

A classification of primes in four classes using the MC function

Marius Coman
Bucuresti, Romania
email: mariuscoman13@gmail.com

Abstract. In few of my previous papers I defined the MC function. In this paper I make a classification of primes in four classes using a formula involving this function, id est the formula $p + MC(p + 2) - 5$, where p is prime. The classification is strict, a prime can not belong simultaneously to two classes.

Introduction: In this paper I classify the primes in four classes; the criterion of classification is the value of the number $N = p + MC(p + 2) - 5$, where p is the namely prime.

Class I: primes p for which $p + MC(p + 2) - 5 = p$.

: $3 + MC(5) - 5 = 3;$
: $7 + MC(9) - 5 = 7;$
: $19 + MC(19) - 5 = 19;$
: $23 + MC(23) - 5 = 23;$
: $43 + MC(45) - 5 = 43;$
: $61 + MC(63) - 5 = 67;$
: $79 + MC(81) - 5 = 79;$
: $83 + MC(85) - 5 = 83;$
: $127 + MC(129) - 5 = 127;$
: $131 + MC(133) - 5 = 131;$
: $151 + MC(153) - 5 = 151;$
: $167 + MC(169) - 5 = 167.$

Class II: Primes p for which $p + MC(p + 2) - 5 = N$, where N is prime.

: $5 + MC(7) - 5 = 7;$
: $11 + MC(13) - 5 = 19;$
: $17 + MC(19) - 5 = 31;$
: $41 + MC(43) - 5 = 79;$
: $61 + MC(63) - 5 = 67;$
: $71 + MC(73) - 5 = 139;$
: $73 + MC(75) - 5 = 79;$
: $89 + MC(91) - 5 = 103;$
: $101 + MC(103) - 5 = 199;$
: $107 + MC(109) - 5 = 211;$
: $137 + MC(139) - 5 = 271;$
: $191 + MC(193) - 5 = 379.$

Class III: Primes p for which $p + MC(p + 2) - 5 = p + 2$, where $p + 2$ is not prime.

: $13 + MC(15) - 5 = 15;$
: $37 + MC(39) - 5 = 39;$
: $53 + MC(55) - 5 = 55;$
: $97 + MC(99) - 5 = 99;$
: $109 + MC(111) - 5 = 111;$
: $113 + MC(115) - 5 = 115;$
: $157 + MC(159) - 5 = 159;$
: $173 + MC(175) - 5 = 175.$

Class IV: Primes p for which $p + MC(p + 2) - 5 = N$, where N is composite and does not belong to the class III.

: $29 + MC(31) - 5 = 55;$
: $31 + MC(33) - 5 = 39;$
: $47 + MC(13) - 5 = 55;$
: $59 + MC(61) - 5 = 115;$
: $103 + MC(105) - 5 = 121;$
: $139 + MC(141) - 5 = 147;$
: $149 + MC(151) - 5 = 295;$
: $163 + MC(165) - 5 = 175;$
: $179 + MC(181) - 5 = 355;$
: $181 + MC(183) - 5 = 187.$

Note: From the first 42 odd primes, 32 belong to one of the first three classes, the "regular ones" because they are defined by a formula, and just 10 belong to the fourth class, the "irregular" one.