

# Is it really Higgs?

M. Pitkänen

Email: [matpitka@luukku.com](mailto:matpitka@luukku.com).

[http://tgdtheory.com/public\\_html/](http://tgdtheory.com/public_html/).

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### Abstract

The discovery of a new spinless particle at LHC has dominated the discussions in physics blogs during July 2012. Quite many bloggers identify without hesitation the new particle as the long sought for Higgs although some aspects of data do not encourage the interpretation as standard model Higgs or possibly its SUSY variant. Maybe the reason is that it is rather imagine any other interpretation. In this article the TGD based interpretation as a pion-like states of scaled up variant of hadron physics is discussed explaining also why standard model Higgs - by definition provider of fermion masses - is not needed. Essentially one assumption, the separate conservation of quark and lepton numbers realized in terms of 8-D chiral invariance, excludes Higgs like states in this sense as also standard  $\mathcal{N} = 1$  SUSY.

The identification of Higgs like particle as Euclidian pion (assignable to the flux tube connecting opposite throats of wormhole contact having Euclidian signature of the induced metric) leads to standard Higgs mechanism in the gauge boson sector if the Euclidian pion transforms as  $2 + \bar{2}$  under electroweak  $u(2)$  imbeddable as subgroup to color group  $su(3)$  as holonomy group of  $CP_2$ . The mass formulas are exactly the same. Hierarchy problem due to the instability of the tachyonic mass term for Higgs like particle is however avoided since the direct couplings to fermions proportional fermion mass are not needed since p-adic thermodynamics makes them massive. Also the predictions for the decay rates remain the same as for standard model Higgs.

The additional bonus is a microscopic description for the tachyonic mass term in terms of bilinear coupling to a superposition of YM action density and instanton term most naturally restricted to that for the induced Kähler form. This term predicts that - besides ordinary decays to electro-weak gauge boson pairs mediated by same action as in the case of ordinary Higgs - there are also decays to neutral gauge boson pairs mediated by the linear couplings to YM action density and instanton density. Instanton density brings in also CP breaking possibly related to the poorly understood CP breaking of hadronic physics. The quantitative estimate for the anomalous contribution to the decay rates gives a result consistent with experimental data.

Besides solving the hierarchy problem, this identification could explain the failure to find the decays to  $\tau$  pairs and also the excess of two-gamma decays. Also a connection with the dark matter researches reporting signal at 130 GeV and possibly also at 110 GeV suggests itself: maybe also these signals also correspond to pion-like state. In this chapter the evolution of ideas is described and in various sections often mutually conflicting arguments are represented. The fate of the most recent identification of Higgs as "Euclidian pion" of  $M_{89}$  hadron physics providing masses for gauge bosons depends on the data provided by LHC during next years.

## 1 Background

The discovery of the new spinless particle at LHC [C14, C15] is believed to be a turning point in physics, and for a full reason. Before discussing TGD based view about the discovery it is appropriate to discuss briefly the historical background to demonstrate that the answer to the question "Higgs or not Higgs?" indeed determines the path followed in future particle physics.

### 1.1 GUT paradigm

The leading thread in the story of particle physics is GUT paradigm, which emerged for four decades ago. It however has its problems besides the fact that not a single thread of evidence has accumulated to support it.

1. The basic idea of GUTs is to put all fermions and bosons to multiplets of some big gauge group extending the standard model gauge group. This idea is applied also in the generalization of gauge theories to supersymmetric gauge theories and in superstring models. Scalar fields developing vacuum expectations define a key element of this approach and give hopes of obtaining

a realistic mass spectrum. This rather simple minded approach would make unification an easy job. There are however difficulties.

2. One of the basic implications is that baryon and lepton numbers are not conserved separately. Proton decays would make this non-conservation manifest. These decays have not been however observed, and one of the challenges of the GUT based models is fine-tuning of couplings so that proton is long-lived enough. This raises the question whether one could somehow understand the separate conservation of  $B$  and  $L$  from basic principles.
3. Putting all fermions in the same multiplet would suggest that the mass ratios for fermions should be simple algebraic numbers not too far from unity. Fermion families have however widely differing mass scales and the ratio of top quark mass scale to neutrino mass scale is gigantic. This suggests that fermion generations and even different charge states of fermions of single generation are characterized by inherent mass scales and do not belong to a multiplet of a big gauge group. Standard model gauge group would be the fundamental gauge group and the challenge would be to deduce it from some fundamental principles. In TGD framework number theoretical vision indeed leads to an explanation for standard model gauge group [K17].

It is also an empirical fact that fermion generations are identical copies of each other apart from widely different masses. This suggests some non-group theoretic explanation for family replication phenomenon. In TGD framework 2-D wormhole throats characterized topological by their genus in orientable category are the fundamental particle like objects. This provides a possible explanation for the family replication phenomenon. One must of course explain why genera higher than  $g = 2$  are heavy or absent from the spectrum, and one can indeed develop an argument for this based on the fact that  $g \leq 2$  2-surfaces allow always  $Z_2$  as conformal symmetries unlike  $g > 2$  2-surfaces [K3].

4. Particle massivation in GUT framework is described by coupling the fermions and gauge bosons to a scalar field. The vacuum expectation values of the scalar fields define the mass scales. In the case of standard model one has only single scalar/Higgs field and by choosing the couplings to Higgs field to be proportional to fermion mass one can reproduce particle masses. Only a reproduction is in question and theory is certainly not microscopic. Vacuum expectation value (VEV) paradigm is central also for the inflationary cosmology - in fact for the entire theoretical particle physics developed during last decades. The no-existence of Higgs would force to return to the roots to the situation four decades ago. Therefore the new spinless particle could be a turning point in the history of physics, and it is easy to understand why the attitudes against or on behalf of Higgs interpretation are so passionate and why facts tend to be forgotten.

## 1.2 How to achieve separate conservation of $B$ and $L$ ?

A possible manner to understand the separate conservation of both  $B$  and  $L$  would be via the identification of spinors as different chiralities of higher-dimensional spinors.

1. This would however require the identification of color quantum numbers as angular momentum like quantum numbers assignable to partial waves in internal space. This is indeed the identification performed in TGD framework and  $H = M^4 \times CP_2$  is the unique choice of imbedding space coding for the standard model quantum numbers. In TGD approach quarks and leptons correspond to different imbedding space chiralities, and this excludes Higgs as a genuine imbedding space scalar since it would couple to quark-lepton pairs. To get the couplings correctly Higgs should correspond to imbedding space vector having components only the direction of  $CP_2$  but it is rather difficult to imagine how gauge bosons could "eat" components of Higgs in this case. As a matter fact, Higgs components should be characterized by same charge matrices as weak bosons and would be a TGD counterpart for a mixture of scalar and pseudoscalar.
2. Chiral invariance is indeed essential for the renormalizability of 4-D gauge theories. The absence of 8-D scalars would allow also a generalization of chiral invariance from 4-D to 8-D context implying separate conservation of  $B$  and  $L$ . This is the case even in string model framework if separate conservation of  $B$  and  $L$  is assumed. It is worth of mentioning that the separate conservation of  $B$  and  $L$  is not consistent with the standard  $\mathcal{N} = 1$  SUSY realized in terms of

Majorana spinors. This is not a catastrophe since LHC has already excluded quite a considerable portion of parameter space for  $\mathcal{N} = 1$  SUSY.  $\mathcal{N} = 2$  SUSY however is and is generated in TGD framework by right-handed neutrino and its antiparticle.

There are however quite intricate delicacies involved discussed in detail in [K21]. For instance, the modes of covariantly constant right-handed neutrino spinor of  $CP_2$  generates 4-D generalization of super-conformal symmetry as modes delocalized into entire space-time surfaces whereas other modes are localized to 2-D surfaces and generate badly broken SUSY with very large value of  $\mathcal{N}$ . An open question is whether the  $\nu_R$  covariantly constant also in  $M^4$  degrees of freedom could generate  $\mathcal{N} = 1$  SUSY analogous to the standard SUSY. In any case, TGD seems to be inconsistent with both scalar VEV paradigm and standard  $\mathcal{N} = 1$  SUSY.

3. p-Adic physics and p-adic length scale hypothesis allow to understand the widely different mass scales of fermions and various gauge bosons since p-adic prime and the primary p-adic length scale defined by it become the characterizers of elementary particle. Also the secondary p-adic length and time scales are important: for electron secondary p-adic time scale is .1 seconds and quite intriguingly the fundamental time scale of biology. p-Adic thermodynamics provides the microscopic theory of particle massivation leading to highly successful predictions not only for particle mass scale ratios but also for the particle masses. p-Adic primes near powers of two - in particular Mersenne primes - pop up naturally and define positive integer characterizing given particle. Number theory becomes the tool of understanding the mystery number  $10^{38}$  defined by the ratio of Planck mass and proton mass (this number is essentially the ratio of  $CP_2$  mass to electron mass) [K10].

If Higgs is needed in TGD framework at all, it might provide gauge bosons with longitudinal polarizations. Even this function seems to be un-necessary. Here so called zero energy ontology (ZEO) comes in rescue.

### 1.3 Particle massivation from p-adic thermodynamics

p-Adic thermodynamics defines a core element of p-adic mass calculations [K3, K10, K13]. p-Adic thermodynamics is thermodynamics for the conformal scaling generator  $L_0$  in the tensor product representation of super-conformal algebra and the masses are fixed one the p-adic prime characterizing the particle is fixed. p-Adic length scale hypothesis  $p \simeq 2^k$ ,  $k$  integer, implies an exponential sensitivity of the particle mass scale on  $k$  so that a fitting of particle masses is not possible.

1. The first thing that one can get worried about relates to the extension of conformal symmetries. If the conformal symmetries for light-like surfaces and  $\delta M_{\pm}^4 \times CP_2$  generalize to  $D = 4$ , how can one take seriously the results of p-adic mass calculations based on 2-D conformal invariance? There is actually no reason to worry. The reduction of the conformal invariance to 2-D one for the solutions of modified Dirac equation takes care of this problem [K21] This however requires that the fermionic contributions assignable to string world sheets and/or partonic 2-surfaces - Super- Kac-Moody contributions - dictate the elementary particle masses. For hadrons also super-symplectic contributions would be present and would give the dominating contribution to baryon masses.

The modes of right handed neutrino are delocalized to a 4-D region of space-time surface and characterized by two integers. The absence of all standard model interactions suggests that no thermalization takes place for them. These modes are de-localized either to a region of Euclidian signature identifiable as 4-D line of generalized Feynman graph or to a region of Minkowskian signature. Since modified gamma matrices vanish identically for  $CP_2$  type vacuum extremals one can ask whether the 4-D neutrino modes are associated only with Minkowskian regions. In this case the counterpart of  $\mathcal{N} = 1$  SUSY would assign spartner to a many-particle state rather than to elementary particle. This could explain for why LHC has not seen the analog of standard SUSY.

2. ZEO suggests that the wormhole throats carrying many-fermion states with parallel momenta are massless: this applies even to virtual wormhole throats [K19]. As a consequence, the twistor approach would work and the on mass shell kinematical constraints to the vertices would allow

the cancellation of UV divergences. The 2-D Kac-Moody generators assignable to the boundaries of string world sheets would generate Yangian algebra [K20]. IR divergences would cancel because incoming and outgoing particles would be massive on mass shell particles as states involving several wormhole throats. The p-adic thermal expectation value is for the longitudinal  $M^2$  momentum squared rather than for the four-momentum squared (the definition of  $CD$  selects  $M^1 \subset M^2 \subset M^4$  as also does number theoretic vision). Also propagator would be determined by  $M^2$  momentum. Lorentz invariance would be achieved by averaging over the moduli for  $CD$  including also Lorentz boosts of  $CD$ .

3. In the original approach states with arbitrary large values of  $L_0^{tot}$  were allowed as physical states. Usually one would require that the generator  $L_0^{tot}$  of conformal scaling annihilates the states. In the calculations however mass squared was assumed to be proportional  $L_0^{tot}$  apart from vacuum contribution. This is a questionable assumption. ZEO suggests that total mass squared vanishes and that one can decompose mass squared to a sum of longitudinal and transversal parts. If one can do the same decomposition for the longitudinal and transverse parts also for the Super Virasoro algebra, one can calculate longitudinal mass squared as a p-adic thermal expectation of  $L_0^{tr}$  in the transversal Super-Virasoro algebra and only states with  $L_0^{tot} = 0$  would contribute and one would have conformal invariance in the standard sense. The decomposition is indeed possible since longitudinal parts correspond to pure gauge degrees of freedom.

Thermodynamics - or rather, its square root - would become part of quantum theory in ZEO.  $M$ -matrix is indeed product of hermitian square root of density matrix multiplied by unitary  $S$ -matrix and defines the entanglement coefficients between positive and negative energy parts of zero energy state. Different  $M$ -matrices orthogonal to each other with respect to trace become rows of the unitary  $U$ -matrix.

4. The crucial constraint is that the number of super-conformal tensor factors is  $N = 5$ : this suggests that thermodynamics applied in Super-Kac-Moody degrees of freedom assignable to string world sheets is enough if one is interested in the masses of fermions and gauge bosons. Super-symplectic degrees of freedom can also contribute and determine the dominant contribution to baryon masses. Should also this contribution obey p-adic thermodynamics in the case when it is present? Or does the very fact that this contribution need not be present mean that it is not thermal? The symplectic contribution should correspond to hadronic p-adic length scale rather the much longer (!) p-adic length scale assignable to say u quark (this paradoxical looking result can be understood in terms of uncertainty principle and the assignment of quarks to the color magnetic body of hadron). Hadronic p-adic mass squared and partonic p-adic mass squared cannot be summed since primes are different. If one accepts the basic rules [K13], longitudinal energy and momentum are additive as indeed assumed in perturbative QCD.
5. Calculations work if the vacuum expectation value of the mass squared must be assumed to be tachyonic. There are two options depending on whether one whether p-adic thermodynamics gives total mass squared or longitudinal mass squared.
  - (a) One could argue that the total mass squared has naturally tachyonic ground state expectation since for massless extremals (MEs, topological light rays [K1]) longitudinal momentum is light-like and transversal momentum squared is necessary present and non-vanishing by the localization to topological light ray of finite thickness of order p-adic length scale. Transversal degrees of freedom would be modeled with a particle in a box.
  - (b) If longitudinal mass squared is what is calculated, the condition would require that transversal momentum squared is negative so that instead of plane wave like behavior exponential damping would be required. This would conform with the localization in transversal degrees of freedom.

This is the general picture. One crucially important implication is that gauge conditions in Lorentz gauge must be modified. Only longitudinal  $M^2$  momentum appears in the propagators (recall that total mass squared vanishes and cannot appear in the propagator if virtual particles are massless). Therefore only  $M^2$  momentum appears in gauge conditions:  $p_L \cdot \epsilon = 0$  holds true and implies that also longitudinal polarization is allowed. Massivation is also unavoidable. The first guess for gauge boson state is as a wormhole contact containing fermion and anti-fermion at 3-D light-like wormhole

throats. One must have spin 1 but since fermion and anti-fermion are massless they must have non-parallel 3-momenta in order to have parallel spins. For instance, they could have parallel and massive longitudinal momenta but non-parallel transverse momenta. The longitudinal mass squared would be in general non-vanishing and hence mass squared as the average over moduli of  $CD$  involving also integration over Lorentz boosts of  $CD$ . Higgs is not needed in TGD framework and its possible TGD counterpart seems also incapable of fulfilling its functions.

### 1.4 Could a TGD counterpart of scalar boson have useful functions in TGD Universe?

The social pressures tending to force the interpretation of the new resonance as Higgs are rather strong and most bloggers seem to take this interpretation as granted. In this kind of situation theoretician with visions deviating from the mainstream thinking of course feels excitement and stress. I am not an exception to this rule. What if the production rate and branching ratios are those predicted by standard model? Is my vision wrong in this case? How it could be wrong? Can I modify it without losing something essential?

Recall that standard model Higgs has two functions. Higgs VEV gives masses for fermions and weak gauge bosons and Higgs gives longitudinal components for massive gauge bosons. Could one have Higgs like states performing only one or none of these functions?

1. In TGD framework fermion massivation by Higgs vacuum expectation is replaced by p-adic thermodynamics giving the dominant contribution to the longitudinal mass squared  $p_L^2$  (all particle states are massless at fundamental level). One cannot however exclude scalar vacuum expectations giving a small corrections to fermion masses. p-Adic thermodynamics as a microscopic mechanism of fermion massivation is so beautiful and predictive that it beats massivation based on Higgs expectation, which in TGD framework can be seen as a phenomenological parametrization at best.
2. In the case of weak gauge bosons p-adic temperature  $T = 1/n$  would be probably smaller ( $T \leq 1/2$  instead of  $T = 1$  for fermions) and the analog of Higgs expectation could give a significant or even dominating contribution to weak gauge boson masses. There are however conceptual problems. What is the TGD counterpart of Higgs VEV? Does it characterize coherent state? Does this expectation have classical space-time correlate as gauge bosons have?

What about the second function of Higgs as a provider of longitudinal polarizations for massive gauge bosons?

1. TGD allows to imagine the existence of analogs of Higgs like states [K11] (see the previous posting). They generalize the notions of scalar and pseudo-scalar in Minkowski space to vector and pseudo-vector in 8-D imbedding space with components only in  $CP_2$  directions defining the analogs of polarizations. These states appear always as singlet and charged triplet and are very much analogous to 1+3 formed by electroweak gauge bosons.
2. In standard model the three components of standard model Higgs also provide the longitudinal components of weak bosons W and Z. ZEO allows to understand the massivation of spin 1 bosons as something unavoidable without the need for Higgs like particle and I do not have any elegant proposal how the possible scalar 1+3 could transform to longitudinal components of weak bosons and single neutral Higgs. Thus there is a tendency to conclude that if Higgs like states exist in TGD Universe they appear as full multiplets 1+3 containing also charged states as physical particles.

I could of course be wrong! Maybe Higgs could after all manage to serve as a provider of longitudinal polarizations. Could one imagine the classical counterparts of gauge bosons eating Higgs components in classical TGD? To get some perspective, consider modified Dirac equation for induced spinors at preferred extremals of Kähler action.

1. For the TGD counterparts of induced Dirac equation both gamma matrices and gauge potentials appearing in the modified Dirac equation are induced from those of imbedding space by simply projecting them to the space-time surface. This implies that induced gamma matrices contain

also  $CP_2$  part. This gives rise to new kind of couplings proportional to the contraction of gauge potential with  $CP_2$  part of induced gamma matrices.

Induced gamma matrices are actually replaced by modified gamma matrices defined by Kähler action to obtain supersymmetry and internal consistency of the theory but the conclusion remains the same. Modified gamma matrices are proportional to Maxwell energy momentum tensor expressible in terms of Einstein equations using Einstein tensor and metric for the proposed ansatz for preferred extremals. Could these couplings involving energy momentum tensor and thus mass mimic Higgs couplings? I do not regard this interpretation as plausible.

2. Quantum classical correspondence requires the existence of classical counterparts of quanta, also Higgs. My inability to imagine any convincing candidate has been one of the reasons for my skepticism concerning Higgs like states. While writing this I however decided to try once again. I failed but learned that em charge as isospin like quantum number for fermions should be conserved in TGD classically - something very non-trivial that I have taken as granted and shown to be true only for the octonionic representation of imbedding space gamma matrices [K7].

Therefore it seems that the possibility to realize the longitudinal polarizations of weak gauge bosons using Higgs like states are rather meager.

