momentum-Ellipsoid, \bar{B}** .

The Angular-momentum In Planck`s-Length \equiv Spin $\equiv |\bar{B}| \equiv \pi^2 r^4 f \dots\dots (s)$

The value of $|\bar{B}| = [2.8,79455 \cdot 10^{-35} \cdot 1.1,6180339] = 2,845976 \cdot 10^{-34}$ {Kg/m/s}. For

Planck-Length $r_p = 1,61623 \cdot 10^{-35} \sqrt{3\pi} = 8,79455 \cdot 10^{-35}$ m, **velocity** $|\bar{v}| = \frac{\sigma}{r} [1 + \sqrt{5}]$

and from (s) then \rightarrow **Planck-cave-Stress $\sigma = \frac{B}{r \cdot \Phi} = 1$** , **Total-Energy $2E = [J w]^2$** ,

From $|\bar{v}| = \frac{\sigma}{r} [1 + \sqrt{5}] = c = 3 \cdot 10^8$ m/s then, $\sigma = \frac{3 \cdot 10^8}{3,679551 \cdot 10^{34}} = 8,1477332 \cdot 10^{-27}$ Kg/m²

$|\bar{w}| = \frac{\sigma}{2r} [1 + \sqrt{5}] = (\frac{8,1477332 \cdot 10^{-27}}{2 \cdot 8,7945510^{-35}}) \cdot 3,2360675 = 1,499 \cdot 10^8$, or $|\bar{w}| = 1,5 \cdot 10^8$ rad / sec,

For $\sigma = 8,147733 \cdot 10^{-27}$ Kg/m² and $\bar{B} = 5,691952 \cdot 10^{-34}$ J then, Period $T = \frac{2\pi}{w} = \frac{2\pi r}{v} =$

$\frac{4\pi r}{\sigma (1 + \sqrt{5})} = \frac{4\pi \cdot 8,79455 \cdot 10^{-35}}{\sigma (1 + \sqrt{5})} = \frac{3,4151}{\sigma} 10^{-34}$ s, or **Period $T = [\frac{4,191584}{10^9}]$ s**, and frequency $f = \frac{1}{T}$

i.e. **Planck-frequency $f_1 = 2,38573294 \cdot 10^{34}$ Hz**. From above issues,

a).. The Spin of cave, r , is Equal to the Angular-momentum-Vector \rightarrow **Spin $\equiv |\bar{B}| \equiv r \sigma \Phi$** which contains and is the Golden-Radio-frequency Φ as Pressure, σ , in cave r .

b).. In Planck`s-length [for light velocity $c = 3 \cdot 10^8$ m/s], **velocity** is $|\bar{c}| = \frac{\sigma}{r} [1 + \sqrt{5}]$ m/s

and in cave $r_p = 8,79455 \cdot 10^{-35} \text{ m}$, the **Pressure** $\sigma = \frac{r \cdot c}{[1+\sqrt{5}]} = 8,147733 \cdot 10^{-27} \text{ Kg/m}^2$.
 c).. In Planck`s-length the Period of Oscillation is $T = \frac{4\pi r}{\sigma(1+\sqrt{5})} = 4,192 \cdot 10^{-8} \text{ s}$, and
Frequency $f_p = \frac{1}{T} \equiv \frac{\sigma(1+\sqrt{5})}{4\pi r} = 2,3857265 \cdot 10^7 \text{ Hz}$, which is the minimum in Planck-cave .
 The extreme for stresses $\sigma_{1,2} = \sigma_{1/2} \pm (\frac{1}{2}) \cdot \sqrt{\sigma_{1/2}^2 + 4 \cdot \sigma_{1/2}^2} = \sigma_{1/2} \cdot [1 \pm (\sqrt{5})] / 2 = \sigma \Phi$,
 velocity $v = (w = \frac{2\pi}{T})r = 2\pi r \cdot f = [\frac{\sigma}{2}] \cdot (1+\sqrt{5})$, frequency $f = \frac{(1+\sqrt{5}) \cdot \sigma}{4\pi r}$, Period $T = \frac{4\pi r}{\sigma(1+\sqrt{5})}$
 d).. From Orbit vibration $f_n = \frac{(1+\sqrt{5})\sigma}{4\pi r} = \frac{\sigma}{2\pi r} \Phi$, $f_n^2 = \frac{\sigma^2}{4\pi^2 r^2} \Phi^2 = \frac{1}{g \cdot a^3}$ and $g a^3 \Phi^2 = \frac{4\pi^2 a^2}{\sigma^2}$, or
 $a = \frac{1}{g} [\frac{2\pi}{\sigma \Phi}]^2$ and from Work $W = 2E = B w = J \cdot w^2$, or $2E = 2\pi f \cdot B$ and $\bar{B} f = \frac{E}{\pi}$, then Energy
 in Planck-scale-cave is $2E = \bar{B} f_n = [\frac{(1+\sqrt{5})\sigma}{4\pi r}] \cdot \bar{B} = [\frac{\sigma}{2\pi r}] \cdot \bar{B} \Phi$, or $E = [\Phi \frac{\sigma}{4\pi r}] \cdot \bar{B} = \frac{|B|^2}{2}$ i.e.

