

Four conjectures on the numbers $p\pm 1$ concatenated with 1 where p primes of the form $30k+11$

Abstract. In this paper I state the following four conjectures. Let q be the number obtained concatenating to the right with 1 the numbers $p - 1$, where p primes of the form $30*k + 11$; then: (I) there exist an infinity of primes q ; (II) there exist an infinity of semiprimes $q = q_1*q_2$, such that $q_2 + q_1 - 1$ is prime. Let q be the number obtained concatenating to the right with 1 the numbers $p + 1$, where p primes of the form $30*k + 11$; then: (III) there exist an infinity of primes q ; (IV) there exist an infinity of semiprimes $q = q_1*q_2$, such that $q_2 - q_1 + 1$ is prime.

Conjecture 1:

There exist an infinity of primes q obtained concatenating to the right with 1 the numbers $p - 1$, where p primes of the form $30*k + 11$.

The sequence of primes q :

: 101, 401, 701, 1301, 1901, 2801, 4001, 7001, 10301,
10601, 11801, 13001, 15101, 16001, 18701, 19001,
19301, 21101, 21401, 23801, 25301 (...)
(...)

Conjecture 2:

There exist an infinity of semiprimes q_1*q_2 obtained concatenating to the right with 1 the numbers $p - 1$, where p primes of the form $30*k + 11$, such that $q_2 + q_1 - 1$ is prime.

The sequence of semiprimes q_1*q_2 :

: 2501 = 41*61, where $61 + 41 - 1 = 101$, prime;
: 3101 = 7*443, where $443 + 7 - 1 = 449$, prime;
: 4601 = 43*107, where $107 + 43 - 1 = 149$, prime;
: 7601 = 11*691, where $691 + 1 - 1 = 701$, prime;
: 8201 = 59*139, where $139 + 59 - 1 = 197$, prime;
: 9701 = 89*109, where $109 + 89 - 1 = 197$, prime;
: 17201 = 103*167, where $167 + 103 - 1 = 269$, prime;
: 18101 = 23*787, where $787 + 23 - 1 = 809$, prime;
: 23501 = 71*331, where $331 + 71 - 1 = 401$, prime;
: 24401 = 13*1877, where $331 + 71 - 1 = 1889$, prime;
(...)
: 9617567101 = 2521*3814981, where $3814981 + 2521 - 1 = 3817501$, prime;
(...)