### 1.5 Could the conservation of em charge allow to identify unitary gauge and from this classical Higgs field?

An important aspect of the standard model Higgs mechanism is that it respects em charge leaving photons massless. In standard model the conservation of em charge defined as isospin like quantum number is non-trivial since the presence of classical gauge fields induces transitions between different charge states of fermions. In second quantization this problem is circumvented by replacing classical gauge fields with quantized ones. The so called unitary gauge defined by a gauge transformation depending on Higgs fields allows to express the action in terms of physical (in general massive) fields and makes charge conservation explicit. How the conservation of em charge is obtained in TGD?

1. Doesn't one have the same problem but as a much worse variant since classical long range electro-weak gauge fields are unavoidable in TGD and there is no path integral but preferred extremals? Could it make sense to speak about unitary gauge also in TGD framework? Could one turn around this idea to derive classical Higgs from the possibly existing gauge transformation to unitary gauge? The answer is negative. There is actually no need for the unitary gauge.

As a matter fact, the conservation for em charge in spinorial sense leads to the earlier conjecture that the solutions of the modified Dirac equations are localized at 2-D surfaces whose ends define braid strands at space-like 3-surfaces at the ends of causal diamonds and at the light-like 3-surfaces connecting them and defining lines for generalized Feynman diagrams. This picture was earlier derived from the notion of finite measurement resolution implying discretization at the level of partonic 2-surfaces and also from number theoretical vision suggesting that basic objects correspond to 2-D commutative and co-commutative identifiable as sub-manifolds of 4-D associative and co-associated surfaces.

2. The point is that the Kähler form of  $CP_2$  is covariantly constant and one can identify covariantly constant em charge as a matrix of form  $Q = aI + bJ_{kl}\Sigma^{kl}$ : the coefficients  $a$  and  $B$  are different for quarks and leptons (different chiralities of H-spinors). This matrix is covariantly constant also with respect to the induced spinor structure and commutes with Dirac operator (be it the TGD counterpart of the ordinary massless Dirac operator or modified Dirac operator). Therefore one should be able to choose the modes of induced spinor field to have a well-defined em charge at each point of space-time surface. The covariantly constant Kähler form of  $CP_2$  is an important element in making possible the conservation of em charge and derives from the supersymmetry generated by covariantly constant right-handed neutrino. This is however not enough as it became clear.
3. Rather unexpectedly, the challenge of understanding the charge conservation in the spinorial sense led to a breakthrough in understanding of the modes of the modified Dirac equation. The condition for conservation leads to three separate analogs of Dirac equations and the two

additional ones are satisfied if em charged projections of the generalized energy momentum currents defining components of modified gamma matrices vanish. If these components define Beltrami fields expressible as products  $j = \Psi \nabla \Phi$  the conditions can be satisfied for  $\Psi = 0$ . Since  $\Psi$  is complex or hyper-complex, the conditions are satisfied for 2-dimensional surfaces of space-time surfaces identifiable as string world sheets and partonic 2-surfaces. This picture was earlier derived from various arguments. Em charge conservation does not there give rise to a counterpart of unitary gauge but leads to a bridge between modified Dirac equation and general view about quantum TGD based on generalization of super-conformal invariance.

Higgsteria had therefore at least one very positive impact in TGD framework! Note that only slightly earlier emerged the construction recipe for preferred extremals of Kähler action based on a generalization of minimal surface equations of string models to 4-D context and generalizing the 2-D conformal invariance to its four-dimensional analog. This had also a surprising and very pleasant outcome: Einstein's equations with cosmological term follow as consistency conditions for the reduction of field equations to purely algebraic conditions solved by assuming that Euclidian space-time region has hermitian structure and Minkowskian region its counterpart that I have christened Hamilton-Jacobi structure. This simplified considerably the vision about the representations of super-conformal symmetries [K21].

## 2 $M_{89}$ hadron physics instead of Higgs?

The original interpretation for 125 GeV state was as a pion-like state of scaled up copy of hadron physics. Two-photon decay and also the decays to other weak bosons and perhaps even gluons would be due to axial anomaly and involve only gauge boson loops. It however turned out that this does not work: the group theoretic properties of pion ( $3 + 1$  under weak  $u(2)$ ) are not correct, and the assumption of  $M^4$  QFT limit leads to the analog of Higgs mechanism in which some components of pion are eaten. Therefore one must modify the hypothesis by replacing  $M_{89}$  pion with something pion-like, which turned out to be its Euclidian counterpart transforming as  $2 + \bar{2}$  under weak  $u(2)$ . In the following the development of the idea is described in more detail.

### 2.1 Scaled copies of hadron physics as a basic prediction of TGD

One of the most surprising "almost-predictions" of TGD is the possibility of scaled variants of hadron physics.

1. Ordinary hadron physics is characterized by Mersenne prime  $M_n = 2^n - 1$ ,  $n = 107$ . There are also other physically interesting Mersenne primes.  $M_{127}$  corresponds to electron and has been tentatively assigned to electro-hadron physics for which color octet states of electron replace color triplet of quarks. Muon corresponds to Gaussian Mersenne  $M_{G,n} = (1 + i)^n - 1$ ,  $n = 113$ , and  $\tau$  to the hadronic Mersenne prime  $M_n$ ,  $n = 107$ .
2. There is evidence for lepto-hadron physics associated with these charged leptons too [K18].
3. The masses of current quarks are from QCD estimates in 10 MeV scale and there exists some evidence for Regge trajectories in 20 MeV string tension. The interpretation would be in terms of magnetic flux tubes associated with the "magnetic body" of the hadron and the question. It however seems that  $M_{127}$  variant of hadron physics with characteristic mass scale of order .5 MeV cannot be in question.
4. In biologically relevant length scale range ranging from cell membrane thickness (10 nm) to the size scale of cell nucleus about  $5 \mu\text{m}$  there are as many as four Gaussian Mersennes  $M_{G,n}$  corresponding to  $n = 151, 157, 163, 167$ . Dark matter identified as phases with non-standard value of effective Planck constant coming as integer multiple of ordinary Planck constant is essential for what it is to be living in TGD Universe. The dark matter residing at magnetic flux quanta could correspond to quarks and gluons free in the size scale involved.

$M_{89}$  corresponds to a candidate for a hadron physics with mass scale of hadron physics scaled up by a factor 512: this corresponds to TeV range. For instance, proton mass of order .94 GeV would be



scaled up to about 500 GeV. General arguments suggests that some new physics must emerge at TeV energy scale. Could it be that  $M_{89}$  hadron physics is this new physics? If so then the identification of 125 GeV resonance as a pion-like state of the new hadron physics would be natural. It should be easy to kill this hypothesis at LHC since entire spectroscopy of hadron like states is predicted and the experience from QCD allows to predict the dynamics of these states. p-Adic mass calculations in turn allow to estimate the mass spectrum using simple scaling arguments.

## 2.2 Is it really Higgs?

After the first wave of Higgsteria the attitudes to the discovery at LHC have become more realistic and i "Higgs discovery" is indeed transforming to "discovery". I of course feel empathy for those who have spent their professional career by doing calculations with Higgs: it is not pleasant to find that something totally different might be in question. In the latest New Scientist [C16] the problems are acknowledged and summarized.

For most decay channels the rates differ from standard model predictions considerably [C3]. In particular, gamma gamma decay rate is about three times too high and tau lepton pairs are not produced at all. This is very alarming since Higgs should couple to leptons with coupling proportional to its mass. It is becoming clear that it is not standard model Higgs. People have begun to talk about "Higgs like" state since nothing else they do not have because technicolor scenario is experimentally excluded. The surplus of gamma pairs is an important hint and suggests an additional decay channel to gamma pairs. The recent data from ATLAS (see figure 10 [C4]) support the Higgs like behavior for the decays to Z and W pairs. The decay rates to tau pairs and to b pairs in associated production together with W are lower than predict.

Statistical fluctuations could be in question but the spokesperson Fabiola Gianotti says that "It could well be that it's not the standard model Higgs boson" and later continues "When the uncertainties become even smaller, when we have even more data and more studies, we'll be able to understand better the properties of this particle, if it's a Higgs boson or a more exotic object". So we still do not know if it is Higgs, Higgs like particle, or something else.

The most natural - albeit not the only possible - TGD identification is as a pion-like state. This would mean that it is pseudo-scalar: also SUSY predicts pseudo-scalar as one of the several Higgses.

The basic predictions of TGD scenario deserve to be summarized.

1. Also two charged and one neutral companion of the effective pseudo-scalar should exist. This is because pseudo-scalar must be replaced by imbedding space axial vector having only  $CP_2$  components (4) forming electroweak triplet and singled just as ew gauge bosons do. The identification as  $CP_2$  tangent space vector looks promising at first but it is difficult to imagine how charged components of Higgs could be eaten by weak bosons.
2. ATLAS and CMS see their Higgs candidates at slightly different masses: mass difference is about 1 GeV. Could this mean that the predicted two neutral states contribute and have been already observed? Could this also explain the too large decay rate to two gammas.

One can however counter-argue that ordinary pion has no neutral companion of same mass. In hadronic sigma model it has scalar companion with which it forms 1+3 multiplet of  $SO(4)$ , the tangent space group of  $CP_2$  reducing to  $SU(2)_L \times U(1)$  identifiable as  $U(2) \subset SU(3)$  in the concrete representation of pion states. Could one think that this is the case also now and sigma develops vacuum expectation analogous to that of Higgs determining most of the couplings just as in sigma model for ordinary hadrons? The problem is that the neutral component should be scalar.

Could one get rid of the additional sigma state?  $CP_2$  allows two geodesic spheres and the homologically trivial one allows  $SO(3)$  as isometries instead of  $U(2)$ . In this case one would have naturally  $SO(3)$  triplet instead of 3+1 and no sigma boson. For the four kaon like states one would have 3+1 naturally. This could distinguish between pion-like and kaon-like multiplets also in the ordinary hadron physics [K11]. What is genuinely new that strong isospin groups  $U(2)$  and  $SO(3)$  would reduce to subgroups of color group in spinor representation.

3. If there is pion-like state there, it is pseudo-scalar: this might become clear during this year. SUSY people would identify it as one of the SUSY Higgses.

4. Pion-like states consist of "scaled up" quarks of  $M_{89}$  hadron physics and they prefer to decay to hadrons. Lepton pairs are produced only in higher order via box diagrams with weak boson pair as vertical edges and quark line and lepton line as horizontal edges. This explains why tau pairs are not observed. The fastest decays could take place to two gluons of  $M_{89}$  hadron physics transforming to ordinary gluons in turn decaying to quarks and producing jets.
5. The simplest option is that effective action for decays to weak gauge bosons is instanton action assignable to axial current anomaly. WW production rate is consistent with standard Higgs and this fixes the coefficient of the instanton term if one assumes that electroweak symmetry is not broken so that  $\gamma$ ,  $Z$ , and  $W$  would have different coefficients.
6. Associated production of  $b\bar{b} + W$  has been observed as predicted. In TGD  $b\bar{b}$  would correspond to decay to two gluons annihilating to quark pair. Light quark pairs would be produced much more than in Higgs decays where Higgs-quark coupling is proportional to quark mass.
7. What is intriguing that the plots for the ratio of observed cross section divided by standard model prediction as a function of Higgs mass show periodically occurring peaks as a function of Higgs mass with period of order 20 GeV. This might be of course a mere artifact related to the size of data bin and probably is and also to the character of the plot. There is however intriguing similarity with the reported existence of satellites of ordinary pion with period of order 20-40 MeV. By scaling 40 MeV by a factor 512 one obtains 20 GeV. Could the 145 GeV state reported earlier by CDF collaboration [C1] correspond to this kind of state?

What experimenters have to say about these predictions after year is interesting. The discovery of charged partners, too low rate for the decays to lepton pairs, and too fast decays to light quark pairs would destroy the Higgs interpretation.

### 2.3 Minkowskian pion as Higgs like state?

The original idea for the identification of Higgs like particle as Euclidian pion came from the model for the model of leptopions via a formation of coherent state of leptopions generated by the electromagnetic instanton term assignable to the strong electric and magnetic field of colliding hea by nuclei near the Coulomb wall [K18]. In this model the instanton term was inspired by the basic PCAC giving rise to axial anomaly stating that pion field is proportional to the instanton density. This simple argument can be refined so that it allows to have a linear coupling between pion like state and instanton density.

1. One should realize the linear coupling of Higgs like pion to instanton density. The problem is that  $Tr(F \wedge F \pi)$  since  $\pi$  does not make sense as such since  $\pi$  is defined in terms of gamma matrices of  $CP_2$  and  $F$  in terms of sigma matrices. The gamma matrices of the imbedding space allow octonionic representation as tensor products of 2-D Pauli sigma matrices and octonion units [K7]: this provides one manner to define the notion of quaternionicity for the space-time surface. In this representation  $CP_2$  gamma matrices span naturally the complement of quaternionic sub-space and their commutators define sigma matrices proportional to octonion units in quaternionic sub-space assignable to  $M^4$ .  $F$  and  $*F$  are proportional to octonion units in the complement of quaternionic sub-space and the cross product  $F \times *F$  defined as quaternionic commutator and  $H$  are proportional to quaternionic gamma matrices. Hence the quaternionic inner product  $\pi \cdot (F \times *F)$  is well-defined and non-vanishing and defines a generalization of the action term linear in pion. Note that it is necessary to use instanton term since  $F \times F$  not only vanishes but is also excluded by parity conservation.
2. The construction of preferred extremals [K21] however suggests that the cross product  $F \times *F$  is identically vanishing for a given Minkowskian space-time sheet. At  $M^4$  QFT limit one can however assume that the effects of parallel space-time sheets superpose for a particle topologically condensed on both space-time sheets. The superposition of fields expresses this at QFT limit. In the recent case  $F$  and  $*F$  could be interpreted as the fields at space-time sheets associated with the colliding hadrons or quarks.
3. This interaction term could appear in the analog of Higgs potential for  $3 + 1$  decomposition but would give a vanishing coupling of Higgs like particle to both  $\gamma$  and  $Z^0$  boson which would

therefore remain massless. Hence only  $2 + \bar{2}$  pion like state defined as a vector in the the complement of  $u(2) \subset su(3)$  can define Euclidian pion serving as a candidate for a Higgs like state whereas  $3 + 1$  defines naturally the Minkowskian pion.

4. If the action density contains only the mass term  $m^2\pi^2/2$  plus instanton term  $\frac{1}{32\pi^2 f_\pi} \pi I$ , where  $I$  is the instanton density, one obtains the standard PCAC relation between the vacuum expectation of the pion field and instanton density.

$$\pi_0 = \frac{1}{32\pi^2 f_\pi m_\pi^2} I .$$

This relation appears also in the model for leptopion production [?]

5. What about the identification of kaon? Ordinary strong interaction physics would suggest identification as a Minkowskian counterpart of  $2 + \bar{2}$  with a small CP breaking so that  $3 + 1$  cannot be excluded. If the  $CP_2$  projection of Minkowskian regions is indeed 3-dimensional as the construction of preferred extremals suggests then only 3  $CP_2$  polarizations are realized for same particle. Could this relate to the fact that  $K^0$  and  $\bar{K}^0$  have slightly different masses?

### 2.3.1 Decay rate of Minkowskian pion to gamma pairs

A pion-like state transforming as  $3 + 1$  cannot correspond to Higgs since the it would leave  $Z$  boson massless. One can however ask whether this kind of vacua with massless  $Z$  and photon field could be realized and I have indeed proposed that in TGD inspired quantum biology a vacuum allowin massless  $Z$  is realized (model for the cell membrane [K5]).

Just for fun one can check if the decay rate to gamma pairs is realistic in this case. This exercise also gives idea about what kind of expression one can expect for the decay rate in  $2 + \bar{2}$  case: one actually expects that the decay rate is modified by some numerical factors only.

Consider the decay rate of pion like state to gamma pairs using PCAC. Axial current anomaly tells that the divergence  $\partial_\mu A^\mu$  of the axial current equals to  $f_\pi m_\pi^2 \pi_0$ , where  $\pi_0$  is the neutral pion field. Axial current divergence contains a part proportional to the instanton density for electromagnetic field and this defines the effective action allowing to calculate the production amplitude and rate for gamma pairs.

1. From Iztykson-Zuber [B1] the decay width of pion to two-gamma would be given as

$$\Gamma(\pi) = \frac{\alpha^2 m_\pi^2}{64\pi^2 f_\pi^2} .$$

$f_\pi$  is expected to be of order  $m_{pi}$ . Let us write  $f_\pi = X m_\pi$ .

2. The decay rates of Higgs can be found here [B2]. For the decay of Higgs to two photons the rate is

$$\Gamma(h) = \alpha^2 g_W^2 2^{-10} \pi^{-3} m_h^3 m_W^{-2} .$$

The prediction is exactly the same in the case of  $M_{89}$  pion. One only replaces scalar with pseudoscalar and Higgs vacuum expectation with that for pseudoscalar and given by PCAC anomaly expressible in terms of instanton density for classical induced em field  $F_{em}$  associated with the space-time sheet assignable to colliding quarks and defining the hadronic space-time sheet for  $M_{89}$  hadron physics (note that this space-time sheet could be also associated with colliding protons).

$$\pi_0(vac) = -\frac{1}{32\pi^2 m_\pi^2 f_\pi} \times I , \quad I = \epsilon_{\alpha\beta\gamma\delta} F_{em}^{\alpha\beta} F_{em}^{\gamma\delta} = 2E \cdot B .$$

Here  $F_{em}$  is defined by identifying gauge potential as  $eA_{mu}$ , which corresponds to the classical gauge potentials in TGD. It is essential that the induced electric and magnetic fields are non-orthogonal: this is true if  $CP_2$  projection of space-time sheet has dimension larger than  $d = 2$ :

this is actually always the case for preferred extremals so that the generation of the analog of Higgs expectation is basic phenomenon in TGD Universe but does not give rise to massivation. Instanton density  $I$  appears as a parameter which is in the first approximation constant.

3. The ratio of these rates is for  $m(\pi) = m(h)$

$$r \equiv \frac{\Gamma(h)}{\Gamma(\pi)} = X^2[\alpha \times \sin^2(\theta_W)]^{-1} .$$

Some comments about the result are in order.

- (a) For  $X = 93/135$  holding true for the ordinary neutral pion  $\pi_0$  and  $m(h) = m(\pi) = 125$  GeV this gives  $r = 1.63$  and  $f(\pi) = 1.07m_W$ . Therefore the contribution from the axial anomaly is .61 times the contribution of the gauge kinetic term to the decay rate assuming that the contributions of the amplitudes do not interfere. Interference effects can change the situation. Therefore PCAC anomaly alone is not enough and the prediction for the ratio  $r \equiv \frac{\Gamma(h)+\Gamma(\pi)}{\Gamma(h)}$  is 1.61 times higher than predicted by Higgs. Constructive interference can give rise to 3.17 times larger rate and destructive interference to rate which is only .05 of the rate predicted by Higgs alone.

The relative phase of the amplitudes from anomaly and kinetic term is expected to vary and the first guess is that the interference term gives a vanishing contribution average contribution. Local constructive interference in phase space would allow to understand the local values of  $r$  above 1.61. The ratio of the observed Higgs to gamma pair signal cross section to the predicted one is certainly consistent with this picture! Note that the anomalous contribution is present also for W and Z since instanton term is non-Abelian and only its vacuum expectation value is Abelian. This means that also the rates to W and Z pairs are enhanced as indeed observed by ATLAS.

