

THE FUNDAMENTAL PROOF of the NUMBER THEORY

Every number in \mathbb{N} can be written like this:

Theorem 1

$(a+n) = 2n + (a-n) = 2n - (n-a)$ is ever true for all n in \mathbb{N}

This trivial Theorem proofs directly

Goldbach Conjecture , 1 is prime

Levys = Lemoine's Conjecture with a, n are primes

Polignacs Conjecture

$2n = (n+a) + (n-a)$ Goldbach Conjecture = $(a+n) - (a-n)$ Polignacs Conjecture

Goldbach Conjecture is $2n = (n+a) + (n-a)$, 1 is here prime

$$2 = (0+1) + (1-0)$$

$$4 = (1+2) + (2-1)$$

$$6 = (2+3) + (3-2)$$

$$8 = (3+4) + (4-3)$$

$$10 = (2+5) + (5-2)$$

$$12 = (1+6) + (6-1)$$

$$14 = (4+7) + (7-4)$$

$$16 = (3+8) + (8-3)$$

$$18 = (4+9) + (9-4)$$

$$20 = (3+10) + (10-3)$$

$$22 = (6+11) + (11-6)$$

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$2n = (a+n) + (n-a)$ is ever true while

$$2n = 2n$$

q.e.d.

M_B_S