

**Primes of the form  $n \cdot P + R(P) - n$  where  $P$  primes having only odd digits and  $R(P)$  their reversals**

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**Abstract.** In a previous paper I noticed that the numbers  $n \cdot P + R(P) - n$  respectively  $P + n \cdot R(P) - n$ , where  $P$  are Poulet numbers having only odd digits,  $R(P)$  the reversals of  $P$  and  $n$  positive integer, are often primes. In this paper I notice that the same is true for primes having only odd digits (see A030096 in OEIS for a list of such primes). Taken thirteen randomly chosen consecutive primes  $P$  having nine (odd) digits (from 971111137 to 971111993) I see that for all of them there exist at least a value of  $n$  smaller than 15 for which the number  $n \cdot P + R(P) - n$  is prime (for 971111591, for instance, there exist four such values of  $n$ : 9, 11, 14, 15; for 971111137 three: 2, 4, 7; for 971111551 also three: 1, 2, 6; for 971111959 also three: 1, 9, 10; for 971111993 also three: 5, 6, 14).

**Observation:**

The numbers  $n \cdot P + R(P) - n$ , where  $R(P)$  is the reversal of  $P$ ,  $P$  is prime having only odd digits and  $n$  positive integer, are often primes.

(see the sequence A030096 in OEIS for a list of primes having only odd digits)

Primes for  $n$  smaller than or equal to 15 are obtained for thirteen randomly chosen consecutive primes  $P$  having nine (odd) digits (from 971111137 to 971111993):

: for  $P = 971111137$ :  
:  $2 \cdot P + R(P) - 2 = 2673333451$ , prime;  
:  $4 \cdot P + R(P) - 4 = 4615555723$ , prime;  
:  $7 \cdot P + R(P) - 7 = 7528889131$ , prime;  
  
: for  $P = 971111153$ :  
:  $5 \cdot P + R(P) - 5 = 5206666939$ , prime;  
:  $6 \cdot P + R(P) - 6 = 6177778091$ , prime;  
  
: for  $P = 971111159$ :  
:  $3 \cdot P + R(P) - 3 = 3864444653$ , prime;  
:  $14 \cdot P + R(P) - 14 = 14546667391$ , prime;  
  
: for  $P = 971111171$ :  
:  $14 \cdot P + R(P) - 14 = 13766667559$ , prime;

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: for P = 971111539:
:   6*P + R(P) - 6 = 6761780407, prime;
:   14*P + R(P) - 14 = 14530671711, prime;

: for P = 971111551:
:   1*P + R(P) - 1 = 1126222729, prime;
:   2*P + R(P) - 2 = 2097334279, prime;
:   6*P + R(P) - 6 = 5981780479, prime;

: for P = 971111573:
:   2*P + R(P) - 2 = 2317334323, prime;

: for P = 971111591:
:   9*P + R(P) - 9 = 8935115489, prime;
:   11*P + R(P) - 11 = 10877338669, prime;
:   14*P + R(P) - 14 = 13790673439, prime;
:   15*P + R(P) - 15 = 14761785029, prime;

: for P = 971111599:
:   9*P + R(P) - 9 = 9735115561, prime;

: for P = 971111711:
:   11*P + R(P) - 11 = 10799339989, prime;

: for P = 971111753:
:   2*P + R(P) - 2 = 2299334683, prime;
:   6*P + R(P) - 6 = 6183781691, prime;

: for P = 971111959:
:   1*P + R(P) - 1 = 1930223137, prime;
:   9*P + R(P) - 9 = 9699118801, prime;
:   10*P + R(P) - 10 = 10670230759, prime;

: for P = 971111993:
:   5*P + R(P) - 5 = 5254671139, prime;
:   6*P + R(P) - 6 = 6225783131, prime;
:   14*P + R(P) - 14 = 13994679067, prime.

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