- (b) The value of  $I$  characterizing the hadronic space-time sheet appears in the kinetic term responsible for the decays and also in the model for the production rate. The expression for the decay rate to gamma pairs involves a relation between Higgs vacuum expectation and Higgs mass provided by standard model. This relationship need not be same for the pion like state.

One cannot predict absolute production rates without a detailed model for the electric and magnetic fields of colliding quarks or protons predicting the instanton density  $I$ . This kind of model has been proposed in [K18].

### 2.3.2 Windows to $M_{89}$ hadron physics?

Concerning the experimental testing of the theory one should have a clear answer to the question concerning the window to  $M_{89}$  hadron physics. One can imagine several alternative windows.

1. The production  $M_{89}$  pions in strong non-orthogonal electric and magnetic fields of colliding charged particles provides a possible window to  $M_{89}$  hadron physics. In this case one must consider  $M^4$  QFT limit since the electric and magnetic fields are associated with the space-time sheets assignable to the colliding charged particles. If pions are the only window to the new hadron physics, the production of other  $M_{89}$  hadrons should take place via the reactions of the pions of  $M_{89}$  pion condensate producing other  $M_{89}$  hadrons.
2. If the instanton density is non-vanishing at microscopic level one has a a portal to what might be regarded as weak physics via production of Higgs like states.
3. I have also considered a window which involves transformation of ordinary gluons to those of  $M_{89}$  physics and also direct transformation of ordinary hadronic space-time sheet to that of  $M_{89}$  physics. Two gluon states transforming to  $M_{89}$  gluons could be one possibility proposed earlier. The model contains a dimensional parameter with dimensions of mass squared characterizing the amplitude for the transformation of  $M_{107}$  gluon to  $M_{89}$  gluon. Both these p-adic length scales are natural parameters defining the dimensional parameter: the product of corresponding p-adic mass scales is the most natural guess.

4. Electroweak gauge bosons correspond to closed flux tubes decomposing to long and short parts. Two short flux tubes associated with the two wormhole contacts connecting the opposite throats define the "Higgsy" pions. Two long flux tubes connect two wormhole contacts at distance of order weak length scale and define  $M_{89}$  pions and mesons in the more general case. This allows an interpretation as electroweak "de-confinement" transition producing  $M_{89}$  mesons and possibly also baryons. This kind of transition would be rather natural and would not require any specific mechanisms. Maybe the interpretation as a portal to  $M_{89}$  hadron physics makes sense.

### 2.3.3 Connection with dark matter searches?

An additional fascinating thread to the story comes from the attempts to detect dark matter. The prediction of TGD approach is that dark matter resides at magnetic flux tubes as phases with large value of Planck constant and that dark energy corresponds to the magnetic energy of the flux tubes and is characterized by a gigantic value of (effective) Planck constant [K6]. This leads to a rather detailed vision about cosmic evolution with magnetic energy replacing the vacuum energy assigned with inflaton fields. The decay of the magnetic flux tubes rather than vacuum expectation of inflaton field would create ordinary matter and dark matter [K15].

The results of the dark matter searches are inconclusive. Some groups claim the detection of what they identify as dark matter [C7, C13], some groups see nothing [C8, C6]. The analysis is sensitive to the assumptions made and if the assumption that dark matter corresponds to WIMPs - say neutralino of standard SUSY- the analysis might fail. Second source of failure relates to the distribution of dark matter. For instance, the standard assumption about spherical halos around galaxies might be wrong and TGD indeed suggests that this particular form of dark matter is concentrate string like magnetic flux tubes containing galaxies around it like pearls in a necklace.

It has been reported that the nearby space around Earth does not contain dark matter [E2]. On the other hand, evidence for string like magnetic flux tubes containing dark matter and connecting galactic clusters has been reported [E1]. Even if dark matter candidates are detected, they could be fake since the particles in question could be created in atmosphere in the collisions of highly energetic cosmic rays creating hadrons of  $M_{89}$  hadron physics: certain mysterious cosmic ray events with ultra high energies could be indeed due to  $M_{89}$  hadron physics [K12].

Independent positive reports come from groups studying the data from Fermi satellite in the hope of identifying particles of galactic dark matter. 3 sigma evidence has been represented for the claim that there is signal for dark particle with mass around 130 GeV [C18]. Gamma pairs would be produced in the annihilation of particles with this mass. Another group [C9] reports a signal at the same energy but argues that due to kinematical effects this signal actually corresponds to a particle with a mass of about 145 GeV: similar signal was earlier reported earlier by CDF at Fermilab [C1]. Also some indications for a signal at 110 GeV is proposed by the latter group: direct extrapolation to take into account the kinematical effects would suggest a particle at 125 GeV. It has been also claimed that the signal is too strong to be interpreted as neutralino, the main candidate for a WIMP defining dark matter in the standard sense [C17]. This is a further blow against standard SUSY. If the Higgs candidate is actually a pionlike state of scaled up variant of hadron physics, one can ask whether  $M_{89}$  hadron physics could be active in the extreme conditions of the galactic center and lead to a copious production of pionlike state of  $M_{89}$  physics annihilating and decaying to gamma pairs.

## 2.4 Pseudo-scalar Higgs as Euclidian pion?

The preceding observations and earlier work suggest that pionlike states in TGD framework could be analogous to Higgs like particles. This raises questions. Assuming that QFT in  $M^4$  is a reasonable approximation, does a modification of standard model Higgs mechanism allow to approximate TGD description? What aspects of Higgs mechanism remain intact when Higgs is replaced with pseudo-scalar? Could these aspects be assignable to the massivation of weak gauge bosons?

The key idea allowing to answer these questions is that "Higgsy" pion and ordinary  $M_{89}$  pion are not one and the same thing: the first one corresponds to Euclidian flux tube and the latter one to Minkowskian flux tube and they transform according to  $2+\bar{2}$  and  $3+1$  under  $u(2) \subset su(3)$  respectively.

Hegel would say that one begins with thesis about Higgs, represents anti-thesis replacing Higgs with pion, and ends up with a synthesis in which Higgs is transformed to pseudo-scalar Higgs, "Higgsy" pion, or Higgs like state if you wish! Higgs certainly loses its key role in the massivation of fermions.

### 2.4.1 Can one assume that $M^4$ QFT limit exists?

The above approach assumes implicitly - as all comparisons of TGD with experiment - that  $M^4$  QFT limit of TGD exists. The analysis of the assumptions involved with this limit helps also to understand what happens in the generation of "Higgsy" pions.

1. QFT limit involves the assumption that quantum fields and also classical fields superpose in linear approximation. This is certainly not true at given space-time sheet since the number of field like is only four by General Coordinate Invariance. The resolution of the problem is simple: only the effects of fields carried by space-time sheets superpose and this takes place in multiple topological condensation of the particle on several space-time sheets simultaneously. Therefore  $M^4$  QFT limit can make sense only for many-sheeted space-time.
2. The light-like 3-surfaces representing lines of Feynman graphs effectively reduce to braid strands and are just at the light-like boundary between Minkowskian and Euclidian regions so that the fermions at braid strands can experience the presence of the instanton density also in the more fundamental description. The constancy of the instanton density can hold true in a good approximation at braid strands. Certainly the  $M^4$  QFT limit treats Euclidian regions as 1-dimensional lines so that instanton density is replaced with its average.
3. In particular, the instanton density can be non-vanishing for  $M^4$  limit since  $E$  and  $B$  at different space-time sheets can superpose at QFT limit although only their effects superpose in the microscopic theory. At given space-time sheet  $I$  can be non-vanishing only in Euclidian regions representing lines of generalized Feynman graphs.
4. The mechanism leading to the creation of pion like states is assumed to be the presence of strong non-orthogonal electric and magnetic fields accompanying colliding charged particles [K18]: this of course in  $M^4$  QFT approximation. Microscopically this corresponds to the presence of separate space-time sheets for the colliding particles. The generation of "Higgsy" pion condensate or pion like states must involve formation of wormhole contacts representing the "Higgsy" pions. These wormhole contacts must connect the space-time sheets containing strong electric and magnetic fields.

### 2.4.2 Higgs like pseudo-scalar as Euclidian pion?

The recent view about the construction of preferred extremals predicts that in Minkowskian space-time regions the  $CP_2$  projection is at most 3-D. In Euclidian regions  $M^4$  projection satisfies similar condition. As a consequence, the instanton density vanishes in Minkowskian regions and pion can generate vacuum expectation only in Euclidian regions. Long Minkowskian flux tubes connecting wormhole contacts would correspond to pion like states and short Euclidian flux tubes connecting opposite wormhole throats to "Higgsy" pions.

1. If pseudo-scalar pion like state develops a vacuum expectation value the QFT limit, it provides weak gauge bosons with longitudinal components just as in the case of ordinary Higgs mechanism. Pseudo-scalar boson vacuum expectation contributes to the masses of weak bosons and predicts correctly the ratio of W and Z masses. If p-adic thermodynamics gives a contribution to weak boson masses it must be small as observed already earlier. Higgs like pion cannot give dominant contributions to fermion masses but small radiative correction to fermion masses are possible.

Photon would be massless in 4-D sense unlike weak bosons. If ZEO picture is correct, photon would have small longitudinal mass and should have a third polarization. One must of course remain critical concerning the proposal that longitudinal  $M^2$  momentum replaces momentum in gauge conditions. Certainly only longitudinal momentum can appear in propagators.

2. If three components of Euclidian pion are eaten by weak gauge bosons, only single neutral pion-like state remains. This is not a problem if ordinary pion corresponds to Minkowskian flux tube. Accordingly, the 126 GeV boson would correspond to the remaining component Higgs like Euclidian pion and the boson with mass around 140 GeV for which CDF has provided some evidence to the Minkowskian  $M_{89}$  pion [C5] and which might have also shown itself in dark matter searches [C18, C9].

3. One can consider two candidates for pion like pseudo-scalars as states whose form apart from parallel translation factor is  $\bar{\Psi}_1 j^{Ak} \gamma_k \Psi_2$  (see Appendix). Here  $j^A$  is generator of color isometry either in  $U(2)$  sub-algebra or its complement. The state in  $U(2)$  algebra transforms as  $3+1$  under  $U(2)$  and the state in its complement like  $2 + \bar{2}$  under  $U(2)$ .

These states are analogous of  $CP_2$  polarizations, whose number can be at most four. One must select either of these polarization basis.  $2 + \bar{2}$  is an unique candidate for the Higgs like pion and can be naturally assigned with the Euclidian regions having Hermitian structure.  $3+1$  in turn can be assigned naturally to Minkowskian regions having Hamilton-Jacobi structure.

Ordinary pion has however only three components. If one takes seriously the construction of preferred extremals the solution of the problem is simple:  $CP_2$  projection is at most 3-dimensional so that only 3 polarizations in  $CP_2$  direction are possible and only the triplet remains. This corresponds exactly to what happens in sigma model combining describing pion field as field having values at 3-sphere.

4. Minkowskian and Euclidian signatures correspond naturally to the decompositions  $3+1$  and  $2+\bar{2}$ , which could be assigned to quaternionic and co-quaternionic subspaces of  $SU(3)$  Lie algebra or imbedding space with tangent vectors realized in terms of the octonionic representation of gamma matrices.

One can proceed further by making objections.

1. What about kaon, which has a natural  $2 + \bar{2}$  composition but can be also understood as  $3 + 1$  state? Is kaon is Euclidian pion which has not suffered Higgs mechanism? Kaons consists of  $u\bar{s}$   $d\bar{s}$  and their antiparticles. Could this non-diagonal character of kaon states explain why all four states are possible? Or could kaon corresponds to Minkowskian triplet plus singlet remaining from the Euclidian variant of kaon? If so, then neutral kaons having very nearly the same mass - so called short lived and long lived kaons - would correspond to Minkowskian and Euclidian variants of kaon. Why the masses if these states should be so near each other? Could this relate closely to  $CP$  breaking for non-diagonal mesons involving mixing of Euclidian and Minkowskian neutral kaons? Why  $CP$  symmetry requires mass degeneracy?
2. Are also  $M_{107}$  electroweak gauge bosons? Could they correspond to dark variant of electroweak bosons with non-standard value of Planck constant? This would predict the existence of additional - possibly dark - pion-like state lighter than ordinary pion. The Euclidian neutral pion would have mass about  $(125/140) \times 135 \sim 125$  MeV from scaling argument. Interestingly, there is evidence for satellites of pion: they include also a states which are lighter than pion [C2]. The reported masses of these states would be  $M = 62, 80, 100, 181, 198, 215, 227.5,$  and  $235$  MeV. 125 MeV state is not included. The interpretation of these states is as IR Regge trajectories in TGD framework.

### 2.4.3 How the vacuum expectation of the pseudo-scalar pion is generated?

There are two options to choose concerning the identification of the Euclidian pion.  $2 + \bar{2}$  defining the complement of  $u(2) \subset su(3)$  defines the analog of kaon and antikaon for old-fashioned flavor  $SU(3)$ .  $3 + 1$  in  $u(2)$  is second option but it is easy to see that this option fails.

Euclidian regions have 4-D  $CP_2$  projection so that the instanton density is non-vanishing and Euclidian pion can generate vacuum expectation for both options. In the following an attempt to understand details of this process is made using the unique Higgs potential consistent with conformal invariance.

1. The first observation is that in the case of  $2 + \bar{2}$  the standard form of the Higgs potential gives rise to massivation and the formulas are exactly same as in the standard model. In the standard model the mass term must be tachyonic. This leads to the so called hierarchy problem [?] The source of the problem are the couplings of Higgs to fermions proportional to the mass of fermion. The radiative corrections to Higgs mass squared are positive and proportional to fermion mass so that top quark gives the dominating contribution. This implies that the sign of the mass squared can become positive and the state with vanishing vacuum expectation value of Higgs field becomes the ground state. In the recent case this is not a problem since fermions couple to the  $2 + \bar{2}$  pion like state only radiatively.

2. If the Higgs mass is of order  $O(p)$  p-adically, the lowest order contribution to Higgs mass is  $m_{min}^2 = m^2(CP_2)/p$ . This mass is obtained by scaling the p-adic mass scale  $m_{127}$  assignable to electron having upper bound  $m_{127} \leq m_e/\sqrt{5}$  with the factor  $\sqrt{M_{127}/M_{89}} \simeq 2^{(127-89)/2}$ . This gives  $m_{min} \leq 119.8$  GeV, which is about 4 per cent smaller than the actual mass estimate 125 GeV. This suggests that p-adic mass squared of Euclidian pion is given by  $m_\pi^2 = p + O(p^2)$  mapping to  $m_{\pi,R}^2 = 1/p + O(p^{-2})$  by canonical identification  $\sum x_n p^n \rightarrow \sum x_n p^{-n}$ . The correction could be due to radiative corrections or second order contributions from p-adic thermodynamics. Note that the vacuum expectation value of Higgs is  $v = 246$  GeV, which is slightly larger than  $v = 2m_{min}$ .

The most important result is a solution of the hierarchy problem and one could stop here. One should however have an explanation for the anomalous production of gamma pairs and also a microscopic theory for the tachyonic mass term.

#### 2.4.4 The microscopic origin of the tachyonic mass term

In the proposed model predicts p-adic thermodynamics does not give rise to the physical Higgs mass. As a matter fact, there are also other arguments forbidding this. 125 GeV is very near to minimal one in p-adic thermodynamics for  $T_p = 1$  for single fermion. Now Higgs like particle consists of a superposition of fermion and antifermion pairs with non-minimal p-adic masses so that the lower bound for minimal mass is two times larger and the mass would be thermodynamical. Hence the physical mass cannot be due to p-adic thermodynamics with  $T_p = 1$  for  $p = M_{89}$ . Of course, the tachyonic mass term cannot be due to p-adic thermodynamics since it gives rise to positive mass squared.

The problem is to understand the origin of the tachyonic mass term.

1. The original erratic ideas was that Higgs like boson has a linear coupling to the instanton density for weak fields: this indeed gives Higgs a mass assuming only that besides the instanton term there is a non-tachyonic mass term in the Higgs potential. In Euclidian regions classical instanton term defined by the induced gauge fields develops a vacuum expectation value and would give rise to mass term. This works if Higgs has the structure  $3+1$  under electroweak  $U(2)$  but not for  $2+\bar{2}$ . Linear coupling is favored by anomaly considerations in the case of ordinary pion transforming as  $3+1$  under  $u(2)$  and also in the case of  $M_{89}$  pion one can expect this kind of term.
2. It is easy to modify the instanton term so that it gives rise to an effective mass term. This term is just the expectation value for the product  $F \wedge *F$  (YM action density) or  $F \wedge F$  (instanton term) in the "state" defined by the 2-spinor representing Higgs like field. Since Higgs like field and its conjugate appear in a bilinear manner in the interaction term, one obtains net scalar contribution from Higgs like fields irrespective of whether the Higgs like field is scalar or pseudoscalar or something between them. In ordinary QFT CP and P invariance would require therefore  $F \wedge *F$  in order to get a scalar.
3. One can wonder whether all electroweak gauge boson fields can appear in the interaction terms. The assumption that only the induced Kähler form is present is very natural one and might be forced by mathematical consistency. In this case only  $Z^0$  and  $\gamma$  would appear in the interaction term: the reason is that their charge matrices contain electro-weak hyper-charge  $Y$ . Therefore only  $Z$  and  $\gamma$  pairs would be produced anomalously in the decays of the Higgs like particle.

The instanton density  $F \wedge F$  is non-vanishing in the Euclidian regions for single space-time sheet. If one restricts  $F$  to be the induced Kähler form,  $F \wedge *F$  and  $F \wedge F$  are identical for  $CP_2$  type vacuum extremals by their self duality. Hence one might hope that the resulting CP breaking effects are small and could relate to the CP breaking occurring in hadron physics and having no explanation in terms of a microscopic theory. One must be however very cautious with interpretations: the point is that CP and P are defined at the level of imbedding space and P and CP for instanton term at space-time level. It is not clear whether these notions of CP and P are equivalent.

4. If one accepts this picture, the mass term in Higgs potential is replaced by effective mass term and one would have



$$\frac{m^2}{2}\overline{H}H \rightarrow K\overline{H}(aF \wedge *F + bF \wedge F)H . \quad (2.1)$$

The condition that the mass squared term is tachyonic, dictates the sign of the factor  $K$  if one assumes that the Euclidian region can be approximated by  $CP_2$  type vacuum extremal in the lowest approximation. The value of the Euclidian YM action is always negative so that  $K$  must be positive. This mass term gives at braid strands a constant term of the Higgs potential. The two extreme options corresponding to  $(a = 1, b = 0)$  and  $(a = 0, b = 1)$ .