Energy in Planck-cave-Particles is dependent on their Spin only, and for Electron with cave $r = a_e = 1,6819781 \cdot 10^{-17} \text{ m}$, and Principal-stress $\sigma = 1$, then ,

$$E = [\Phi \frac{\sigma}{4\pi r}] \cdot \bar{B} = 1,6180339 [(\frac{1}{4\pi \cdot 1,6819781 \cdot 10^{-17}}) \cdot 2,845976 \cdot 10^{-34} = \frac{2,17872 \cdot 10^{-18}}{1,602 \cdot 10^{-19}} = \mathbf{13,6 \text{ eV}}$$

All above equations define \rightarrow **The Ubiquity of Golden-Ratio- Φ** \leftarrow in motions
Angular-Momentum, Stresses, Frequency or Velocity in nature . [64-A-B-C]

1e... The Focus and the Signals in Orbits :

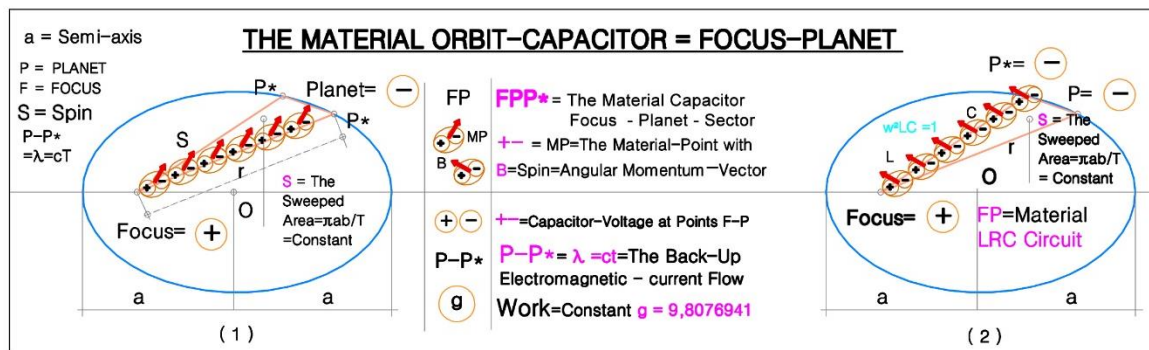


Figure -9- : The Material , **LRC Circuit on Orbit** , on Focus-Planet-Sector [F \leftrightarrow P] :

In the Undamped **Planck`s -Conservative -System**, the Total-Energy is , - 13,6 eV , in the **Hydrogen-cave** ,corresponds to the Natural-frequency of the **Primary-Particle** with the less **Negative-Charge-frequency**, which is **The electron** and which mass m_e , and frequency f_e follow the minimum energy g . Electrons-equation of motion is $\ddot{x} + w^2 x = 0$ with solution $4\pi f_e^2 \cdot m_e = g$, where The Reaction to the Change of motion , **Electron mass** $m_e = \frac{g}{4\pi f_e^2}$ and the Primary equation of Electron $\rightarrow w_e^2 \cdot m_e = \pi g = \text{constant} \leftarrow \dots (m)$

Hydrogen-cave is a **Vacuum** in where exist also the **Lattice-Stationary-Spinning-Material Point**, where Energy in **Cave a**, is equation $E = \frac{k}{a} + \frac{L^2}{2m a^2}$ and Unit-energy k becomes from equation $a^3 \cdot f_n^2 \cdot k = 1$ and is $k a = \frac{1}{a^2 f^2}$, and from velocity $c = w a = 2\pi f a$ is , $f^2 a^2 = \frac{c^2}{4\pi^2}$ or $k a = \frac{4\pi^2}{c^2}$ and **Resonance - Energy** $\rightarrow E = \frac{k a}{a} + \frac{L^2}{2m a^2} = \frac{1}{a^3} [\frac{4\pi^2}{c^2} + \frac{S^2}{2m}] \dots (re)$

