Primes obtained concatenating 2n+4 with 2n+4 then with n where n=3p and p prime

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Abstract. In this paper I make the following conjecture: There exist an infinity of primes obtained concatenating 2*n + 4 with 2*n + 4 then with n where n = 3*p and p is a prime; for example, such primes are 19019093 obtained concatenating 190 = 2*(3*31) + 4 with 190 then with 93 =3*31 or 12701270633 obtained concatenating 1270 =2*(3*211) + 4 with 1270 then with 633 = 3*211. Note that for twenty-five from the first eighty primes p are obtained primes with this method.

Conjecture:

There exist an infinity of primes obtained concatenating 2*n + 4 with 2*n + 4 then with n where n = 3*p and p is a prime.

Note that I use the sign `'//'' with the meaning ``concatenated with''.

The first twenty-five primes from this sequence:

464621, obtained for $p = 7 (46//46//21);$	
828239, obtained for p = 13 ($82//82//39$);	
10610651, obtained for p = 17 ($106//106//51$);	
19019093, obtained for $p = 31 (190//190//93);$	
250250123, obtained for $p = 41 (250/250/123);$	
262262129, obtained for $p = 43 (262/262/129);$	
286286141, obtained for p = 47 ($286//286//141$);	
370370183, obtained for $p = 61 (370//370//183);$	
502502249, obtained for p = 83 ($502//502//249$);	
622622309, obtained for p = 103 ($622//622//309$);	
682682339, obtained for p = 113 ($682//682//339$);	
766766381, obtained for p = 127 (766//766//381);	
838838417, obtained for p = 139 ($838//838//417$);	
910910453, obtained for $p = 151 (910//910//453);$	
982982489, obtained for p = 163 ($982//982//489$);	
12701270633, obtained for $p = 211 (1270//1270//633)$;
13781378687, obtained for p = 229 ($1378//1378//687$)	;
15821582789, obtained for $p = 263 (1582//1582//789)$;
208620861041, obtained for p = 3	47
(2086//2086//1041);	
245824581227, obtained for p = 4	09
(2458//2458//1227).	
	828239, obtained for $p = 13$ (82//82//39); 10610651, obtained for $p = 17$ (106//106//51); 19019093, obtained for $p = 31$ (190//190//93); 250250123, obtained for $p = 41$ (250//250//123); 262262129, obtained for $p = 43$ (262//262//129); 286286141, obtained for $p = 47$ (286//286//141); 370370183, obtained for $p = 61$ (370//370//183); 502502249, obtained for $p = 83$ (502//502//249); 622622309, obtained for $p = 103$ (622//622//309); 682682339, obtained for $p = 113$ (682//682//339); 766766381, obtained for $p = 127$ (766//766//381); 838838417, obtained for $p = 139$ (838//838//417); 910910453, obtained for $p = 151$ (910//910//453); 982982489, obtained for $p = 163$ (982//982//489); 12701270633, obtained for $p = 229$ (1378//1378//687) 15821582789, obtained for $p = 263$ (1582//1582//789) 208620861041, obtained for $p = 3$ (2086//2086//1041); 245824581227, obtained for $p = 4$

Note that for twenty-five from the first eighty primes p are obtained primes with this method.