5. What can one say about the value of the parameter  $K$ ?  $K$  has dimensions of length squared, and the first guess is that  $K$  is proportional to  $m_p^2/m_{CP_2}^2 \propto 1/p$  with  $p = M_{89}$  in the recent case. The values of the action terms are identical for  $CP_2$  type vacuum extremals and do not depend on  $p$ . This option however predicts extremely small value of  $K$  and therefore extremely low anomalous decay rate to gamma pairs. Therefore the reasonable option is that both  $F \wedge *F$  and  $F \wedge F$  are of order  $1/L_p^4$  and  $K \sim L_p^2$  holds true. The interpretation could be that the  $CP_2$  type vacuum extremal is deformed to  $M^4$  directions and its  $M^4$  projection has size of order  $L_p$ .
6. The model avoids the hierarchy problem and explains massivation and the emergence of longitudinal polarizations of weak bosons in standard manner. Higgs like particle could be either scalar or pseudoscalar. The model explains also the two-gamma anomaly. The reason is that the effective mass squared term gives in linearization a term, which makes possible the decays of Higgs to gauge boson pairs.

$$K [\overline{\delta H}(aF \wedge *F + bF \wedge F)H_0 + \overline{H}_0(aF \wedge *F + bF \wedge F)\delta H] . \quad (2.2)$$

This term could explain the anomalous production of gamma pairs and predicts also anomalous production of Z pairs and for the most general YM terms also that of W boson pairs. There are 4 unknown real parameters corresponding to  $K$ ,  $a/b$ , and the average values of  $F \wedge *F$  and  $F \wedge F$ . Higgs expectation  $\mu$  and tachyonic Higgs mass squared combined with the p-adic length scale hypothesis give constraints on the parameters. Interesting special cases correspond to  $a = 0$  resp.  $b = 0$  suggesting maximal/minimal CP breaking. The parity of the Euclidian pion does not pose constraints on the action term.

7. The relative phase between the instanton term and kinetic term of pion like state is highly relevant to the decay rate. If the relative phase corresponds to imaginary unit then the rate is just the sum of the anomalous and non-anomalous rates since interference is absent.

#### 2.4.5 An estimate for the magnitude of the parameter $K$

One can evaluate the magnitude of the anomalous contribution to the decay rate by using standard Feynman rules and the proposed interaction term. Interference with the standard contribution is not excluded so that one should not draw too far reaching conclusions from the estimate. The differential of the decay rate is obtained by using a general expression for the decay rate of a massive particle to two-boson final state given in the Appendix of [B1]:

$$\begin{aligned} d\Gamma &= \frac{1}{2m_H} |T|^2 d\mu , \\ d\mu &= (2\pi)^{-2} \frac{d\Omega}{4} . \end{aligned} \quad (2.3)$$

For  $|T|^2$  one has in the case of gamma pair

$$\begin{aligned} |T|^2 &= K^2 (4\pi\alpha)^2 \mu^2 |af \circ f + b\tilde{f} \circ f|^2 , \\ f \circ f &= f^{\mu\nu} f_{\mu\nu} , \quad \tilde{f} \circ f = \frac{1}{2} \epsilon^{\mu\nu\gamma\delta} f_{\mu\nu} f_{\gamma\delta} , \quad f_{\mu\nu} = \epsilon_\mu k_\nu - \epsilon_\nu k_\mu . \end{aligned} \quad (2.4)$$

Here  $\mu$  denotes Higgs vacuum expectation ( $\mu \simeq 246$  GeV). The factor  $(4\pi\alpha)^2 = (e^2/\hbar)^2$  comes from the  $e^2/\hbar$  factors associated with  $F \circ F$  and  $\tilde{F} \circ F$ .

The trivial integration over final state momenta and the averaging over the angle between polarization directions gives the expression for the magnitude of the anomalous contribution to the decay rate

$$\begin{aligned}\Gamma_{ano} &= \frac{X^2}{2\pi} \frac{\mu^2}{m_H} (4\pi\alpha)^2 (a^2 + b^2) , \\ X &\equiv Km_H^2\end{aligned}\tag{2.5}$$

The standard model prediction  $\Gamma_{stand}$  for the decay rate to gamma pairs [B2] is given by the expression

$$\Gamma_{stand} = (\alpha)^2 g_W^2 2^{-10} \pi^{-3} m_h^3 m_W^{-2} .\tag{2.6}$$

If the two contributions to the decay rate sum up incoherently, and if one estimates the ratio of the anomalous rate to the standard model rate to be  $x = .6$  (the observed rate would be 1.6 times higher than predicted), one obtains for the parameter  $X^2(a^2 + b^2)$  the estimate

$$X^2(a^2 + b^2) = 2\pi \times 2^{-10} \times (4\pi)^2 \times (m_H/m_W)^2 \times x \simeq 1.41 .\tag{2.7}$$

The value of  $r \equiv K\sqrt{a^2 + b^2}/m_H \simeq 1.19$  looks rather natural taking into account that  $m_H$  is slightly larger than the primary p-adic mass scale squared associated with  $M_{89}$ .  $K\sqrt{a^2 + b^2} = 1/m(M_{89})^2 = L_{89}^2$  is a reasonable first guess.

### 3 About the microscopic description of gauge boson massivation

The conjectured QFT limit allows to estimate the quantitative predictions of the theory. This is not however enough. One should identify the microscopic counterparts for various aspects of gauge boson massivation relying on Euclidian pion - something radically new in the space-time ontology. There is also the question about the consistency of the gauge theory limit with the ZEO inspired view about massivation and suggesting gauge conditions differing dramatically from the conventional ones. The basic challenge are obvious: one should translate notions like Higgs vacuum expectation, massivation of gauge bosons, and finite range of weak interactions to the language of wormhole throats, Kähler magnetic flux tubes, and string world sheets.

#### 3.1 Elementary particles in ZEO

Let us first summarize what kind of picture ZEO suggests about elementary particles.

1. Kähler magnetically charged wormhole throats are the basic building bricks of elementary particles. The lines of generalized Feynman diagrams are identified as the Euclidian regions of space-time surface. The weak form of electric magnetic duality forces magnetic monopoles and gives classical quantization of the Kähler electric charge. Wormhole throat is a carrier of many-fermion state with parallel momenta and the fermionic oscillator algebra gives rise to a badly broken large  $\mathcal{N}$  SUSY [K8].
2. The first guess would be that elementary fermions correspond to wormhole throats with unit fermion number and bosons to wormhole contacts carrying fermion and antifermion at opposite throats. The magnetic charges of wormhole throats do not however allow this option. The reason is that the field lines of Kähler magnetic monopole field must close. Both in the case of fermions and bosons one must have a pair of wormhole contacts connected by flux tubes. The most general option is that net quantum numbers are distributed amongst the four wormhole throats. A simpler option is that quantum numbers are carried by the second wormhole: fermion quantum

numbers would be carried by its second throat and bosonic quantum numbers by fermion and antifermion at the opposite throats. All elementary particles would therefore be accompanied by parallel flux tubes and string world sheets.

3. A cautious proposal in its original form was that the throats of the other wormhole contact could carry weak isospin represented in terms of neutrinos and neutralizing the weak isospin of the fermion at second end. This would imply weak neutrality and weak confinement above length scales longer than the length of the flux tube. This condition might be un-necessarily strong.

The realization of the weak neutrality using pair of left handed neutrino and right handed antineutrino or a conjugate of this state is possible if one allows right-handed neutrino to have also unphysical helicity. The weak screening of a fermion at wormhole throat is possible if  $\nu_R$  is a constant spinor since in this case Dirac equation trivializes and allows both helicities as solutions. The new element from the solution of the modified Dirac equation is that  $\nu_R$  would be interior mode delocalized either to the other wormhole contact or to the Minkowskian flux tube. The state at the other end of the flux tube is spartner of left-handed neutrino.

It must be emphasized that weak confinement is just a proposal and looks somewhat complex: Nature is perhaps not so complex at the basic level. To understand this better, one can think about how  $M_{89}$  mesons having quark and antiquark at the ends of long flux tube returning back along second space-time sheet could decay to ordinary quark and antiquark.

### 3.2 ZEO and gauge conditions

ZEO suggests a new approach to gauge conditions. The proposal is of course something which must be taken with extreme cautiousness.

1. In ZEO all wormhole throats - also those associated with virtual particles - are massless. Fermionic propagators identified as 4-D massless propagators would diverge identically. The first guess is that only the longitudinal momentum  $p_L$  defined as  $M^2$  projection of four-momentum appears in propagators. The construction of the functional integral however implies that the propagator defined by the modified Dirac operator appears naturally in the fermion part of perturbation theory. For the light-like braid strands the perturbation theory for fermion  $n$ -point function is conjectured to reduce from stringy perturbation theory to 1-D theory involving only the fermion propagators assigned with the braid strands. The propagator defined by the modified Dirac operator need not of course reduce to  $M^2$  propagator even in this case but this is possible in principle. The momentum in the propagator brings in mind the region momentum of the twistor approach.
2. In the light of 2-D fermionic propagation it would not be terribly surprising if  $p_L$  would appear in the gauge conditions for the physical states so that one would have  $p_L \cdot \epsilon = 0$ .  $M^2$  would be the counterpart of string world sheet at imbedding space level and its presence is strongly suggested both by number theoretical vision and by ZEO. For  $M^2$  option also the third polarization is possible for states massless in 4-D sense - a clear signal about longitudinal massivation (at least this) of gauge bosons. The simplest interpretation of the p-adic mass calculations for fermions would be that p-adic thermodynamics gives longitudinal momentum squared as a thermal expectation value in a state satisfying Virasoro conditions and having massless state as the ground state. One must be however very cautious in introducing completely new elements to the theory.
3. The introduction of  $M^2$  does not Lorentz invariance since one has integral over all  $CDs$  characterized by the choice of  $M^2 \subset M^4$  defining the energy quantization axis (rest system) and spin quantization axis. One should demonstrate that this integration yields sensible scattering amplitudes.

To sum up, for states consisting of several wormhole throats longitudinal massivation allows state to be massless in 4-D sense but does not require this. At least weak bosons could be massive also in 4-D sense, maybe also photon.

### 3.3 Gauge bosons and pseudoscalars must be massive in 4-D sense

What Higgs mechanism for gauge bosons really means? Is it a QFT counterpart for the  $M^2$  massivation or for a massivation in 4-D sense? The wormhole contacts could have non-parallel massless momenta without giving up the idea about on mass shell massless propagation essential for the twistor approach so that the answer to the question is not obvious. For fermions p-adic thermodynamics suggests strongly longitudinal massivation and masslessness in 4-D sense. Internal consistency would favor  $M^2$  massivation also in the case of bosons.

The construction of massless states for bosons assuming that second wormhole contact carries the momentum however yields a surprise: spin 1 bosons are necessarily massive in 4-D sense whereas spin 0 bosons can be massless. The Higgs mechanism based on instanton anomaly however implies the massivation of also pseudoscalar bosons. Scalar boson states are the only ones that can remain massless. 4-D form of gauge conditions is therefore possible and obviously the safest option also in ZEO.

Consider now the argument in detail.

1. If one assumes that both fermions are not only massless but also have only physical polarization (in other words satisfy massless Dirac equation with the same sign of energy) one finds that fermion-antifermion state with parallel four-momenta must have vanishing net spin since fermion and antifermion with same  $M^4$  chirality have opposite helicities. Thus it would seem that spin 0 states can be massless but that all spin 1 particles, including photon and gluon, are inherently massive in 4-D sense since the momenta of fermions cannot be exactly parallel. What is important is that this holds true irrespective of gauge conditions.
2. Indeed, if fermions are massless on mass shell states satisfying therefore also massless Dirac equation in  $M^4$ , wormhole throats must carry slightly non-parallel light-like momenta in order to have helicity one states. Massivation of spin one states is unavoidable. Situation changes if one requires masslessness but gives up massless Dirac equation for second fermion so that it can have opposite energy or 3-momentum implying non-physical polarization. The value of either fermion or antifermion energy can dominate and corresponding momentum defines the direction of helicity for the non-vanishing helicity. This being the case one could use also  $M^4$  momentum in gauge conditions since one would obtain three polarizations in any case.
3. If only  $M^2$  momentum appears in the gauge conditions, also the longitudinal polarization is possible for states which remain massless in 4-D sense (note however that this requires unphysical polarization state). This is possible because  $M^2$  momentum is in general massive: wormhole throats can carry parallel massless 4-momenta with massive  $M^2$  momentum.
4. Spinless states exactly massless states with on mass shell fermions with physical helicities are possible since the spins of the parallel on mass shell massless fermion and antifermion sum up to zero. The analog of Higgs mechanism would however make this state massive making the momenta slightly un-parallel. If also the wormhole throat at the second end of flux tube carries momentum, the massivation mechanism is more complex.

It must be noticed that the massivation of gauge bosons is obtained without any reference to Higgs like particle. In gauge theory context the choice of gauge transfers part of Higgsy degrees of freedom to gauge bosons.

### 3.4 The role of string world sheets and magnetic flux tubes in massivation

What is the role of string world sheets and flux tubes in the massivation? At the fundamental level one studies correlation functions for particles and finite correlation length means massivation.

1. String world sheets define as essential element in 4-D description. All particles are basically bi-local objects: pairs of string at parallel space-time sheets extremely near to each other and connected by wormhole contacts at ends. String world sheets are expected to represent correlations between wormhole throats.

2. Correlation length for the propagator of the gauge boson characterizes its mass. Correlation length can be estimated by calculating the correlation function. For bosons this reduces to the calculation of fermionic correlations functions assignable to string world sheets connecting the upper and lower boundaries of  $CD$  and having four external fermions at the ends of  $CD$ . The perturbation theory reduces to functional integral over space-time sheets and deformation of the space-time sheet inducing the deformation of the induced spinor field expressible as convolution of the propagator associated with the modified Dirac operator with vertex factor defined by the deformation multiplying the spinor field. The external vertices are braid ends at partonic 2-surfaces and internal vertices are in the interior of string world sheet. Recall that the conjecture is that the restriction to the wormhole throat orbits implies the reduction to diagrams involving only propagators connecting braid ends. The challenge is to understand how the coherent state assigned to the Euclidian pion field induces the finite correlation length in the case of gauge bosons other than photon.
3. The non-vanishing commutator of the gauge boson charge matrix with the vacuum expectation assigned to the Euclidian pion must play a key role. The study of the modified Dirac operator suggests that the braid strands contain the Abelianized variant of non-integrable phase factor defined as  $\exp(i \int A dx)$ . If  $A$  is identified as string world sheet Hodge dual of Kac-Moody charge the opposite edges of string world sheet with geometry of square given contributions which compensate each other by conservation of Kac-Moody charge if  $A$  commutes with the operators building the coherent Higgs state. For photon this would be true. For weak gauge bosons this would not be the case and this gives hopes about obtaining destructive interference leading to a finite correlation length.

One can also consider try to build more concrete manners to understand the finite correlation length.

1. Quantum classical correspondence suggests that string with length of order  $L \sim \hbar/E$ ,  $E = \sqrt{p^2 + m^2}$  serves as a correlate for particle defined by a pair of wormhole contacts. For massive particle wave length satisfies  $L \leq \hbar/m$ . Here  $(p, m)$  must be replaced with  $(p_L, m_L)$  if one takes the notion of longitudinal mass seriously. For photon standard option gives  $L = \lambda$  or  $L = \lambda_L$  and photon can be a bi-local object connecting arbitrarily distant objects. For the second option small longitudinal mass of photon gives an upper bound for the range of the interaction. Also gluon would have longitudinal mass: this makes sense in QCD where the decomposition  $M^4 = M^2 \times E^2$  is basic element of the theory.
2. The magnetic flux tube associated with the particle carries magnetic energy. Magnetic energy grows as the length of flux tube increases. If the flux is quantized magnetic field behaves like  $1/S$ , where  $S$  is the area of the cross section of the flux tube, the total magnetic energy behaves like  $L/S$ . The dependence of  $S$  on  $L$  determines how the magnetic energy depends on  $L$ . If the magnetic energy increases as function of  $L$  the probability of long flux tubes is small and the particle cannot have large size and therefore mediates short range interactions. For  $S \propto L^\alpha \sim \lambda^\alpha$ ,  $\alpha > 1$ , the magnetic energy behaves like  $\lambda^{-\alpha+1}$  and the thickness of the flux tube scales like  $\sqrt{\lambda^\alpha}$ . In case of photon one might expect this option to be true. Note that for photon string world sheet one can argue that the natural choice of string is as light-like string so that its length vanishes.

What kind of string world sheets are possible? One can imagine two options.

1. All strings could connect only the wormhole contacts defining a particle as a bi-local object so that particle would be literally the geometric correlate for the interaction between two objects. The notion of free particle would be figment of imagination. This would lead to a rather stringy picture about gauge interactions. The gauge interaction between systems  $S_1$  and  $S_2$  would mean the emission of gauge bosons as flux tubes with charge carrying end at  $S_1$  and neutral end. Absorption of the gauge boson would mean that the neutral end of boson and neutral end of charge particle fuse together line the lines of Feynman diagram at 3-vertex.
2. Second option allows also string world sheets connecting wormhole contacts of different particles so that there is no flux tube accompanying the string world sheet. In this case particles would

be independent entities interacting via string world sheets. In this case one could consider the possibility that photon corresponds to string world sheet (or actually parallel pair of them) not accompanied by a magnetic flux tube and that this makes the photon massless at least in excellent approximation

The first option represents the ontological minimum.

### 3.5 The counterpart of Higgs vacuum expectation in microscopic language

The challenge is to translate the QFT description of gauge boson massivation to microscopic description. One can say that gauge bosons "eat" the components of Higgs. In unitary gauge one gauge rotates Higgs field to electromagnetically neutral direction defined by the vacuum expectation value of Higgs. The rotation matrix codes for the degrees of freedom assignable to non-neutral part of Higgs and they are transferred to the longitudinal components of Higgs in gauge transformation. This gives rise to the third polarization direction for gauge boson.

1. In path integral formulation the description of the situation is straightforward: unfortunately the mathematical status of path integral formalism is not established. This formulation does not have any obvious connection with its microscopic counterpart in TGD framework.
2. In QFT language the generation of vacuum expectation value could correspond to a formation of coherent state defined as eigenstate for the negative frequency part of Higgs field and obtained by acting with the exponential of positive frequency part of Higgs field to vacuum. Formally can regard the state as a continuous tensor product of states associated with point of 3-space with coherent state with same coherence parameter at each point. Also this notion is mathematically questionable. The parameter in the exponential would be a parameter with dimensions of mass and define the vacuum expectation value of Higgs like field. Note that the Higgs expectation can be constant although the coherent state contains many particle states associated with all possible frequencies and momenta.

One might hope that the latter description has a microscopic counterpart. Higgs like state is a wormhole contact with fermion and antifermion at the throats. This state is different from its Hermitian conjugate since the permutation of the wormhole throats takes place in Hermitian conjugation. One might hope that this pair of operators defines a pair of bosonic operators analogous to a pair formed by bosonic annihilation and creation operator, and that the exponential of the creation operator like part acting on vacuum would define the counterpart of coherent state now. More general coherent state  $|coh\rangle$  could be defined by a series in monomials  $P_{m_1, \dots, m_n}^{N\dagger} = a^{\dagger, m_1} \dots a^{\dagger, m_n}$  of fermionic creation operators with some coefficients  $C_{m_1, \dots, m_n}$ . One can also assume some canonical ordering of the oscillator operators.

The counterpart  $A$  of the bosonic annihilation operator would be defined by the Higgs like state as a sum  $\sum_{mn} A_{mn} P_{mn}^2$  of monomials  $P_{mn}^2 = a_m a_n$  of two fermionic annihilation operators with some coefficients.

