



<https://docs.google.com/document/d/14dGOjOuRXXIBSg-0N-vBovhwDCnrMbBioONasYH9FG0>

**Programming Planck units from a virtual electron; a Simulation Hypothesis  
Malcolm J. Macleod**

<https://philpapers.org/archive/MACAMU.pdf>

$$(1.50122737e+23 / (2\pi)) / ((4 * (\pi^2)) * ((2^6) * (3 * (\pi^2)) * 137.035999172 * (2.0071199557^5)^3)) = 1.00000000136$$

$$((\pi^e) / (e^{(e - 1)}))^{0.5} = 2.00713495432$$

$$(((1.50122737e+23 / (2 * \pi)) / ((4 * (\pi^2)) * ((2^6) * (3 * (\pi^2)) * ((\pi^e) / (e^{(e - 1)}))^{5 / 2}))^3))^{(1 / 3)} = 137.030879198$$

[https://en.wikipedia.org/wiki/Fine-structure\\_constant](https://en.wikipedia.org/wiki/Fine-structure_constant)

**Friedmann Kinematic Viscosity**

$$(((6.67408e-11/2) \text{ pascals}) * (1 \text{ second})) / (3.71295774e-28 \text{ (kg / (m}^3))) = 8.98755179e+16 \text{ m}^2 / \text{s}$$

$$((6.67408e-11/2) \text{ pascals}) / (\text{m}^3) = \text{Friedmann energy density}$$

$$(3.71295774e-28 \text{ (kg / (m}^3))) = \text{Friedmann mass density}$$

[https://en.wikipedia.org/wiki/Friedmann\\_equations#Density\\_parameter](https://en.wikipedia.org/wiki/Friedmann_equations#Density_parameter)

**Dahl Winters: A Fluid Model of Matter Forces and Spacetime**

[https://www.academia.edu/37242000/A\\_Fluid\\_Model\\_of\\_Matter\\_Forces\\_and\\_Spacetime](https://www.academia.edu/37242000/A_Fluid_Model_of_Matter_Forces_and_Spacetime)

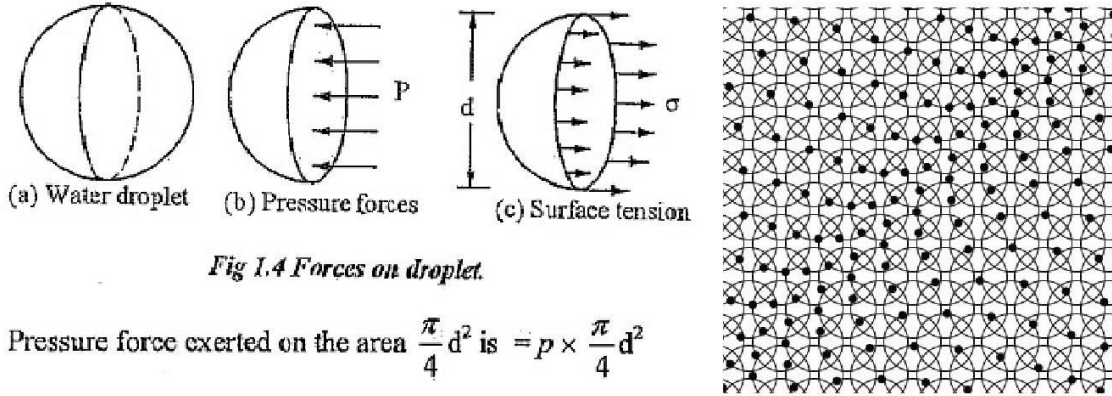
<https://docs.google.com/document/d/1Ljusv5jFVliNWHzOEejwQJyrToKbJkoq68XLLuOnEkk>

**Bjerknes Forces**

$$\left(\frac{c^4}{G}\right) / \left(\frac{c^7}{\hbar \cdot G^2}\right) \cdot \left(\frac{\pi}{4}\right) \cdot (\text{Planck length}^2) = 1.27323954$$

$$\frac{(\text{Planck Force})}{(\text{Planck Pressure}) \cdot (\pi/4) \cdot (\text{Planck Area})} = 1.27323954$$

$$(6.5248935 / 8) \cdot \left(\frac{c^4}{G}\right) / \left(\frac{c^7}{\hbar \cdot G^2}\right) \cdot \left(\frac{\pi}{4}\right) \cdot (\text{Planck length}^2) = 1.03846905$$



