Prime Enumerability

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Reduction of Quotient

The given base residual of the given notion of the calculus per volumetric and linear division of congruency is articulated as a known fact given the conjointment and separability of the enumerability of reduction.

$$\frac{2}{3} = \int_0^{\pm\infty} \sqrt{z} - \frac{1}{z^3} dz \tag{1}$$

As:

$$:= dz \log(\frac{1}{z})^p \tag{2}$$

And;

$$\int_{-\eta}^{+\eta} \frac{1}{z}^p \tag{3}$$

Division by unity:

$$\frac{0}{1} : \frac{2}{3} = \frac{\partial \int}{\int \partial} \tag{4}$$

Furtherance:

$$\partial_p \int_z dzz^2 = \int zdz := \frac{1}{2} \tag{5}$$

Quotient difference:

$$\frac{1}{2} = \int_{-\infty}^{+\infty} z^2 \pm \frac{1}{z} dzd0 \rightarrow_{limz\rightarrow 0} \sqrt{z} \cdot \log z \rightarrow \partial_z \log z^p \rightarrow p - 1 \rightarrow \nu \tag{6}$$

Summative difference:

$$: \partial_p z \int_p \frac{1}{z} - \frac{1}{z^3} dz = \pm\eta := \frac{1}{z^p} \rightarrow \frac{1}{\partial z} \partial dz \rightarrow \int_z dzz \log z \tag{7}$$

Variability of argument and exclusivity of terminology given the domain of reference:

$$\eta := \partial_\eta z \log \frac{dz}{dp} \rightarrow_{limz\rightarrow\infty} \int_z \int_p dz \frac{1}{z^p} dz \frac{1}{z^2} dp : z := dz \log z \tag{8}$$

Ensuing disclosure of referentiality:

$$\int_0^\infty dz \frac{1}{z^p} \rightarrow_{limp \rightarrow z} \partial_p \log \int_\nu \frac{1}{z^p} dz \rightarrow \partial_z \int_\eta \frac{1}{z^p} = p \int_\eta \frac{1}{z^{p-1}} \tag{9}$$

Closure of argument:

$$\partial_z \log_p \frac{1}{z^p} dp := z : \exists \cdot \epsilon := \frac{1}{2} \forall p \epsilon \underline{P} = pz^{-1} = zdz \tag{10}$$