The action of a pair  $a_m a_n$  of annihilation operators in  $A$  on  $P_{m_1, \dots, m_N}^{N\dagger}$  produces zero if either of the operators is not contained in  $P^{N\dagger}$  and otherwise cancels the  $a_m^\dagger$  and  $a_n^\dagger$  from it. There is also a sign factor from anticommutators. In the lowest order term one would have  $\sum_{mn} A_{mn} C_{mn} P_{mn}^{2\dagger} = h$ . General conditions would read

$$\begin{aligned} & \sum_{n_1 n_2} A_{n_1 n_2} C_{m_1, \dots, m_N} P_{m_1, \dots, \hat{m}_r, \dots, \hat{m}_s, \dots, m_N}^{N\dagger} \delta_{n_1, m_r} \delta_{n_2, m_s} (-1)^{r+s+\epsilon(r,s)} \\ & = h \times C_{m_1, \dots, m_N} P_{m_1, \dots, m_N}^{N-2\dagger} . \end{aligned} \tag{3.1}$$

$\epsilon(r, s) = 0$  for  $r < s$  ,  $\epsilon(r, s) = 1$  for  $r > s$  .

Apart from  $n_1$  and  $n_2$  all indices appearing  $P^{N\dagger}$  appear in  $P^{N-2\dagger}$  in the same order. The equations have a solution only if the number of the oscillator operators is infinite since if  $N_{max}$  is finite, the action produces a polynomial of degree  $N_{max} - 2$ . One can of course consider the weakening of the coherence conditions so that it need not hold for the highest monomials. Finite measurement resolution indeed suggest that the number of oscillator operators is finite and proportional to the number braid strands.

The parameter  $h$  defining the vacuum expectation value should be propotional to the electromagnetic part of instanton density at the end of braid strand. Each component of the Euclidian pion is

pseudoscalar so that  $h$  must be pseudoscalar and proportionality to instanton density is the only possible option. The value of the parameter characterizing the instanton density should be characterized by p-adic length scale. Since one needs the Higgs expectation only at the ends of braid strands, the coherent state is well defined since everything is discrete.

### 3.6 Could Higgs mechanism provide a description of p-adic particle massivation at QFT limit?

The most recent TGD based explanation of the observed Higgs like state with 125 GeV mass is as "half-Higgs" identified as "Euclidian pion". Euclidian pion would give a dominating contribution to the masses of gauge bosons but the contribution to fermion masses would be negligible and come from p-adic thermodynamics. This scenario saves from the hierarchy problem resulting from fermionic loops giving large contribution from heavy fermion masses and destabilizes Higgs mechanism. It is also known that for the observed mass of the Higgs like state Higgs vacuum is unstable.

What if the Higgs like state decays to fermions pairs with the rate predicted by standard form of Higgs mechanism? This is unpleasant question from TGD point of view. Could it mean that TGD is deadly wrong? Unpleasant questions are often the most useful ones so that it is perhaps time to boldly articulate also this question.

Is the recent TGD based view about Higgs like state as "Euclidian pion" as source of gauge boson masses and p-adic thermodynamics as a source of fermion masses exactly correct? Could Higgs description be only an effective description necessary at QFT limit? p-Adic thermodynamics is based on very general assumptions like super-conformal invariance, the existence of string like objects of length of order  $CP_2$  length predicted by the modified Dirac equation, and the powerful number theoretic constraints coming from p-adic thermodynamics and p-adic length scale hypothesis. Could Higgs mechanism be only a QFT approximation for a microscopic description of massivation based on p-adic thermodynamics so that the two approaches would not be actually competitors?

#### 3.6.1 Microscopic description of massivation

Consider first the microscopic description in more detail.

1. In TGD description elementary particles correspond to loops carrying Kähler magnetic monopole flux and having two wormhole contacts with Euclidian signature of induced metric as ends at which magnetic flux flows between opposite light-like 3-D wormhole throats at different space-time sheets. In the case of fermions fermion number resides at wormhole throat at the either end of the loop. In the case of bosons fermion and antifermion number reside at the opposite throats of either wormhole contact. One can imagine variants of this picture since two wormhole contacts are involved: fermion number could be delocalized to both wormhole contacts and both wormhole throats, and bosons could have fermion and antifermion at the throats of different wormhole contacts. p-Adic mass calculations do not allow to distinguish between these options. The solutions of the modified Dirac equation assign to the flux loop closed string and this leads to a rich spectrum of topological quantum numbers and implies that elementary particles are also knots: unfortunately the predicted effects are extremely small [K9].
2. What does one actually mean with the expectation value of mass squared in p-adic thermodynamics (as a matter of fact, ZEO suggests that p-adic thermodynamics is replaced with its "complex square root". This has some non-trivial number theoretical implications in the case of fermions discussed in [K16])? There are two options.
  - (a) Genuine mass squared is in question. The simplest possibility is that both throats of the wormhole carry light-like momentum. If the momenta are not parallel, this can give rise to stringy mass squared spectrum with string tension determined by  $CP_2$  length. The role of string is connects the opposite throats of the wormhole contact. In the case of bosons the ends of the short string connecting the throats would carry fermion and antifermion. In the case of fermions second throat would carry purely bosonic excitations generated by the symplectic algebra of  $\delta M_{\pm}^4 \times CP_2$ . One could also assign mass squared to the string but holography suggests that this mass squared is identifiable as total mass squared assignable to the ends.

- (b) Longitudinal mass squared is in question. The other option favored by ZEO and number theoretical arguments is that p-adic thermodynamics gives only longitudinal mass squared, that this the square of  $M^2$ -projection of light-like fermion momentum, where  $M^2 \subset M^4$  characterizes given  $CD$ .

What happens in the case of contact? Could the transversal momenta of the throats cancel and give rise to a purely longitudinal contribution equal to the entire momentum so that longitudinal option would be equivalent with the first one?

Or could it be that the second wormhole throat does not contribute to the mass squared. The physical mass squared would be the average of longitudinal mass squared over various choices of  $M^2 \subset M^4$  so that Lorentz invariance would be achieved.

Note that the propagators associated with massless twistor lines would be defined by the  $M^2$  projections of fermionic or bosonic momenta and would therefore be finite. Also gauge conditions would involve only the longitudinal projection. I have not been able to develop any killer argument against this option.

3. According to the most recent view, the dominating contribution to gauge boson masses would be due to their coupling to Higgs like Euclidian pion developing vacuum expectation associated with coherent state. But is this fundamental description or only effective description obtained at 8-D QFT limit? An alternative view discussed for a year or two ago is that gauge boson masses correspond to "stringy" contribution from the *long* portion of the closed flux tube pair connecting the two wormhole contacts with a distance of order weak length scale associated with the gauge boson - the analog of Minkowskian meson. The contribution from the *short* part of the closed flux tube - the wormhole contact defining Euclidian pion - would dominate fermionic masses. In this case Higgs vacuum expectation could provide only a convenient effective description at QFT limit.
4. This picture leads naturally to generalized Feynman diagrams suggesting strongly twistor Grassmannian description since even the virtual wormhole throats are light-like. This description in turn would lead to QFT description when wormhole contacts are approximated by points of  $M^4 \times CP_2$  or even  $M^4$ .

p-Adic mass calculations give universal results but the drawback clearly is that they cannot fix the details of the model of elementary particles.

### 3.6.2 Does Higgs mechanism emerge in the QFT limit as effective description?

The above description is definitely not QFT description. Does QFT description exist at all - say as a limit of twistorial description? If the QFT limit exists in some sense, what can one conclude about it? In the possibly existing QFT description one must idealize flux loops with point-like particles. Even if p-adic thermodynamics predicts fermion masses by assigning them to short Euclidian strings and gauge boson masses by assigning them to long Minkowskian strings in the closed flux tube, the only manner to describe this at QFT limit might be based on the use of vacuum expectation of Higgs like field and coupling to Higgs field. One could even argue that p-adic thermodynamics is equivalent to Higgs mechanism at QFT limit.

Even if both fermionic and bosonic particle massivation were due to p-adic thermodynamics at the fundamental level, one is forced to describe it at QFT limit by taking mass as given thermal mass. This could be achieved by using coupling to the vacuum expectation of the Higgs like state (Euclidian pion) and by choosing the dimensionless coupling so that a correct value of mass results.

If the fermions couple also to the quantum part of Higgs field as bosons would certainly do, one obtains standard model prediction but encounters the hierarchy problem and vacuum stability problem.  $M_{89}$  hadron physics for which the bump at mass about 130 GeV suggested by the results of Fermi laboratory serves as evidence, might solve these problems. A more plausible option is that the badly broken supersymmetry generated by the second quantized modes of induced spinor field labelled by conformal weight - essentially conformal supersymmetry - guarantees the cancellation of loop contributions at high energies. Note that the modes associated with right-handed neutrino are delocalized at the entire 4-surface, and do not seem plausible candidates for the needed SUSY [K21]. One would end up with a description in which Higgs effectively gives rise to the masses of fermions. The outcome would be however an artifact of the QFT approximation.



One can consider QFT limits in  $H = M^4 \times CP_2$  and  $M^4$  respectively.

1. The 8-dimensional QFT limit treats fermions using  $H$ -spinors with quarks and leptons having different  $H$ -chiralities. In this case it is impossible to describe mass as in  $M^4$  since it would give rise to a coupling between quarks and leptons and break separate conservation of baryon and lepton numbers. One must introduce instead of scalar mass a vector in  $CP_2$  tangent space analogous to polarization vector.
  - (a) At quantum level Higgs vacuum expectation value defines a vector in  $CP_2$  tangent space expressible in terms of complexified gamma matrices having dimension 1/length so that is natural for the phenomenological description of mass generated by p-adic thermodynamics. In this description the counterpart of Higgs vacuum expectation would be the quantity  $H^k \gamma_k = H^A \gamma_A$ , where  $H^A$  is a vector in  $CP_2$  tangent space assignable to braid end at the partonic 2-surface (end or wormhole throat orbit at the boundary of  $CD$ ).  $H^A$  has dimensions of 1/length just as Higgs like field. The length squared of this vector would define the mass squared.
  - (b) Can one identify  $H^A$  in terms of induced geometry? The  $CP_2$  part of second fundamental form vanishing for minimal surfaces (analogous to massless particles) is such a vector field. Only the value of  $H^A$  at braid end is needed so that  $H^A$  would be effectively constant. Quantum classical correspondence suggests that  $H^A$  corresponds to vacuum expectation of Higgs field.
2.  $M^4$  QFT limit would define even stronger approximation, which must be however consistent with 8-D QFT limit. Now one must use 4-D spinors and describe the coupling in terms of scalar mass coupling different  $M^4$  chiralities. There are two options for the coupling  $g\bar{\Psi}\Psi\Phi$  and  $(g/m_0)\bar{\Psi}\gamma^\mu\Psi D_\mu\Phi$ . The latter option gives automatically effective coupling  $gm/m_0$  and Higgs couplings are therefore proportional to fermion masses. Fermion masses can be reproduced by the standard form of Higgs mechanism and also now the illusion that Higgs gives rise to fermion masses is created.

To sum up, it is possible that p-adic thermodynamics giving a dominating contribution to fermion and perhaps even boson masses from short/long flux tubes could have Higgs mechanism as the unique description at QFT limit so that the hopes of killing TGD or Higgs mechanism at one blow of experimentalist might be too optimistic. This could give a lesson in the art of ontology: wrong ontology can demand the existence of something that does not exist in more advanced ontology.

### 3.7 Low mass exotic mesonic structures as evidence for dark scaled down variants of weak bosons?

During last years reports about low mass exotic mesonic structures have appeared. It is interesting to combine these bits of data with the recent view about TGD analog of Higgs mechanism and find whether new predictions become possible. The basic idea is to derive understanding of the low mass exotic structures from LHC data by scaling and understanding of LHC data from data about mesonic structures by scaling back.

1. The article *Search for low-mass exotic mesonic structures: II. attempts to understand the experimental results* by Tatischeff and Tomasi-Gustafsson [C2] mentions evidence for exotic mesonic structures. The motivation came from the observation of a narrow range of dimuon masses in  $\Sigma^+ \rightarrow pP^0$ ,  $P^0 \rightarrow \mu^-\mu^+$  in the decays of  $P^0$  with mass of  $214.3 \pm .5$  MeV: muon mass is 105.7 MeV giving  $2m_\mu = 211.4$  MeV. Mesonlike exotic states with masses  $M = 62, 80, 100, 181, 198, 215, 227.5,$  and  $235$  MeV are reported. This fine structure of states with mass difference 20-40 MeV between nearby states is reported for also for some baryons.
2. The preprint *Observation of the E(38) boson* by Kh.U. Abraamyan et al [C10, C11, C12] reports the observation of what they call E(38) boson decaying to gamma pair observed in d(2.0 GeV/n)+C, d(3.0 GeV/n)+Cu and p(4.6 GeV)+C reactions in experiments carried in JINR Nuclotron.

If these results can be replicated they mean a revolution in nuclear and hadron physics. What strongly suggests itself is a fine structure for ordinary hadron states in much smaller energy scale than characterizing hadronic states. Unfortunately the main stream, in particular the theoreticians interested in beyond standard model physics, regard the physics of strong interactions and weak interactions as closed chapters of physics, and are not interested on results obtained in nuclear collisions.

In TGD framework situation is different. The basic characteristic of TGD Universe is fractality. This predicts new physics in all scales although standard model symmetries are fundamental unlike in GUTs and are reduced to number theory. p-Adic length scale hypothesis characterizes the fractality.

1. In TGD Universe p-adic length scale hypothesis predicts the possibility of scaled versions of both strong and weak interactions. The basic objection against new light bosons is that the decay widths of weak bosons do not allow them. A possible manner to circumvent the objection is that the new light states correspond to dark matter in the sense that the value of Planck constant is not the standard one but its integer multiple [K6].

The assumption that only particles with the same value of Planck constant can appear in the vertex, would explain why weak bosons do not decay directly to light dark particles. One must however allow the transformation of gauge bosons to their dark counterparts. The 2-particle vertex is characterized by a coupling having dimensions of mass squared in the case of bosons, and p-adic length scale hypothesis suggests that the primary p-adic mass scale characterizes the parameter (the secondary p-adic mass scale is lower by factor  $1/\sqrt{p}$  and would give extremely small transformation rate).

2. Ordinary strong interactions correspond to Mersenne prime  $M_n$ ,  $n = 2^{107} - 1$ , in the sense that hadronic space-time sheets correspond to this p-adic prime. Light quarks correspond to space-time sheets identifiable as color magnetic flux tubes, which are much larger than hadron itself.  $M_{89}$  hadron physics has hadronic mass scale 512 times higher than ordinary hadron physics and should be observed at LHC. There exist some pieces of evidence for the mesons of this hadron physics but masked by the Higgsteria.

The original proposal that 125 GeV state could correspond to pion of  $M_{89}$  physics was wrong. The modified proposal replaces the Minkowskian pion (that is ordinary pion) with its Euclidian variant assignable to a flux tube connecting opposite throats of wormhole contact. Euclidian pion would provide masses for intermediate gauge bosons via the analog of Higgs mechanism involving instanton density non-vanishing only in Euclidian regions but giving a negligible contribution to fermion masses: this would solve the hierarchy problem motivating space-time  $\mathcal{N} = 1$  SUSY not possible in TGD Universe. The expectation is that Minkowskian  $M_{89}$  pion (the real one!) has mass around 140 GeV assigned to CDF bump [C5].

3. In the leptonic sector there is evidence for lepto-hadron physics for all charged leptons labelled by Mersenne primes  $M_{127}$ ,  $M_{G,113}$  (Gaussian Mersenne), and  $M_{107}$  [K18]. One can ask whether the above mentioned resonance  $P^0$  decaying to  $\mu^- \mu^+$  pair motivating the work described in [C2] could correspond to pion of muon-hadron physics consisting of a pair of color octet excitations of muon. Its production would presumably take place via production of virtual gluon pair decaying to a pair of color octet muons.
4. The meson-like exotic states seem to be arranged along Regge trajectories but with string tension lower than that for the ordinary Regge trajectories with string tension  $T = .9 \text{ GeV}^2$ . String tension increases slowly with mass of meson like state and has three values  $T/\text{GeV}^2 \in \{1/390, 1/149.7, 1/32.5\}$  in the piecewise linear fit discussed in the article. The TGD inspired proposal has been that IR Regge trajectories assignable to the color magnetic flux tubes accompanying quarks are in question. For instance, in hadrons  $u$  and  $d$  quarks - understood as constituent quarks - would have  $k = 113$  quarks and string tension would be by naive scaling by a factor  $2^{107-113} = 1/64$  lower: as a matter of fact, the largest value of the string tension is twice this value. For current quark with mass scale around 5 MeV the string tension would be by a factor of order  $2^{107-121} = 2^{-16}$  lower.

If one accepts the proposal that the 125 GeV Higgs like state discovered at LHC corresponds to Euclidian pion, one can ask whether the new states could contain a scaled down counterpart of Euclidian pion and whether even scaled down dark counterparts of weak bosons might be involved.

These "weak" interaction would be actually of same strength as em interactions below the hadronic length and even above that faster than weak interactions by a factor of  $2^{36}$  coming from the scaling of the factor  $1/m_W^4$  in the simplest scattering involving weak boson exchange.

1. The naive estimate for the mass of  $M_{107}$  Euclidian pion is  $r \times 125$  GeV,  $r = 2^{(89-107)/2} = 2^{-9}$ ; this would give  $m(\pi_{E,107})=244$  MeV. The highest state in the IR Regge trajectory mentioned in [C2] has mass 235 MeV. The weak bosons of  $M_{107}$  weak physics would have masses obtained by using the same scaling factor. This would give 156 MeV for  $W_{107}$  and 176 MeV for  $Z_{107}$ . It seems that these states with these masses do not belong to the reported list  $M = 62, 80, 100, 181, 198, 215, 227.5,$  and 235 MeV of masses. For  $k = 109$ , which is also prime, one obtains states with  $m(\pi_{E,109})=122$  MeV,  $m(W_{109}) = m(Z_{109}) = 88$  MeV for vanishing value of Weinberg angle. Also these states seem to be absent from the spectrum listed above.
2. In the original version of dark matter hierarchy the scalings  $\hbar \rightarrow r\hbar$  of Planck constant were restricted to  $r = 2^{11}$ , which is in a reasonable approximation equal to proton/electron mass ratio. If one replaces the  $k = 107$  with  $k = 111$ , which corresponds to a scaling of  $M_{89}$  masses by a factor  $2^{-11}$ , one obtains scaling of  $M_{107}$  masses downwards by a factor  $1/4$ .

Euclidian pion  $\pi_{E,111}$  would have mass 61 MeV: this is near to the mass 62 MeV reported as the mass of the lowest lying mesonlike state at IR Regge trajectory.  $W_{111}$  and  $Z_{111}$  would have masses 39 MeV and 44 MeV for the standard value of Weinberg angle.  $Z$  decays to gamma pairs radiatively via intermediate  $W$  pair: could  $Z_{111}$  correspond to  $E(38)$  with mass 39 MeV? If the Weinberg angle is near to zero, the masses of  $W_{111}$  and  $Z_{111}$  are degenerate, and one would have 39 MeV mass for both. The accuracy of the mass determination for  $E(38)$  is 3 MeV so that the mass would be consistent with the identification as  $Z_{111}$ . Note that small Weinberg angle means that the ratio  $g'/g$  for  $U(1)$  and  $SU(2)$  couplings is small ( $U(1)$  part of ew gauge potential corresponds to Kähler potential for  $CP_2$  in TGD framework).

One can estimate the weak string tension from the mass squared difference for the states with masses 60 MeV and 80 MeV as  $\Delta M^2 = T_{111}$  giving  $2.8 \times 10^{-3}$  GeV<sup>2</sup>. The lowest value for the experimental estimate is  $2.6 \times 10^{-3}$  GeV<sup>2</sup>: the two values are consistent with each other.