*Fig 1.4 Forces on droplet.*

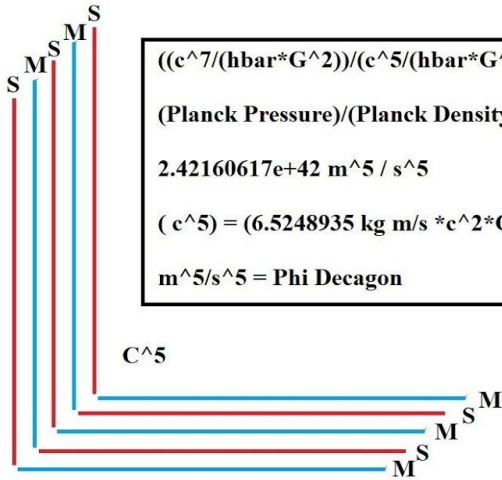
Pressure force exerted on the area  $\frac{\pi}{4} d^2$  is  $= p \times \frac{\pi}{4} d^2$

$$((c^7) / (hbar * (G^2))) / (299792458^5) = 1.9132972e+71 \text{ pascals}$$

$$((((c^7) / (hbar * (G^2))) / (299792458^5)) / (c^2)) / (1.70377849e+53 \text{ kg}) / (4\pi) = 0.994301363 \text{ m}^{-3}$$

$$(\text{Planck Pressure}) / (299792458^5) / (c^2) / (\text{Mass Universe}) / (4\pi) = 0.994301363 \text{ m}^{-3}$$

$$(c / (13.8880509 \text{ billion light years})) / ((70406.7915 \text{ (m / s)}) / (1 \text{ Mpc})) = 1 = \text{Hubble}$$



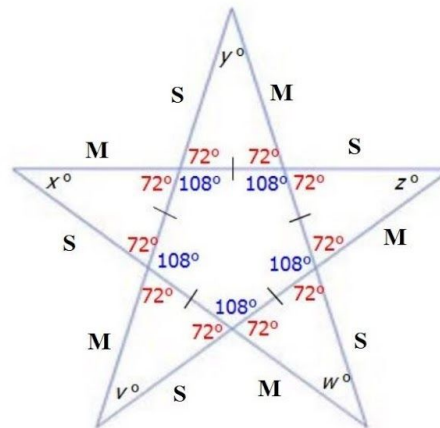
$$((c^7 / (hbar * G^2)) / (c^5 / (hbar * G^2))) = ((c^2 / (hbar * G^2)) / (1 / (hbar * G^2)))$$

$$(\text{Planck Pressure}) / (\text{Planck Density}) = ((c^2 / (hbar * G^2)) / (1 / (hbar * G^2)))$$

$$2.42160617e+42 \text{ m}^5 / \text{s}^5$$

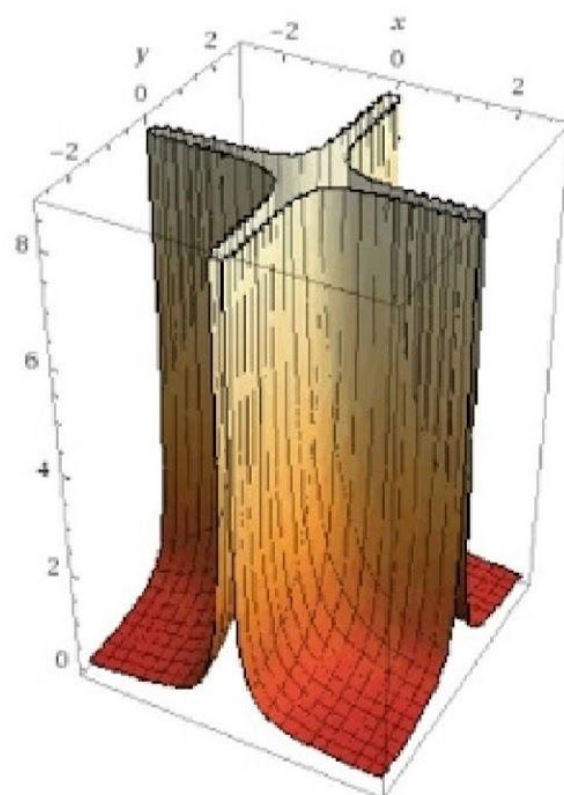
$$(c^5) = (6.5248935 \text{ kg m/s} * c^2 * G / \text{planck length})$$

$$\text{m}^5 / \text{s}^5 = \text{Phi Decagon}$$

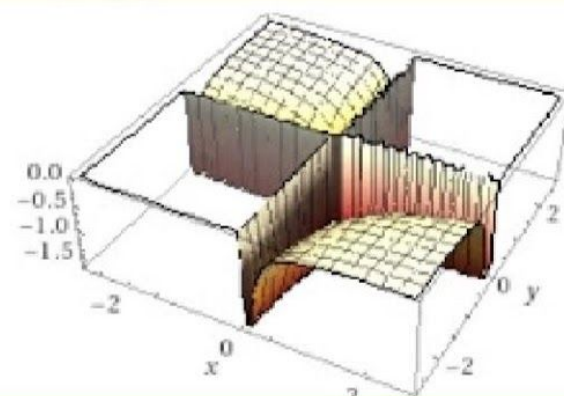


# $1/(x^7*y^7)^{(1/6)}$

3D surface plot



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$$1/(x^7*y^7)^{(1/6)}$$