A... The Gravity-System, It is Another Infinite \pm Equilibrium-Rotating vectors \bar{r} , where

for Stability $\uparrow \bar{\mathbf{r}} \downarrow \bar{\mathbf{r}} = \mathbf{0}$, and which **Gravity-System** interacts with **Hydrogen-Cave-System**. The condition for **Irrotational Energy** is $\rightarrow \nabla_{\mathbf{x}} \bar{\mathbf{B}} = \nabla_{\mathbf{x}} \bar{\mathbf{S}} = 0$, or $\nabla_{\mathbf{x}} \bar{\mathbf{B}} = \nabla \bar{\mathbf{r}} + 2\pi \text{mf} \cdot \bar{\mathbf{a}} = 0$, and $\bar{\mathbf{r}} = \pm 2\pi \text{mf} \cdot \bar{\mathbf{a}}$. Vector $\bar{\mathbf{r}}$, occupies Both directions for Rotational-equilibrium, **i.e.**

The vector $\bar{\mathbf{r}} = \pm \bar{\mathbf{B}} \equiv \bar{\mathbf{S}}_n = 2\pi \text{mf}_n$, and $\mathbf{f}_n = \frac{\mathbf{B}}{2\pi m_e} = \frac{\mathbf{E}}{\hbar}$, is the **Stationary-Filling-Ocean of the Spinning-Gravity-Material Point**, in the called **Empty-Space**, with frequency that of Material-Point $\rightarrow \mathbf{f}_n = n \cdot \mathbf{f}_1 = \frac{\mathbf{E}}{\hbar} = \frac{n \cdot \mathbf{v}}{2\pi r} = \frac{n\sigma}{4\pi r} [1 + \sqrt{5}]$, and from $\mathbf{v} = \omega \mathbf{r} = 2\pi \text{f} \mathbf{r}$ then, $\mathbf{f}_n = \mathbf{v}/2\pi r = \frac{(1+\sqrt{5})\sigma}{4\pi r} = \frac{\sigma \cdot \Phi}{2\pi \cdot r_n}$, where $\mathbf{v} = \sigma \cdot \Phi$, and Spin $\mathbf{S}_n = \bar{\mathbf{B}} = \mathbf{J} \omega = \pi^2 \cdot \mathbf{r}^4 \cdot \mathbf{f}_n = \mathbf{e}$

B... The Hydrogen-Cave-System. From the **Nucleus-Planet** velocity equations $K_E = \frac{m\mathbf{v}^2}{2} = E - \left\{ \frac{k}{r} + \frac{L^2}{2m r^2} \right\} = 0$, $4\pi \text{f}^2 \cdot m_e = g$, and for $E = \frac{\pi g}{r} + \frac{L^2}{2(g/4\pi \text{f}^2) r^2} = \frac{\pi}{g r^2} \cdot [g^2 r + 2 \cdot S^2 \cdot f^2] = 0$, then issues $g^2 r + 2 \cdot S^2 \cdot f^2 = 0$ or $f^2 = \frac{r \cdot g^2}{2L^2} = \frac{r \cdot g^2}{2B^2 \omega^2} = \frac{r \cdot g^2}{2B^2 (2\pi \text{f})^2} = \frac{r \cdot g^2}{8B^2 \pi^2 f^2}$, since $2L = B \omega$, and then the **Cave-Resonance-frequency** $\rightarrow \mathbf{f}_c^4 = \frac{r_c \cdot g^2}{8\pi^2 S_c^2}$, where

$\mathbf{r}_c = \text{Nucleus-Planet-Segment}$, and $\mathbf{S}_c = \text{the Spin of cave, consisting the Cave-System}$. Communication between the two Systems happens with their **Resonance-frequency**, and when $\mathbf{f}_n^4 = \left| \frac{\sigma \cdot \Phi}{2\pi \cdot r_n} \right|^4 = \frac{r_c \cdot g^2}{8\pi^2 S_c^2}$ or as $\sigma^4 \cdot \Phi^4 \cdot [8\pi^2 \cdot S_c^2] = r_c \cdot g^2 \cdot [16 \cdot \pi^4 \cdot r_n^4]$. Rearranging, $\sigma^4 \cdot \Phi^4 \cdot S_c^2 = r_c \cdot g^2 \cdot 2 \cdot \pi^2 \cdot r_n^4$, or $\left| \frac{\sigma}{r_n} \right|^4 = \frac{2 \cdot \pi^2 \cdot r_c \cdot g^2}{\Phi^4 \cdot S_c^2} = \frac{2 \cdot \pi^2 \cdot g^2}{\Phi^4} \left[\frac{r_c}{S_c^2} \right] = \frac{16 \cdot \pi^4 \cdot f_n^4}{\Phi^4}$, and Resonance frequency $\mathbf{f}^2_{\text{Resonance}} = \frac{2 g^2}{\Phi^4 r_c^3} = \frac{2 g^2}{r_{3c}} \left[\frac{1}{\Phi^4} \right] = \frac{g^2 \pi^4 \sigma^4 r^{12}}{|B|^2}$, and or $\mathbf{f}_{\text{Resonance}} = \frac{g \pi^2 \sigma^2 r^6}{|B|}$..(f.r)

This **Frequency-Path-way** through the line-Series of the infinite Spins $\bar{\mathbf{B}}$, which Spins are **Oriented and Reoriented Spins**, from The **Two-Types of Material-Points**, shows the way that Planet **P**, and Nucleus **N**, are continually **communicating each other**.