3. These observations inspire the question whether  $k = 111 = 3 \times 37$  scaled variant of weak physics could be involved. One can of course ask why the Gaussian Mersenne  $M_{G,k}$ ,  $k = 113$ , assigned to nuclear space-time sheet, would not be realized in dark nuclear physics too. For this option masses would be scaled down a further factor of  $1/2$  to 19.5 MeV for weak bosons and to 30.5 MeV for Euclidian pion. Could it be that dark nuclear physics must correspond to different p-adic length scale differing by a factor 2 from that associated with ordinary nuclear physics? What is interesting is that one of the most long standing interpretational problems of quantum TGD was the fact that the classical theory predicts long ranged classical weak fields: the proposed solution of the problem was that the space-time sheets carrying these fields correspond to a non-standard value of Planck constant.

What does one obtain if one scales back the indications for scaled down variant of weak physics?

1. Scaling back to  $M_{89}$  would gives string tension  $T_{89} = 2^{22}T_{111} = 10.8 \times 10^{-3}$  TeV<sup>2</sup>. This predicts that first excited state of Euclidian pion has mass about 168 GeV: a bump with this mass corresponds to one of the many wrong alarms in Higgs hunting. There are indications for an oscillatory bump like structure in LHC data giving the ratio of the observed to predicted production cross section as a function of Higgs mass. This bump structure could reflect the actual presence of IR Regge trajectory for Euclidian pion inducing oscillatory behavior to the production cross section.
2. The obvious question is whether also the intermediate gauge bosons should have Regge trajectories so that the TGD counterpart Higgs mechanism would take place for each state in Regge trajectory separately. The flux tube structure made unavoidable by Kähler magnetic charges of wormhole throats indeed suggests Regge trajectories. For  $M_{89}$  weak physics the first excited state of  $W$  boson would be 144.5 GeV if one assumes the value of  $T_{89}$  given above.

Clearly, a lot of new physics is predicted and it begins to look that fractality - one of the key predictions of TGD - might be realized both in the sense of hierarchy of Planck constants (scaled variants with same mass) and p-adic length scale hypothesis (scaled variants with varying masses). Both hierarchies would represent dark matter if one assumes that the values of Planck constant and p-adic length scale are same in given vertex. The testing of predictions is not however expected to be easy since one must understand how ordinary matter transforms to dark matter and vice versa. Consider only the fact, that only recently the exotic meson like states have been observed and modern nuclear physics regarded often as more or less trivial low energy phenomenology was born about 80 years ago when Chadwick discovered neutron.

### 3.8 Cautious conclusions

The discussion of TGD counterpart of Higgs mechanism gives support for the following general picture.

1. p-Adic thermodynamics for wormhole contacts contributes to the masses of all particles including photon and gluons: in these cases the contributions are however small. For fermions they dominate. For weak bosons the contribution from Euclidian Higgs is dominating as the correct group theoretical prediction for the  $W/Z$  mass ratio demonstrates. The mere spin 1 character for gauge bosons implies that they are massive in 4-D sense. The mass term for Euclidian pion in the analog of Higgs potential is not tachyonic, and the absence of linear couplings to fermions proportional to their masses saves from radiative instability which standard  $\mathcal{N} = 1$  SUSY was hoped to solve. Therefore the usual space-time SUSY associated with imbedding space in TGD framework is not needed, and there are strong arguments suggesting that it is not present [?] For space-time regarded as 4-surfaces one obtains 2-D super-conformal invariance for fermions localized at 2-surfaces and for right-handed neutrino it extends to 4-D superconformal symmetry generalizing ordinary SUSY to infinite-D symmetry.
2. The basic predictions to LHC are following. Euclidian pion will be found to decay to fermion pairs in a manner inconsistent with Higgs interpretation and its pseudoscalar nature will be established. There is an anomalous contribution to the decays to weak gauge boson pairs which for the simplest option is present only for photon and  $Z^0$ .  $M_{89}$  hadron physics will be discovered. Fermi satellite has produced evidence for a particle with mass around 140 GeV and this particle could correspond to the pion of  $M_{89}$  physics. This particle should be observed also at LHC and CDF reported already earlier evidence for it. There has been also indications for other mesons of  $M_{89}$  physics from LHC discussed in [K11].
3. Fermion and boson massivation could emerge unavoidably as a theoretical artifact if one requires the existence of QFT limit leading unavoidably to a description in terms of Higgs mechanism. In the real microscopic theory p-adic thermodynamics for wormhole contacts would describe fermion massivation, and might describe even boson massivation in terms of long parts of flux tubes. Situation remains open in this respect. Therefore the observation of decays of Higgs at expected rate to fermion pairs cannot kill TGD based vision.
4. The new view about Higgs allows to see several conjectures related to ZEO in new light.
  - (a) The basic conjecture related to the perturbation theory is that wormhole throats are massless on mass shell states in imbedding space sense: this would hold true also for virtual particles and brings in mind what happens in twistor program. The recent progress [K21] in the construction of n-point functions leads to explicit general formulas for them expressing them in terms of a functional integral over four-surfaces. The deformation of the space-time surface fixes the deformation of basis for induced spinor fields and one obtains a perturbation theory in which correlation functions for imbedding space coordinates and fermionic propagator defined by the inverse of the modified Dirac operator appear as building bricks and the electroweak gauge coupling of the modified Dirac operator define the basic vertex. This operator is indeed 2-D for all other fermions than right-handed neutrino.
  - (b) The functional integral gives some expressions for amplitudes which resemble twistor amplitudes in the sense that the vertices define polygons and external fermions are massless although gauge bosons as their bound states are massive. This suggests perturbation at

imbedding space level such that fermionic propagator is defined by longitudinal part of  $M^4$  momentum. Integration over possible choices  $M^2 \subset M^4$  for  $CD$  would give Lorentz invariance and transform propagator terms to something else. As a matter of fact, Yangian invariance suggests general expressions very similar to those obtained in  $\mathcal{N} = 4$  SUSY for amplitudes in Grassmannian approach.

- (c) Another conjecture is that gauge conditions for gauge bosons hold true for longitudinal ( $M^2$ -) momentum and automatically allow 3 polarization states. This allows to consider the possibility that all gauge bosons are massless in 4-D sense. By above argument this conjecture must be wrong. Could one do without  $M^2$  altogether? A strong argument favoring longitudinal massivation is from p-adic thermodynamics for fermions. If p-adic thermodynamics determines longitudinal mass squared as a thermal expectation value such that 4-D momentum always light-like (this is important for twistor approach) one can assume that Super Virasoro conditions hold true for the fermion states. There are also number theoretic arguments and supporting the role of preferred  $M^2$ . Also the condition that the choice of quantization axes has WCW correlates favors  $M^2$  as also the construction of the generalized Feynman graphs analogous to non-planar diagrams as generalization of knot diagrams [K9]. Longitudinal scenario is equivalent with more standard one if the transversal momenta at opposite wormhole throats cancel each other.

The ZEO conjectures involving  $M^2$  remain open. If the conjecture that Yangian invariance realized in terms of Grassmannians makes sense it could allow to deduce the outcome of the functional integral over four-surfaces and one could hope that TGD can be transformed to a calculable theory.

## 4 Two options for Higgs like states in TGD framework

HCP2012 conference (Hadron Collider Physics Symposium) at Kyoto will provide new data about Higgs candidate at next Wednesday. Resonaances has summarized the basic problem related to the interpretation as standard model Higgs: too high yield of gamma pairs and too low yield of  $\tau\bar{\tau}$  and  $b\bar{b}$  pairs. It is of course possible that higher statistics changes the situation.

### 4.1 Two options concerning the interpretation of Higgs like particle in TGD framework

Theoretically the situation quite intricate. The basic starting point is that the original p-adic mass calculations provided excellent predictions for fermion masses. For the gauge bosons the situation was different: a natural prediction for the W/Z mass ratio in terms of Weinberg angle is the fundamental prediction of Higgs mechanism and this prediction did not follow automatically from the p-adic mass calculation in the original form. Classical Higgs field does not seem to have any natural counterpart in the geometry of space-time surface (the trace of the second fundamental form does not work since it vanishes for preferred extremals which are also minimal surfaces). This raised the question whether there is any Higgs boson in TGD Universe and for some time I took seriously the interpretation of the Higgs like state observed by LHC as a pion of  $M_{89}$ . To sum up, the evolution of ideas about TGD counterpart of Higgs mechanism has been full of twists and turns. This summary is warmly recommended for a seriously interested reader.

p-Adic mass calculations and the results from LHC leave two options under consideration.

1. Option I (see also this): Only fermions get the dominating contribution to their masses from p-adic thermodynamics and in the case of gauge bosons the dominating contribution is due to the standard Higgs mechanism. p-Adic thermodynamics would contribute also to the boson masses, in particular photon mass but the contribution would be extremely small and correspond to p-adic temperature  $T = 1/n$ ,  $n > 2$ . For this option only gauge bosons would have standard model couplings to Higgs whereas fermionic couplings could be small. Of course, standard model couplings proportional to fermion mass are also possible. One can criticize this option because fermions and bosons are in an asymmetric position. The beautiful feature is that one could get rid of the hierarchy problem due to the couplings of Higgs to heavy fermions.

2. Option II (see also this and this): p-Adic mass calculations explain also the masses of gauge bosons and Higgs like particle. If Higgs like state develops a coherent state describable in terms of vacuum expectation value as  $M^4$  QFT limit, this expectation value is determined by the mass spectrum determine by the p-adic mass calculations. The mass spectrum of particles determines Higgs expectation and the couplings of Higgs rather than vice versa! For this option Weinberg angle would be *defined* by the ratio of W and Z boson mass as  $\cos^2(\theta_W) = m_W^2/m_Z^2$  and these masses should be given by p-adic mass calculations.

The recent view about particles as Kähler magnetic loops carrying monopole flux is forced by the assumption that the corresponding partonic 2-surfaces are Kähler magnetic monopoles (implied by the weak form of electric-magnetic duality). The loop proceeds from wormhole throat to another one, then traverses along wormhole contact to another space-time sheet and returns back and eventually is transferred to the first sheet via wormhole contact. The mass squared assignable to this flux loop could give the contribution usually assigned to Higgs vacuum expectation. If this picture is correct, then the reduction of the W/Z mass ratio to Weinberg angle might be much easier to understand. As a matter fact, I have proposed that the flux loop gives rise to a stringy spectrum of states with string tension determined by p-adic length scale associated with  $M_{89}$ .

This option is attractive because fermions and bosons are in an exactly same position. Hierarchy problem is possible problem of this approach: note however that the considerations in the sequel imply that standard model action is predicted to be an effective action giving only tree diagrams so that there are no radiative corrections at  $M^4$  QFT limit.

The original interpretation of Higgs like state was oas  $M_{89}$  pion. The recent observations from Fermi telescope suggest the existence of a boson with mass 135 GeV. It would be a good candidate for  $M_{89}$  pion. One can test the hypothesis by scaling the mass of ordinary neutral pion, which corresponds to  $M_{107}$ . The scaling gives mass 69.11 GeV. p-Adic length scale however allows also octaves of the minimum mass (they appear for leptopions) and scaling by two gives mass equal to 138.22 GeV not too far from 135 GeV.

There is also second encouraging numerical co-incidence. It is probably not an accident that Higgs vacuum expectation value corresponds to the minimum mass for  $p = M_{89}$  if the p-adic counterpart of Higgs expectation squared is of order  $O(p)$  in other words one has  $\mu^2/m_{CP_2}^2 = p = M_{89}$ .

My sincere hope is that the results of HCP2012 would allow to distinguish between these two options.

## 4.2 Microscopic description of gauge bosons and Higgs like and meson like states

Under the pressures from LHC (and rather harsh social pressures from Helsinki University;-)) it has become gradually clear that the understanding of whether TGD has  $M^4$  QFT limit or not, and how this limit can be defined, is essential for the understanding also the role of Higgs. In the following a first attempt to understand this limit is made. I find it somewhat surprising that I am making this attempt only now but the understanding of the proper role of the classical gauge potentials has been quite a challenge.

1. If one believes that  $M^4$  QFT is a good approximation to TGD at low energy limit then the standard description of Higgs mechanism seems to be the only possibility: this just on purely mathematical grounds. The interpretation would however be that the masses of the particles determine Higgs vacuum expectation value and Higgs couplings rather than vice versa. This would of course be nothing unheard in the history of physics: the emergence of a microscopic theory - in the recent case p-adic thermodynamics - would force to change the direction of the causal arrow in "Higgs makes particles massive" to that in "Higgs expectation is determined by particle masses".
2. The existence of  $M^4$  QFT limit is an intricate issue. In TGD Universe baryon and lepton number correspond to different chiralities of  $H = M^4 \times CP_2$  spinors and this means that Higgs like state cannot be  $H$  scalar (it would be lepto-quark in this case). Rather, Higgs like state must be a vector in  $CP_2$  tangent space degrees of freedom. One can indeed construct a candidate for a

Higgs like state as an Euclidian pion or its scalar counterpart: both are possible and one can even consider the mixture of them. The  $H$ -counterpart of Higgs like state is therefore  $CP_2$  axial vector or  $CP_2$  vector or mixture of them.

Euclidian pion or scalar carries fermion and anti-fermion at opposite throat of the wormhole contact. It is easy to imagine that a coherent state of Euclidian pseudo-scalars or scalars or their mixture having Higgs expectation as  $M^4$  QFT correlate is formed. This state transforms as  $2 \oplus \bar{2}$  under  $U(2 \subset SU(3))$  identifiable as weak gauge group. This representation is natural in Euclidian regions Higgs as a tangent space vector of  $CP_2$  has naturally  $2 \oplus \bar{2}$  decomposition in tangent space of  $CP_2$  allowing an interpretation as Lie algebra complement of  $u(2) \subset su(3)$ .

In Minkowskian regions  $CP_2$  projection is 3-D and a natural counterpart of Higgs would be pseudo-scalar (or scalar) transforming as  $3 \oplus 1$  and  $U(2 \subset SU(3))$  identifiable now as strong  $U(2)$ . The 3-dimensionality of the  $M^4$  projection suggests that one obtains only the triplet state.

3. By bosonic emergence also gauge bosons correspond at microscopic level to fermion and anti-fermion at opposite throats of wormhole contacts. Meson like states in turn correspond to fermion and anti-fermion at the ends of a flux tube connecting throats of two different wormhole contacts so that both Higgs, gauge bosons, and meson-like states are obtained using similar construction recipe.
4. The popular statement "gauge bosons eat almost all Higgs components" makes sense at the  $M^4$  QFT limit.: just a transition to the unitary gauge effectively eliminates all but one of the components of the Higgs like state and gauge bosons get third polarization. This means gauge boson massivation but for option II it would take place already in p-adic thermodynamics in ZEO (zero energy ontology).

### 4.3 Trying to understand the QFT limit of TGD

The counterparts of gauge potentials and Higgs field are not needed in the microscopic description if p-adic thermodynamics gives the masses so that the gauge potentials and Higgs field should emerge only at  $M^4$  QFT limit. It is not even necessary to speak about Higgs and YM parts of the action at the microscopic level. The functional integral defined by the vacuum function expressed as exponent of Kähler action for preferred extremals to which couplings of microscopic expressions of particles in terms of fermions coupled to the effective fields describing them at QFT limit should define the effective action at QFT limit.

The basic recipe is simple.

1. Start from the vacuum functional which is exponent of Kähler action for preferred extremals with Euclidian regions giving real exponent and Minkowskian regions imaginary exponent.
2. Add to this action terms which are bilinear in the microscopic expression for the particle state and the corresponding effective field appearing in the effective action.
3. Perform the functional integration over WCW ("world of classical worlds") and take vacuum expectation value in fermionic degrees of freedom.
4. This gives an effective field theory in  $M^4 \times CP_2$  fields. To get  $M^4$  QFT integrate over  $CP_2$  degrees of freedom in the action. This dimensional reduction is similar to what occurs in Kaluza-Klein theories.

The functional integration of WCW induces also integration of induced spinor fields which apart from right-handed neutrino are restricted to the string world sheets. In principle induced spinor fields could be non-vanishing also at partonic 2-surfaces but simple physical considerations suggest that they are restricted to the intersection points of partonic 2-surfaces and string world sheets defining the ends of braid strands. Therefore the effective spinor fields  $\Psi_{eff}$  would appear only at braid ends in the integration over WCW and one has good hopes of performing the functional integral.

1. One can assign to the induced spinor fields  $\Psi$  imbedding space spinor fields  $\Psi_{eff}$  appearing in the effective action. The dimensions of  $\Psi$  and  $\Psi_{eff}$  are  $1/L^{3/2}$ . A dimensionally correct guess is the

term  $\int d^2x \sqrt{g_2} \overline{\Psi}_{eff}(P) D^{-1} \Psi + h.c.$ , where  $\Gamma^\alpha$  denotes the induced gamma matrices,  $P$  denotes the end point of a braid strand at the wormhole throat, and  $D$  denotes the "ordinary" massless Dirac operator  $\Gamma^\alpha D_\alpha$  for the induced gamma matrices. Propagator contributes dimension  $L$  and is well-defined since  $\Psi$  is not annihilated by  $D$  but by the modified Dirac operator in which modified gamma matrices defined by the modified Dirac action appear. Note that internal consistency does not allow the replacement of Kähler action with four-volume. Integral over the second wormhole throat contributes dimension  $L^2$ . Therefore the outcome is a dimensionless finite quantity, which reduces to the value of integrand at the intersection of partonic 2-surface and string world sheet - that is at ends of braid strand since induced spinors are localized at string world sheets unless right-handed neutrinos are in question. The fact that induced spinor fields are proportional to a delta function restricting them to string world sheets does not lead to problems since the modified Dirac action itself vanishes by modified Dirac equation.

2. Both Higgs and gauge bosons correspond to bi-local objects consisting of fermion and anti-fermion at opposite throats of wormhole contact and restricted to braid ends. They are connected by the analog of non-integrable phase factor defined by classical gauge potentials. These bilinear fermionic objects should correspond to Higgs and gauge potentials at QFT limit. The two integrations over the partonic 2-surfaces contribute  $L^2$  both, whereas the dimension of the quantity defining the gauge boson or Higgs like state is  $1/L^3$  from the dimensions of spinor fields and from the dimension of generalized polarization vector compensated by that of gamma matrices. Hence the dimensions of the bi-local quantities are  $L$  for both gauge bosons and Higgs like particles. They must be coupled to their effective QFT counterparts so that a dimensionless term in action results. Note that delta functions associated with the induced spinor fields reduce them to the end points of braid strand connecting wormhole throats and finite result is obtained.
3. How to identify these dimensional bilinear terms defining the QFT limit? The basic problem is that the microscopic representation of the particle is bi-local and the effective field at QFT limit should be local. The only possibility is to consider an average of the effective field over the stringy curve connecting the points at two throats. The resulting quantities must have dimensions  $1/L$  in accordance with naive scaling dimensions of gauge bosons and Higgs to compensate the dimension  $L$  of the microscopic representation of bosons. For gauge bosons having zero dimension as 1-forms the average  $\int A_\mu dx^\mu / l$  along a unique stringy curve of length  $l$  connecting wormhole throats defines a quantity with dimension  $1/L$ . For Higgs components having dimension  $1/L$  the quantities  $\int H_A \sqrt{g_1} dx / l$ , where  $g_1$  corresponds to the induced metric at the stringy curve, has also dimension  $1/L$ . The presence of the induced metric depending on  $CP_2$  metric guarantees that the effective action contains dimensional parameters so that the breaking of scale invariance results.

