

A formula that produces from any prime p of the form $11+30k$ probably an infinity of semiprimes qr such that $r+q=30m$

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Abstract. In this paper I make a conjecture which states that from any prime p of the form $11 + 30*k$ can be obtained, through a certain formula, an infinity of semiprimes $q*r$ such that $r + q = 30*m$, where m non-null positive integer.

Conjecture:

For any prime p of the form $11 + 30*k$ there exist an infinity of positive integers h such that $11 + 30*k + 210*h = q*r$, where q, r are primes such that $r + q = 30*m$, where m is non-null positive integer.

Examples:

Let $n = 11 + 210*k$

- : for $k = 1$, $n = 221 = 13*17$ and $13 + 17 = 1*30$;
- : for $k = 4$, $n = 851 = 23*37$ and $23 + 37 = 2*30$;
- : for $k = 14$, $n = 2951 = 13*227$ and $13 + 227 = 8*30$;
- : for $k = 18$, $n = 3821 = 17*223$ and $17 + 223 = 8*30$.

Let $n = 41 + 210*k$

- : for $k = 12$, $n = 2561 = 13*197$ and $13 + 197 = 7*30$;
- : for $k = 13$, $n = 2771 = 17*163$ and $17 + 163 = 6*30$;
- : for $k = 17$, $n = 3611 = 23*157$ and $23 + 157 = 6*30$;
- : for $k = 30$, $n = 6341 = 17*373$ and $17 + 373 = 13*30$.

Let $n = 71 + 210*k$

- : for $k = 7$, $n = 1541 = 23*67$ and $23 + 67 = 3*30$;
- : for $k = 8$, $n = 1751 = 17*103$ and $17 + 103 = 4*30$;
- : for $k = 9$, $n = 1961 = 37*53$ and $37 + 53 = 3*30$;
- : for $k = 10$, $n = 2171 = 13*167$ and $13 + 167 = 6*30$.

Let $n = 101 + 210*k$

- : for $k = 3$, $n = 731 = 17*43$ and $17 + 43 = 2*30$;
- : for $k = 8$, $n = 1781 = 13*137$ and $13 + 137 = 5*30$;
- : for $k = 21$, $n = 4511 = 13*347$ and $13 + 347 = 12*30$;
- : for $k = 24$, $n = 5141 = 53*97$ and $53 + 97 = 5*30$.

Let $n = 131 + 210*k$

- : for $k = 5$, $n = 1391 = 13*107$ and $13 + 107 = 4*30$;
- : for $k = 8$, $n = 2021 = 43*47$ and $43 + 47 = 3*30$;
- : for $k = 9$, $n = 2231 = 23*97$ and $23 + 97 = 4*30$;
- : for $k = 13$, $n = 3071 = 37*83$ and $37 + 83 = 4*30$.

Note:

The formula $11 + 30*k + 210*h$ (where $11 + 30*k$ is prime) seems also to produce sets of many consecutive primes; examples:

- : $n = 41 + 210*k$ is prime for $k = 4, 5, 6, 7, 8, 9, 10, 11$;
- : $n = 101 + 210*k$ is prime for $k = 14, 15, 16, 17, 18, 19$.