Kinetic-energy in Planck's System for any two masses m_1, m_2 is as,

The total Kinetic Energy is $\rightarrow E = \frac{1}{2} \cdot m_1 \cdot v_1^2 + \frac{1}{2} \cdot m_2 \cdot v_2^2$, and because $v_1 = v_2 = v$, then $E = \frac{v^2}{2} [m_1 + m_2]$, and since $m_1 = \frac{F}{g_1}$, $m_2 = \frac{F}{g_2}$, $\bar{v} = \bar{r}$, and Unit Work $E = 1$, becomes,

$$E = \frac{v^2}{2} [m_1 + m_2] = \frac{r^2}{2} \left[\frac{F}{g_1} + \frac{F}{g_2} \right] = \frac{F \cdot r^2}{2} \left[\frac{1}{g_1} + \frac{1}{g_2} \right] = \frac{F \cdot r^2}{2} \left[\frac{g_1 + g_2}{g_1 \cdot g_2} \right] = \frac{F \cdot r^2}{2} \left[\frac{2g}{g^2} \right] = \frac{F \cdot r_c^2}{g} = 1, \text{ i.e.}$$

Unit Work of force, F, between Two masses of constant Distance r_c is Proportional to a Constant and Minimum Acceleration, **g, the Layer, Stress** $g \equiv 9, 8076925$, and is **inverse square to the distance as** $F = \frac{g}{r_c^2} \dots (r) \rightarrow \text{Newton's and Coulomb Laws} \leftarrow$ **Gravitational-Constant Force** $\equiv \mathbf{G}$, is Spread -over a **minimum - Surface, the Layer or Conductor or, a-Surface, or The-Permissible-Path**, in-where exists this Reaction and called the **mass**. The Surface-force, \mathbf{g}_G , **becoming from the inner acceleration \mathbf{f}_n of the Material-Points as Vector**, $\bar{\mathbf{r}} = \pm \bar{\mathbf{B}} \equiv \bar{\mathbf{S}}_n$, is acting on Spins $\bar{\mathbf{B}}$, and all the masses of the universe, or is Action of $\mathbf{G} \rightarrow$ on $\bar{\mathbf{g}} \rightarrow$ on $\bar{\mathbf{B}} \equiv \bar{\mathbf{S}} \rightarrow$ on \mathbf{g}_G , through $\mathbf{f}_{\text{Resonance}}$. Since $\mathbf{f}_{\text{Resonance}} = \sigma \Phi^3 = \mathbf{G}$, then $\sigma = \frac{\mathbf{G}}{\Phi^3} = \frac{\mathbf{G} \cdot \sigma^3}{c^3}$, and $\sigma^2 = \mathbf{G} \mathbf{c}^3$, where σ , is the Stress $\sigma_{\text{Resonance}}$ between all frequencies. A clear Magnetic-Resonance-Imaging is Possible in [MRI] and to the other Media-MB under a Common-Detector-Frequency.

2e.. Forces, Stresses and Orientation of Spin :