To sum up, for option II the parameters for the counterpart of Higgs action emerging at QFT limit must be determined by the p-adic mass calculations in TGD framework and the flux tube structure of particles would in the case of gauge bosons should give the standard contribution to gauge boson masses. For option I fermionic masses would emerge as mass parameters of the effective action. The presence of Euclidian regions of space-time having interpretation as lines of generalized Feynman diagrams is absolutely crucial in making possible Higgs like states. One must however emphasize that at this stage both option I and II must be considered.

#### 4.4 To deeper waters

Higgs issue seems to divide theoreticians to two classes: the simple-minded pragmatists and real thinkers.

For pragmatists the existence of Higgs and Higgs mechanism is something absolute: Higgs exists or not and one can make a bet about it. Most bloggers and most phenomenologists applying numerical models belong to this group. In particular, bloggers have had heated discussions and have made bets pro and and co, mostly pro.

Thinkers see the situation in a wider perspective. The real issue is the status of quantum field theory as a description of fundamental forces. Is QFT something fundamental or is it only a low energy limit of a more fundamental microscopic theory? Could it even happen that QFT limit fails in some respects and could the description of particle massivation represent such an aspect?



Already string models taught (or at least should have taught) to see quantum field theory as an effective description of a microscopic theory working at low energy limit. Since string theorists have not been able cook up any convincing answer to the layman's innocent question "How would you describe atom using these tiny strings which are so awe inspiring?", QFT limits have become what string models actually are at the phenomenological level. AdS-CFT correspondence actually equates string theory with a conformal quantum field theory in Minkowski space so that hopes about genuine microscopic theory are lost. This is disappointing but not surprising since strings are still too simple: they are either open or closed, there is no interesting internal topology.

In TGD framework string world sheets are replaced with 4-D space-time surfaces. One ends up with a very concrete vision about matter based on the notion of many-sheeted space-time and the implications are highly non-trivial in all scales. For instance, blackhole interior is replaced with a space-time region with Euclidian signature of the induced metric characterizing any physical system be it elementary particle, condensed matter system, or astrophysical object. Therefore the key question becomes the following. Does TGD have QFT in  $M^4$  as low energy limit or rather - as a limit holding true in a given scale in the infinite length scale hierarchies predicted by theory (p-adic length scale hierarchy and hierarchy of effective Planck constants and hierarchy of causal diamonds)?

#### 4.4.1 Deeper question: Does QFT limit of the fundamental theory exist?

Could the QFT limit defined as QFT in  $M^4$  fail to exist? After this question one cannot avoid questions about the character of Higgs and Higgs mechanism.

1. It is quite possible that in QFT framework Higgs mechanism is the only description of particle massivation. But this is just a mimicry, not a predictive description. QFT limit can only reproduce the spectrum of elementary particles masses or rather - mass ratios. The ratio of Planck mass (also an ad hoc concept) to proton mass remains a complete mystery.

This failure has been convincingly demonstrated by a huge amount of work in particle phenomenology. First came the GUT theorists. They applied every imaginable gauge group with elementary particles put in all imaginable group representations to reproduce the known part of the particle spectrum. They have reproduced standard model gauge symmetries at low energy limit. They have also done the necessary fine-tuning to make proton long-lived enough, to give large enough masses for the exotics, and to make beta functions sensical.

The same procedures have been repeated in SUSY framework and finally super string phenomenology has produced QFT limits with Higgs mechanism, and are now doing intense fine tuning to save poor SUSY from the aggressive attacks by LHC. During these 40 years of busy modeling practically nothing has been achieved but the work goes on since theoreticians have their methods and they must produce highly technical papers to preserve the illusion of hard science.

2. Higgs mechanism is also plagued by profound problems. The hierarchy problem means that the Higgs mechanism with mass of about 125 GeV is just at the border of stability. The problem is that the sign of mass squared term in Higgs potential can change by radiative corrections so that the vacuum with a vanishing Higgs expectation value becomes stable. SUSY was hoped to solve the hierarchy problem but LHC has made SUSY in standard sense implausible. Even if it exists cannot help in this issue. Another problem is that the coefficients of the fourth power in the Higgs potential can become negative so that vacuum becomes unstable: the bottom of a valley becomes top of a hill. The value of Higgs mass is such that also this seems to happen! (see the posting of Resonances).

Quite generally, fine tuning problems are the characteristic issues of the QFT limit. Proton must be long-lived enough, baryon and lepton number violating decay rates cannot be too high, the predicted exotic particles implied by the extension of the standard model gauge group must be massive enough, and so on... This requires a lot of fine tuning. Theory has transformed from a healer to a patient: the efforts of theoreticians reduce to attempts to resuscitate the patient. All this becomes understandable as one realizes that QFT is just a mimicry, not the fundamental theory.

One could also see these two problems of the Higgs mechanism as the last attempt of the frustrated Nature to signal to the busy mainstream career builders something very profound

about reality by using paradox as its last means. From TGD vantage point the intended message of Nature looks quite obvious.

#### 4.4.2 Shut up and calculate

The problem in the recent theoretical physics is that thinking has not been allowed for more than half century. Thinking is seen as "philosophy" - something very very bad. The fathers of quantum theory were philosophers: they realized the deep problems of quantum measurement theory and considered possible conclusions for the world view. For instance, Bohr - whose view became orthodoxy - concluded that objective reality cannot exist at all and that quantum theory is just a collection of calculational recipes with  $\Psi$  having no real existence. Einstein had totally different view. He believed that quantum theory is somehow fundamentally wrong.

Neither of them was yet mature to see that the problem involves the conscious observer in a very intimate manner: in particular, how the subjective time and the geometric time of physicist - certainly not one and the same thing - relate to each other. Both were also unable to see that objective reality could be replaced by objective realities identified as "solutions of field equations" and that quantum jumps would take between them and give rise to conscious experience. This would resolve both the problem of time and the basic problem of quantum measurement theory.

Later theoreticians followed the advice which has been put to the mouth of Feynman, and decided to just shut up and calculate. This long silence has lasted more than half a century now. I belong to those few who refused to follow the advice with the consequence that the decision makers of Helsinki University gave me officially a label of a madman and besides intensive blackmailing did their best to prevent any support for my work (see previous posting motivated by a warning of young readers about the dangers of reading my blog - sent by presumably Finnish physics authority calling himself Anonymous).

LHC has now demonstrated how catastrophic consequences can be when the profession of the theoretician reduces to mindless calculation. We have got lost generations of theoreticians who continue to fill hep-th and hep-ph with preprints with a minimal connection to physical reality and mostly trying to solve the problems created by the theory itself rather than those provided by physics. This is however what they are able to do: collective silence has lasted too long. Even string model gurus have lost their beliefs on The Only Possible Theory of Everything. Some of them have suffered a regression to surprisingly childish models of gravitation (entropic gravity). Some have begun to see everything as black-holes without realizing that blackholes as a mathematical failure of general relativity should have been the starting point rather than the end. Some are making bets and having learned debates about paradoxes related to blackholes (firewall paradox is the latest newcomer (see the blog posting)).

#### 4.4.3 Or could thinking be a rewarding activity after all?

There are also some theoreticians who have followed their own star and have not been able to resist the temptation to think and imagine. I have used to call my own star TGD. As described in previous posting, p-adic thermodynamics can be seen as a- or even *the* - microscopic mechanism of massivation in TGD framework. There are two options to consider. According to Option I p-adic thermodynamics alone explains only fermion masses and the microscopic counterpart of Higgs mechanism would give the dominant contribution to gauge boson masses. For Option II p-adic thermodynamics would produce both gauge boson and Higgs masses and Higgs mechanism could appear at QFT limit as a mere phenomenological description of the massivation.

Option II is the most conservative option and apparently conforms with the standard model view. It also treats all particles in the same position. Note that in standard model Higgs itself like eye which cannot see itself since its tachyonic bare mass is put in by hand. Option II is also aesthetically more satisfactory if one believes that QFT limit of TGD indeed exists. For Option I one should invent new QFT mechanism describing fermion massivation in QFT framework or give up the idea about QFT limit altogether. Option I or Option II? This question might find an answer within few days!

The existence of  $M^4$  QFT limit is not obvious in TGD framework (what this limit could be if it exists has been discussed in the previous posting). This is due to a dramatic simplification in the microscopic description of particles. The only fundamental fields are spinors of  $H = M^4 \times CP_2$  having just spin and electroweak quantum numbers and conserved carrying quark or lepton number depending on H-chirality. Color emerges and corresponds to color partial waves in  $H$ . Also bosons

emerge meaning that gauge bosons, Higgs, and graviton have pairs of fermion and anti-fermion at the opposite throats of wormhole contacts as building bricks. Gauge fields, Higgs field, gravitational field and also Higgs mechanism can emerge in this approach only as a phenomenological description at  $M^4$  QFT limit assuming that it exists. Fermionic families emerge from topology and also bosons are expected the analog of family replication phenomenon induced from the fermionic one.

Higgs like bosons exist as Euclidian pions or scalar particles and they might also develop coherent states characterized by the vacuum expectation value of Higgs but already this possibility must be taken critically since coherent states is a QFT based notion and it is not quite clear whether it generalizes to microscopic level (see this).

What is important that Higgs does not make fermions massive. For Option II this is true also for bosons. Rather, the couplings and vacuum expectation of Higgs are such that Higgs can pretend of achieving this feat. Higgs mechanism reproduces: p-adic thermodynamics predicts.

Standard model action is only an effective action providing tree diagrams so that the loop corrections leading to the hierarchy problem are not present unless the counterpart of fatal radiative corrections appear in the effective action which must depend on p-adic length scale (in TGD the discrete p-adic length scale evolution replaces the continuous renormalization group evolution of quantum field theories). Zero energy ontology however dramatically modifies the view about Feynman diagrammatics, and can save the situation since standard SUSY generalizes to super-conformal invariance.

There are of course lot of critical questions to be answered. I have written an entire book motivated by the challenge of understanding why p-adic thermodynamics should be needed in real number based physics. p-Adic physics for single prime is definitely not enough: one must fuse p-adic physics for various primes  $p$  and real physics to single coherent whole and this requires a lot of not yet existing mathematics such as generalization of number concept. The connections of p-adic physics to the description of cognition and intention in quantum consciousness theory are also obvious and p-adic space-time sheet would correspond to the "mind stuff" of Descartes. These few examples show how profound and totally unexpected new visions a more philosophical and imaginative attitude to physics generates.

Another book is devoted to the physical implications of p-adic physics and of the hierarchy of effective Planck constants, a notion implied by the very special properties of the basic variational principle dictating the space-time dynamics in TGD framework.

## 5 Appendix: The particle spectrum predicted by TGD

The detailed model of elementary particles has evolved slowly during more than 15 years and is still in progress. What SUSY means in TGD framework is second difficult question. In this problem text books provide no help since the SUSY differs in several respects from the standard SUSY. It must be admitted that there are open questions and several competing candidates for interpretations at the level of details and following just summarizes various competing approaches.

### 5.1 The general TGD based view about elementary particles

A rough overall view about the particle spectrum predicted by TGD has remained rather stable since 1995 when I performed first p-adic mass calculations but several important ideas have emerged allowing to make the vision more detailed.

1. The discovery of bosonic emergence [K14] had far reaching implications for both the formulation and interpretation of TGD. Bosonic emergence means that the basic building bricks of bosons are identifiable as wormhole contacts with throats carrying fermion and anti-fermion quantum numbers.
2. A big step was the realization wormhole throats carry Kähler magnetic charge [K7]. This forces to assume that observed elementary particles are string like objects carrying opposite magnetic charges at the wormhole ends of magnetic flux tubes. The obvious idea is that weak massivation corresponds to the screening of weak charges by neutrino pairs at the second end of the flux tube.

At least for weak gauge bosons this would fix the length of the flux tube to be given by weak length scale. For fermions and gluons the length of flux tube could also correspond to Compton

length: the second end would be invisible since it would contain only neutrino pair. In the case of quarks an attractive idea is that flux tubes carry color magnetic fluxes and connect valence quarks and have hadronic size scale.

There are thus several stringy length scales present. The most fundamental corresponds to wormhole contacts and to  $CP_2$  length scale appearing in p-adic mass calculations and is analogous to the Planck scale characterizing string models. String like objects indeed appear at all levels in TGD Universe: one can say that strings emerge. The assumption that strings are fundamental objects would be a fatal error.

3. p-Adic massivation does not involve Higgs mechanism [K10]. The idea that Higgs provides longitudinal polarizations for gauge bosons is attractive, and its TGD based variant was that *all* Higgs components become longitudinal polarizations so that also photon has a small mass. The recent formulation of gauge conditions as  $p_{M^2} \cdot \epsilon = 0$ , where  $p_{M^2}$  is a projection of the momentum to a preferred plane  $M^2 \subset M^4$  assignable to a given  $CD$  and defining rest system and spin quantization axis, allows three polarizations automatically. Also the construction of gauge bosons as wormhole contacts with fermion and anti-fermion at the ends of throat massless on mass-shell states implies that all gauge bosons must be massive. Therefore Higgs does not seem to serve its original purposes in TGD.
4. This does not however mean that Higgs like states - or more generally spin 0 particles, could not exist. Here one encounters the problem of formulating what the notions like "scalar" and "pseudo-scalar" defined in  $M^4$  field theory mean when  $M^4$  is replaced with  $M^4 \times CP_2$ . The reason is that genuine scalars and pseudo-scalars in  $M^4 \times CP_2$  would correspond to lepto-quark states and chiral invariance implying separate conservation of quark and lepton numbers denies their existence.

These problems are highly non-trivial, and depending on what one is willing to assume, one can have spin 0 particles which however need not have anything to do with Higgs.

- (a) For a subset of these spin 0 particles the interpretation as 4 polarizations of gauge bosons in  $CP_2$  direction is highly suggestive: the polarizations can be regarded as doublets  $2 \oplus \bar{2}$  defining representations of  $u(2) \subset su(3)$  in its complement and therefore being rather "Higgsy". Another subset consists of triplet and singlet representations for  $u(2) \subset u(3)$  allowing interpretation as the analog of strong isospin symmetry in  $CP_2$  scale for the analogs of hadrons defined by wormhole contacts.
- (b)  $3 \oplus 1$  representation of  $u(2) \subset su(3)$  acting on  $u(2)$  is highly analogous to  $(\pi, \eta)$  system and  $2 \oplus \bar{2}$  representation assignable naturally to the complement of  $u(2)$  is analogous to kaon system. Exactly the same representations are obtained from the model of hadrons as string like objects and the two representations explain the difference between  $(\pi, \eta)$  like and  $(K, \bar{K})$  systems in terms of  $SU(3)$  Lie-algebra. Also the vector bosons associated with pseudo-scalar mesons identified as string like objects have counterparts at the level of wormhole contacts. A surprisingly precise analogy between hadronic spectrum and the spectrum of elementary particle states emerges and could help to understand the details of elementary particle spectrum in TGD Universe.

In both cases charge matrices are expressible in terms of Killing vector fields of color isometries and gamma matrices or sigma matrices acting however on electroweak spin degrees of freedom so that a close connection between color and strong isospin is suggestive. This connection is empirically suggested also by the conserved vector current hypothesis and and partially conserved vector current hypothesis allowing to express strong interaction observables in terms of weak currents. In TGD framework color and electro-weak quantum numbers are therefore not totally unrelated as they are in standard model and it would be interesting to see whether this could allow to distinguish between TGD and standard model.

The detailed model for elementary particles involves still many un-certainties and in the following some suggestions allowing more detailed view are considered.

## 5.2 Construction of single fermion states

The general prediction of TGD is that particles correspond to partonic 2-surfaces, which can carry arbitrary high fermion number. The question is why only wormhole throats seem to carry fermion number 1 or 0 and why higher fermion numbers can be only assigned to the possibly existing superpartners.

1. p-Adic calculations assume that fermions correspond at imbedding space level to color partial waves assignable to the  $CP_2$  cm degrees of freedom of partonic 2-surface. The challenge is to give a precise mathematical content to the statement that partonic 2-surface moves in color partial wave. Color partial wave for the generic partonic 2-surface in general varies along the surface. One must either identify a special point of the surface as cm or assume that color partial wave is constant at the partonic 2-surface.
2. The first option looks artificial. Constancy condition is however very attractive since it would correlate the geometry of partonic 2-surface with the geometry of color partial wave and therefore code color quantum numbers to the geometry of space-time surface. This quantum classical correlation cannot hold true generally but could be true for the maxima of Kähler function.
3. Similar condition can be posed in  $M^4$  degrees of freedom and would state that the plane wave representing momentum eigenstate is constant at the partonic 2-surface.

For momentum eigenstates one obtains only one condition stating

$$p_{M^4} \cdot m = \text{constant} = C$$

at the partonic 2-surface located at the light-like boundary of  $CD$ . Here  $p_{M^4}$  denotes the  $M^2$  projection of the four-momentum.  $CD$  projection is at most 2-dimensional and at the surface of ellipsoid of form

$$x^2 + y^2 + k^2(z - z_0)^2 = R^2 \quad ,$$

where the parameters are expressible in terms of the momentum components  $p_0, p_3$  parameter  $C$ . In this case, the assumption that fermions have collinear  $M^2$  momentum projection allows to add several fermions to the state provided the conditions in  $CP_2$  degrees of freedom allow this. In particular, covariantly constant right-handed neutrino must be collinear with the other fermions possibly present in the state.

For color partial waves the condition says that color partial wave is complex constant at partonic 2-surface  $\Psi = C$ .

1. The condition implies that the  $CP_2$  projection of the color partial wave is 2-dimensional so that one obtains a family of 2-surfaces  $Y^2$  labelled by complex parameter  $C$ . Color transformations act in this space of 2-surfaces. In general  $Y^2$  is not holomorphic since only the lowest representations (1,0) and (0,1) of  $SU(3)$  correspond to holomorphic color partial waves. What is highly satisfying is that the condition allows  $CP_2$  projection with maximal possible dimension.
2. If one requires covariant constancy of fermionic spinors, only vanishing induced spinor curvature is possible and  $CP_2$  projection is 1-dimensional, which does not conform with the assumption that elementary particles correspond to Kähler magnetic monopoles.
3. There is an objection against this picture. The topology of  $CP_2$  projection must be consistent with the genus of the partonic 2-surface [K3]. The conditions that plane waves and color partial waves are constant at the partonic 2-surface means that one can regard partonic 2-surfaces as sub-manifolds in 4-dimensional sub-manifold of  $A \times B \subset \delta CD \times CP_2$ . The topologies of  $A$  and  $B$  pose no conditions on the genus of partonic 2-surface locally. Therefore the objection does not bite.

One can consider also partonic 2-surfaces containing several fermions. In the case of covariantly constant right-handed neutrino this gives no additional conditions in  $CP_2$  degrees of freedom if the right handed neutrino has  $M^2$  momentum projection collinear with the already existing fermion. Therefore  $\Psi = C$  constraint is consistent with SUSY in TGD sense. For other fermions  $N$ -fermion state gives  $2N$  conditions in  $CP_2$  degrees of freedom. Already for  $N = 2$  the solutions consist of

discrete points of  $CP_2$ . Physical intuition suggests that the states with higher fermion number are not realized as maxima of Kähler function and are effectively absent unlike the observed states and their partners.

