

**Conjecture on Poulet numbers of the form**  
 **$8mn^3+40n^3+38n^2+6mn^2+mn+11n+1$**

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Abstract. In this paper I observe that the formula  $8*m*n^3 + 40*n^3 + 38*n^2 + 6*m*n^2 + m*n + 11*n + 1$  produces Poulet numbers, and I conjecture that this formula produces an infinite sequence of Poulet numbers for any  $m$  non-null positive integer.

**Conjecture:**

The formula  $8*m*n^3 + 40*n^3 + 38*n^2 + 6*m*n^2 + m*n + 11*n + 1$  produces an infinite sequence of Poulet numbers for any  $m$  non-null positive integer.

**Examples:**

Formula becomes  $48*n^3 + 44*n^2 + 12*n + 1$  for  $m = 1$  and we have the following sequence of Poulet numbers  $P = 48*n^3 + 44*n^2 + 12*n + 1$  (obtained for  $n = 3, 7, 15, 18, 33, 45, 66 \dots$ ):  
: 1729, 18705, 172081, 294409, 1773289, 4463641,  
13992265 (...)

Formula becomes  $56*n^3 + 50*n^2 + 13*n + 1$  for  $m = 2$  and we have the following sequence of Poulet numbers  $P = 56*n^3 + 50*n^2 + 13*n + 1$  (obtained for  $n = 64, \dots$ ):  
: 14885697 (...)

Formula becomes  $64*n^3 + 56*n^2 + 14*n + 1$  for  $m = 3$  and we have the following sequence of Poulet numbers  $P = 64*n^3 + 56*n^2 + 14*n + 1$  (obtained for  $n = 44, \dots$ ):  
: 5560809 (...)

Formula becomes  $80*n^3 + 68*n^2 + 16*n + 1$  for  $m = 5$  and we have the following sequence of Poulet numbers  $P = 80*n^3 + 68*n^2 + 16*n + 1$  (obtained for  $n = 3, 9, 15, 18, 45 \dots$ ):  
: 2821, 63973, 285541, 488881, 7428421 (...)

Note that all the solutions obtained for  $n$  so far (up to  $n = 45$ ) are of the form  $3k$ .

Formula becomes  $112*n^3 + 92*n^2 + 20*n + 1$  for  $m = 9$  and we have the following sequence of Poulet numbers  $P = 112*n^3 + 92*n^2 + 20*n + 1$  (obtained for  $n = 15, 45, \dots$ ):  
: 399001, 10393201 (...)