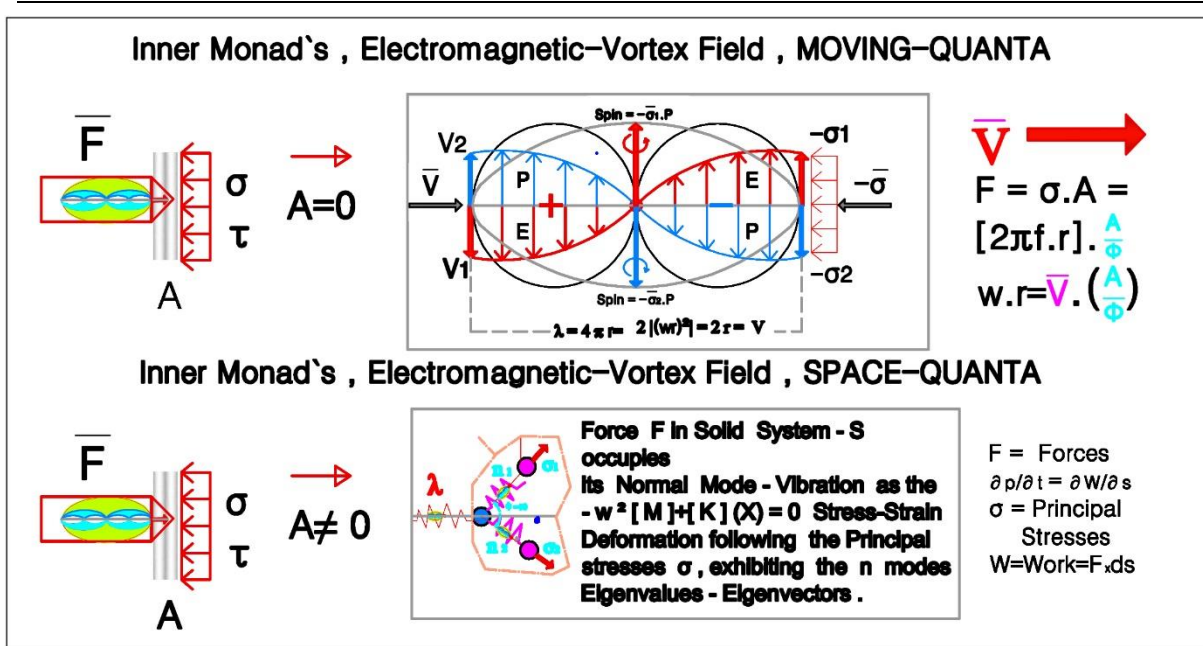


Figure -10- : The Energy-Space , *Stress-Strain* in wavelength $\lambda = 2\pi r$, of a moving Photon :

- 1.. For area $A = 0$, the Force F which is an Energy-Space-cave and is manifested into the Transverse-Principal stresses , σ , τ , and then as **an Moving-Storage** (1)-(2) is transported as Velocity-Vector \bar{v} , and force $F = \sigma \cdot A \rightarrow \bar{p}$ vector = $M \cdot \bar{v} = (m \lambda) \cdot \bar{v} = [m c \cdot T] \cdot \bar{v} = [m c / f] \cdot \bar{v} = [m / f] \cdot c \cdot \bar{v}$ *i.e. Force F \rightarrow becomes a Velocity-Vector \bar{v}* , or , **Force as Stress σ enters in Space Φ as $[\sigma \Phi]$ and becomes frequency $\bar{f} = \frac{\sigma \cdot \Phi \cdot r}{2\pi \cdot r_n}$ and is ,**
 Force $F = \sigma \cdot A = \left[\frac{2\pi r f}{\Phi}\right] \cdot A = w \cdot r \cdot \left[\frac{A}{\Phi}\right] = \bar{v} \left[\frac{A}{\Phi}\right]$, which Force F becomes a moving Storage.
- 2.. For area $A > 0$, Force F which is an Energy-Space-cave , resolves as Electromagnetic Radiation in the Principal stresses $\pm \sigma_1$, $\pm \sigma_2$, $\pm \sigma_3$, which is the Passage through which Forces travel in moving Solids . From the theory of Elasticity the equilibrium of a surface - Configuration in an Isotropic material obey equilibrium equation $\mu \cdot \nabla^2 u + (\lambda + \mu) \cdot \nabla \cdot [\nabla \cdot u] = 0$
- 3.. For area $A < 0$, because Force F is an Energy-Space-cave which at first passes from the Zero area $A = 0$ and becomes velocity-vector \bar{v} , this velocity-vector \bar{v} is entering any trough , Potential , and transformed to an Energy-Rim , as these are the Orbits of Electrons . Because Photon is one of the moving-energy-stores , when it enters a cave $L_s < L_p$, then the cave becomes an Discrete Energy-Packet which is the Rim L_v .
- 4.. For area $0 < A < 0$, **The Extreme case , where surface is interchanged as line or as line-segment , and is the same as the infinite small , ds , in Calculus** , where stresses $\sigma_2 = 0$ and τ_{12} are very small **it is the equation of stresses $\sigma_{1,2}$** , or
 $\sigma_1 / 2 = \pm (1/2) \cdot \sqrt{\sigma_1^2 + 4 \cdot \sigma_1^2} = \sigma_1 \cdot [1 \pm (\sqrt{5})] / 2$, which is the **Golden-ratio-Pattern** of the Material-Point as type of a vanishing-shear due to layers laterally shifted .
 This minimum quantized energy σ , was proved that is going out the Material point as acceleration and creates Stationary-gravity g as f_n , acting on Spin as $S_{PA} \cdot r^4$. The Proof \rightarrow **Centripetal Force** $F_c = mv^2/r = 1 \cdot (wr)^2/r = w^2 \cdot r = \pm \sigma = (2\pi \cdot f_1)^2 \cdot r = \sigma_1 \cdot [1 \pm (\sqrt{5})] / 2$ and
 $w^1 = f_n = \frac{[(1+\sqrt{5})\sigma]}{4\pi r}$. From Kinetic energy = $E = \frac{mv^2}{2} = \frac{1 \cdot w^2 \cdot r^2}{2} = h f$, then $w^2 = \frac{2E}{r^2}$ and
 $E = \frac{[(1+\sqrt{5})\sigma r]^2}{2}$, $f_n = \frac{[(1+\sqrt{5})\sigma]}{4\pi r}$ and $2 \cdot \bar{B} = \pi r^3 \Phi \sigma$, then **force** f_n orients **Spin** \bar{S} to \bar{B} as ,
 $\rightarrow \bar{g} = f_n \times \bar{B} = |f_n| |\bar{B}| \cdot \sin \theta = \frac{[(1+\sqrt{5})\sigma]}{4\pi r} \pi r^3 \Phi \sigma \cdot 1 = \frac{[\sigma^2 r^2 (1+\sqrt{5}) \Phi]}{8} = \left[\frac{\sigma \cdot r \cdot \Phi}{2}\right]^2 \dots (g)$