### 5.3 About the construction of mesons and elementary bosons in TGD Universe

It looks somewhat strange to talk about the construction of mesons and elementary bosons in the same sentence. The construction recipes are however structurally identical so that it is perhaps sensible to proceed from mesons to elementary bosons. Therefore I will first consider the construction of meson like states relevant for the TGD based model of hadrons, in particular for the model of the pion of  $M_{89}$  hadron physics possibly explaining the 125 GeV state for which LHC finds evidence. The more standard interpretation is as elementary spin 0 boson, which need not however have anything to do with Higgs. Amusingly, the two alternatives obey very similar mathematics.

#### 5.3.1 Construction of meson like states in TGD framework

The challenge is how translate attributes like scalar and pseudo-scalar making sense at  $M^4$  level to statements making sense at the level of  $M^4 \times CP_2$ .

In QCD the view about construction of pseudo-scalar mesons is roughly that one has string like object having quark and antiquark at its ends, call them  $A$  and  $B$ . The parallel translation of the antiquark spinor from  $A$  to  $B$  is needed in order to construct gauge invariant object of type  $\bar{\Psi}O\Psi$ , where  $O$  characterizes the meson. The parallel translation implies stringy non-locality. In lattice QCD this string correspond to the edge of lattice cell. For a general meson  $O$  is "charge matrix" obtained as a combination of gamma matrices ( $\gamma_5$  matrix for pseudo-scalar), polarization vectors, and isospin matrices.

This procedure must be generalized to TGD context. In fact a similar procedure applies also in the construction of gauge bosons possible Higgs like states since also in this case one must have general coordinate invariance and gauge invariance. Consider as an example pseudo-scalars.

1. Pseudo-scalars in  $M^4$  are replaced with axial vectors in  $M^4 \times CP_2$  with components in  $CP_2$  direction. One can say that these pseudo-scalars have  $CP_2$  polarization representing the charge of the pseudo-scalar meson. One replaces  $\gamma_5$  with  $\gamma_5 \times O_a$  where  $O_a = O_a^k \gamma_k$  is the analog of  $\epsilon^k \gamma_k$  for gauge boson. Now however the gamma matrices are  $CP_2$  gamma matrices and  $O_a^k$  is some vector field in  $CP_2$ . The index  $a$  labels the isospin components of the meson.
2. What can one assume about  $O_a$  at the partonic 2-surfaces? In the case of pseudo-scalars pion and  $\eta$  (or vector mesons  $\rho$  and  $\omega$  with nearly the same masses) one should have four such fields forming isospin triplet and singlet with large mass splitting. In the case of kaon would should have also 4 such fields but with almost degenerate masses. Why such a large difference between kaon and  $(\pi, \eta)$  system? A plausible explanation is in terms of mixing of neutral pseudo-scalar mesons with vanishing weak isospin mesons raising the mass of  $\eta$  but one might dream of alternative explanations too.
  - (a) Obviously  $O_a$ :s should form strong isospin triplets and singlets in case of  $(\pi, \eta)$  system. In the case of kaon system they should form strong isospin doublets. The group in question should be identifiable as strong isospin group. One can formally identify the subgroup  $U(2) \subset SU(3)$  as a counterpart of strong isospin group. The group  $SO(3) \subset SU(3)$  defines second candidate of this kind. These subgroups correspond to two different geodesic spheres of  $S^2$ . The first gives rise to vacuum extremals of Kähler action and second one to non-vacuum extremals carrying magnetic charge at the partonic 2-surface. Cosmic strings as vacuum extremals and cosmic strings as magnetically charged objects are basic examples of what one obtains. The fact that partonic 2-surfaces carry Kähler magnetic charge strongly suggests that  $U(2)$  option is the only sensible one but one must avoid too strong conclusions.
  - (b) Could one identify  $O_a$  as Killing vector fields for  $u(2) \subset su(3)$  or for its complement and in this manner obtain two kinds of meson states directly from the basic Lie algebra structure of color algebra? For  $u(2)$  one would obtain 3+1 vector fields forming a representation

of  $u(2)$  decomposing to a direct sum of representations 3 and 1 of  $U(2)$  having interpretation in terms of  $\pi$  and  $\eta$  the symmetry breaking is expected to be small between these representations. For the complement of  $u(2)$  one would obtain doublet and its conjugate corresponding to kaon like states. Mesons states are constructed from the four states  $U_i \bar{D}_j$ ,  $\bar{U}_i D_j$ ,  $U_i \bar{U}_j$ ,  $D_i \bar{D}_j$ . For  $i = j$  one would have  $u(2)$  and for  $i \neq j$  its complement.

- (c) One would obtain a connection between color group and strong isospin group at the level of meson states and one could say that mesons states are not color invariants in the strict sense of the world since color would act on electroweak spin degrees of freedom non-trivially. This could relate naturally to the possibility to characterize hadrons at the low energy limit of theory in terms of electroweak quantum numbers. Strong force at low energies could be described as color force but acting only on the electroweak spin degrees of freedom. This is certainly something new not predicted by the standard model.
3. Covariant constancy of  $O_a$  at the entire partonic 2-surface is perhaps too strong a constraint. One can however assume this condition only at the the braid ends.
- (a) The holonomy algebra of the partonic 2-surface is Abelian and reduces to a direct sum of left and right handed parts. For both left- and right-handed parts it reduces to a direct sum of two algebras. Covariant constancy requires that the induced spinor curvature defining classical electroweak gauge field commutes with  $O_a$ . The physical interpretation is that electroweak symmetries commute with strong symmetries defined by  $O_a$ . There would be at least two conditions depending only on the  $CP_2$  projection of the partonic 2-surface.
  - (b) The conditions have the form

$$F^{AB} j_B^a = 0 \quad ,$$

where  $a$  is color index for the sub-algebra in question and  $A, B$  are electroweak indices. The conditions are quadratic in the gradients of  $CP_2$  coordinates. One can interpret  $F^{AB}$  as components of gauge field in  $CP_2$  with Abelian holonomy and  $j^a$  as electroweak current. The condition would say that the electroweak Lorentz force acting on  $j^a$  vanishes at the partonic 2-surface projected to  $CP_2$ . This interpretation looks natural classically. The conditions are trivially satisfied at points, where one has  $j_B^a = 0$ , that is at the fixed points of the one-parameter subgroups of isometries in question.  $O_a$  would however vanish identically in this case.

- (c) The condition  $F^{AB} j_B^a = 0$  at all points of the partonic 2-surface looks un-necessary strong and might fail to have solution. The reason is that quantum classical correspondence strongly suggests that the color partial waves of fermions and planewaves associated with 4-momentum are constant along the partonic surface. The additional condition  $F^{AB} j_B^a = 0$  allows only a discrete set of solutions.
- A weaker form of these conditions would hold true for the braid ends only and could be used to identify them. This conforms with the notion of finite measurement resolution and looks rather natural from the point of view of quantum classical correspondence. Both forms of the conditions allows SUSY in the sense that one can add to the fermionic state at partonic 2-surface a covariantly constant right-handed neutrino spinor with opposite fermionic helicity.
- (d) These conditions would be satisfied only for the operators  $O_a$  characterizing the meson state and this would give rise to symmetry breaking relating to the mass splittings. Physical intuition suggests that the constraint on the partonic 2-surface should select or at least pose constraints on the maximum of Kähler function. This would give the desired quantum classical correlation between the quantum numbers of meson and space-time surface.
4. The parallel translation between the ends connecting the partonic 2-surfaces at which quark and antiquark reside at braid ends is along braid strand defining the state of string like object at the boundary of  $CD$ . These stringy world sheets are fundamental structures in quantum TGD and a possible interpretation is as singularity of the effective covering of the imbedding space associated with the hierarchy of Planck constants and due to the vacuum degeneracy of

Kähler action implying that canonical momentum densities correspond to several values for the gradients of imbedding space coordinates. The parallel translation is therefore unique once the partonic 2-surface is fixed. This is of utmost importance for the well-definedness of quantum states. Obviously this state of affairs gives an additional "must" for braids.

The construction recipe generalizes trivially to scalars. There is however a delicate issue associated with the construction of spin 1 partners of the pseudo-scalar mesons. One must assign to a spin 1 meson polarization vector using  $\epsilon^k \gamma_k$  as an additional factor in the "charge matrix" slashed between fermion and antifermion. If the charge matrix is taken to be  $Q_a = \epsilon^k \gamma_k j_k^a \Gamma^k$ , it has matrix elements only between quark and lepton spinors. The solution of the problem is simple. The triplet of charge matrices defined as  $Q_a = \epsilon^k \gamma_k D_k j_l^a \Sigma^{kl}$  transforms in the same manner as the original triplet under  $U(2)$  rotations and can be used in the construction of spin 1 vector mesons.

### 5.3.2 Generalization to the construction of gauge bosons and spin 0 bosons

The above developed argument generalizes with trivial modifications to the construction of the gauge bosons and possible Higgs like states as well as their super-partners.

1. Now one must form bi-linears from fermion and anti-fermion at the opposite throats of the wormhole contact rather than at the ends of magnetic flux tube. This requires braid strands along the wormhole contact and parallel translation of the spinors along them. Hadronic strings are replaced with the TGD counterparts of fundamental strings.
2. For electro-weak gauge bosons  $O$  corresponds to the product  $\epsilon_k \gamma^k Q_i$ , where  $Q_i$  is the charge matrix associated with gauge bosons contracted between both leptonic and quark like states. For gluons the charge matrix is of form  $Q_A = \epsilon_k \gamma^k H_A$ , where  $H_A$  is the Hamiltonian of the corresponding color isometry.
3. One can also consider the possibility of charge matrices of form  $Q_A = \epsilon^k \gamma_k D_k j_l^A \Sigma^{kl}$ , where  $j^A$  is the Killing vector field of color isometry. These states would compose to representations of  $u(2) \subset u(3)$  to form the analogs of  $(\rho, \omega)$  and  $(K^*, \bar{K}^*)$  system in  $CP_2$  scale. This is definitely something new.
4. In the case of spin zero states polarization vector is replaced with polarization in  $CP_2$  degrees of freedom represented by one of the operators  $O_a$  already discussed. One would obtain the analogs of  $(\pi, \eta)$  and  $(K, \bar{K})$  systems at the level of wormhole contacts. Higgs mechanism for these does not explain fermionic masses since p-adic thermodynamics gives the dominant contributions to them. It is also difficult to imagine how gauge bosons could eat these states and what the generation of vacuum expectation value could mean mathematically. Higgs mechanism is essentially 4-D concept and now the situation is 8-dimensional.
5. At least part of spin zero states corresponds to polarizations in  $CP_2$  directions for the electroweak gauge bosons. This would mean that one replaces  $\epsilon_k \gamma^k$  with  $j_a^k \Gamma_k$ , where  $j_a$  is Killing vector field of color isometry in the complement of  $u(2) \subset su(3)$ . This would give four additional polarization states. One would have  $4+2=6$  polarization just as one for a gauge field in 8-D Minkowski space. What about the polarization directions defined by  $u(2)$  itself? For the Kähler part of electroweak gauge field this part would give just the  $(\rho, \omega)$  like states already mentioned. Internal consistency might force to drop these states from consideration.

The nice aspect of p-adic mass calculations is that they are so general: only super-conformal invariance and p-adic thermodynamics and p-adic length scale hypothesis are assumed. The drawback is that this leaves a lot of room for the detailed modeling of elementary particles.

1. Lightest mesons are lowest states at Regge trajectories and also p-adic mass calculations assign Regge trajectories in  $CP_2$  scale to both fermions and bosons.
2. It would be natural to assign the string tension with the wormhole contact in the case of bosons and identifiable in terms of the Kähler action assignable to the wormhole contact modelable as piece of  $CP_2$  type vacuum extremal and having interpretation in terms of the action of Kähler magnetic fields.



3. Free fermion has only single wormhole throat. The action of the piece of  $CP_2$  type vacuum extremal could give rise to the string tension also now. One would have something analogous to a string with only one end, and one can worry whether this is enough. The magnetic flux of the fermion however enters to the Minkowskian region and ends up eventually to a wormhole throat with opposite magnetic charge. This contribution to the string tension is however expected to be small being proportional to  $1/S$ , where  $S$  is the thickness of the magnetic flux tube connecting the throats. Only if the magnetic flux tube remains narrow, does one obtain the needed string tension from the Minkowskian contribution. This is the case if the flux tube is very short. It seem that the dominant contribution to the string tension must come from the wormhole throat.
4. The explanation of family replication phenomenon [K3] based on the genus of wormhole throat works for fermions if the the genus is same for the two throats associated with the fermion. In case of bosons the possibility of different genera leads to a prediction of dynamical  $SU(3)$  group assignable to genus degree of freedom and gauge bosons should appear also in octets besides singlets corresponding to ordinary elementary particles. For the option assuming identical genera also for bosons only the singlets are possible.
5. Regge trajectories in  $CP_2$  scale indeed absolutely essential in p-adic thermodynamics in which massless states generate thermal mass in p-adic sense. This makes sense in zero energy ontology without breaking of Poincare invariance if  $CD$  corresponds to the rest system of the massive particle. An alternative way to achieve Lorentz invariance is to assume that observed mass squared equals to the thermal expectation value of thermal weight rather than being thermal expectation for mass squared.

It must be emphasized that spin 0 states and exotic spin 1 states togetherwith their super-partners might be excluded by some general arguments. Induced gauge fields have only two polarization states, and one might argue that that same reduction takes place at the quantum level for the number of polarization states which would mean the elimination of  $F_L \bar{F}_R$  type states having interpretation as  $CP_2$  type polarizations for gauge bosons. One could also argue that only gauge bosons with charge matrices corresponding to induced spinor connection and gluons are realized. The situation remains open in this respect.

#### 5.4 What SUSY could mean in TGD framework?

What SUSY means in TGD framework is second long-standing problem. In TGD framework SUSY is inherited from super-conformal symmetry at the level of WCW [K2, K4]. The SUSY differs from  $\mathcal{N} = 1$  SUSY of the MSSM and from the SUSY predicted by its generalization and by string models. One obtains the analog of the  $\mathcal{N} = 4$  SUSY in bosonic sector but there are profound differences in the physical interpretation.

1. One could understand SUSY in very general sense as an algebra of fermionic oscillator operators acting on vacuum states at partonic 2-surfaces. Oscillator operators are assignable to braids ends and generate fermionic many particle states. SUSY in this sense is badly broken and the algebra corresponds to rather large  $\mathcal{N}$ . The restriction to covariantly constant right-handed neutrinos (in  $CP_2$  degrees of freedom) gives rise to the counterpart of ordinary SUSY, which is more physically interesting at this moment.
2. Right handed neutrino and antineutrino are not Majorana fermions. This is necessary for separate conservation of lepton and baryon numbers. For fermions one obtains the analog  $\mathcal{N} = 2$  SUSY.
3. Bosonic emergence [K14] means the construction of bosons as bound states of fermions and anti-fermions at opposite throats of wormhole contact. This reduces TGD SUSY to that for fermions. This difference is fundamental and means deviation from the SUSY of  $\mathcal{N} = 4$  SUSY, where SUSY acts on gauge boson states. Bosonic representations are obtained as tensor products of representation assigned to the opposite throats of wormhole contacts. Further tensor products with representations associated with the wormhole ends of magnetic flux tubes are needed to construct physical particles. This represents a crucial difference with respect to standard approach, where one introduces at the fundamental level both fermions and bosons or gauge

bosons as in  $\mathcal{N} = 4$  SUSY. Fermionic  $\mathcal{N} = 2$  representations are analogous to "short"  $\mathcal{N} = 4$  representations for which one half of super-generators annihilates the states.

4. The introduction of both fermions and gauge bosons as fundamental particles leads in quantum gravity theories and string models to  $d = 10$  condition for the target space, spontaneous compactification, and eventually to the landscape catastrophe.

For a supersymmetric gauge theory (SYM) in  $d$ -dimensional Minkowski space the condition that the number of transversal polarization for gauge bosons given by  $d - 2$  equals to the number of fermionic states made of Majorana fermions gives  $d - 2 = 2^k$ , since the the number of fermionic spinor components is always power of 2.

This allows only  $d = 3, 4, 6, 10, 16, \dots$ . Also the dimensions  $d + 1$  are actually possible since the number of spinor components for  $d$  and  $d + 1$  is same for  $d$  even. This is the standard argument leading to super-string models and M-theory. It is lost - or better to say, one gets rid of it - if the basic fields include only fermion fields and bosonic states are constructed as the tensor products of fermionic states. This is indeed the case in TGD, where spontaneous compactification plays no role and bosons are emergent.

5. Spontaneous compactification leads in string model picture from  $\mathcal{N} = 1$  SUSY in say  $d = 10$  to  $\mathcal{N} > 1$  SUSY in  $d = 4$  since the fermionic multiplet reduces to a direct sum of fermionic multiplets in  $d = 4$ . In TGD imbedding space is not dynamical but fixed by internal consistency requirements, and also by the condition that the theory is consistent with the standard model symmetries. The identification of space-time as 4-surface makes the induced spinor field dynamical and the notion of many-sheeted space-time allows to circumvent the objections related to the fact that only 4 field like degrees of freedom are present.

The missing energy predicted standard SUSY is absent at LHC. The easy explanation would be that the mass scale of SUSY is unexpectedly high, of order 1 TeV. This would however destroy the original motivations for SUSY.

In TGD framework the natural first guess was that the missing energy corresponds to covariantly constant right-handed neutrinos carrying four-momentum. The objection is that covariantly constant right-handed neutrinos cannot appear in asymptotic states because one cannot assign a super-multiplet to right-handed neutrinos consistently. Covariantly constant right-handed neutrinos can however generate SUSY.

This alone would explain the missing missing momentum at LHC predicted by standard SUSY. The assumption that fermions correspond to color partial waves in  $H$  implies that color excitations of the right handed neutrino that would appear in asymptotic states are necessarily colored. It could happen that these excitations are color neutralized by super-conformal generators. If this is not the case, these neutrinos would be like quarks and color confinement would explain why they cannot be observed as asymptotic states in macroscopic scales. So called leptohadrons could correspond to bound states of colored sleptons and have same p-adic mass scale as leptons have [K18]. Even in the case of quarks the situation could be the same.

Second possibility considered earlier is that SUSY itself is generated by color partial waves of right-handed neutrino, octet most naturally. This option is not however consistent with the above model for one-fermion states and their super-partners.

The breakthrough in the understanding of the preferred extremals of Kähler action and solutions of the modified Dirac equation led to a radical reconsideration of the existing picture. The most natural conclusion is that the TGD counterpart of standard SUSY is most naturally absent. The arguments in favor of this conclusion discussed in the last section are rather strong. The breakthrough in understanding of TGD counterpart for Higgs like particle - Euclidian  $M_{89}$  pion - led to a model for the generation of weak gauge bosons masses free of the problem of the standard Higgs mechanism caused by the fact that tachyonic mass term is not stable under radiative corrections (due to couplings of Higgs to fermions proportional to their masses). In TGD framework this kind of term is absent. Therefore also the basic motivation for standard SUSY as stabilizer of radiative corrections disappears. Standard space-time SUSY would be replaced with 4-D generalization of 2-D super-conformal invariance but restricted to the modes of right-handed neutrino. For other fermion states the modes would be restricted to 2-D string world sheets and partonic 2-surfaces and super-conformal symmetry would reduce to 2-D one. The 2-D super-conformal symmetry is mathematically analogous to badly broken

SUSY with very large value of  $\mathcal{N}$  and massive neutrino would represent the least broken aspect of this symmetry. The masses of sparticles are expected to be higher than particles for this SUSY.

## Books related to TGD

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