Equation (g) which is Gravity constant g , is the permeable Path for inner stress σ , to *pass the Material's-point* a surface $4\pi r^3/3$ and to *expenditure its energy*. The same exists also to the *Electromagnetic force* which is *associated with a fundamental property* of matter which is the *Electric-charge* and which is *a clue to the ubiquity of Electromagnetism*.

From equation of Gravitation $G = k_E g = g \cdot [k_R g_R]$ seems that the two constants are related i.e. *act each other through Local-coefficients or through Field-lines*, called the Medium or Permissible Path which is as $\sigma = \frac{F}{A} = \frac{2\pi r f}{\Phi} = \frac{w r}{\Phi} = \frac{v}{\Phi}$, velocity vector in a Unit-Space Φ .

It was shown that the first Path is Gravity g and Original Field-lines of Force, G , are distorted by these *Charges, Local-coefficients, the Layers* following Newton's laws. The Original Field-lines terminate at the surface on one side of the Medium, and new field lines originate from the other side of it. It was shown that the Momentum vector, \bar{B} , and equal to spin S , *because it is following the Stationary - Wave - Nodes - Principle in the Material-Point*, creates the minimum quantized Energy which is conserved in lobes. This Property is extended also to the Number of lobes as well as to, π , number as velocity $\{v = n \cdot \pi \cdot c\}$ which is the minimum Number relating Lines and Surfaces.

Analogous happens in equation (c) when $v = c$, and $\rightarrow r = c$.

From Inner-velocity equation $v = w \cdot r = (2\pi / T) \cdot r = 2\pi \cdot f_1 \cdot r$, of fundamental frequency f_1 , of wavelength $\lambda = c / f_1$, and cave $r = n \cdot [\lambda/2]$, then $r = n \cdot (c / 2f_1)$ and $v = 2\pi \cdot f_1 \cdot [n \cdot c / 2f_1] = n \cdot \pi \cdot c$ or $v = n \cdot \pi \cdot c \dots \dots (\pi)$

Equation (π) shows that velocities in lobes are, $n \cdot \pi$ times that of light, following, π , number in circle, i.e. *in Material-points* exist *velocities multi-times that of light* and the minimum *Surface-constant, Unit π* , or the *Growth of the velocity-vectors* occurs in lobes by following the logarithm laws of Energy-constant c which is acting on Space constant π . From velocity, $v = n \cdot \pi \cdot c$, is seen that *light-velocity is the Quantum of Unit-velocity in Planck's length*. The Why velocity c and π , is such in [42-51-63].

3e.. Summary Of Priors :

1.. Gravitational-Constant-Force G , becomes as Stress \equiv Force/Area $\equiv g$, as equation

$$G = g k_E = g \cdot [g_E k_E] = \left[\frac{T^2 P}{a^3}\right] \cdot [g_L k_L] = \left[\frac{c \cdot r^3}{a^3}\right] \cdot [g_L k_L] = 9,8076925 * 6,8116 \cdot 10^{-12} \equiv 6,68056 \cdot 10^{-11} \frac{m^3}{Ns^2}$$

, and Effects on, $g \equiv 9,8076925$ Stress $\frac{Kg}{cm^2}$

2.. The Angular-Momentum of Photon $\bar{B} = \frac{2L}{w} = \frac{2L}{2\pi f} = \left[\frac{2L}{f}\right] \cdot \left[\frac{1}{2\pi}\right] = \frac{Constant}{2\pi} = \left[\frac{h}{2\pi}\right] = SPIN$

From Centripetal force $m v^2 / r = \sigma$, then $m = \frac{\sigma r}{w^2 \cdot r^2} = \frac{\sigma}{w^2 \cdot r} = \frac{\sigma}{w \cdot c} \dots (1)$, and $\rightarrow m w c = \sigma$

From Angular-Momentum-Vector $|\bar{B}| \equiv \bar{B} = m r v = m r^2 \cdot w$ then $m = \frac{\bar{B}}{r^2 \cdot w} = \frac{\bar{B}}{r \cdot c} \dots (2)$.

Equating 1, 2 then $m = \frac{\sigma}{w \cdot c} = \frac{\bar{B}}{r \cdot c} = \frac{\sigma}{2\pi \cdot f \cdot c}$ and then $f = \frac{\sigma \cdot r}{2\pi \cdot \bar{B}}$, $\sigma r = \bar{B} w$, $\bar{B} = \frac{\sigma \cdot r}{2\pi \cdot f} = \frac{r^2}{n \cdot \Phi} = \frac{2 \cdot r^2}{n \cdot (1 + \sqrt{5})}$, depended on r only. Equating, σ , from (1),(2) then $\sigma = m w c = \frac{\bar{B}}{r \cdot c}$ and

$\bar{B} = m c^2 w r = m c^3$ or, $m = \frac{\bar{B}}{c^3}$ and $B_P \equiv [EM-R \equiv f_{1=N}, f_2, f_3, f_D, \dots, f_n = w^2 \equiv n \frac{(1 + \sqrt{5}) \sigma}{4\pi} \equiv \left[\frac{(\pi r^2)^2 \sigma}{4}\right] = \frac{\pi r^3 \sigma}{4} \Phi$. Entering in minimum-Energy cave $a = 2,1145016 \cdot 10^{-11}$ m then **creates the Hydrogen cave** = - 13,6 eV, and from Unit-Orbit equation, $\ddot{x} + w^2 x = 0$,

the Quantum relation $k = g [f^2 \cdot \pi^3] = 1$ and the Energy **Orbits** f_n . Vector $\bar{c} = [1 + \sqrt{5}] \sigma$.

From Photon-charge -relation then, $\bar{q}_{Photon} = \frac{G}{\sqrt{2} \cdot f} = \frac{G \cdot h}{\sqrt{2} \cdot E} = 3,13 \cdot 10^{-44} C$.

3.. Gravity $g \cong \sigma = \frac{\text{Force}}{\text{Area}} = \frac{\text{Mass}}{\text{Area}} = \frac{G}{k}$, while **Gravity force** $[\nabla i] \equiv F_G \equiv m_G g = g \cdot \nabla \left[\frac{\sigma}{c^2} \right]^2 \cdot r$
 $= m_G \frac{v^2}{r} = Jw^2 \cdot g_G = \left[\frac{\pi r^4}{2} \right] w^2 \cdot \frac{v^2}{r} = \frac{v^2}{r} \left[\frac{\pi r^4}{2} \right] \frac{v^2}{r^2} = \left[\frac{\pi r v^4}{2} \right]$ and from Spin-Momentum relation
 $S = \bar{B} = \frac{E}{w} = \frac{E}{2\pi f} = \frac{Er}{\sigma\Phi} = \frac{rG}{\sigma\Phi}$, then $\bar{B}^2 = \frac{J^2 \sigma^2}{r^2} \Phi^2$, and $\rightarrow [\bar{B}]^2 = \left[\frac{\Phi \sigma}{r} \right]^2 \leftarrow$ while as
centripetal \rightarrow **Gravity-force** $F_G \equiv m_G g = g \cdot \nabla [\sigma c]$. $r = m_G \frac{c^2}{r} = Jw^2 \cdot g_G = \frac{v^2}{r} \left[\frac{\pi r^4}{2} \right] \frac{v^2}{r^2} = \frac{\pi r v^4}{2}$ and is

Black-Hole-Gravity-equation related to the Inner Quantum-velocity v , and to its n lobes .

Gravity-Acceleration is $g_G = s \left[\frac{\pi r v^4}{2} \right] = \left[\frac{3,1415926([\sqrt{5}+1] \cdot \sqrt[4]{2} \cdot 10^{-35}) \cdot (299793458)^4}{2} \right] \cdot e^3 =$
 $6,044981 \cdot 10^{-35} \cdot 80,776078 \cdot 10^{32} \cdot 20,085536 = g_G = \mathbf{9,8076925}$.

From the Primary equation of Electron $\rightarrow w^2_e \cdot m_e = \pi g = \text{constant} \equiv \text{Energy} \equiv$
[meter of area * meter of force] \equiv Electrons on Orbits , on Traces and also the Unit Space \equiv Massive-United-Unit-Space $\equiv \rightarrow [+v \cdot s^2] \leftarrow$ The Nucleus jointed through the Neutral Material-Points [(+) [\leftrightarrow] (-)] with the Strong-force $\rightarrow S_F = h \cdot f_n \equiv h \cdot \{ [S \equiv B_p \equiv \mathbf{EM-R} \equiv f_{1=N}, f_2, f_3, f_D, f_n = w^2] \equiv h \cdot n \frac{(1+\sqrt{5})\sigma}{4\pi r} \equiv h \frac{2\bar{B}}{\pi^2 \cdot r^3} \dots\dots\dots (mg)$

4.. The Unit-Hydrogen-frequency f_e , in Stress g , Originate Electron-mass m_e from equation $4\pi f_e^2 \cdot m_e = g$, and from G , Electron-Charge $\bar{q}_E = \frac{G}{c\sqrt{2}} = 1,58 \cdot 10^{-19} C$

5.. Strong-Force $S_F = \left| \frac{g}{r^2} \right| \bar{E} = \left| \frac{g}{r^2} \right| \frac{\pi}{g r^2} [g^2 r + 2 \cdot L^2 \cdot f^2] = \frac{\pi}{r^4} [g^2 r + 2 \cdot L^2 \cdot f^2]$ depend on \bar{E} ,
found in our Sun , for Proton-Bonding as frequency $f^5 = \frac{g}{[2\pi a]^3}$, $f^2 = \frac{\pi \cdot g}{[n \cdot \pi \cdot c]^3}$

6.. From Orbit-equation $g [f^2 \pi^3] = 1$, **Electron-charge** $\bar{q}_E = g [k_E / c\sqrt{2}]$, Nutation Energy $E = g \left[\frac{M \cdot m^2}{2 S^2} \right] \cdot [2k + Mm] \equiv g \frac{k_o}{2 S^2}$, Nut-Frequency $f_N = f_R = g \left[\frac{S \cdot m_e}{2\pi \cdot J_3 W} \right]$ is Seen

7.. The Strong-close-Energy $E = \left\{ \frac{k}{r} + \frac{L^2}{2m r^2} \right\} = \frac{\pi}{g r^2} [g^2 r + 2L f^2]$ is for Force $S_F = \left| \frac{g}{r^2} \right| \bar{E}$ i.e.

The effect of Gravity , g , Is on All Energy-structures and it is the Resonance frequency f_R of , ELECTRON Charge , \vec{e} , and of Spin \vec{S} . The Produced Work as frequency f_R is Conserved in the Caves . The difference between Potential-Energy of the Orbit and that of the Electron-Nutation in Electron-Precession-motion is the lowest Potential-Energy , Resonance-Energy as Resonance-Frequency f_R . [82] **R-F $\rightarrow f_R$, IS the Energy in [Bracket-Orbit-Hook] which Joins the Atoms .**

8.. For Detectors , or a Wave Detector which needs to be **about the same size as the wavelength** of the **Other Waves it is to Detect** , so it is from wavelength-equation $\lambda = c / f$ which occupies the fundamental frequency in Photon-Cave , and for Electron-Nutation frequency $f_R = 2,8398447 \cdot 10^{10} s^{-1}$, then λ , required is

$$\lambda = \frac{2,998 \cdot 10^8 m/s}{2,839844710^{10} 1/s} = 1,0556915 \cdot 10^{-2} = 0,010556915 m = 1,0556915 cm$$

9.. It has been proved in [70] that the Frequency of Photon is $f_n = \frac{[(1+\sqrt{5})\sigma]}{4\pi r} = \frac{\sigma\Phi}{2\pi r}$, and in [90] that is occupies the Dual-Property of Particle and Wave as ,

1.. **Energy-Storage** $S \equiv \boxed{[\oplus \leftarrow r \rightarrow \ominus]}$ \equiv Particle $[\bar{v} \cdot \bar{f}_n]$ $\rightarrow [\bar{v} = \bar{c} = \lambda \frac{f}{\Phi}] \rightarrow$
a Stationary Standing - Wave $\rightarrow [S \equiv \mathbf{EM-R} \equiv f_{1=N}, f_2, f_3, f_D, f_n = w^2]$.

2.. **Energy-Motion** $M \equiv \boxed{\bar{v} - \text{Vector}}$ \equiv Wave $[\bar{v} \cdot \bar{f}_n] \equiv [f_1 = (E^2 + H^2) = n \frac{(1+\sqrt{5})\sigma}{4\pi r} \rightarrow = \frac{\bar{B}}{\pi^2 r^4}]$ **a Propagating Wave** $\{W \equiv \mathbf{EM-R} \equiv [\epsilon E^2 + \mu B^2] = 2 \cdot \lambda c \cdot \sin.2\phi\}$.

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